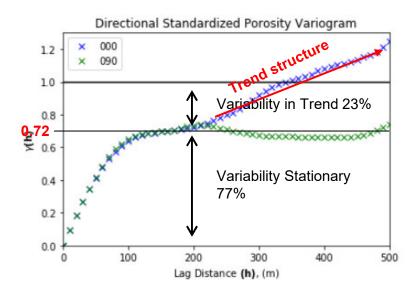


Lecture outline . . .

- Variogram Modeling
- Interactive Demo with GeostatsPy
- Workflow with GeostatsPy



 After we calculate / quantify spatial continuity we need to model it for spatial prediction.







11 Data Analytics: Variogram Interpretation

GeostatsGuy Lectures



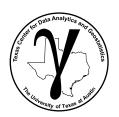
11b Data Analytics: Variogram Modeling

GeostatsGuy Lectures



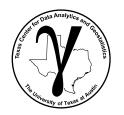
11c Python Data Analytics Reboot: Variogram Modeling

GeostatsGuy Lectures



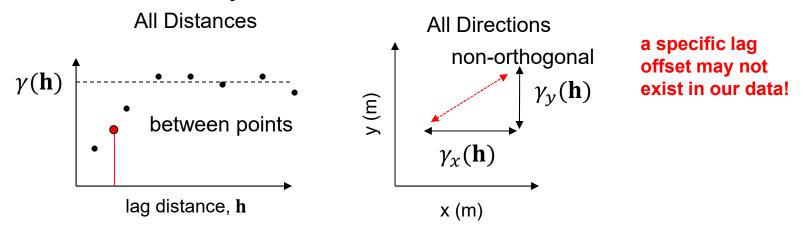
Lecture outline . . .

Variogram Modeling



Reasons for Variogram Modeling

1. Need to know the variogram for all possible **h** lags, distances and directions – not just the ones calculated

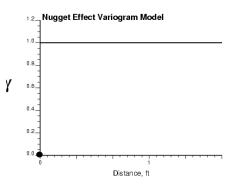


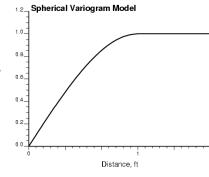
- 2. Incorporate additional geological knowledge (such as analogue information or information on directions of continuity ...)
- 3. The variogram model must be **positive definite** (a legitimate measure of distance), that is, the variance of any linear combination must be positive



Common Variogram Models

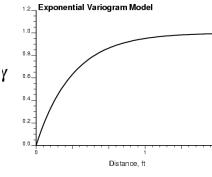
No spatial correlation
Should be a small
component of the
overall variance

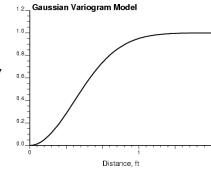




Commonly encountered variogram shape

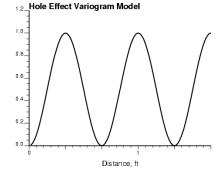
Similar to spherical but rises more steeply and reaches the sill asymptotically

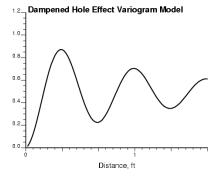




Implies short scale continuity; parabolic behavior at the origin, instead of linear

For periodic variables



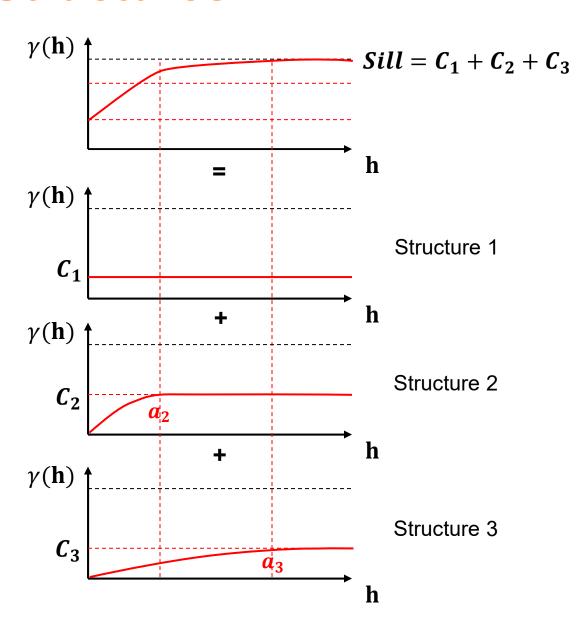


For periodic variables, when the period is not regular



Variograms Models with Nested Structures

- The addition of positive definite variogram structures is positive definite.
- Each structure covers a proportion of the sill.
- For each structure we can change the:
 - orientation
 - range in major and minor
- We are explaining the spatial components of the variance!

