

# Text Visualization in Social Science

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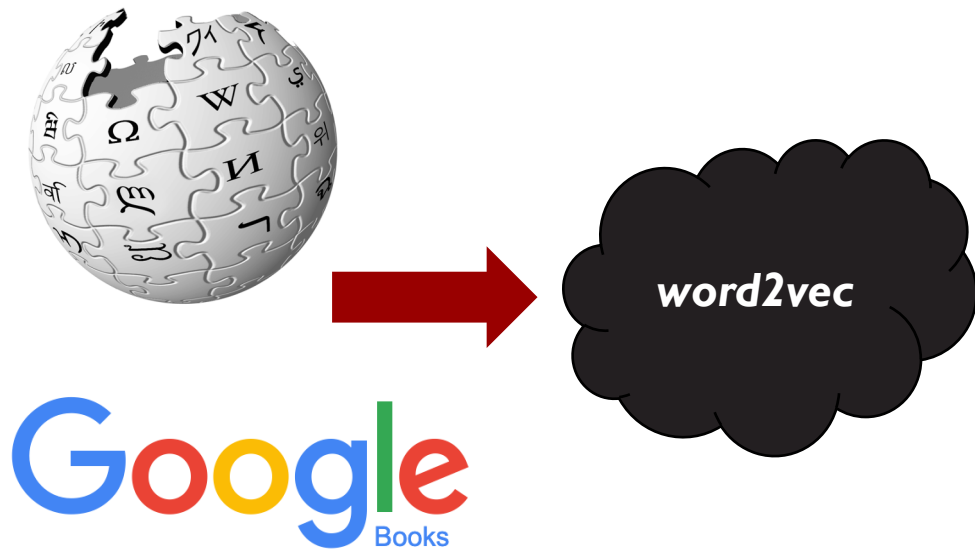
# Today's Agenda

1. Guest Speaker Dr. Dustin Stoltz (6:00-6:50PM)
2. More on Word Embedding and Text Visualization (7:00-7:50 PM)
3. Lab Tutorial on Text Visualization (8:00-8:50PM)

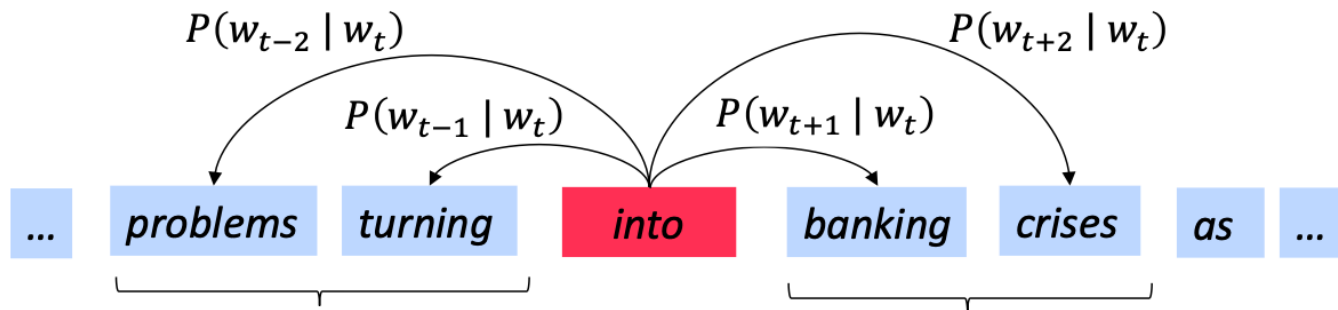
Dr. Dustin Stoltz  
Ass. Prof. of Sociology  
@Lehigh University



# More on Word Embeddings



	<i>D1</i>	<i>D2</i>	<i>D3</i>	<i>D4</i>
W1	.02	.03	.5	.45
W2				
W3				
W4				



$V = c(\text{"problems", "turning", "into", "banking", "crises"})$

problems	turning	into	banking	crises	as
problems	turning	into	banking	crises	as

Training Samples

Window size=2

(into, turning)  
(into, problems)  
(into, banking)  
(into, crises)

(banking, turning)  
(banking, into)  
(banking, crises)  
(banking, as)

② Exponentiation makes anything positive

$$P(o|c) = \frac{\exp(u_o^T v_c)}{\sum_{w \in V} \exp(u_w^T v_c)}$$

① Dot product compares similarity of  $o$  and  $c$ .

