

## WORKSHEET-0 OUTPUT SCREENSHOTS:

1. Initialize an empty array with size 2X2

```
empty_array = np.empty((2, 2))
print(empty_array)
```

```
[[3.21233217e-316 0.00000000e+000]
 [6.55572532e-310 5.32221743e-317]]
```

2. Initialize an all one array with size 4X2

```
ones_array = np.ones((4, 2))
print(ones_array)
```

```
[[1. 1.]
 [1. 1.]
 [1. 1.]
 [1. 1.]]
```

3. Return a new array of given shape and type, filled with fill value

```
filled_array = np.full((3, 3), 7)
print(filled_array)
```

```
[[7 7 7]
 [7 7 7]
 [7 7 7]]
```

4. Return a new array of zeros with same shape and type as a given array

```
sample_array = np.array([[1, 2, 3], [4, 5, 6]])
zeros_like_array = np.zeros_like(sample_array)
print(zeros_like_array)
```

```
[[0 0 0]
 [0 0 0]]
```

5. Return a new array of ones with same shape and type as a given array

```
ones_like_array = np.ones_like(sample_array)
print(ones_like_array)
```

```
[[1 1 1]
 [1 1 1]]
```

[+ Code](#) [+ Text](#)

6. Convert an existing list to a NumPy array

```
new_list = [1, 2, 3, 4]
numpy_array = np.array(new_list)
print(numpy_array)
```

```
[1 2 3 4]
```

Problem 2

Create an array with values ranging from 10 to 49. {Hint: np.arange()}

```
[8] array_range = np.arange(10, 50)
    print(array_range)
```

```
[10 11 12 13 14 15 16 17 18 19 20 21 22 23 24 25 26 27 28 29 30 31 32 33
 34 35 36 37 38 39 40 41 42 43 44 45 46 47 48 49]
```

Create a 3X3 matrix with values ranging from 0 to 8. {Hint: look for np.reshape()}

+ Code

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```
[9] matrix_3x3 = np.arange(9).reshape(3, 3)
    print(matrix_3x3)
```

```
[0 1 2]
[3 4 5]
[6 7 8]
```

Create a 3X3 identity matrix. {Hint: np.eye()}

```
[10] identity_matrix = np.eye(3)
     print(identity_matrix)
```

```
[1.  0.  0.]
[0.  1.  0.]
[0.  0.  1.]
```

Create a random array of size 30 and find the mean of the array. {Hint: check for np.random.random() and array.mean() function}

```
[11] random_array = np.random.random(30)
     mean_value = random_array.mean()
     print(mean_value)
```

```
0.48822587340211665
```

Create a 10X10 array with random values and find the minimum and maximum values.

```
[12] random_matrix = np.random.random((10, 10))
     min_value = random_matrix.min()
     max_value = random_matrix.max()
     print("Minimum value:", min_value)
     print("Maximum value:", max_value)
```

```
Minimum value: 5.694334640660159e-05
Maximum value: 0.99465958696074
```

Create a zero array of size 10 and replace 5th element with 1.

```
[13] zero_array = np.zeros(10)
     zero_array[4] = 1
     print(zero_array)
```

```
[0. 0. 0. 0. 1. 0. 0. 0. 0. 0.]
```

Reverse an array arr = [1,2,0,0,4,0].

Reverse an array arr = [1,2,0,0,4,0].

```
[14] arr = np.array([1, 2, 0, 0, 4, 0])
      reversed_arr = arr[::-1]
      print(reversed_arr)
```

```
[0 4 0 0 2 1]
```

Create a 2d array with 1 on border and 0 inside.

```
[15] border_array = np.ones((5, 5))
      border_array[1:-1, 1:-1] = 0
      print(border_array)
```

```
[[1. 1. 1. 1. 1.]
 [1. 0. 0. 0. 1.]
 [1. 0. 0. 0. 1.]
 [1. 0. 0. 0. 1.]
 [1. 1. 1. 1. 1.]]
```

Create a 8X8 matrix and fill it with a checkerboard pattern.

Create a 8X8 matrix and fill it with a checkerboard pattern.

