Posted on 07.08.2025 @ 2:30 pm and due on 07.08.2025 @ 6:00 pm

- 1. Calculate the sum of first N=20 odd numbers and factorial of N=8 starting from 0. (using do-while or for loop). [3+3]
- 2. Calculate the sum of N=15 terms of a GP and HP series for common difference 1.5 and common ratio 0.5 starting from  $t_0=1.25$ . Use of analytical formulae not allowed. [3+3]
- 3. Consider the following matrices,

$$\mathbf{A} = \begin{pmatrix} 2 & -3 & 1.4 \\ 2.5 & 1 & -2 \\ -0.8 & 0 & 3.1 \end{pmatrix}, \quad \mathbf{B} = \begin{pmatrix} 0 & -1 & 1 \\ 1.5 & 0.5 & -2 \\ 3 & 0 & -2 \end{pmatrix}$$
$$\mathbf{C} = \begin{pmatrix} -2 \\ 0.5 \\ 1.5 \end{pmatrix}, \quad \mathbf{D} = \begin{pmatrix} 1 \\ 0 \\ -1 \end{pmatrix}$$

Find AB,  $D \cdot C$  and BC. [5]

- 4. \*\* Define MyComplex class / structure and calculate the sum, difference, product and modulus of (1.3-2.2j) and (-0.8+1.7j). [5]
  - \*\* Extra 5 marks if you can do it.

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Listing 1: Help with class complex: idragonlib.py
import numpy as np
class MyComplex():
        def_{-init_{-}}(self,real,imag=0.0):
                 self.r = real
                 self.i=imag
        def display_cmplx(self):
                 print(self.r,",", self.i,"j", sep="")
        def add_cmplx(self,c1,c2):
                 self.r=c1.r+c2.r
                 self.i=c1.i+c2.i
                 return MyComplex (self)
        def sub_cmplx(self,c1,c2):
                 self.r=c1.r-c2.r
                 self.i=c1.i-c2.i
                 return MyComplex(self)
        def mul_cmplx(self,c1,c2):
                 self.r=c1.r*c2.r - c1.r*c2.i
                 self.i=c1.i*c2.r + c1.r*c2.i
                 return MyComplex (self)
        def mod_cmplx(self):
                 return np.sqrt (self.r**2+self.i**2)
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Listing 2: Help with class complex: idragoncmplx.py
import numpy as np
# complex math : Name — Imagine Dragon, Roll — 007
import numpy as np
from idragonlib import *
c1=MyComplex (0.75, 1.25)
c2=MyComplex(-1.5, -2.0)
c3=MyComplex(0.0,0.0)
print("\n_Two_complex")
c1.display_cmplx()
c2.display_cmplx()
print("\n_Adding_two_complex")
c3.add_cmplx(c1,c2)
c3.display_cmplx()
print("\n_Subtracting_two_complex")
c3.sub\_cmplx(c1,c2)
c3.display_cmplx()
print("\n_Multiplying _two_complex")
c3.mul\_cmplx(c1,c2)
c3.display_cmplx()
print("\n_Modulus_of_two_complex")
mod=c1.mod\_cmplx()
print ( f " c1 _mod _= _ {mod : . 3 f }" )
mod=c2.mod\_cmplx()
\mathbf{print} (f \circ 2 \mod = \{ \mod : 3 f \})
Run as - python3 idragoncmplx.py
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Listing 3: Help with structure complex: idragoncmplx.c
// Complex math : Name — Imagine Dragon, Roll — 007
// compile as : gcc idragoncmplx.c -lm
// run \ as : ./a.out
#include <stdio.h>
#include <math.h>
typedef struct{
    float re; float im;
} complex;
complex setcmplx (float a, float b)
  complex c;
  c.re=a; c.im=b;
  return(c);
}
complex prodcmplx (complex a, complex b)
{
  complex c;
  c.re=a.re*b.re - a.im*b.im;
  c.im=a.im*b.re + a.re*b.im;
  return(c);
}
int main(int argc, char *argv[])
  complex z1=setcmplx(2.4,-2.7);
  complex z2=setcmplx(-0.9,1.25);
  printf("z1 = \sqrt{2}, 2f, \sqrt{2}, 2fj \ n", z1.re, z1.im);
  printf("z2 = \%.2f, \%.2fj n", z2.re, z2.im);
  complex z=\operatorname{prodemplx}(z1,z2);
  printf("z1*z2 = \%.2f, \%.2fj n", z.re, z.im);
\} // end of main
```