

Rules of Thumb in Data Engineering

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Abstract

This paper reexamines the rules of thumb for the design of data storage systems. Briefly, it looks at storage, processing, and networking costs, ratios, and trends with a particular focus on performance and price/performance. Amdahl's ratio laws for system design need only slight revision after 35 years—the major change being the increased use of RAM. An analysis also indicates storage should be used to cache both database and web data to save disk bandwidth, network bandwidth, and people's time. Surprisingly, the 5-minute rule for disk caching becomes a cache-everything rule for web caching.

1. Introduction

We engineer data using intuition and rules of thumb. Many of these rules are folklore. Given the rapid changes in technology, these rules need to be constantly re-evaluated.

This article is our attempt to document some of the main rules we use in engineering database systems. Since we have to design for the future, the article also assesses technology trends and predicts the sizes of future systems.

2. Storage performance and price

Many rules of thumb are a consequence of *Moore's Law*, which posits that circuit densities increase 4x each three years. That means that memories get 4 times larger each three years, or about 100x per decade. It also means that in-memory data grows at this rate: creating the need for *an extra bit of addressing every 18 months*. In 1970 we were comfortable with 16-bit address spaces: it was rare to find a machine with a megaword of memory. Thirty years later we need 20 extra address bits to address the 64 GB memories (36 bit addresses) found in the larger computers on the market. Today most computer architectures give 64-bit logical addressing (e.g. MIPS, Alpha, PowerPC, SPARC, Itanium) or 96-bit (e.g. AS400) addressing. Physical addressing is 36-bits to 40-bits, and growing a bit per 18 months. These extra 30 bits should hold us for many years to come.

Moore's Law originally applied only to random access memory (RAM). It has been generalized to apply to microprocessors and to disk storage capacity. Indeed,

disk capacity has been improving by leaps and bounds; it has improved 100 fold over the last decade. The magnetic aerial density has gone from 20 Mbp/si (megabits per square inch in 1985), to 35 Gbp/si. Disks spin three times faster now, but they are also 5 times smaller than they were 15 years ago, so the data rate has only improved only 30 fold (see Figure 1). Today, disks can store over 70 GB, have access times of about 10 milliseconds (~ 120 kbps kilobyte accesses per second), and transfer rates of about 25MBps (~ 20 maps (megabyte accesses per second)) and a scan time of 45 minutes [1]. These disks cost approximately 42 k\$/TB today (15 k\$/TB for lower-performance IDE drives packaged, powered, and network served) [2]. Within 5 years, the same form-factor should be storing nearly ½ terabyte, support 150 kbps, and a transfer rate of 75 MBps. At that rate, it will take nearly 2 hours to scan the disk. By then, the prices should be nearing 1 k\$/TB.

The ratio between disk capacity and disk accesses per second is increasing more than 10x per decade. Also, the capacity/bandwidth ratio is increasing by 10x per decade. These changes have two implications: (1) disk accesses become more and more precious; and (2) disk data becomes cooler with time [3].

We reduce disk accesses by (1) using a few large

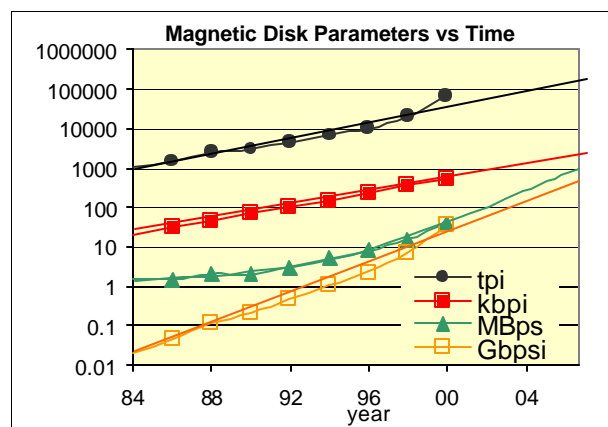


Figure 1: Disk capacity has improved 1,000 fold in the last 15 years, consistent with Moore's law, but the transfer rate MBps has improved only 40x in the same time. The metrics are tracks per inch (tpi), thousands of bits per linear inch of track (kbp/si), megabits per second as the media spins (MBps), and gigabits per square inch

