

# PC-2019/20 Course Project: 2D Pattern Recognition, CUDA and OpenMP implementations

Alberto Baldrati

`alberto.baldrati@stud.unifi.it`

April 2020

# Outline

## Introduction

- Algorithm

- Time complexity analysis

## Parallel implementations

- OpenMP

- CUDA

## Experimental results

- OpenMP results

- CUDA results

- OpenMP and CUDA results comparison

## Conclusions

## Preview

- ▶ The Pattern Recognition technique consists in individuating a specific query in a data target
- ▶ We focus on 2D Pattern Recognition, our data are matrices (e.g. images)
- ▶ We have to define a matching metric, i.e. a measure that shows the similarity (closeness) between queries and targets.

$$SAD(T, Q, i, j) = \sum_{k=0}^r \sum_{l=0}^c |T_{i+k, j+l} - Q_{k,l}| \quad (1)$$

# Algorithm

1	2	1	3
2	1	2	4
0	1	2	3

Target Matrix

0	3
2	1

Query Matrix

1	2	1	3
2	1	2	4
0	1	2	3

compute SAD[1][1]

1	2	1	3
2	1	2	4
0	1	2	3

compute SAD[1][2]

1	2	1	3
2	1	2	4
0	1	2	3

compute SAD[1][3]

1	2	1	3
2	1	2	4
0	1	2	3

compute SAD[2][1]

1	2	1	3
2	1	2	4
0	1	2	3

compute SAD[2][2]

1	2	1	3
2	1	2	4
0	1	2	3

compute SAD[2][3]

2	6	4
6	4	5

SADMatrix



# Algorithm

---

## Algorithm 1: computeSAD

---

**Data:** queryMatrix Q,  
 targetMatrix T,  
 startRowIndex i,  
 startColIndex j

**Result:** localSadValue

```

1 localSadValue = 0
2 for from  $k = 0$  to  $Q.rows$  do
3   for from  $l = 0$  to  $Q.cols$  do
4     targetV =  $T[i+k][j+l]$ 
5     queryV =  $Q[k][l]$ 
6     localSadValue +=
       | targetV - queryV |
7 return localSadValue
  
```

---



---

## Algorithm 2: PatternRecognition

---

**Data:** queryMatrix Q,  
 targetMatrix T

**Result:** SADMatrix S

```

1 Define SADMatrix S
2  $S.rows = T.rows - Q.rows + 1$ 
3  $S.cols = T.cols - Q.cols + 1$ 
4 for from  $i = 0$  to  $S.rows$  do
5   for from  $j = 0$  to  $S.cols$  do
6      $S[i][j] =$ 
       | computeSAD(P,Q,i,j)
7  $cx, cy = \text{argmin}(S)$ 
  
```

---

## Time Complexity

- ▶ Our algorithm has 4 nested loops: 2 in the outer cycle (*Algorithm2*) and 2 in the computation of each SAD matrix value (*Algorithm1*).  
Time complexity in sequential implementation is

$$(T_r - Q_r + 1) * (T_c - Q_c + 1) * (Q_r * Q_c) \quad (2)$$

- ▶ **Algorithm 2** is embarrassingly parallel, so if we use a number of threads equal to **Nt**, in an ideal situation the complexity of this parallel algorithm becomes:

$$\frac{(T_r - Q_r + 1) * (T_c - Q_c + 1)}{N_t} * (Q_r * Q_c) \quad (3)$$

# OpenMP

---

## Algorithm 2: PatternRecognition

---

**Data:** queryMatrix Q,  
targetMatrix T

**Result:** SADMatrix S

```

1 Define SADMatrix S
2 S.rows = T.rows - Q.rows + 1
3 S.cols = T.cols - Q.cols + 1
4 for from i = 0 to S.rows do
5   |   for from j = 0 to S.cols do
6   |   |   S[i][j] =
7   |   |   |   computeSAD(P,Q,i,j)
7 cx, cy = argmin(S)