$$u^T v = u \cdot v = \sum_{i=1}^n u_i v_i$$

Larger dot product = larger probability

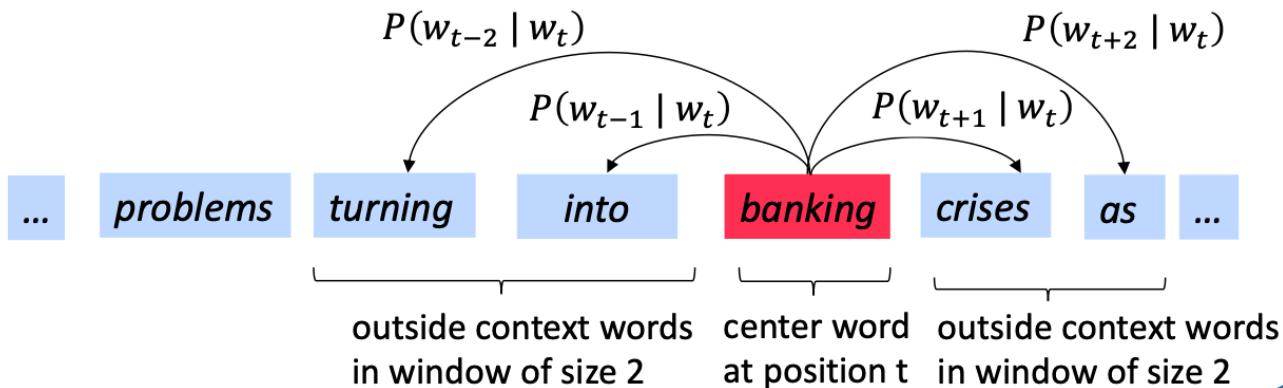
③ Normalize over entire vocabulary to give probability distribution

- This is an example of the **softmax function**  $\mathbb{R}^n \rightarrow (0,1)^n$

$$\text{softmax}(x_i) = \frac{\exp(x_i)}{\sum_{j=1}^n \exp(x_j)} = p_i$$

Open region

- The softmax function maps arbitrary values  $x_i$  to a probability distribution  $p_i$ 
  - “max” because amplifies probability of largest  $x_i$
  - “soft” because still assigns some probability to smaller  $x_i$
  - Frequently used in Deep Learning



For each position  $t = 1, \dots, T$ , predict context words within a window of fixed size  $m$ , given center word  $w_j$ .

Likelihood =  $L(\theta) = \prod_{t=1}^T \prod_{\substack{-m \leq j \leq m \\ j \neq 0}} P(w_{t+j} | w_t; \theta)$

$\theta$  is all variables to be optimized

sometimes called *cost* or *loss* function

The **objective function**  $J(\theta)$  is the (average) negative log likelihood:

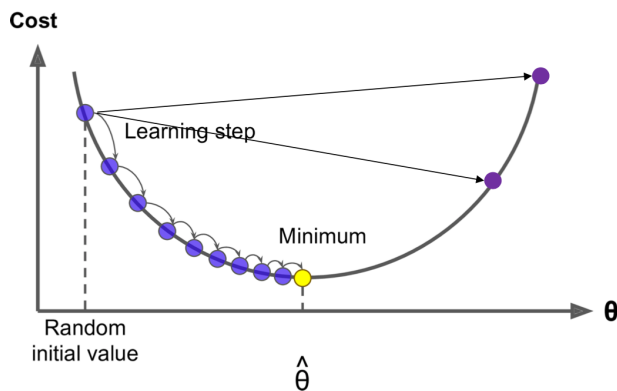
$$J(\theta) = -\frac{1}{T} \log L(\theta) = -\frac{1}{T} \sum_{t=1}^T \sum_{\substack{-m \leq j \leq m \\ j \neq 0}} \log P(w_{t+j} | w_t; \theta)$$

Can anyone tell me why the cost function is  $-1/T \log L(\theta)$ ??

Manning, CS224n, 2020



- We have a cost function  $J(\theta)$  we want to minimize
- **Gradient Descent** is an algorithm to minimize  $J(\theta)$
- Idea: for current value of  $\theta$ , calculate gradient of  $J(\theta)$ , then take **small step in the direction of negative gradient**. Repeat.