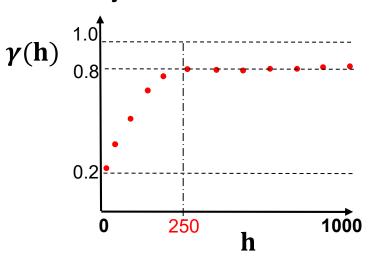


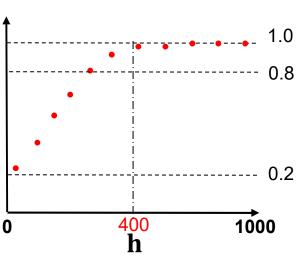


Variogram Modeling Example

Major Direction Azimuth 090

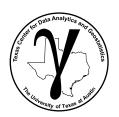
Minor Direction Azimuth 000





Structure	Туре	С	a _{maj}	a _{min}
1	Nugget	0.2	-	-
2	Spherical	0.8	250	400
3	Spherical	0.2	9999	400
4				
5				

$$\gamma(h) = \mathbf{0.2} + 0.6 \cdot sph_{a_{maj}=250} + 0.2 \cdot sph_{a_{maj}=9999}$$
 $a_{min}=400$
 $a_{min}=400$



Lecture outline . . .

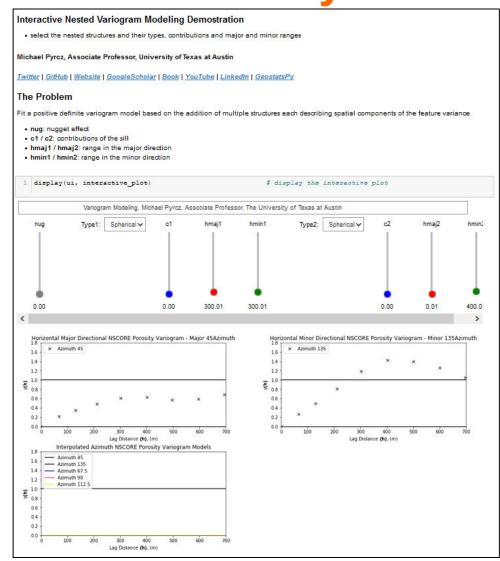
Interactive Demo with GeostatsPy

Let's model variograms:

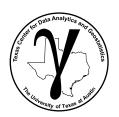
 normal score transformed (standard Gaussian) porosity

Some Hints:

- don't change the variogram calculation
- find lowest common nugget effect
- add a structure to get to pseudo sill
- model remainder with very large range in major direction



Interactive Python Jupyter variogram modeling (Interactive_Variogram_Modeling.ipynb).



Lecture outline . . .

Workflow with GeostatsPy



Variogram Modeling Workflow with GeostatsPy

Let's walkthrough a more thorough variogram-based spatial analysis workflow:

- calculate experimental variograms
- formulate variogram models

Python Jupyter variogram calculation (GeostatsPy_variogram_modleing.ipynb).

```
nug = 0.0; nat = 2
                                                                     # 2 nest structure variogram model parameters
   it1 - 1; cc1 - 0.6; azi1 - 45; hmaj1 - 350; hmin1 - 350
   it2 - 1, cc2 - 0.4; ari2 - 45; hmaj2 - 9999.9; hmin2 - 400
   vario = GSLIB.make_variogram(nug,nat,itl,ccl,aril,hmajl,hminl,it2,cc2,ari2,hmaj2,hmin2) # mekc model object
   nlag = 70; xlag = 10; arm = 45;
                                                                     # project the model in the 045 azimuth
   index45, h45, gam45, cov45, ro45 - geostats.vmodel(nlag, xlag, arm, vario)
                                                                     # project the model in the 135 azimuth
   index135, h135, gam135, cov135, rol35 = geostats.vmodel(nlag, xlag, arm, vario)
   plt.plot(lag[2,:],gamma[2,:],'x',color = 'black',label = 'Arimuth ' +str(ari_mat[2]))
   plt.plot([0,2000],[1.0,1.0],color = 'black')
   plt.plot(h45,gam45,color - 'black')
  plt.xlabel(r'Lag Distance $\bf(h) $, (m)')
  plt.ylabel(r'5\gamma \bf(h)5')
   plt.title('Directional NSCORE Porceity Variogram')
18 plt.xlim([0,700])
  plt.ylim([0,1.8])
   plt.legend(loc='upper left')
   plt.plot(lag[6,:],gamma[6,:],'x',color = 'black',label = 'Arimuth ' +str(ari_mat[6]))
   plt.plot([0,2000],[1.0,1.0],color = 'black')
   plt.plot(h135,gam135,color - 'black')
26 plt.xlabel(='Lag Distance 5\bf(h)5, (m)')
   plt.ylabel(='5\gamma \bf(h)5')
   plt.title('Directional NSCORE Porosity Variogram')
29 plt.xlim([0,700])
  plt.ylim([0,1.8])
   plt.legend(loc='upper left')
33 plt.subplots_adjust(left=0.0, bottom=0.0, right=2.2, top=1.6, wspace=0.2, hspace=0.3)
   plt.show()
x,y,z offsets - 7.071067805519558,7.071067818211393
x,y,z offsets - 7.071067830903227,-7.071067792827723
                Directional NSCORE Porosity Variogram
                                                                                Directional NSCORE Porosity Variogram
       x Azimuth 45
                                                                      x Azimuth 135
  0.6
                                                                 0.6
  0.4
                                                                 0.4
  0.2
                                                                 0.2
                        Lag Distance (h). (m)
                                                                                        Lag Distance (h). (m)
```



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