# **Assignment 7, Evaluating Performance Measures**

# **MSDS 680 - Machine Learning**

## Alla Topp

**Objective:** to predict the age in years of abalone shells (rings) using physical measurements such as length diameter, whole weight, etc.

Abalone is a shellfish. Rings are formed in the shell as the abalone grows, which is about one ring per year (except the first year). To get to the rings, shells will be cut, polished, stained, and examined through a microscope. Some rings are difficult to identify so researchers believe that it is reasonable to add 1.5 to the rings count when estimating the age of the abalones. The method is quite time-consuming and tedious.

I'm going to use K-NN and Naive Bayes to predict the age of an abalone using abalone features. Data was taken from this website https://archive.ics.uci.edu/ml/datasets/Abalone

We start with importing the data into RStudio and do some exploration analytics:

```
#Week 7, Evaluating Performance Measures
#using libraries
library(class)
library(gmodels)
library(caret)
library(e1071)
library(klaR)
abalone <- read.csv(url("https://archive.ics.uci.edu/ml/machine-learning-databases/abalone/abalone.data"),
header = FALSE, sep = ",")

colnames(abalone) <- c("sex", "length", 'diameter', 'height', 'whole_weight', 'shucked_wieght', 'viscera_wieght', 'shell_weight', 'rings')
summary(abalone)
str(abalone)
> summary(abalone)
 sex
             length
                            diameter
                                              height
                                                            whole_weight
                                                                            shucked_wieght
                                                                                            viscera_wieght
                :0.075
                                                :0.0000
 F:1307
                         Min.
                               :0.0550 Min.
                                                           Min.
                                                                  :0.0020
                                                                            Min.
                                                                                  :0.0010
                                                                                            Min.
                                                                                                  :0.0005
 I:1342
         1st Ou.:0.450
                         1st Ou.:0.3500
                                          1st Ou.:0.1150
                                                           1st Ou.:0.4415
                                                                            1st Ou.:0.1860
                                                                                            1st Ou.: 0.0935
 M:1528
         Median :0.545
                         Median :0.4250
                                          Median :0.1400
                                                           Median :0.7995
                                                                            Median :0.3360
                                                                                            Median :0.1710
          Mean :0.524
                         Mean :0.4079
                                                           Mean :0.8287
                                                                            Mean :0.3594
                                          Mean :0.1395
                                                                                            Mean :0.1806
          3rd Qu.:0.615
                         3rd Qu.:0.4800
                                          3rd Qu.:0.1650
                                                           3rd Qu.:1.1530
                                                                            3rd Qu.:0.5020
                                                                                            3rd Qu.: 0.2530
                :0.815
                               :0.6500
                                                 :1.1300
                                                                                   :1.4880
                                                                                                  :0.7600
         Max.
                         Max.
                                          Max.
                                                           Max.
                                                                 :2.8255
                                                                           Max.
                                                                                            Max.
  shell_weight
                    rings
                                       age
 Min.
       :0.0015
                 Min. : 1.000
                                  Min.
                                         : 2.50
 1st Qu.:0.1300
                1st Qu.: 8.000
                                  1st Qu.: 9.50
                 Median : 9.000
 Median :0.2340
                                  Median :10.50
                 Mean : 9.934
 Mean
       :0.2388
                                  Mean
                                         :11.43
 3rd Qu.:0.3290
                 3rd Qu.:11.000
                                  3rd Qu.:12.50
 Max.
                 Max. :29.000
                                  мах.
> str(abalone)
               4177 obs. of 10 variables:
 'data.frame':
                : Factor w/ 3 levels "F","I","M": 3 3 1 3 2 2 1 1 3 1 ...
 $ sex
 $ length
                 : num 0.365 0.265 0.42 0.365 0.255 0.3 0.415 0.425 0.37 0.44 ...
 $ diameter
 $ height
                 : num 0.095 0.09 0.135 0.125 0.08 0.095 0.15 0.125 0.125 0.15 ...
 $ whole_weight : num 0.514 0.226 0.677 0.516 0.205 ...
 $ shucked_wieght: num 0.2245 0.0995 0.2565 0.2155 0.0895 ...
 $ viscera_wieght: num 0.101 0.0485 0.1415 0.114 0.0395 ...
 $ shell_weight : num 0.15 0.07 0.21 0.155 0.055 0.12 0.33 0.26 0.165 0.32 ...
 $ rings
                 : int
                       15 7 9 10 7 8 20 16 9 19 ...
                 : num 16.5 8.5 10.5 11.5 8.5 9.5 21.5 17.5 10.5 20.5 ...
 $ age
```

We want to look for a better and more simple methodology to predict the age of the abalone. From the data set, the rings variable ranges from 1 to 29. We are going to break the rings variable into 3 levels" "young" for abalones less than 7, "adult" for abalones between 7-12, and "old" for abalones older than 12. The age is calculated by adding 1.5 to rings. Also, we ae going to remove after grouping.