Note: Our objectives may not be convex like this

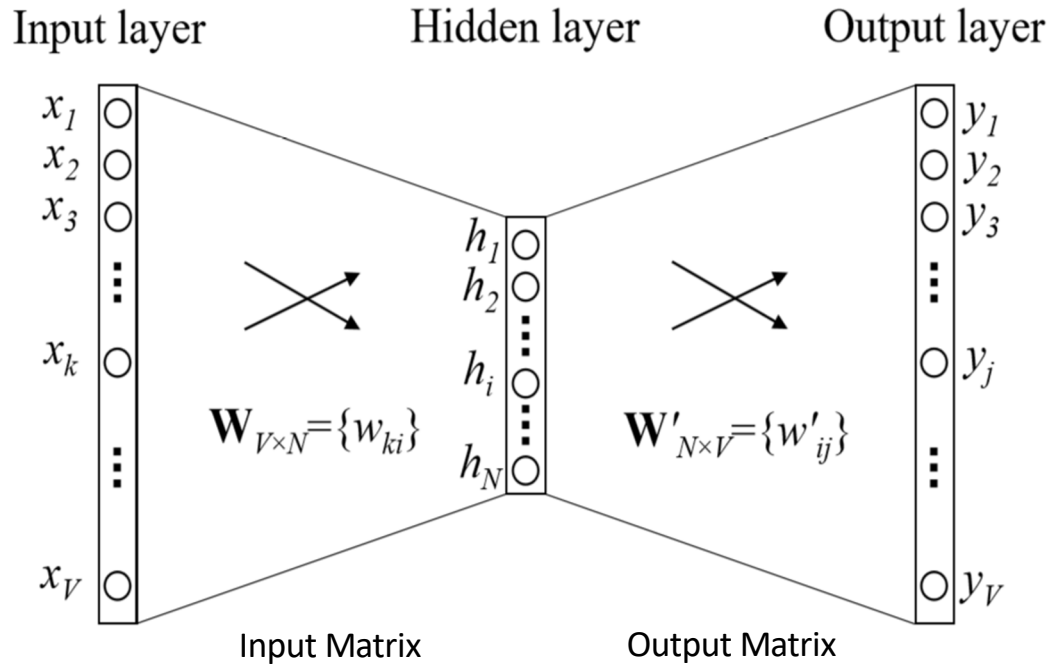
- Update equation (in matrix notation):

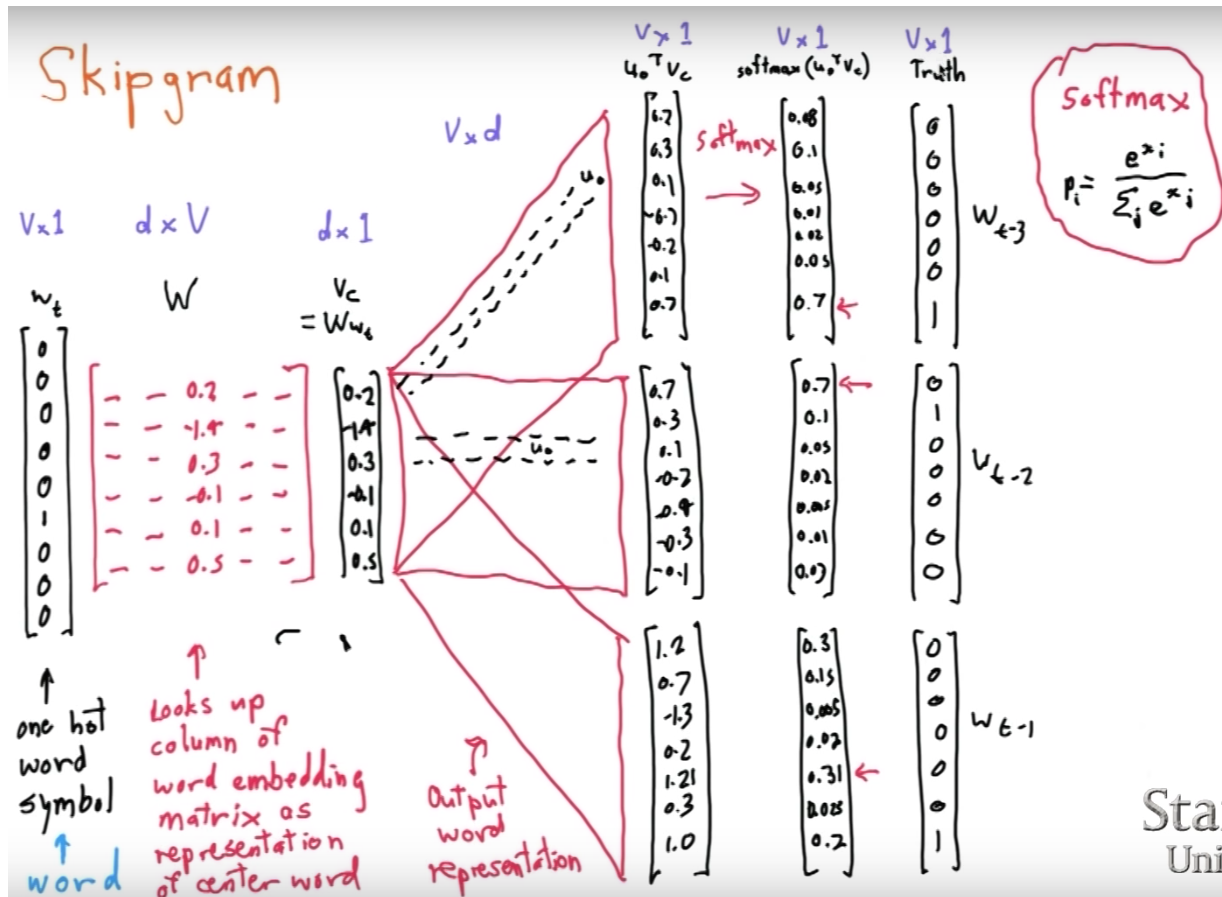
$$\theta^{new} = \theta^{old} - \alpha \nabla_{\theta} J(\theta)$$

