2. (d) Initially when the conc" of A is low, production of A gets activated and increases with increasing conc" of A. PAS Himcreases, concentration of Rincreases too, When the concentration of R readies a certain concentration, it starts indibiting the production of A. As R keeps encreasing, A keeps decreasing and finally at very high I there is a short decrease in amount of A which brings the system back to its original state as A can no longer activate R. Same cycle continues in a loof and hence the system is represents an oscillator. The black line braces the path of a point which goes around in a loop. The arrows represent the same (A)

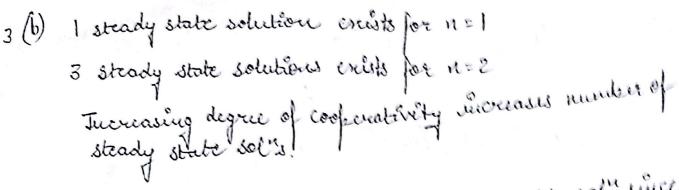
$$\frac{du}{dt} = \frac{k}{1+v^{u}} - u = f(u,v) - 0$$

$$\frac{dv}{dt} = \frac{x}{1+u^{u}} - v = g(u,v) - 2$$

3.(a) (i) v acts as a supressor for u 4 acts as a repressor for v

(ii) X gives the effective nate of synthesis (iii) n = cooperativity of repression

+1 is the digradation rate court for both repressors.



3 (c) For n=1 loteady state sol" enists. It is a stable sol" since all arrows direct to that point. It is a sink

Fin=2, 3 steady state sol's exist.

The point at around (25,25) is a saddle point The points near the axis are unstable spirals. # Increase in n'introduces unstability.

$$3 (d) = -1 - n \times 12^{n+1} (1-12^n)^{-2}$$

$$-n \times (1+12^n)^{-2} = -1$$

For a centre us= 1/2s

Eigen values at centre point are given by.

$$\lambda_{\pm} = \frac{tr(T) \pm \sqrt{tr(T)^2 - 4det(T)}}{2}$$