```

---



---

## Algorithm 3: PatternRecognition *OpenMP version*

---

**Data:** queryMatrix Q, targetMatrix  
T, numThread Nt

**Result:** SADMatrix S

```

1 Define SADMatrix S
2 S.rows = T.rows - Q.rows + 1
3 S.cols = T.cols - Q.cols + 1
4 #pragma omp parallel for
   num_threads(Nt) collapse(2)
   schedule(static)
5 for from i = 0 to S.rows do
6   |   for from j = 0 to S.cols do
7   |   |   S[i][j] =
7   |   |   |   computeSAD(P,Q,i,j)
8 cx, cy = argmin(S)

```

---

# OpenMP

---

## Algorithm 2: PatternRecognition

---

**Data:** queryMatrix Q,

targetMatrix T

**Result:** SADMatrix S

```

1 Define SADMatrix S
2 S.rows = T.rows - Q.rows + 1
3 S.cols = T.cols - Q.cols + 1
4 for from i = 0 to S.rows do
5     for from j = 0 to S.cols do
6         S[i][j] =
7             computeSAD(P,Q,i,j)
8 cx, cy = argmin(S)

```

---



---

## Algorithm 3: PatternRecognition *OpenMP version*

---

**Data:** queryMatrix Q, targetMatrix  
T, numThread Nt

**Result:** SADMatrix S

```

1 Define SADMatrix S
2 S.rows = T.rows - Q.rows + 1
3 S.cols = T.cols - Q.cols + 1
4 #pragma omp parallel for
5   num_threads(Nt) collapse(2)
6   schedule(static)
7 for from i = 0 to S.rows do
8     for from j = 0 to S.cols do
9         S[i][j] =
10            computeSAD(P,Q,i,j)
11 cx, cy = argmin(S)

```

---



# CUDA

---

**Algorithm 4: Kernel Launch**


---

**Data:** queryMatrix Q,  
targetMatrix T,  
SADMatrix S,  
TILE\_WIDTH

```

1 DimGrid(
    ceil(S.rows / TILE_WIDTH),
    ceil(s.cols / TILE_WIDTH));
2 dimBlock(TILE_WIDTH,
    TILE_WIDTH)
3 PatternRecognitionKernel
  <<<dimGrid, dimBlock>>>(Q,T,S)
  
```

---



---

**Algorithm 5: PatternRecognitionKernel**


---

**Data:** queryMatrix Q, targetMatrix T,  
SADMatrix S

```

1 bx = blockIdx.x
2 by = blockIdx.y
3 tx = threadIdx.x
4 ty = threadIdx.y
5 col = bx * blockDim.x + tx
6 row = by * blockDim.y + ty
7 if row < S.rows and col < S.cols then
8     for from i = 0 to Q.rows do
9         for from j = 0 to Q.cols do
10             tV = T[i+row][j+col]
11             qV = Q[i][j]
12             localSadValue +=
                | tV - qV |
13             S[row][col] = localSadValue
  
```

---

## CUDA points of interest

- ▶ In **Algorithm 5** we can notice that the access to the target matrix is coalesced, in fact  $T[i+row][j+col]$  is of the form  $T[(\text{expression with terms independent of } tx) + tx]$
- ▶ Target Matrix and Query Matrix are not modified, so we can mark them as **const** and **restrict**, this way the compiler is sure that both matrices are read-only data and can use a cache designed for this type of data, available for devices with compute capability greater than 3.5.
- ▶ Tiling is useless due to the low reuse of same values within the same block

## Equipment, metrics and profiling

- ▶ The tests have been conducted on an Ubuntu 18.04 LTS machine equipped with:
  - ▶ Intel Core i7-4790 3.6GHz with Turbo Boost up to 4Ghz, 4 core/8 thread processor
  - ▶ RAM 16 GB DDR4
  - ▶ NVidia GeForce 940MX 2GB (running on CUDA 10.1)
- ▶ The metrics used are execution time and SpeedUp  $S_P$ , which is calculated as