```
[16] checkerboard = np.zeros((8, 8), dtype=int)
      checkerboard[1::2, ::2] = 1
      checkerboard[:, 1::2] = 1
      print(checkerboard)
```

```
[[0 1 0 1 0 1 0 1]
 [1 0 1 0 1 0 1 0]
 [0 1 0 1 0 1 0 1]
 [1 0 1 0 1 0 1 0]
 [0 1 0 1 0 1 0 1]
 [1 0 1 0 1 0 1 0]
 [0 1 0 1 0 1 0 1]
 [1 0 1 0 1 0 1 0]]
```

Problem - 3: Array Operations: For the following arrays: x = np.array([[1,2],[3,5]]) and y = np.array([[5,6],[7,8]]); v = np.array([9,10]) and w = np.array([11,12]); Complete all the task using numpy:

```
[17] x = np.array([[1, 2], [3, 5]])
      y = np.array([[5, 6], [7, 8]])
      v = np.array([9, 10])
      w = np.array([11, 12])
```

Add the two array.

```
[18] addition = x + y
      print(addition)
```

```
[[ 6  8]
 [10 13]]
```

Subtract the two array.

```
subtraction = x-y
print(subtraction)
```

```
[[ -4 -4]
 [ -4 -3]]
```

+ Code

+ Text

Multiply the array with any integers of your choice.

```
[20] multiplication = x * 2
print(multiplication)
```

```
[[ 2  4]
 [ 6 10]]
```

4. Find the square of each element of the array.

```
[21] square_x = np.square(x)
print(square_x)
```

```
[[ 1  4]
 [ 9 25]]
```

```
[22] dot_vw = np.dot(v, w)
dot_xv = np.dot(x, v)
dot_xy = np.dot(x, y)
print("Dot product of v and w:", dot_vw)
print("Dot product of x and v:", dot_xv)
print("Dot product of x and y:", dot_xy)
```

```
Dot product of v and w: 219
Dot product of x and v: [29 77]
Dot product of x and y: [[19 22]
 [50 58]]
```

Concatenate x(and)y along row and Concatenate v(and)w along column. {Hint:try np.concatenate() or np.vstack() functions.}

```
[23] concat_xy_row = np.concatenate((x, y), axis=0)
concat_vw_col = np.vstack((v, w))
print("Concatenated x and y along row:")
print(concat_xy_row)
print("Concatenated v and w along column:")
print(concat_vw_col)
```

```
Concatenated x and y along row:
[[1 2]
 [3 5]
 [5 6]
 [7 8]]
Concatenated v and w along column:
[[ 9 10]
 [11 12]]
```

Concatenate x and v; if you get an error, observe and explain why did you get the error?

```
[24] try:
      concat_xv = np.concatenate((x, v), axis=0)
    except ValueError as e:
      concat_xv = str(e)
      print("Error:", concat_xv)
```

Error: all the input arrays must have same number of dimensions, but the array at index 0 has 2 dimension(s) and the array at index 1 has 1 dimension(s)

Explanation of the error:

✓ The error occurs because **x** is a 2x2 matrix, and **v** is a 1D array with shape (2,).

In order to concatenate them, **v** must be reshaped to a 2D array, e.g., **v.reshape(1, -1)**.

Problem - 4: Matrix Operations: • For the following arrays: **A = np.array([[3,4],[7,8]])** and **B = np.array([[5,3],[2,1]])**; Prove following with Numpy:

```
[25] A = np.array([[3, 4], [7, 8]])
      B = np.array([[5, 3], [2, 1]])
```

Problem - 4: Matrix Operations: • For the following arrays: **A = np.array([[3,4],[7,8]])** and **B = np.array([[5,3],[2,1]])**; Prove following with Numpy:

```
[25] A = np.array([[3, 4], [7, 8]])
      B = np.array([[5, 3], [2, 1]])
```

1. Prove  $A \cdot A^{-1} = I$ .

```
[26] A_inv = np.linalg.inv(A)
      identity_matrix = np.dot(A, A_inv)

      identity_matrix = np.round(identity_matrix, decimals=5)
      print(identity_matrix)
```

[[1. 0.]  
 [0. 1.]]

Prove  $AB \neq BA$ .

```
[27] AB = np.dot(A, B)
      BA = np.dot(B, A)
      are_not_equal = not np.array_equal(AB, BA)
      print(are_not_equal)
```

True

PROVE (4b)

$T = BTAT$ .