transfers rather than many small ones, (2) favoring sequential transfers, and (3) using mirroring rather than RAID5. A random access costs a seek time, half a rotation time, and then the transfer time. If the transfer is sequential, there is no seek time, and if the transfer is an entire track, there is no rotation time. So track-sized sequential transfers maximize disk bandwidth and arm utilization. Over the decade, disk pages have grown from 2KB to 8KB and are poised to grow again. In ten years, the typical small transfer unit will probably be 64KB, and large transfer units will be a megabyte or more. The argument in favor of mirrors is that they double the read bandwidth to each data item, and they cost only one extra access for a write. RAID5 uses up to 4 disk accesses to do a write, and improves read bandwidth only if the data requests go to different disks.

The move to sequential IO is well underway. Transaction logging and log-structured file systems convert random writes into sequential writes. This has already had large benefits for database systems and operating systems. Buffering and caching of database pages also converts many random operations into sequential operations. These techniques will continue to yield benefits as disk accesses become more precious.

Ten years ago, disks offered 30 kps (kilobyte accesses per second) to 1GB of data, and 5 minute scan times. Current disks offer 120 kps to 80 GB of data with a 45 minute scan times. This is 250 kps per GB vs. 1.5 kps per GB. So, modern disk data needs to be at least 100x colder than data of 15 years ago. In fact, all the “hot” data of 1990 has migrated to RAM: disk cost 10\$/MB in that era, five times what RAM costs today. So 1990s disk data can easily afford to be in RAM today. The use of large main memories is one way to cool the data on disk. Another way is to store the data multiple times and spread the reads among the copies: again suggesting mirroring.

Meanwhile, there has been great progress in tape storage: tapes now store up to 40 GB. A drive with a 15 tape cartridges costs about 6 k\$ and stores about 600GB nearline. These drives provide 6 MBps data rates so the scan time for one cartridge is about 1.2 days, and approximately zero kps and maps per second. This tape store is ½ the cost per terabyte of disk storage, but tape does not provide easy access to the data. In five years, this situation should be even more dramatic. The tape capacities are expected to improve by 5x, making the access problem even more dramatic: several days to scan the archive.

Historically, tape, disk, and RAM have maintained a price ratio of about 1:10:1000. That is, disk storage has been 10x more expensive than tape, and RAM has been

100x more expensive than disk. Indeed, today one can buy a 40 GB tape cartridge for 80\$, a 36 GB disk for 1200\$ (DELL and SCSI are not the least expensive), and 1 GB of memory for about 2400\$ [4]. These ratios translate to 2\$/GB, 32 \$/GB and 2.4k\$/GB giving a ratio of 1:16:1200 for storage.

But when the offline tapes are put in a nearline tape robot, the price per tape rises to 10K\$/TB while packaged disks are 30K\$/TB. This brings the ratios back to 1:3:240. It is fair to say that the storage cost ratios are about 1:3:300.

The cost/MB of RAM declines with time: about 100x a decade. Since disk and RAM have a 1:100 price ratio, *what is economical to put on disk today will be economical to put in RAM in about 10 years.*

A striking thing about these storage cost calculations is that disk prices are approaching nearline tape prices. By using RAID (mirroring or parity), administrators sacrifice disk storage capacity to protect against disk media failures. Increasingly, sites that need to be online all the time are replicating their entire state at a remote site, so that they have two online copies of the data. If one site fails, the other offers access to the data, and the failed site can recover from the data stored at the second site. In essence, *disks are replacing tapes as backup devices.* Tapes continue to be used for data interchange, but if Gilders’ Law holds (see below), then someday all data interchange will go over the Internet rather than over sneaker net.

Storage prices have dropped so low that the storage management costs now exceed storage costs (similarly, PC management costs exceed the cost of the hardware). In 1980, there was a rule of thumb that one needed a data administrator for 1GB of storage. At that time a GB of disk cost about a million dollars, and so it made sense to have someone optimizing it and monitoring the use of disk space. Today, a million dollars can buy 1 TB to 100 TB of disk storage (if you shop carefully). So, today, the rule of thumb is that a person can manage 1 TB to 100 TB of storage – with 10 TB being typical. The storage management tools are struggling to keep up with the relentless growth of storage. If you are designing for the next decade, you need build systems that allow one person to manage a 10 PB store.