$$S_P = \frac{t_s}{t_p}$$

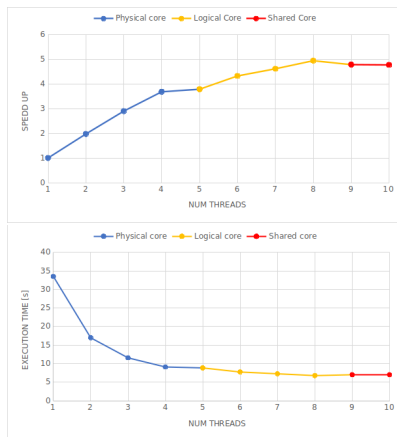
- ▶ The high precision C++11 library *chrono* has been used for measuring the execution time.

# Tests

- ▶ Each time has been measured running each test 5 times and taking the average as a result
- ▶ We have conducted experiments on three different combinations of query matrix and target matrix size:
  - ▶ **Test1:** target matrix with dimension  $1500 \times 1500$  and query matrix with dimension  $150 \times 150$
  - ▶ **Test2:** target matrix with dimension  $2000 \times 2000$  and query matrix with dimension  $200 \times 200$
  - ▶ **Test3:** target matrix with dimension  $2500 \times 2500$  and query matrix with dimension  $250 \times 250$

## OpenMP Test1

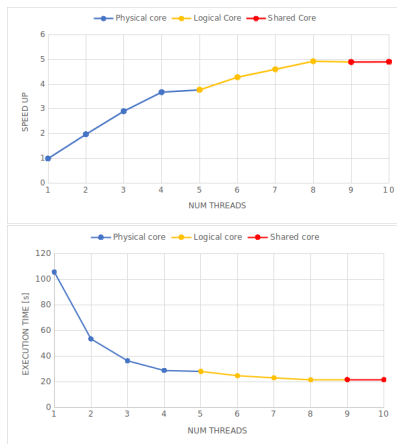
**Test1:** target matrix with dimension  $1500 \times 1500$  and query matrix with dimension  $150 \times 150$



OpenMP Test1		
Num threads	Execution time	SpeedUp
1	33,52s	1,00x
2	16,98s	1,97x
3	11,57s	2,90x
4	9,11s	3,68x
5	8,86s	3,78x
6	7,76s	4,32x
7	7,27s	4,61x
<b>8</b>	<b>6,79s</b>	<b>4,94x</b>
9	7,01s	4,78x
10	7,03s	4,77x

## OpenMP Test2

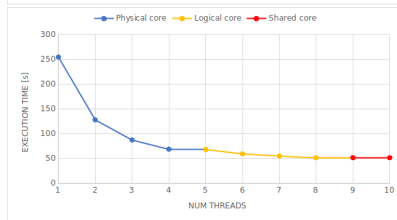
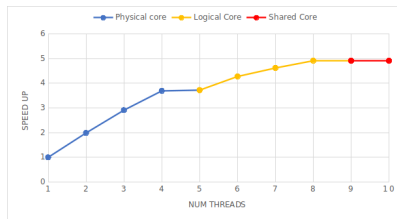
**Test2:** target matrix with dimension  $2000 \times 2000$  and query matrix with dimension  $200 \times 200$



OpenMP Test2		
Num threads	Execution time	SpeedUp
1	105,68s	1,00x
2	53,47s	1,98x
3	36,34s	2,91x
4	28,76s	3,67x
5	28,04s	3,77x
6	24,70s	4,28x
7	22,99s	4,60x
<b>8</b>	<b>21,47s</b>	<b>4,92x</b>
9	21,61s	4,89x
10	21,59s	4,90x

## OpenMP Test3

**Test3:** target matrix with dimension  $2500 \times 2500$  and query matrix with dimension  $250 \times 250$



OpenMP Test3		
Num threads	Execution time	SpeedUp
1	254,50s	1,00x
2	128,09s	1,99x
3	87,53s	2,91x
4	69,01s	3,69x
5	68,40s	3,72x
6	59,60s	4,27x
7	55,16s	4,61x
<b>8</b>	<b>51,80s</b>	<b>4,91x</b>
9	51,85s	4,91x
10	51,88s	4,91x

