

Lecture 13

①

Bitwise operators

- These operators work on individual bits of operands.
- They work at binary levels and used in the scenarios where we need to manipulate data efficiently such as in system programming, cryptography and low-level operations.
- Java is not typically used for system programming, but languages like C & assembly heavily rely on low-level operations.
- Mostly used in embedded systems applications which work in resource constrained environments. As these things have limited memory and data has to be manipulated very efficiently and bitwise operators play an important role here.

→ There are following bitwise operators in Java:-

- ① Bitwise AND (&)
- ② Bitwise OR (|)
- ③ Bitwise NOT (~)
- ④ Bitwise XOR (^) (exclusive OR)
- ⑤ Bit Shift Operators
 - Left Shift (<<)
 - Right Shift (>>)
 - Unsigned Right Shift (>>>)

Bitwise AND (&) :- it returns 1 if both input bits are 1.

eg:- $a = 10$ & $b = 5$

$$a \& b = 0$$

00000000	00000000	00000000	00001010	(a)
00000000	00000000	00000000	0000101	(b)
<hr/>				
00000000	00000000	00000000	00000000	

② Bitwise OR ($|$) - it returns 1 if any of the input bit is 1. ②

eg:- $a = 10, b = 5;$

$$a | b \Rightarrow 15$$

00000000	00000000	00000000	00001010 (a)
00000000	00000000	00000000	0000101 (b)
<hr/>			
00000000	00000000	00000000	00001111

③ Bitwise XOR (\wedge) :- it returns 1 if both bits are different, otherwise 0.

o. OR

it returns 1 if any of the input bit is 1, but not both.

eg:- $a = 10, b = 5$

00000000	00000000	00000000	00001010 (a)
00000000	00000000	00000000	0000101 (b)
<hr/>			
00000000	00000000	00000000	00001111

$$a \wedge b = 15$$

We can apply these bitwise operators ($\&$, $|$, \wedge) on integers & char values not on floating point numbers. These operators ($\&$, $|$, \wedge) can also be applied on boolean values.

eg:-
boolean $b1 = \text{true};$
boolean $b2 = \text{false};$

$b1 \& b2 \rightarrow \text{false}$

$b1 | b2 \rightarrow \text{true}$

$b1 \wedge b2 \rightarrow \text{false}$

But the operators $\&$, $|$, \wedge are referred to as bitwise only when they are applied on integer operands

NOTE

There is no short-circuiting in Bitwise $\&$ and $|$

\rightarrow these are non-short-circuit operators

eg:- $\text{int } a = 10, b = 20, c = 30, d = 40;$

$\text{if } ((a < b) \mid (++c < d)) \{$

$\text{System.out.println("Both conditions are true");}$

$\}$

$\text{System.out.println("c=" + c);} \rightarrow \underline{31}$

Here even if $(a < b)$ is true but still second condition would be evaluated & that's why c value becomes 31

(4) Bitwise NOT (\sim) :- It inverts bits. 0 becomes 1 & 1 becomes 0.

eg:- $\text{int } a = 10;$

$\sim a = -11$

00000000 00000000 00000000 00001010 (a)

11111111 11111111 11111111 11101010 ($\sim a$)

\rightarrow this is -11 in 2's complement

NOTE - Bitwise NOT (\sim) can not be applied to boolean values.

Compound Bitwise Assignment :-

Combining bitwise operations with assignment.

eg:- $\text{operand1} = \text{operand1} \text{ operator } \text{operand2}$

$\text{operand1 operator} = \text{operand2}$

$\rightarrow a = 10, b = 5;$

$a = a \& b$

Can be written as $a \&= b \rightarrow$ this performs Bitwise AND on a & b, then assigns the result to a.

Same we can write:-

(9)

$a \mid = b;$

$a \wedge = b;$

Practice Time :-

char ch1 = 'A', ch2 = 'B';

'A' = \u0041 \rightarrow 0000 0000 0100 0001 \Rightarrow 65

'B' = \u0042 \rightarrow 0000 0000 0010 0100 \Rightarrow 66

\Rightarrow System.out.println(ch1 & ch2) \Rightarrow 64

System.out.println(ch1 | ch2) \Rightarrow 67

System.out.println(ch1 ^ ch2) \Rightarrow 3

System.out.println(~ch1) \Rightarrow ~65

Answer this:-

float a = 10, b = 5;

output

System.out.println(a & b); = ?

Bit Shift operators :- Shifts the bits.

Left shift

shifts the bits to the left by a specified number of positions. given on right.

eg:- int a = 5;

$a \ll 1$

$S < 1$ 00000000 00000000 00000000 00000101
00000000 00000000 00000000 00001010 \rightarrow **10**

\rightarrow This operation inserts 0s from the right and discards any bits that move out of the left side

Here $a = 5$

$$a \ll 1 = \underline{10} \quad (5 \times 2^1)$$

→ So the answer is same as multiplication by powers of two (assuming no overflow occurs)

eg:- $5 \ll 2 = 5 \times 2^2 = 5 \times 4 = 20$

$$5 \ll 3 = 5 \times 2^3 = 40$$

IMP

Suppose:- $\text{int } a = 1;$

$$\text{int result} = a \ll 31 = ? = -2147483648 \quad [\text{because of overflow}]$$

But:-

$\text{long } a = 1;$

$$\text{long result} = a \ll 31 \Rightarrow 2147483648 \quad [\text{No overflow here}]$$

Unsigned Right Shift:- shifts the bits to the right, by the specified number of positions.