Summarizing the Storage rules of thumb:

1. *Moore’s Law: Things get 4x better every three years.*
2. *You need an extra bit of addressing every 18 months.*
3. *Storage capacities are increasing 100x per decade.*
4. *Storage device throughput is increasing 10x per decade.*
5. *Disk data cools 10x per decade.*

6. Disk page sizes increase 5x per decade.
7. NearlineTape:OnlineDisk:RAM storage cost ratios are approximately 1:3:300.
8. In ten years DRAM will cost what disk costs today.
9. A person can administer a million dollars of disk storage: that is 10TB of storage today

And two observations:

- Disks are replacing tapes as backup devices.
- Mirroring rather than Parity to save disk arms

3. Amdahl's system balance rules

Gene Amdahl is famous for many rules of thumb. For data engineering, there are four famous ones [6]:

10. Amdahl's parallelism law: If a computation has a serial part S and a parallel component P , then the maximum speedup is $S/(S+P)$.
11. Amdahl's balanced system law: A system needs a bit of IO per second per instruction per second: about 8 MIPS per MBps.
12. Amdahl's memory law: $\alpha=1$: that is the MB/MIPS ratio (called alpha (α)), in a balanced system is 1.
13. Amdahl's IO law: Programs do one IO per 50,000 instructions.

How have Amdahl's law changed in the last 35 years? The parallelism law is algebra, and so remains true and very relevant to this day. The thing that is surprising is that these 35-year-old laws have survived while speeds and sizes have grown by orders of magnitude and while ratios have changed by factors of 10 and 100.

To re-evaluate Amdahl's IO laws, one can look at the Transaction Processing Performance Council benchmark systems [4]. These systems are carefully tuned to have the appropriate hardware for the benchmark. For example, the OLTP systems tend to use small disks because the benchmarks are arm limited, and they tend to use the appropriate number of controllers. The following paragraphs evaluate Amdahl's balanced system law: concluding that with current technology it should be amended to say:

10. Amdahl's revised balanced system law: A system needs 8 MIPS/MBpsIO, but the instruction rate and IO rate must be measured on the relevant workload. (Sequential workloads tend to have low CP (clocks per instruction), random workloads tend to have higher CPI.)
12. Alpha (the MB/MIPS ratio) is rising from 1 to 4. This trend will likely continue.
13. Random IO's happen about once each 50,000 instructions. Based on rule 10, sequential IOs are much larger and so the instructions per IO are much higher for sequential workloads.

Amdahl's balanced system law becomes more complex to interpret in the new world of quad-issue pipelined processors. Table 2 summarizes the following analysis. In theory, the current 550 MHz Intel processors are able to execute 2 billion instructions per second, so Amdahl's IO law suggests that each 550 MHz processors needs 160 MBps of disk bandwidth (all numbers rounded). However, on real benchmarks, these processors demonstrate 1.2 clocks per instruction on sequential workloads (TPC-D,H,R) and 2.2 clocks per instruction on random IO workloads (TPC-C, W) [7,8]. These larger CPIs translate to 450 MIPS on sequential and 260 MIPS on random workloads. In turn, Amdahl's law says these processors need 60 MBps sequential IO bandwidth ($\sim 450/8$) and 30 MBps random of IO bandwidth ($\sim 260/8$) per cpu respectively (for tpcH and tpcC). A recent tpcH benchmark by Compaq [5] used eight 550 MHz processors with 176 disks. This translates to 22 disks per cpu, or about 70 MBps of raw disk bandwidth per cpu and 120 MBps of controller bandwidth per cpu (consistent with Amdahl's prediction of 60MBps). Amdahl's law predicts that system needs 30MBps of IO bandwidth. Using 8KB pages and 100 IOps per disk implies 38 disks per processor – a number comparable to the 50 disks Dell actually used [4].

Both TPC results mentioned here use approximately 1/2 gigabyte per processor. Based on the MIPS column of Table 2, approximately 1 to 2 MB per MIPS. These are Intel IA32 processors that are limited to 4 GB of memory. When one considers HP and Sun systems that do not have the 4GB limit, there is between 1GB/cpu and 2GB/cpu (12 to 32 GB overall). This roughly translates to 2 MB/MIPS to 4 MB/MIPS. As argued by many people working in main memory databases (for example [9]), as disk IOs become more precious, we are moving towards relatively larger main memories. Alpha, the MB to MIPS ratio is rising from 1 to 4.

