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1: TTT using Magic Square:

consider the given pre-sets:

Magic square:
$$\begin{bmatrix} 8 & 3 & 4 \\ 1 & 5 & 9 \\ 6 & 7 & 2 \end{bmatrix}$$

move: move to be played

mc1: move count for comp

mc2: move count for player

c : check for win

comp [] : array for computer moves

play [] : Array for player moves

arr [9]: Board

STEP 1: Choose whether player starts or comp starts.

STEP 2: If player - move:

player may choose any ^{one} of the available move.

If comp - move:

If ($mc1 == 1$):

if (center is available):

comp plays center.

else

comp plays any of the corner moves

else if ($mc1 == 2$):

comp plays any of the corner moves

else

if ($win - move == 1$):

comp plays win move

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else if (block-move == 2)

comp plays block move

else

comp plays random move

STEP 3: for (player):

if (win-condition == 1)

print (Player Wins)

GOTO STEP 6

for (comp):

if (win-condition == 1)

print (Computer Wins)

GOTO STEP 6

STEP 4: Repeat steps 2,3 while (board != Full)

STEP 5: if (board == FULL)

print (Game Draw)

STEP 6: END

win-move:

a = 15 - comp[i-1] - comp[i-2]

if (a < 9)

return a

block-move:

a = 15 - play[i-1] - play[i-2]

if (a < 9)

return a

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win - condition:

i = 0

while (i < 9)

if (arr[i] == arr[i+1] == arr[i+2])

return 1

i = i + 3

i = 0

while (i < 3)

if (arr[i] == arr[i+3] == arr[i+6])

return 1

i++

i = 0

if (arr[i] == arr[i+2] == arr[i+4])

return 1

if (arr[i] == arr[i+4] == arr[i+8])

return 1

return 0

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2. TTT using MinMax

consider the given pre-sets:

move: move to be played

b[3][3]: board, arr[9]: board

Max: Comp, Min: Player

STEP 2: choose whether player starts or computer starts

STEP 2: if player - move:

player may choose any 1 of the valid moves.

if comp - move:

best_val = -1000

for (i=0; i<5; i++)

for (j=0; j<5; j++)

if (b[i][j] == '')

b[i][j] = move

mov_val = minmax(board, isMax)

if (mov_val > best_val)

b[i][j] = ''

comp plays move_val

best_val = mov_val

STEP 3: for (player):

if (win-condition == 2)

print (Player wins)

GOTO STEP 6

for (comp):

```
if (win - condition == 2)
print (computer wins)
GOTO STEPG
```

STEP 4: Repeat Steps 2,3 while (board != FULL)

STEP 5: if (board == FULL)
print (Game Draw)

STEP 6: END

minmax:

score = heuristic (board)

if (score == 10)

return score

if (score == -10)

return score

if (is max)

best = -1000

for (i=0; i<5; i++)

for (j=0; j<5; j++)

if (b[i][j] == '')

b[i][j] = move

best = max (best, minmax (board, !isMax))

b[i][j] = ''

return best

else

best = 1000

for (i=0; i<5; i++)

for (j=0; j<5; j++)

