

**Due:** 01.05.2017 23:30

## **BLG 354E - HOMEWORK 4**

Every question will be solved using MATLAB. In the report; signal plots, MATLAB outputs and comments are needed. For every question, you should create different scripts. **Do not submit only one file containing all the codes.** 

1-) (25 pts) Remember the 3rd question from HW3. There was a signal h[k] where

$$h[k] = \begin{cases} 1, & |k| \le N \\ 0, & N+1 \le k \le K-N-1 \end{cases}$$

and the fundamental period is K and K > (2N + 1).

a) Create a MATLAB function which calculates the discrete-time Fourier series coefficients of that signal, plots their magnitudes for P periods and returns  $a_k$  and corresponding k values for a period. The function should take K,P and N values as parameters. The function should be called with the following command.

[a k, k] = functionname(10,1,2) 
$$%K=10 N=1 P=2$$

- b) Create a MATLAB script uses the values calculated by the function in Part A where K is 10 and N is 1. Use Synthesis formula to reobtain h[k]. Compare original h[k] with reobtained signal.
- 2-) (25 pts) Determine the DTFS coefficients of the periodic discrete-time sequence

$$x[n] = 3\sin\left(\frac{2\pi}{7}n + \frac{\pi}{4}\right)$$

using MATLAB.

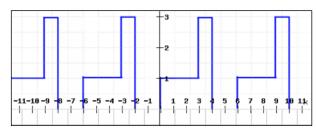
- **3-) (25 pts)** A function is defined as  $x(t) = e^{-t}$  in the in one of its periods  $0 \le t \le 3$ .
  - a) Plot the function in the given interval.
  - b) Remember that, in continuous-time, a signal can be defined using infinite Fourier coefficients.

$$x(t) = \sum_{k=-\infty}^{\infty} a_k e^{jkw_0 t}$$

Find the Fourier coefficients between -100 and 100 ( $a_{-100} \dots a_{100}$ ) of the signal. You can use "syms" to define symbolic variables and "subs" function to assign values to a symbolic expression.

c) Obtain an approximation of x(t) using continuous-time synthesis formula. Plot the approximated signal and compare with the original plot.

## 4-) (25 pts)



As you can remember from Recitation 3, Fourier coefficients of the signal given above was calculated as

$$a_k = \frac{1}{2jk\pi}(1 + 2e^{-jk\pi} - 3e^{-jk\frac{4\pi}{3}})$$

Use the Fourier coefficients between

- i) 1-10
- ii) 1-50
- iii) 1-100
- iv) 1-200

to reobtain the signal. Plot and compare your findings.

## **Notes:**

- Please write your answers briefly and add explanations at necessary points to make your calculations more understandable.
- If you have any questions, feel free to contact Res. Asst. Yusuf Hüseyin Şahin (<a href="mailto:sahinyu@itu.edu.tr">sahinyu@itu.edu.tr</a>).