What about the execution interval? How many instructions are executed per IO? In essence, if there are 8 instructions per byte, and 50 K instructions/IO, then IOs

Table 2: Amdahl's balanced system law and the parameters of two recent TPC benchmarks (www.tpc.org). The CPI varies among the workloads, and the IO sizes also vary, still, the instructions/byte are similar to Amdahl's prediction of eight instructions per byte (a bit of IO per instruction).

	MHz/ cpu	CPI	mip s	KB/ IO	IO/s /dis k	Dis ks	Disks/ cpu	MB/s/ cpu	Ins/ IO Byte
Amdahl	1	1	1	6					8
TPC-C = random	550	2.1	262	8	100	397	50	40	7
TPC-H = sequential	550	1.2	458	64	100	176	22	141	3

are about 6 KB ($\sim 50/8$). Again, there is a dichotomy between sequential and random workloads: On TPC-C benchmarks which do a lot of random IO, there are about 60 k instructions between 8 KB IOs ($\sim 7*8$) and on sequential workloads there are 200 k instructions between 64 KB IOs ($\sim 3*64$).

In summary, Amdahl's laws are still good rules of thumb in sizing the IO and memory systems. The major changes are that (1) the MIPS rate must be measured, rather than assuming a CPI of 1 or less, (2) sequential IOs are much larger than random IOs and hence the instructions per IO are much higher for sequential workloads, (3) Alpha (the MB/MIPS ratio) is rising from 1 to 2 or 4, this trend will likely continue. Given the 100x and 1,000x changes in speeds and capacities, it is striking that Amdahl's ratios continue to hold.

4. Networking: Gilder's Law

George Gilder predicted in 1995 that network bandwidth would triple every year for the next 25 years [12]. So far his prediction seems to be approximately correct. Individual wavelength channels run at 40 Gbps. Wave-division multiplexing gives 10 or 20 channels per fiber. Multi-terabit links are operating in the laboratory. Several companies are deploying thousands of miles of fiber optic networks. We are on the verge of having very high-speed (Gbps) wide-area networks. When telecom deregulation or competition works, these links will be very inexpensive.

14. *Gilder's law: Deployed bandwidth triples every year.*

15. *Link bandwidth improves 4x every 3 years.*

Paradoxically, the fastest link on the Microsoft campus today is the 2.5 Gbps WAN link to the Pacific Northwest GigaPOP. It takes three 1 Gbps Ethernet links to saturate the WAN link. LAN speeds are about to rise to 10 Gbps, and then to 10 GBps via switched point-to-point networking.

Latency due to the speed of light (60 ms round trip within North America, within Europe, and within Asia) will be with us forever, but terabit-per-second bandwidth will allow us to design systems that cache data locally, and quickly access remote data if needed.

Traditionally, high-speed networking has been limited by software overheads. The cost of sending a message is [10]: $\text{Time} = \text{senderCPU} + \text{receiverCPU} + \text{bytes}/\text{bandwidth}$

The sender and receiver cpu costs have typically been 10,000 instructions and then 10 instructions per byte. So to send 10 KB cost 120,000 instructions or something like a millisecond of cpu time. The transmit time of 10,000

bytes on 100 Mbps Ethernet is less than a millisecond – so the LAN was cpu limited, not transmit time limited.

A rule of thumb for traditional message systems has been

16. *A network message costs*

10,000 instructions and 10 instructions per byte.

17. *A disk IO costs*

5,000 instructions and 0.1 instructions per byte.

Why are disk IOs so efficient when compared to network IO? After all, disk IOs are just messages to the disk controller. There have been substantial strides in understanding that simple question. The networking community has offloaded much of the protocol to the NICs (much as SCSI and IDE do), and use memory more aggressively to buffer requests and correct errors. Checksuming, fragmentation/assembly, and DMA have all been added to high-speed NICs. Much of this work has gone on under the banner of System Area Networking (SAN) and the Virtual Interface Architecture [11]. The current revision to rule of thumb is:

18. *The cpu cost of a SAN network message is*

3,000 clocks and 1 clock per byte.

