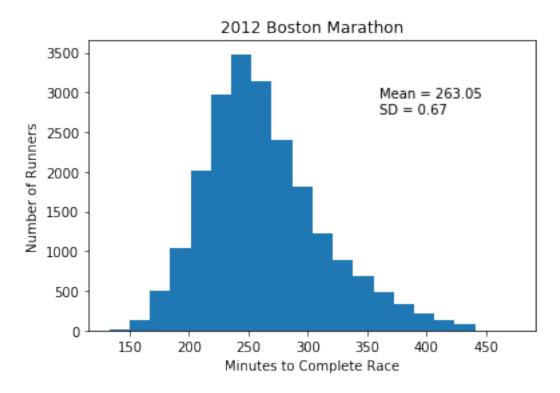
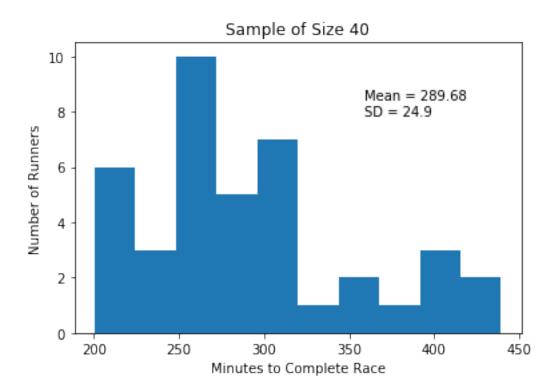
Boston Marathon

August 12, 2018

```
In [11]: # Boston Marathon data
         # Assignment 1, Alla Topp
In [28]: import pylab
         import random
         def getBMData(filename):
             """Plot of Boston marathon based on given data """
             data = \{\}
             f = open('bm_results2012.txt', 'r')
             line = f.readline()
             data['name'], data['gender'], data['age'] = [], [], []
             data['division'], data['country'], data['time'] = [], [], []
             while line != '':
                 split = line.split(',')
                 data['name'].append(split[0])
                 data['gender'].append(split[1])
                 data['age'].append(split[2])
                 data['division'].append(split[3])
                 data['country'].append(split[4])
                 data['time'].append(float(split[5][:-1]))
                 line = f.readline()
             f.close()
             return data
         def variance(data):
             """ data is from Boston marathon text file
                 Returns the standart deviation of data."""
             mean = sum(data)/len(data)
             tot = 0.0
             for x in data:
                 tot += (x - mean)**2
                 return tot/len(data)
         def stdDev(data):
             return variance(data)
         def makeHist(data, bins, title, xLabel, yLabel):
```

times = getBMData('bm_results2012.txt')['time']
makeHist(times, 20, '2012 Boston Marathon', 'Minutes to Complete Race', 'Number of Rus



