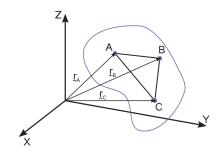
# 06. Principles of robotics, programming a da Vinci surgical robot in a simulated environment

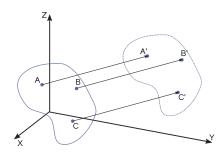
## Rigid body motion



## Def. Rigid body

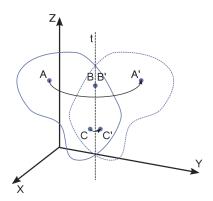
A rigid body is defined as a body on which the distance between two points remains constant in time regardless of the force applied on it.

- Shape and the volume of the rigid bodies are also constant.
- The **pose** of a rigid body can be given by the three coordinates of three of its points that do not lie on the same straight line.



• The **pose** of a rigid body can be described in a more expressive way by the three coordinates of one of its points chosen arbitrarily **position** and the body's **orientation**.

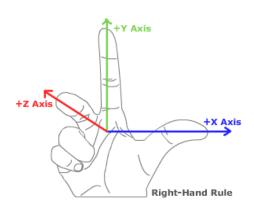
- The **motion of rigid bodies** is composed by two elemental motions: **translation** and **rotation**.
- During **translation**, all points of the body move along straight, parallel lines.



- During **rotation**, the position of the points of the rotational axis are constant, and the other points of the body move along circles in planes perpendicular to the axis of rotation.
- The **free motion** of rigid bodies can always be expressed as the superposition of a translational motion and a rotation around a single axis.

#### 3D transformations

•



Position: 3D offset vector

• **Orientation:** 3 x 3 rotation matrix

- further orientation representations: Euler-angles, RPY, angle axis, quaternion
- **Pose**: 4 × 4 (homogenous) transformation matrix
- Frame: origin, 3 axes, 3 base vectors, right hand rule

- Homogenous transformation: rotation and translation in one transfromation
  - e.g., for the rotation  $(\mathbf{R})$  and translation  $(\mathbf{v})$ :

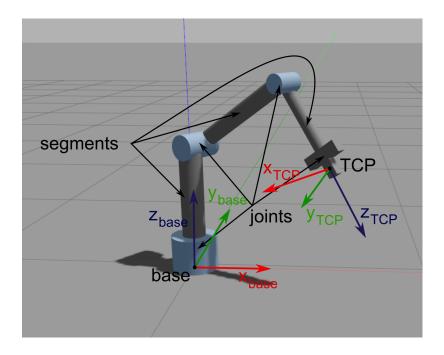
 $$$ \mathbf{T} = \left[ \mathbf{R} & \mathbf{0} & 1 \right] = \left[ \mathbf{T}_{1,1} & r_{1,2} & r_{1,3} & v_x \right] = \left[ \mathbf{T}_{1,1} & r_{1,2} & r_{1,3} & v_x \right] \\ v y & \{3,1\} & r_{3,2} & r_{3,3} & v_x \right] \\ \end{aligned}$ 

- Homogenous coordinates:
  - Vector: extended with 0, \(\mathbf{a\_H}=\left[\mathrm{\Delta\_H}\_{\alpha} \times 0\right]=\left[\mathrm{\Delta\_x \setminus a\_y \setminus a\_z \setminus 0}\right]
  - **Point:** extended by 1, \(\mathbf{p\_H}=\left[\matrix{\mathbf{p} \\ 1 \right]=\left[\matrix{p\_x \\ p\_y \\ p\_z \\ 1}\right]\)
  - Applying transformations is much easier:

 $$$ \left\{ q = \mathbb{R}\mathbb{q} + \mathbb{q} \right] $$ \left( mathbf{q} + \mathbb{q} \right) = \left[ \mathbb{R} & \mathbb{q} \right] $$ \left( mathbf{q} & \mathbb{q} \right) $$ \left( mathbf{q} & 1 \right) $$ \left[ \mathbb{q} & 1 \right] $$ \left[ \mathbb{q} & 1$ 

• Degrees of Freedom (DoF): the number of independent parameters.

Principles of robotics



- Robots are built of: **segments** (or links) és **joints**
- Task space (or cartesian space):
  - 3D space around us, where the task, endpoint trajectories, obstacles are defined.
  - TCP (Tool Center Point): Frame fixed to the end effector of the robot.
  - Base frame, world frame
- Joint space:
  - Properties or values regarding the joints.
  - Low-level controller.
  - Joint angles, joint velocities, accelerations, torques....