- Right shift the left operand by the specified number of positions given on right.

eg:- $\text{int } a = 10;$
 $a \ggg 1$

$$\begin{array}{l} 10 \rightarrow 00000000 \quad 00000000 \quad 00000000 \quad 00001010 \\ 10 \ggg 1 \Rightarrow 00000000 \quad 00000000 \quad 00000000 \quad 00000101 \Rightarrow 5 \end{array}$$

- Inserts zeros at leftmost bits (higher-order bits) & ignores the sign bit.

This is useful for unsigned operations

Same as division by powers of 2

eg:- $10 \ggg 1 \Rightarrow 10/2^1 = 5$

$$10 \ggg 2 \Rightarrow 10/2^2 = 2$$

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The \gg operators shifts the bits to the right & fills the leftmost bits with 0, regardless of the sign of the original number.

→ This is why it is called "unsigned" - it does not preserve the sign bit

• The sign bit (MSB) is replaced with 0, treating the number as positive after the shift.

e.g:-
`int a = -10;
int result = a >>> 2;
System.out.println(result);` \Rightarrow 1073741824

Signed Right-shift Operators (\gg) \Rightarrow

↳ shifts bits to the right while preserving the sign of the original value. It means that if the value is negative, the sign bit (MSB) is filled with 1s and if the value is positive it is filled with 0s.

e.g:- `int a = 10;
a >> 1` } Case I (number is +ve)

`10` \rightarrow 00000000 00000000 00000000 00001010
`10 >> 1` \Rightarrow 00000000 00000000 00000000 00000101 \Rightarrow 5

inserted 0 `int a = -10
a >> 1` } Case II! - (number is -ve)

`-10` \Rightarrow 11111111 11111111 11111111 11110110
`-10 >> 1` \Rightarrow 11111111 11111111 11111111 11111011 \Rightarrow -5
↑
inserted 1.

\Rightarrow We can say that \gg is same as \ggg but padded with MSB

Compound Bit Shift Operators :-

⑦

Combining bit shift operators with assignment.

eg:- `int a = 10;`

~~`int result =`~~

`a <<= 1;` same as `a = a << 1;` = 20

`int a = 10;`

`a >>= 1;` same as `a = a >> 1` \Rightarrow 5

`int a = 10;`

`a >>>= 1;` same as `a = a >>> 1` \Rightarrow 5

Applications:-

- ① Embedded Systems / Embedded Programming
- ② Games Programming
- ③ Performance optimization (Faster Computations)
 - \hookrightarrow Instead of using \times or $/$, shifting bits left or right can speed up the calculation.
- ④ Network Programming (IP Address Manipulation)
 - \hookrightarrow used to manipulate & compare IP addresses & subnet masks.
- ⑤ Cryptography
 - \hookrightarrow Encryption algorithms (AES, DES) use bitwise operations.
- ⑥ Graphics Programming (Color Manipulation)
- ⑦ Huffman Encoding - Data Compression Algorithms

→ Bitwise Operators have lower precedence than Arithmetic operators.

⑧

Operator Precedence & Associativity Chart:-

Precedence	Operators	Type	Associativity
1	() [] .	Parentheses Array Subscript Member Selection	Left-to-Right
2.	++ --	Unary Post increment Unary Pre increment	L-R (Left-to-Right)
3	++ -- + - ! ~ (type)	Unary Pre-increment Unary Pre-decrement Unary plus Unary minus Logical NOT Bitwise NOT Unary type Cast	R-L (Right-to-left)
4.	* / %	Multiplication Division Modulus	L-R
5.	+ -	Addition Subtraction	L-R
6.	<< >> >>>	Bitwise Left Shift Signed Right Shift Unsigned Right Shift	L-R
7.	< <= > >= instanceof	Relational less than less than equal to greater than greater than equal to Type Comparison (objects only)	L-R

8.	$==$ $!=$	Relational is equal to is not equal to	L-R
9	$\&$	Bitwise AND	L-R
10	\wedge	Bitwise XOR	L-R
11	$ $	Bitwise OR	L-R
12	$\&\&$	Logical AND	L-R
13	$ $	Logical OR	L-R
14	$?:$	ternary operator	Right-to-Left
15.	$=$ $+=$ $- =$ $* =$ $/ =$ $\% =$	Assignment Addition Assignment Subtraction Assignment Multiplication Assignment Division Assignment Modulus Assignment	Right-to-Left

NOTE:- Smaller number means higher precedence.