• 
$$C(x, s, in) = value of x before s$$
  
•  $C(x, s, out) = value of x offer s$ 

Rule 1: if 
$$C(x, Pi, out) = x$$
 for any i  
then  $C(x, s, in) = x$ 

Rule 2: 
$$C(X,P_i, out) = c \mathcal{R}$$
  
 $C(X,P_i, out) = d \mathcal{R}$   
 $d \neq c$   
then  $C(X,S,in) = X$ 

Rule 3: if 
$$\forall i, C(x, p_i, out) = C$$
 or  $\dagger$   
then  $C(x, s, in) = C$ 

Rule 4: if 
$$\forall i$$
,  $C(x, P_{i,out}) = #$   
then  $C(x, s, in) = #$ 

$$\uparrow$$
  $C(x, P_i, out) \longrightarrow C(x, s, in)$ 

$$\frac{1}{|X=C|} = C$$

$$\frac{1}{|X=C|}$$

Rule 7.

Rule 8.

$$\int_{Y=-\infty}^{Y=-\infty} X = X$$

An Algorithm:

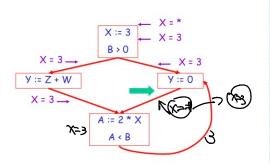
In for every entry S to the program Set 
$$C(s, x, in) = X$$

everywhere else

3. Repeat until all points sottesty 1-8.



• To understand why we need #, look at a loop



Dynamic disputch: Let type

-> get method/ property

Ordering

 $\star$  is the greatest,  $\pm$  is the least. the lab be the least-upper-bound. Alle 1-4->

C(x,s,in)=  $lub \{ C(p,x,0ut) | p is a prodecessor of s \}$ 

Liveness Analysis. X:=3 — deced X:=4 — live

	live merged unth live
-	live marged unth live —> live.