```
[28] AB_T = np.transpose(AB)
      BT_AT = np.dot(np.transpose(B), np.transpose(A))
      proof_transpose = np.array_equal(AB_T, BT_AT)
      print(proof_transpose)
```

True

Solve the following system of Linear equation using Inverse Methods.

$$2x - 3y + z = -1 \quad x - y + 2z = -3 \quad 3x + y - z = 9$$

```
[29] A_matrix = np.array([[2, -3, 1], [1, -1, 2], [3, 1, -1]])
      B_matrix = np.array([-1, -3, 9])

      A_inv_matrix = np.linalg.inv(A_matrix)
      X_solution = np.dot(A_inv_matrix, B_matrix)

      X_solution_direct = np.linalg.solve(A_matrix, B_matrix)

      print("A * A^(-1) = Identity Matrix:\n", identity_matrix)
      print("AB ≠ BA:", are_not_equal)
      print("(AB)^T = B^T * A^T:", proof_transpose)
      print("Solution using Inverse Method:", X_solution)
      print("Solution using np.linalg.solve:", X_solution_direct)
```

```
⇒ A * A^(-1) = Identity Matrix:
[[1.  0.]
 [0.  1.]]
AB ≠ BA: True
(AB)^T = B^T * A^T: True
Solution using Inverse Method: [ 2.  1. -2.]
Solution using np.linalg.solve: [ 2.  1. -2.]
```

10.2 Experiment: How Fast is Numpy? In this exercise, you will compare the performance and implementation of operations using plain Python lists (arrays) and NumPy arrays. Follow the instructions:

1. Element-wise Addition: • Using Python Lists, perform element-wise addition of two lists of size 1,000,000. Measure and Print the time taken for this operation.

```
[30] size = 1_000_000
      matrix_size = 1000

      list1 = [i for i in range(size)]
      list2 = [i for i in range(size)]

      array1 = np.arange(size)
      array2 = np.arange(size)

[31] # Python lists
      start = time.time()
      result_list = [list1[i] + list2[i] for i in range(size)]
      end = time.time()
      print(f"Python list addition time: {end - start:.5f} seconds")
```

```
⇒ Python list addition time: 0.05860 seconds
```

Using Numpy Arrays, Repeat the calculation and measure and print the time taken for this operation.

```
[32] # NumPy arrays
start = time.time()
result_array = array1 + array2
end = time.time()
print(f"NumPy addition time: {end - start:.5f} seconds")
```

NumPy addition time: 0.00349 seconds

Element-wise Multiplication • Using Python Lists, perform element-wise multiplication of two lists of size 1,000,000. Measure and Print the time taken for this operation.

```
[33] start = time.time()
result_list = [list1[i] * list2[i] for i in range(size)]
end = time.time()
print(f"Python list multiplication time: {end - start:.5f} seconds")
```

Python list multiplication time: 0.05470 seconds

Using Numpy Arrays, Repeat the calculation and measure and print the time taken for this operation.

```
[34] start = time.time()
result_array = array1 * array2
end = time.time()
print(f"NumPy multiplication time: {end - start:.5f} seconds")
```

NumPy multiplication time: 0.00283 seconds

Dot Product • Using Python Lists, compute the dot product of two lists of size 1,000,000. Measure and Print the time taken for this operation.

```
[35] start = time.time()
dot_product = sum(list1[i] * list2[i] for i in range(size))
end = time.time()
print(f"Python list dot product time: {end - start:.5f} seconds")
```

Python list dot product time: 0.06027 seconds

Using Numpy Arrays, Repeat the calculation and measure and print the time taken for this operation.

```
[36] start = time.time()
dot_product_np = np.dot(array1, array2)
end = time.time()
print(f"NumPy dot product time: {end - start:.5f} seconds")
```

NumPy dot product time: 0.00122 seconds

## Matrix Multiplication

• Using Python lists, perform matrix multiplication of two matrices of size 1000x1000. Measure and print the time taken for this operation.

```
[37] matrix1 = [[i for i in range(matrix_size)] for _ in range(matrix_size)]
      matrix2 = [[i for i in range(matrix_size)] for _ in range(matrix_size)]

      matrix1_np = np.arange(matrix_size**2).reshape(matrix_size, matrix_size)
      matrix2_np = np.arange(matrix_size**2).reshape(matrix_size, matrix_size)

[38] start = time.time()
      result_matrix = [[sum(matrix1[i][k] * matrix2[k][j] for k in range(matrix_size)) for j in range(matrix_size)] for i in range(matrix_size)]
      end = time.time()
      print(f"Python list matrix multiplication time: {end - start:.5f} seconds")
```

Python list matrix multiplication time: 119.27632 seconds

Using NumPy arrays, perform matrix multiplication of two matrices of size 1000x1000. Measure and print the time taken for this operation.

```
start = time.time()
result_matrix_np = np.dot(matrix1_np, matrix2_np)
end = time.time()
print(f"NumPy matrix multiplication time: {end - start:.5f} seconds")
```

NumPy matrix multiplication time: 0.83087 seconds