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```
if (board[i][j] == '')  
    board[i][j] = move  
    best = min(best, minmax(board, ismax))  
    board[i][j] = ''  
return best.
```

heuristic:

i = 0

while (i < 9)

if (arr[i] == arr[i+1] == arr[i+2])

return 10

else

return -10

i = i + 3

i = 0

while (i < 3)

if (arr[i] == arr[i+3] == arr[i+6])

return 10

else

return -10

i = i + 3

i = 0

if (arr[i] == arr[i+2] == arr[i+4])

return 10

else

return -10

if (arr[i] == arr[i+4] == arr[i+8])

return 10

else

return -10

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win-condition:

i=0

while (i<9)

if (arr[i] && arr[i+1] && arr[i+2])

return 1

i = i + 3

i=0

while (i<3)

if (arr[i] && arr[i+1] && arr[i+2])

return 1

i++

i=0

if (arr[i] && arr[i+2] && arr[i+4])

return 1

if (arr[i] && arr[i+4] && arr[i+8])

return 1

return 0

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3. Create Magic Square

Consider the following Presets:

`arr[i][j] = board`

`n`: user value for size of matrix

Algorithm only for odd values of '`n`'

`val`: value to be added next

STEP 1: Accept value of '`n`' from user

Create a 2D matrix with `n` rows and columns

Set entire matrix to '0'.

STEP 2: First value `val = 1` is set on `arr[i][j]` where:

`i = 0`

`j = (n+1)/2`

STEP 3: `temp 1 = i`

`temp 2 = j`

`i--`

`if (i == -1)`

`i = n - 1`

`j++`

`if (j == n)`

`j = 0`

`if (arr[i][j] == 0)`

`arr[i][j] = val`

`else`

`i = temp 1 + 1`

`j = temp 2`

`arr[i][j] = val`

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STEP 4: Repeat step 3 while ($board[1] = FULL$)

STEP 5: Print final board

END

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4. N-Queens

Consider the following Pre sets

arr [] [] : board

qf = queen number

n = No of queens to be placed.

STEP 1: Accept value of 'n' from user.

Create a 2D matrix with 'n' rows and columns

Set entire matrix to '0'.

STEP 2: i=0 , j = qf - 1

if (arr [i] [j] == 0)

arr [i] [j] = qf

Set all board tiles in the row, column and
diagonal of the Queen (qf) to -qf.

qf++

else

i++

if (i == n & qf == qf - 1)

Set all board tiles in the row, column and
diagonal of Queen (qf-1) to 0

Remove queen (qf-1) and set tile to -1

qf--

STEP 3: Repeat step 2 while (qf != n+2)

STEP 4: Display Board

STEPS: END

5. Water jug (BFS)

considers the following presets

J_1 : Max capacity of Jug 1

J_2 : Max capacity of Jug 2

s_1 : value of Jug 1 in goal state

s_2 : value of Jug 2 in goal state

$open[]$: nodes whose children are not calculated

$close[]$: nodes whose children are calculated

x : current value of Jug 1

y : current value of Jug 2

Initially both jugs are empty.

All possible rules have been declared.

STEP 1: Accept value of J_1 , J_2 , s_1 and s_2 from user
Set Root node with $x=0$, $y=0$

STEP 2: Apply all possible rules on root node to find
all possible child nodes
if (child-node == goal)
GOTO STEP 5
update open and close list

STEP 3: Find ~~leaf~~' leftmost leaf Node of Root
Apply all possible rules to find all possible
child nodes
if (child-node == goal)
GOTO STEP 5

else

update close and open list

~~find~~ backtrack to parent node

find next leftmost node

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STEP 4: Repeat step 3 while Goal State is not reached

STEP 5: Print Tree traversal route from Root to Goal node

END

6. Water Jug (DSF)

Presets same as 5.

STEP 1: Accept value of J_1, J_2, S_1, S_2 from user
Set root node with $x = 0, y = 0$

STEP 2: Repeat while (child-node == UNIQUE)

Find child-node of parent

if (child-node == Goal)

GOTO STEP 4

else

update open and close list

end loop

STEP 3: Backtrack to parent node of current leaf node.

Find next child-node of parent

GOTO STEP 2

STEP 4: Print Tree Traversal route from root to goal

END

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7. 8 - Puzzle (Hill climbing)

considers the following presets:

Initial and goal state are hard coded

objective function: no. of tiles in correct position

obj: objective function value of given node

c = changed node

All possible board moves have been declared.

STEP 1: Set Root node as Initial state.

STEP 2: Repeat while (node (obj) != 8 || local maxima)

Apply all possible board moves to find all child nodes

calculate obj value of all child nodes.

```
for (i=0; i < child-nodes; i++)  
    c=0  
    if (child (obj) == 8)  
        print (Goal State Achieved)  
        GO TO STEP 3  
    if (child (obj) > parent (obj))  
        parent = child  
        c = 1  
    if (c == 0)  
        print (Local Maxima!)  
        GO TO STEP 3
```

End of loop

STEP 3: END

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8. 8-Puzzle (Best)

consider the following pre-sets:

Initial and goal state are pre-set / hard coded

Heuristic function: No. of tiles in correct position.

h : heuristic value of given node

open[]: list of nodes whose children are not found

close[]: list of nodes whose children are found

All possible board moves have been declared.

STEP 1: set Root node as initial state.

STEP 2: Repeat while ($\text{node}(h) \neq 8$)

- update open and close list

- apply all possible board moves to find all child nodes of current-node

- calculate heuristic value of all child nodes