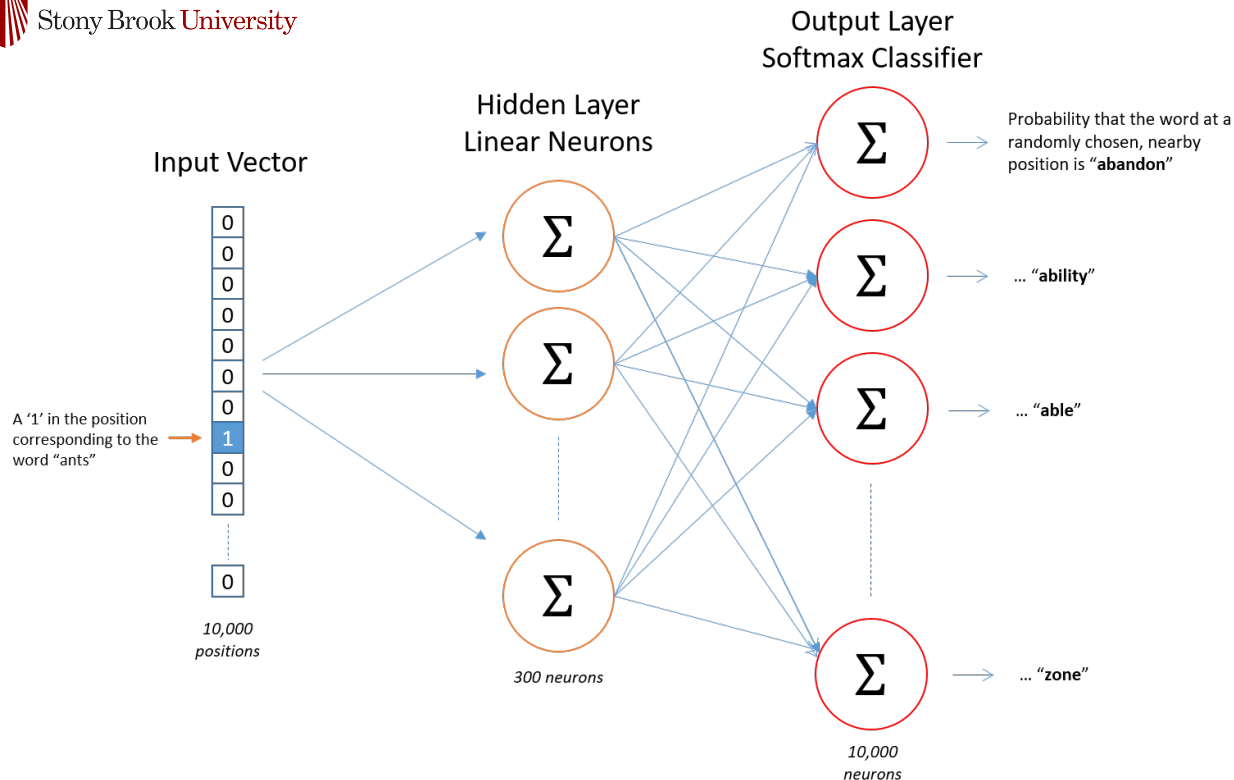
$\alpha = \text{step size or learning rate}$