•	sex <sup>‡</sup>	length <sup>‡</sup>	diameter <sup>‡</sup>	height <sup>‡</sup>	whole_weight $^{\hat{\circ}}$	shucked_wieght $^{\diamondsuit}$	viscera_wieght $^{\hat{\circ}}$	shell_weight $^{\scriptsize \scriptsize $	age ‡
1	М	0.455	0.365	0.095	0.5140	0.2245	0.1010	0.150	old
2	М	0.350	0.265	0.090	0.2255	0.0995	0.0485	0.070	adult
3	F	0.530	0.420	0.135	0.6770	0.2565	0.1415	0.210	adult
4	М	0.440	0.365	0.125	0.5160	0.2155	0.1140	0.155	adult

I'll start with a KNN classification algorithm. Because KNN requires all numeric variables for prediction, I'm going to remove the "sex" variable and normalize the data using min max normalization.

young adult old 189 2541 1447

Now each variable has a min of 0 and a max of 1. We'll now split the data into training and testing sets. Our split will be 70/30. 70% is training set and 30% will be testing set.

```
#splitting the data to training and testing set
set.seed(555)
ind <- sample(2, nrow(knn_abalone), replace=TRUE, prob=c(0.7, 0.3)) #splitting to 70/30
KNN_train <- knn_abalone[ind==1,] #training set containing 70% of data
KNN_test <- knn_abalone[ind==2,] #testing set containing 30% data</pre>
```

Now we run the model. I'm going to make k equal to the square root of 2924, the number of observations in the training set.

#KNN model with k=54 based on the train set

KNN\_pred <- knn(train = KNN\_train[1:7], test = KNN\_test[1:7], cl = KNN\_train\$age, k = 54)
CrossTable(x = KNN\_test\$age, y = KNN\_pred, prop.chisq = FALSE) #producing cross table
confusionMatrix(table(KNN\_test\$age, KNN\_pred)) #producing confusion matrix</pre>

Total Observations in Table: 1207

KNN_test\$age	KNN_pred   young	adult	old	Row Total
young	27   0.529   0.871   0.022	24   0.471   0.028   0.020	0 0.000 0.000 0.000	   51     0.042   
adult	4   0.005   0.129   0.003	638 0.876 0.745 0.529	86   0.118   0.269   0.071	728   0.603
old	0 0.000 0.000 0.000	194   0.453   0.227   0.161	234   0.547   0.731   0.194	428   0.355
Column Total	31   0.026	856   0.709	320 0.265	   1207   

# > confusionMatrix(table(KNN\_test\$age, KNN\_pred)) #producing confusion matrix Confusion Matrix and Statistics

KNN\_pred

young adult old young 27 24 0 adult 4 638 86 old 0 194 234

### Overall Statistics

Accuracy: 0.7448

95% CI: (0.7192, 0.7692)

No Information Rate : 0.7092 P-Value [Acc > NIR] : 0.003229

Kappa: 0.4652

Mcnemar's Test P-Value : NA

### Statistics by Class:

	class: young	class: adult	class: old
Sensitivity	0.87097	0.7453	0.7312
Specificity	0.97959	0.7436	0.7813
Pos Pred Value	0.52941	0.8764	0.5467
Neg Pred Value	0.99654	0.5449	0.8896
Prevalence	0.02568	0.7092	0.2651
Detection Rate	0.02237	0.5286	0.1939
Detection Prevalence	0.04225	0.6031	0.3546
Balanced Accuracy	0.92528	0.7445	0.7563

This KNN classifier predicted the abalone age with 74% accuracy - likely not accurate enough for an abalone harvester to trust, but it's still pretty high. After this I tried a few other k values but looks like 54 has the best outcome.

The misclassification rate is 1 minus the accuracy, shown below.

```
> 1-.7448
[1] 0.2552
```

Let's now create a Naive Bayes classifier for the same data.

```
#Naive Bayes
NB_train <- KNN_train #using the same training set for the model
NB_test <- KNN_test #using the same test set for the NB model
#model
model <- naiveBayes(age ~., data = NB_train)
model
pred <- predict(model, NB_test)</pre>
print(confusionMatrix(pred,NB_test$age))
> model
Naive Bayes Classifier for Discrete Predictors
naiveBayes.default(x = X, y = Y, laplace = laplace)
A-priori probabilities:
                       old
              adult
    young
0.04646465 0.61043771 0.34309764
Conditional probabilities:
      length
            [,1]
  young 0.2407462 0.0937278
  adult 0.5857359 0.1427804
  old 0.6963239 0.1130213
      diameter
            [,1]
  young 0.2225064 0.08958661
  adult 0.5685085 0.14568926
  old 0.6892488 0.11595103
```