## CUDA results

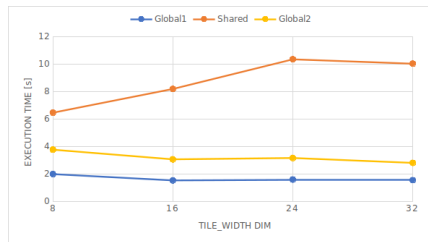
In the following slides the results of our CUDA implementations are shown, in each test we have used four TILE\_WIDTH dimensions and three different implementations:

- ▶ The implementation which uses global memory and the optimization for pointer aliasing (blue line in the graph with the name **Global1**)
- ▶ The implementation which uses global memory but does not use the optimization for pointer aliasing (yellow line in the graph with the name **Global2**)
- ▶ The implementation which uses shared memory (orange line in the graph with the name of **Shared**)



## CUDA Test1

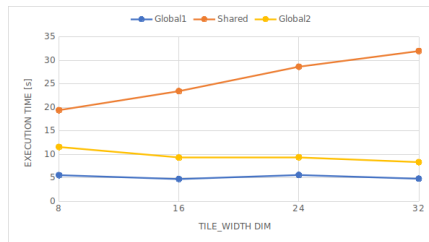
**Test1:** target matrix with dimension  $1500 \times 1500$  and query matrix with dimension  $150 \times 150$



CUDA Test1			
TILE.WIDTH	Global1	Shared	Global2
8	1,97s	6,45s	3,76s
<b>16</b>	<b>1,51s</b>	8,19s	3,05s
24	1,58s	10,35s	3,15s
32	1,53s	10,03s	2,79s

## CUDA Test2

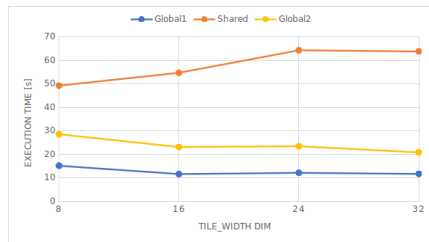
**Test2:** target matrix with dimension  $2000 \times 2000$  and query matrix with dimension  $200 \times 200$



CUDA Test2			
TILE_WIDTH	Global1	Shared	Global2
8	5,55s	19,38s	11,55s
<b>16</b>	<b>4,73s</b>	23,42s	9,28s
24	5,58s	28,62s	9,36s
32	4,79s	31,95s	8,32s

## CUDA Test3

**Test3:** target matrix with dimension  $2500 \times 2500$  and query matrix with dimension  $250 \times 250$



CUDA Test3			
TILE.WIDTH	Global1	Shared	Global2
8	15,17s	49,26s	28,56s
<b>16</b>	<b>11,62s</b>	54,71s	23,14s
24	12,15s	64,31s	23,47s
32	11,70s	63,79s	20,84s

- └ Experimental results
  - └ OpenMP and CUDA results comparison

## OpenMP and CUDA results comparison

- ▶ Both CUDA and OpenMP experiments use the same matrices, so the comparison between implementations is fair
- ▶ For each test has been taken the best time achieved with each different implementation.

	<i>Sequential time</i>	<i>OpenMP time</i>	<i>OpenMP speedUp</i>	<i>CUDA time</i>	<i>CUDA SpeedUP</i>
<b>Test1</b>	33.52s	6.79s	<b>4.61x</b>	1.51s	<b>22.20x</b>
<b>Test2</b>	105.68s	21.47s	<b>4.92x</b>	4.73s	<b>22.34x</b>
<b>Test3</b>	254.50s	51.80s	<b>4.91x</b>	11.63s	<b>21.88x</b>

## Conclusions

- ▶ 2D Pattern Recognition algorithm achieves a powerful boost if executed in a parallel implementation
- ▶ In our tests OpenMP implementations reach a **5x** SpeedUP and the GPU version based on CUDA reach a **22x** SpeedUP
- ▶ In embarrassingly parallel algorithm the use of GPUs outperforms the traditional CPU processing