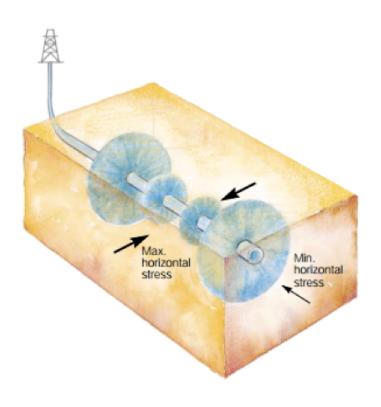
# Hydraulic fracturing to determine $S_3$





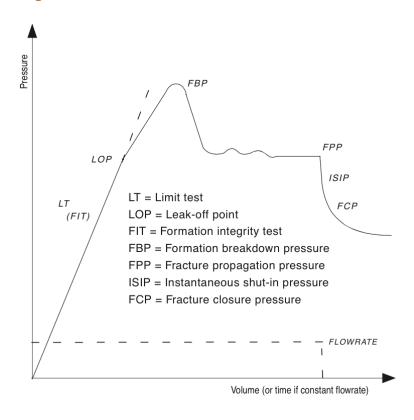


# **Hydraulic fracture initiation in vertical** well

$$\sigma_{\theta\theta}^{min} = 3S_{hmin} - S_{Hmax} - 2P_p - \Delta P - \sigma^{\Delta T} = -T_0$$



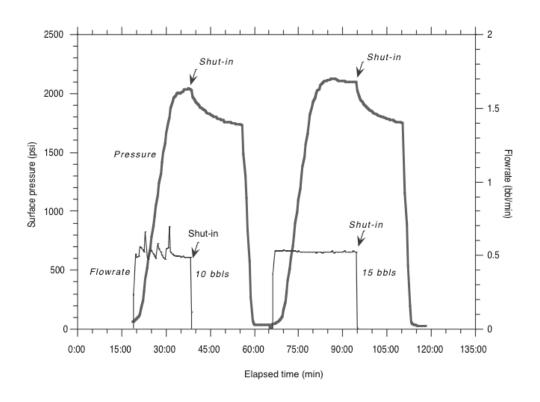
## Leakoff test (mini-frac, FIT, XLOT)



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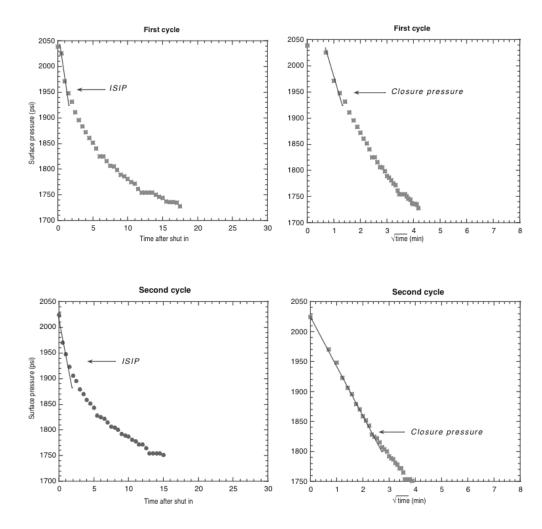


# $S_3$ from instantaneous shut-in pressure



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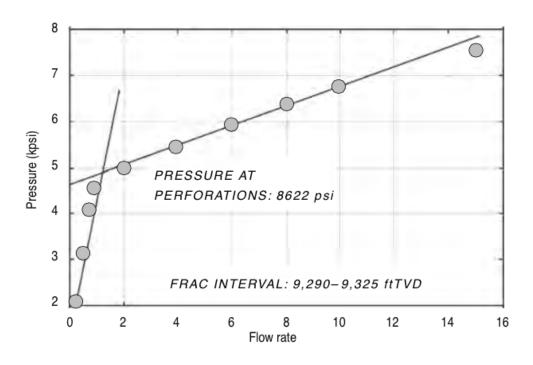




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## **Step-rate test**

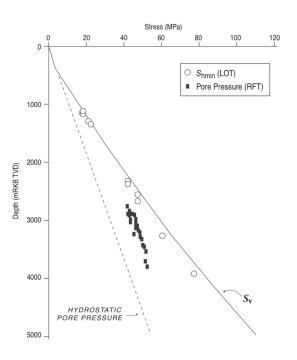


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#### Be careful!

#### When $S_3 \sim S_v$ integrate density logs





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# What about S<sub>Hmax</sub>?

$$\Delta P = P_b - P_p$$

SO

$$S_{Hmax} = 3S_{hmin} - P_b - P_p + T_0$$

or

$$S_{Hmax} = 3S_{hmin} - P_b(T=0) - P_p$$



### Does it work?

Consider a system with compressibility  $eta_s$ 

$$\beta_s = \frac{\Delta V_s}{V_s} \frac{1}{\Delta P}$$

$$\Delta P = \frac{1}{\beta_s V_s} \Delta V_s$$

$$\frac{\Delta P}{\Delta t} = \frac{1}{\beta_s V_s} \frac{\Delta V_s}{\Delta t}$$

**Answer: Not very well.** 