# Python libraries

### Numpy

- Python library
- High dimension arrays and matrices
- Mathematical functions

```
import numpy as np
# Creating ndarrays
a = np.zeros(3)
a.shape
a.shape=(3,1)
a = np.ones(5)
a = np.empty(10)
l = np.linspace(5, 10, 6)
r = np.array([1,2]) # ndarray from python list
r = np.array([[1,2],[3,4]])
type(r)
# Indexing
l[0]
1[0:2]
l[-1]
r[:,0]
# Operations on ndarrays
r_sin = np.sin(r)
np.max(r)
np.min(r)
np.sum(r) \\
np.mean(r)
np.std(r)
1 < 7
l[1 < 7]
np.where(l < 7)
p = np.linspace(1, 5, 6)
q = np.linspace(10, 14, 6)
s = p + q
s = p * q
s = p * 10
s = p + 10
s = p @ q # dot product
s = r.T
```

#### If not installed:

```
pip3 install numpy
```

## Matplotlib

- Visualization in python
- Syntax similar to Matlab

```
import numpy as np
from matplotlib import pyplot as plt
```

```
X = np.linspace(-np.pi, np.pi, 256)
C, S = np.cos(X), np.sin(X)

plt.plot(X, C)
plt.plot(X, S)

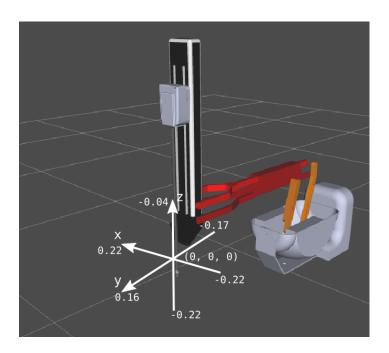
plt.show()
```

#### If not installed:

pip3 install matplotlib

# **Practice**

# 1: dVRK ROS2 install



## 1. On Ubuntu 20.04 you will need the following packages:

 $sudo\ apt\ install\ python 3-vc stool\ python 3-colcon-common-extensions\ python 3-pykdl\ libxml 2-dev\ libraw 1394-dev\ libncurses 5-dev\ qtcreator\ swig\ sox\ espeak\ cmake-curses-dev\ python 3-pykdl\ libraw 1394-dev\ libra$ 

gui c<br/>make-qt-gui git subversion gfortran libc<br/>ppunit-dev libqt5xmlpatterns5-dev libbluetooth-dev ros-foxy-joint-state-publisher<br/>\* ros-foxy-xacro

2. Clone the dVRK ROS2 packages with vcs, then build:

```
cd ~/ros2_ws/src
vcs import --input https://raw.githubusercontent.com/jhu-dvrk/dvrk_robot_ros2/main/
dvrk.vcs --recursive
cd ~/ros2_ws
colcon build --symlink-install --cmake-args -DCMAKE_BUILD_TYPE=Release
source ~/ros2_ws/install/setup.bash
```

3. Start the RViz simulation of PSM1 (Patient Side Manipulator). Do not forget to HOME on the dVRK console. Study the simulator operation using the learned prancs (ros2 topic list, ros2 topic echo ros2 run rqt\_gui rqt\_gui, etc.).

```
\label{lem:console} $$\# dVRK \ main \ console \\ ros2 \ run \ dvrk_robot \ dvrk_console_json \ -j \ \sim/ros2_ws/install/sawIntuitiveResearchKitAll/share/sawIntuitiveResearchKit/share/console-PSM1_KIN_SIMULATED.json
```

```
# ROS 2 joint and robot state publishers ros2 launch dvrk_model dvrk_state_publisher.launch.py arm:=PSM1
```

```
# RViz ros2 run rviz2 rviz2 -d ~/ros2_ws/install/dvrk_model/share/dvrk_model/rviz/PSM1.rviz
```

ros2 run rqt\_gui rqt\_gui

# For URDF related errors

locale # check for UTF-8

sudo apt update && sudo apt install locales sudo locale-gen en\_US en\_US.UTF-8 sudo update-locale LC\_ALL=en\_US.UTF-8 LANG=en\_US.UTF-8 export LANG=en\_US.UTF-8

locale # verify settings

## 2: PSM subscriber

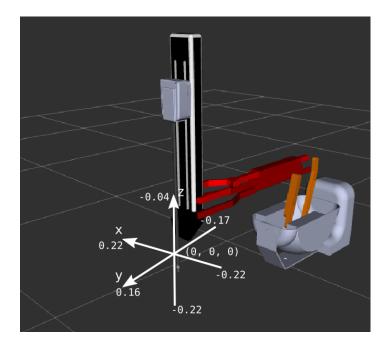
- 1. Create a new python source file named <code>psm\_grasp.py</code> in ~/ros2\_ws/src/ros2\_course/ros2\_course . Specify the new entry point in setup.py in the usual way.
- 2. Subscribe to topics that publish the TCP (Tool Center Point) position of the PSM and the angle of the jaws of the tweezers.

```
/PSM1/measured_cp
/PSM1/jaw/measured_js
```