- Update equation (for a single parameter):

$$\theta_j^{new} = \theta_j^{old} - \alpha \frac{\partial}{\partial \theta_j^{old}} J(\theta)$$

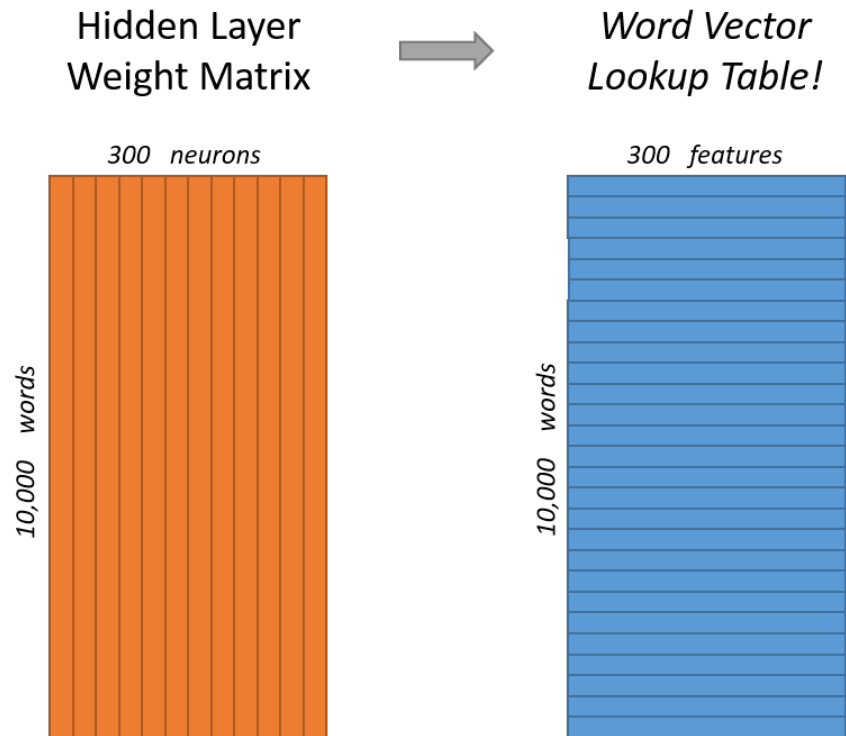






When training this network on word pairs, the input is a one-hot vector representing the input word and the training output is also a one-hot vector representing the output word. But when you evaluate the trained network on an input word, the output vector will actually be a probability distribution (i.e., a bunch of floating point values, not a one-hot vector).

