Matlab tools for HDG in three dimensions: scripts for testing

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• The code uses the Parallel Toolbox if this is installed. (Nothing has to be done if it is not.) To activate the toolbox, type

matlabpool open

At the end of the session, type

matlabpool close

• The experiments of Section 8 Tables 1–3 can be replicated typing

scriptHDG3dhmethod

with the following choice of a parameter n that is asked to the user:

- use n=1 to get Table 1
- use n=2 to get Table 2
- use n=3 to get Table 3
- The experiment of Section 8 Table 4 can be reproduced typing

scriptHDG3dkmethod

and choosing n=1.

• Other experiments for the h-method (refinement of the tetrahedrization) can be carried out using

scriptHDG3dhmethod

and choosing n=0. The user will be requested the following parameters:

- the polynomial degree $k \ (k \leq 3)$

- a choice of exact solution: \mathbb{P}_1 , \mathbb{P}_2 , \mathbb{P}_3 or smooth solution
- a choice between using constant or variable coefficients in the problem
- a choice of domain: the chimney domain described in Section 8, a cube with Dirichlet BC on all faces, and a Fichera corner domain with quasiuniform tetrahedrizations and mixed BC
- Other experiments for the k-method (fixed tetrahedrization, increase of polynomial degree) can be carried out using

scriptHDG3dkmethod

and choosing n=0. The user will be requested the following parameters:

- a choice of exact solution: \mathbb{P}_1 , \mathbb{P}_2 , \mathbb{P}_3 or smooth solution
- a choice between using constant or variable coefficients in the problem
- a choice of domain: the chimney domain described in Section 8, a cube with Dirichlet BC on all faces, and a Fichera corner domain with quasiuniform tetrahedrizations and mixed BC
- a choice of which tetrahedrization to use (an index from 1 to 4, 1 being the coarsest partition)
- Additionally, we are providing a script to test the HDG method for convectiondiffusion problems. Typing

scriptHDG3dCD

will give the user several options to choose

- the polynomial degree $k \ (k \leq 3)$
- a choice of exact solution: \mathbb{P}_1 , \mathbb{P}_2 , \mathbb{P}_3 or smooth solution
- a choice between using constant or variable coefficients in the problem

The domain is always a cube and Dirichlet BC are imposed in all faces of it.