1. Build and run the node:

```
source ros_setup.sh -v 2
cd ~/ros2_ws
colcon build --symlink-install
ros2 run ros2_course psm_grasp
```

3. Moving PSM TCP along a linear trajectory

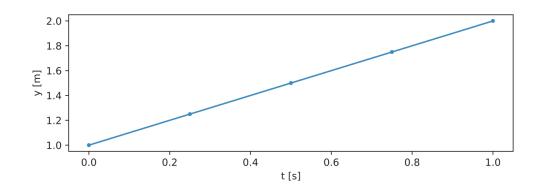


1. The PSM expects the desired TCP position and the angle closed by the jaws of the clamp in the topics below. Create publishers in <code>psm\_grasp.py</code> for these topics.

```
/PSM1/servo_cp
/PSM1/jaw/servo_jp
```

2. Write a function that moves the TCP along a linear trajectory to the desired position. Send the pin to position (0.0, 0.05, -0.12), leave the orientation unchanged. The sampling time should be 0.01s. Using Matplotlib plot the planned trajectory x, y and z components of the projected trajectory as a function of time.

```
def move_tcp_to(self, target, v, dt):
```



1. Write a function to open and close the gripper, also using a linear trajectory.

```
def move_jaw_to(self, target, omega, dt):
```

## 4. Dummy marker

1. Create a new python source file named <code>dummy\_marker.py</code>. Specify the entry point in <code>setup.py</code> in the usual way. Implement a python program that publishes a marker with position (-0.05, 0.08, -0.14) in topic <code>dummy\_target\_marker</code>. The value of the <code>frame\_id</code> add tag should be <code>PSM1\_psm\_base\_link</code>. Copy the following code into the file <code>dummy\_marker.py</code>:

```
import rclpy
from rclpy.node import Node
from visualization msgs.msg import Marker
class DummyMarker(Node):
  def init (self, position):
    super(). init ('minimal publisher')
    self.position = position
    self.publisher_ = self.create_publisher(Marker, 'dummy_target_marker', 10)
    timer_period = 0.1 \# seconds
    self.timer = self.create timer(timer period, self.timer callback)
    self.i = 0
    i = 0
  def timer callback(self):
    marker = Marker()
    marker.header.frame id = 'PSM1 psm base link'
    marker.header.stamp = self.get clock().now().to msg()
    marker.ns = "dvrk viz"
    marker.id = self.i
    marker.type = Marker.SPHERE
    marker.action = Marker.MODIFY
    marker.pose.position.x = self.position[0]
    marker.pose.position.y = self.position[1]
    marker.pose.position.z = self.position[2]
    marker.pose.orientation.x = 0.0
    marker.pose.orientation.y = 0.0
    marker.pose.orientation.z = 0.0
    marker.pose.orientation.w = 1.0
    marker.scale.x = 0.008
    marker.scale.y = 0.008
    marker.scale.z = 0.008
    marker.color.a = 1.0 # Don't forget to set the alpha!
    marker.color.r = 0.0
```

```
marker.color.g = 1.0
    marker.color.b = 0.0;

self.publisher_.publish(marker)
    self.i += 1

def main(args=None):
    rclpy.init(args=args)
    marker_publisher = DummyMarker([-0.05, 0.08, -0.12])
    rclpy.spin(marker_publisher)

# Destroy the node explicitly
# (optional - otherwise it will be done automatically
# when the garbage collector destroys the node object)
    marker_publisher.destroy_node()
    rclpy.shutdown()

if __name__ == '__main__':
    main()
```

2. Run the node and display the marker in RViz.

# 5. Grasping the marker

- 1. Subscribe to the topic sending the marker position in psm\_grasp.py.
- 2. Modify <code>psm\_grasp.py</code> to use the tweezers to grasp the generated marker.

!!! note The simulator used has a tendency for certain values to get "stuck", so it is a good idea to reset the lever at the beginning of the program using the following lines:

```
#Reset the arm psm.move_tcp_to([0.0, 0.0, -0.12], 0.01, 0.01) psm.move_jaw_to(0.0, 0.1, 0.01)
```

# Useful links

- Build dVRK2 on ROS2
- Marker examples

- Numpy vector magnitude
- Numpy linspace