<http://mccormickml.com/>

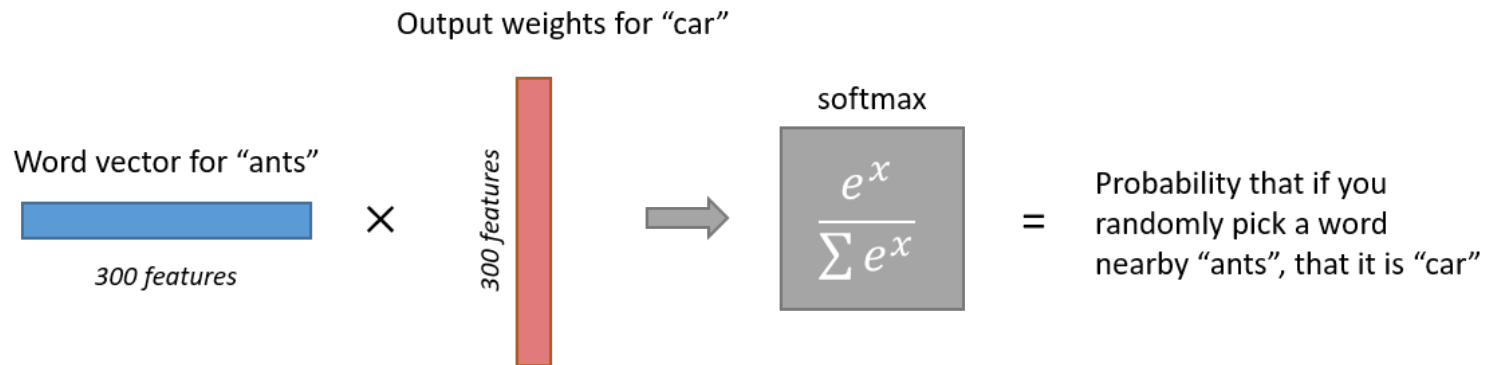


Input Vector

Input Weight Matrix

Word Vector

$$\begin{bmatrix} 0 & 0 & 0 & 1 & 0 \end{bmatrix} \times \begin{bmatrix} 17 & 24 & 1 \\ 23 & 5 & 7 \\ 4 & 6 & 13 \\ 10 & 12 & 19 \\ 11 & 18 & 25 \end{bmatrix} = \begin{bmatrix} 10 & 12 & 19 \end{bmatrix}$$



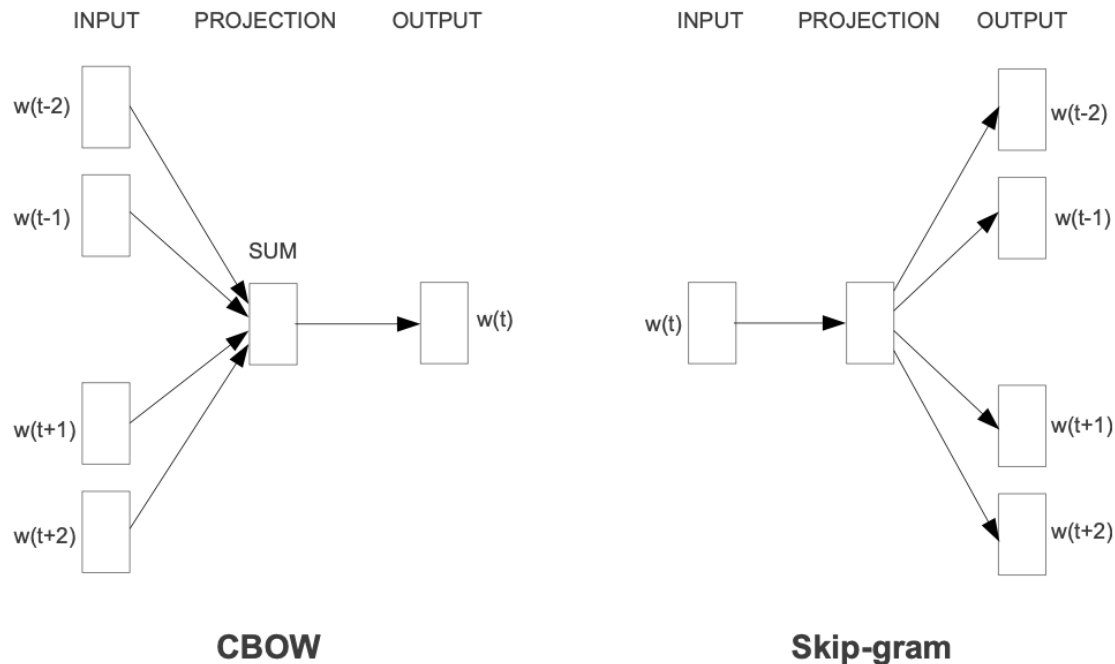


Figure 1: New model architectures. The CBOW architecture predicts the current word based on the context, and the Skip-gram predicts surrounding words given the current word.



# Some Pre-trained Models

Google Word2Vec

<https://code.google.com/archive/p/word2vec/>

Improvements and pre-trained models for word2vec:

<https://nlp.stanford.edu/projects/glove/>

<https://fasttext.cc/> (by Facebook)

# More on Text Visualization

# Thank you!

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