```
for(i=0; i < all-node; i++)
```

```
if (node(h) == 8)
```

```
print ("Goal State Achieved")
```

```
goto STEP 3
```

```
if (node(h) > current(h))
```

```
current = node
```

end of loop

STEP 3: ~~Print~~ Print tree traversal from ^{Root} ~~to~~ to Goal

END

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9. 8-Puzzle (A^*)

Consider the following pre-sets:

Initial and goal state are hard coded

Evaluation function $f(n) = g(n) + h(n)$

$g(n)$: Distance travelled from root

$h(n)$: Heuristic function value misplaced

Heuristic function: No. of tiles in ~~misplaced~~

open[] : list of nodes whose children are not found

close[] : list of nodes whose children are found.

STEP 1: Set Root node as Initial State.

STEP 2: Repeat while (node(f) != 0)

 update open and close list

 apply all possible valid moves to find all child nodes of current - node

 calculate evaluation function value of all child nodes

 for (i=0; i < all-nodes; i++)

 if (node(f) == 0)

 print ("Goal State Achieved")

 GOTO STEP 3

 if (node(f) < current(f))

 current = node

 end of loop

STEP 3: Print tree traversal from root to goal
END

10. City Distance (Best)

Consider two given pre-sets:

Initial and goal cities are hard coded.

Edge value indicates straight line distance

Heuristic function: shortest distance

h : heuristic value of given node

open[]: list of nodes whose children are not found

close[]: list of nodes whose children are found.

STEP 1: Create a weighted graph with each city as a vertex and distance between two cities as weight of that edge

STEP 2: Set origin-city as root

STEP 3: Repeat while ($\text{node}(h) \neq 0$)

Find all cities connected to current-node from graph

Calculate heuristic value of each node

for ($i=0$; $i < \text{all-nodes}$; $i++$)

if ($\text{node}(h) == 0$)

print (Destination Reached)

GOTO STEP 4

if ($\text{node}(h) < \text{current}(h)$)

current = node

update open and close list

end of loop

STEP 4: Print traversal route from origin to destination and total distance travelled

END

11. City Distance (A*)

Consider the following pre-sets:

Initial and goal ~~position~~^{city} is hard coded

Edge value indicates straight line distance

Evaluation function : $f(n) = g(n) + h(n)$

$g(n)$: Distance travelled from origin

$h(n)$: Distance from ~~dest~~ destination

open[] : list of nodes whos children are not found

close[] : list of nodes whos children are found

STEP 1: Create a weighted graph with each city as a vertex and distance between two cities as weight of edge.

STEP 2: Set origin-city as root node

STEP 3: Repeat while ($\text{node}(h) \neq 0$)

Find all cities connected to current-node from graph

Calculate evaluation function value of each node

for ($i=0$; $i < \text{all_nodes}$; $i++$)

if ($\text{node}(h) == 0$)

print (Destination Reached)

GO TO STEP 4

if ($\text{node}(f) \leq \text{current}(f)$)

current = node

update open and close list

end of loop

STEP 4: Print tree traversal from origin to destination and total distance travelled

END

12. Robot (Best)

considers the given pre-sets:

Initial and goal positions are hardcoded.

Heuristic function: Manhattan distance

open[]: list of nodes whose children are not found

closed[]: list of nodes whose children are found.

h: heuristic value of a node.

STEP 1: Set initial position as root node.

STEP 2: repeat while (node(h) != 0)

 update open and close list

 Find all tiles that can be reached from current_node

 calculate heuristic value of child_nodes.

 for (i=0; i < all_nodes; i++)

 if (node(h) == 0)

 Print (goal position Reached)

 GOTO STEP 3

 if (node(h) < current(h))

 current = node

 else

 current = open[0]

 end of loop.

STEP 3: Print robot navigation path

END

13. Robot (A*)

consider the following pre-sets:

Initial and goal position is hard coded

Evaluation function $f(n) = g(n) + h(n)$

$g(n)$: distance travelled from initial tile

$h(n)$: manhattan distance to goal tile

open[] : list of nodes whose children are not found

close[] : list of nodes whose children are found.

STEP 1: Set initial position as root node.

STEP 2: Repeat while (node (h) != 0)

update open and close list

Find all possible tiles that can be reached from current - node.

calculate evaluation function value of all child - nodes.

for (i=0; i < all-nodes; i++)

if (node (h) == 0)

print (Goal Reached)

GOTO STEP 3

if (node (f) < current (f))

current = node

else

current = open [0]

end of loop

STEP 3: Print robot navigation path

END

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lh. ~~MAP colouring~~:

consider the following presets:

col[]: array containing all colours to be used.

open[]: all nodes ~~are~~ that are not yet coloured

closed[]: all nodes that are coloured

STEP 1: Create a graph with each map element as a vertex and connect neighbouring elements using edges.

STEP 2: Repeat while (open[] != EMPTY)

for (i=0; i < open; i++)

• find all nodes connected to open[i]

• Eliminate all used colours

• Choose colour for 'i' from remaining available colours.

end of loop

STEP 3: if (open == EMPTY)

GOTO STEP 4

else

print("could not colour entire map")

GOTO STEP 5

STEP 4: Print colour sequence of all Map Elements

STEP 5: END