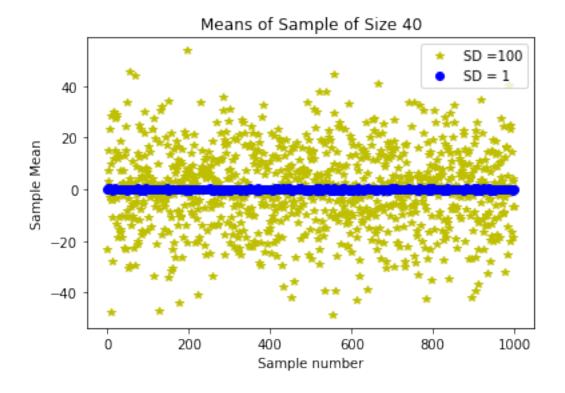


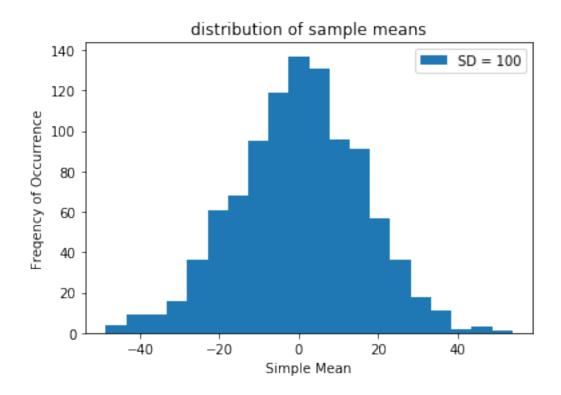
```
In [32]: import scipy.integrate
         def gaussian(x, mu, sigma):
             factor1 = (1/(sigma*((2*pylab.pi)**0.5)))
             factor2 = pylab.e**-(((x-mu)**2)/(2*sigma**2))
             return factor1*factor2
         area = round(scipy.integrate.quad(gaussian, -3, 3, (0,1))[0],4)
         print('Probability of being within 3', 'of true mean of tight dist. =', area)
         area = round(scipy.integrate.quad(gaussian, -3, 3, (0,100))[0],4)
         print('Probability of being within 3', 'of true mean of wide dist. =', area)
Probability of being within 3 of true mean of tight dist. = 0.9973
Probability of being within 3 of true mean of wide dist. = 0.0239
In [33]: def testSamples(numTrials, sampleSize):
             tightMeans, wideMeans = [], []
             for t in range(numTrials):
                 sampleTight, sampleWide = [], []
                 for i in range(sampleSize):
                     sampleTight.append(random.gauss(0,1))
                     sampleWide.append(random.gauss(0,100))
                 tightMeans.append(sum(sampleTight)/len(sampleTight))
                 wideMeans.append(sum(sampleWide)/len(sampleWide))
```

```
return tightMeans,wideMeans
tightMeans, wideMeans = testSamples(1000,40)
pylab.plot(wideMeans, 'y*', label = 'SD =100')
pylab.plot(tightMeans, 'bo', label = 'SD = 1')
pylab.xlabel('Sample number')
pylab.ylabel('Sample Mean')
pylab.title('Means of Sample of Size ' + str(40))
pylab.legend()

pylab.figure()
pylab.hist(wideMeans, bins = 20, label = 'SD = 100')
pylab.title('distribution of sample means')
pylab.xlabel('Simple Mean')
pylab.ylabel('Freqency of Occurrence')
pylab.legend()
```

Out[33]: <matplotlib.legend.Legend at 0x2141ded6f98>





```
In []: # Results:

# The first graph shows the representation of the finishing times,

# we can see that 3500 runners finished within 230-250 minutes

# the second graph represents the finishing time of part of

# randomly chosen competitors based on statistical methods.

# every time we run it - numbers change because they are random,

# We can see that choosing the small sample size (40 out of 21000),

# the estimated mean differs from the population mean by less than 2%.

# Third plot show the mean of each 1000 sample of size 40 from two

# normal distributions when the probability density function between -3 and 3(minutes)

# and the last one shows the mean of each sample.
```

Experimental data

August 12, 2018

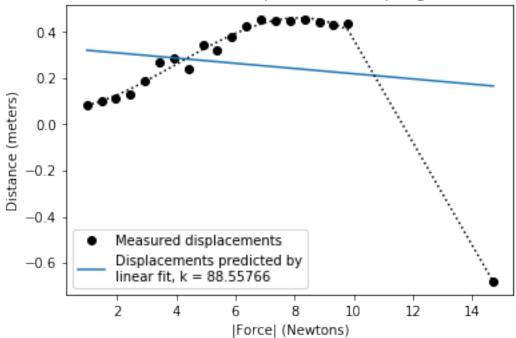
```
In [9]: # finger exercise, p.313 textbook
        # modify the code to get the plot in the figure 18.8
        # Assignment 2, Alla Topp
In [66]: import pylab
         import random
         def getData(fileName):
             dataFile = open('springData.txt', 'r')
             distances = []
             masses = []
             discardHeader = dataFile.readline()
             for line in dataFile:
                 d, m = line.split(' ')
                 distances.append(float(d))
                 masses.append(float(m))
             dataFile.close()
             return (masses, distances)
         def fitData(inputFile):
             masses, distances = getData(inputFile)
             distances = pylab.array(distances)
             masses = pylab.array(masses)
             forces = masses*9.81
             pylab.plot(forces, distances, 'ko',
                        label = 'Measured displacements')
             pylab.title('Measured Displacement of Spring')
             pylab.xlabel('|Force| (Newtons)')
             pylab.ylabel('Distance (meters)')
             #find linear fit
             a,b = pylab.polyfit(forces, distances, 1)
             predictedDistances = a*pylab.array(forces) + b
             k = -1.0/a
             pylab.plot(forces, predictedDistances,
                        label = 'Displacements predicted by\nlinear fit, k = '
                        + str(round(k, 5)))
```

```
pylab.legend(loc = 'best')

#find cubic fit
fit = pylab.polyfit(forces, distances, 3)
predictedDistances = pylab.polyval(fit, forces)
pylab.plot(forces, predictedDistances, 'k:', label = 'cubic fit')

fitData('springData.txt')
```

Measured Displacement of Spring



```
In []: #Results:

# when we hang 1.5 kg of weight and k = 21.53686,

# the distant should be equal to -.6832

# the k line is not placed properly because of the dot in the corner of the graph

In []:
```