#### > print(confusionMatrix(pred,NB\_test\$age)) Confusion Matrix and Statistics Reference Prediction young adult old young 47 95 422 130 adult 4 old 211 296 0 Overall Statistics Accuracy: 0.6338 95% CI: (0.6059, 0.661) No Information Rate : 0.6031 P-Value [Acc > NIR] : 0.01557 Kappa : 0.3555 Mcnemar's Test P-Value : < 2e-16 Statistics by Class: Class: young Class: adult Class: old Sensitivity 0.92157 0.5797 0.6916 Specificity 0.91609 0.7203 0.7291 Pos Pred Value 0.32639 0.7590 0.5838 Neg Pred Value 0.99624 0.5300 0.8114 Prevalence 0.04225 0.6031 0.3546 Detection Rate 0.03894 0.3496 0.2452 Detection Prevalence 0.11930 0.4606 0.4200 Balanced Accuracy 0.7104

The accuracy rate for the naive bayes model predicting the test set is only about 63%, which makes the misclassification rate approximately 37%. While it's likely that neither algorithm is adequate for predicting the abalone age, the KNN model is more accurate so far.

0.6500

Now we are going to use 10-fold cross validation for training the classifiers.

0.91883

```
#10-fold cross validation
train_control <- trainControl(method = "cv", number = 10)
cv_model <- train(age~., data = knn_abalone, trControl=train_control,method ="nb")</pre>
print(cv_model)
```

```
> print(cv_model)
Naive Bayes
4177 samples
   7 predictor
   3 classes: 'young', 'adult', 'old'
No pre-processing
Resampling: Cross-Validated (10 fold)
Summary of sample sizes: 3759, 3760, 3759, 3760, 3760, 3760, ...
Resampling results across tuning parameters:
 usekernel Accuracy
                        Kappa
  FALSE
             0.6143204
                        0.3214431
             0.6296480 0.3444354
   TRUE
Tuning parameter 'fL' was held constant at a value of 0
Tuning parameter 'adjust' was held constant at a
 value of 1
Accuracy was used to select the optimal model using the largest value.
The final values used for the model were fL = 0, usekernel = TRUE and adjust = 1.
```

We can see that the accuracy of the model shows approximately 63% accuracy which is lower than both previous models showed. We will try Repeated 10-fold Cross Validation with 3 repeats to estimate Naive Bayes on our dataset.

```
#Repeated k-fold Cross Validation
train_control2 = trainControl(method="repeatedcv", number=10, repeats=3)
cv_model2 <- train(age~., data = KNN_train, method = "knn", preProcess="scale", trControl=train_control2)</pre>
cv_model2
 > cv_model2
 k-Nearest Neighbors
 2970 samples
    7 predictor
    3 classes: 'young', 'adult', 'old'
 Pre-processing: scaled (7)
 Resampling: Cross-Validated (10 fold, repeated 3 times)
 Summary of sample sizes: 2673, 2673, 2672, 2673, 2673, 2673, ...
 Resampling results across tuning parameters:
   k Accuracy
                  Kappa
   5 0.7297276 0.4509303
   7 0.7324272 0.4539505
   9 0.7381625 0.4614362
 Accuracy was used to select the optimal model using the largest value.
 The final value used for the model was k = 9.
```

The 10-fold cross validation method indicates that the optimal model for KNN is one with k = 9. The cross-validation method confirms that the KNN method is more effective for this data set than Naive Bayes. The models trained by the 10-fold validation have almost equal accuracy to the models I originally created, when testing on the test data set. My concern with this project is that the parameters I originally used didn't differ much from the suggested model in 10-fold validation. Looks like we don't go over 74% accuracy with this data set which means that the machine learning algorithms are having a difficult learning enough from the abalone features to accurately

predict the age of the abalone. Using different data set definitely affect the results of the models, so classifiers would work much better with specific data sets. The number of folds does affect the result and the performance of the classifier.

### References

(n.d.). Retrieved from <a href="https://archive.ics.uci.edu/ml/datasets/Abalone">https://archive.ics.uci.edu/ml/datasets/Abalone</a>

Brownlee, J. (2019, August 22). How To Estimate Model Accuracy in R Using The Caret Package. Retrieved from <a href="https://machinelearningmastery.com/how-to-estimate-model-accuracy-in-r-using-the-caret-package/">https://machinelearningmastery.com/how-to-estimate-model-accuracy-in-r-using-the-caret-package/</a>

Sign In. (n.d.). Retrieved from <a href="https://rpubs.com/Billyhansen6/318406">https://rpubs.com/Billyhansen6/318406</a>

Yu-Wei, C. (2015). Machine learning with R cookbook explore over 110 recipes to analyze data and build predictive models with the simple and easy-to-use R code. Packt Publishing.