

- Select your language (C/C++/Java/Python2/Python3)
  - Paste your code into the submission window.
  - There are some public test cases and some (hidden) private test cases.
  - "Compile and run" will evaluate your submission against the public test cases.
  - "Submit" will evaluate your submission against the hidden private test cases and report a score on 100.
- There are 12 private testcases in all, each with equal weightage.
- Ignore warnings about "Presentation errors".

## Siruseri Traffic Lights

*Adapted from Traffic Lights, International Olympiad in Informatics, 1999*

In Siruseri, there are junctions connected by roads. There is at most one road between any pair of junctions. There is no road connecting a junction to itself. The travel time for a road is the same in both directions.

At every junction there is a single traffic light. These traffic lights are a bit peculiar. Starting from time 0, each light flashes green once every  $T$  time units, where the value of  $T$  is different for each junction.

A vehicle that is at a junction can start moving along a road only when the light at the current junction flashes green. If a vehicle arrives at a junction between green flashes, it must wait for the next green flash before continuing in any direction. If it arrives at a junction at exactly the same time that the light flashes green, it can immediately proceed along any road originating from that junction.

You are given a city map that shows travel times for all roads. For each junction  $i$ , you are given  $T_i$ , the time period between green flashes of the light at that junction. Your task is to find the minimum time taken from a given source junction to a given destination junction for a vehicle when the traffic starts.

### Solution hint

Use Dijkstra's algorithm. At each phase, from the current shortest time for a given junction, compute when the next green flash will occur to let you travel to its neighbours and use this to update shortest path information.

### Input Format

There are  $N$  junctions and  $M$  roads. The junctions are identified by integers 1 through  $N$ .

- The first line of input contains two integers: the source junction and the destination junction.
- The second line contains two integers:  $N$  and  $M$ .
- The third line contains  $N$  integers,  $T_1, T_2, \dots, T_N$ , describing the time periods at which the traffic lights flash green. The light at junction  $i$  flashes green at times 0,  $T_i, 2T_i, 3T_i, \dots$
- The next  $M$  lines contain information about the  $M$  roads. Each line has three integers  $i, j, l_{ij}$ , where:
  - $i$  and  $j$  are the junctions connected by this road
  - $l_{ij}$  is the time required to move from junction  $i$  to junction  $j$  using this road

### Output Format

A single line consisting of a single integer, the time taken by a minimum-time path from source to destination.

### Constraints:

- $2 \leq N \leq 300$
- $1 \leq M \leq 14,000$
- $1 \leq T_i \leq 100$
- $1 \leq l_{ij} \leq 100$

### Sample Input

```
1 4
4 5
4 3 2 5
1 2 4
1 3 8
2 3 6
2 4 10
3 4 7
```

### Sample Output

15

### Explanation

- 1 to 2 to 4 takes time  $4 + 2$  (wait till 6)  $+ 10 = 16$ .
- 1 to 3 to 4 takes time  $8 + 0$  (no wait)  $+ 7 = 15$ .
- 1 to 2 to 3 to 4 takes time  $4 + 2$  (wait till 6)  $+ 6 + 0$  (no wait)  $+ 7 = 19$ .
- 1 to 3 to 2 to 4 takes time  $8 + 0$  (no wait)  $+ 6 + 1$  (wait till 15)  $+ 10 = 25$ .

Sample Test Cases

```
Input
Test 1 4
Case4 5
1 4 3 2 5
1 2 4
1 3 8
```