In particular, it is now possible to do an RPC in less than 10 microseconds, and to move a Gbps from node to node while the processor is only half busy doing network (tcp/ip) tasks. The network carries 100,000 packets per second (300 M clocks) and 128 M bytes per second (128 M clocks) so on a 650 MHz machine, there are 200 M clocks to spare for useful work.

Currently, it costs a more than a dollar to send 100MB via a WAN (see Table 7 of Odlysko [13]), while local disk and LAN access are 10,000 times less expensive. This price gap is likely to decline to 10:1 or even 3:1 over the next decade. As suggested in subsequent sections, when bandwidth is sufficient and inexpensive, local disks can act as a cache for commonly used data and a buffer for pre-fetched data.

5. Caching: Location, Location, and Location

Processor clock speeds have been improving, as has the parallelism within the processor. Modern processors are capable of issuing four or more instructions in parallel and pipelining instruction execution.

In theory, current quad-issue Intel processors are able to execute three billion instructions per second 4 instructions per clock and 750 M clocks per second. In practice, real benchmarks see CPI (clocks per instruction) of 1 to 3, and the CPI is rising as processor speeds outpace memory latency improvements [6,7,8].

The memory subsystem cannot feed data to the processor fast enough to keep the pipelines full. Architects have added 2-level and 3-level caches to the processors in order to improve this situation, but if programs do not have good data locality, there is not much the architects can do to mask “compulsorily” cache misses.

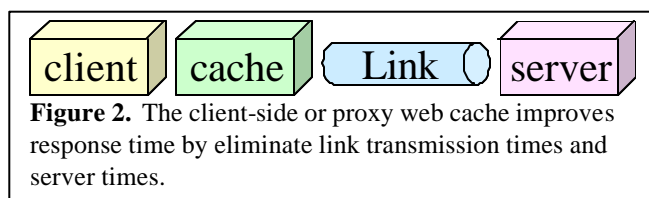
Software designers are learning that careful program and data placement and cache sensitive algorithms with good locality give 3x speedups on current processors. As processor speeds continue to outpace memory speeds, there will be increasing incentives for software designers to look for algorithms with small instruction cache footprints, with predictable branching behavior, and with good or predictable data locality (read clustered or sequential).

There is a hardware trend to design huge (256 way) multiprocessors that operate on a shared memory. These systems are especially prone to *instruction stretch* in which bus and cache interference from other processors causes each processor to slow down. Getting good performance from these massive SMPs will require careful attention to data partitioning, data locality, and processor affinity.

An alternative design opts for many nodes each with its own IO and bus bandwidth and all using a dataflow programming model and communicating via a high-speed network [14]. These designs have given rise to very impressive performance, for example, the sort speed of computer systems has been doubling each year for the last 15 years through a combination of increased node speed (about 60%/year) and parallelism (about 40%/year). The 1999 terabyte sort used nearly 2,000 processors and disks, http://research.microsoft.com/~gray/sort_benchmark.

The argument for the many-little scalable design tries to leverage the fact that mainframe:mini:commodity price ratios are approximate 100:10:1. That is, mainframes cost about 100 times more than commodity components, and semi-custom mini-computers have a 10:1 markup over commodity components (see prices for comparable systems at the www.tpc.org benchmarks). The cluster advocates admit the many-little design is less efficient, but they argue that it is more cost-effective.

There seems no good general rule of thumb for cpu-



caches beyond smaller-is-better and locality-is better. But, two good rules have evolved for disk data locality and caching. It is possible to quantitatively estimate when you should cache a disk page in memory: trading off memory consumption against disk arm utilization.

As mentioned before, disk arms are precious. If a disk costs \$1200 and does 120 accesses per second, then a disk access per second costs \$10. It would be advantageous to spend up to \$10, to save one access per second. Well, \$10 buys about 10MB of DRAM, so if a cache of that size would indeed save one access per second, it would be a good investment.

One can ask the question, how frequently should a disk-resident object be accessed to justify caching it in main memory? When does the rent of RAM space balance the cost of an access? The analysis in [15] shows that:

BreakEvenReferenceInterval (seconds) =

$$\frac{\text{PagesPerMBofRAM}}{\text{AccessPerSecondPerDisk}} \times \frac{\text{PricePerDiskDrive}}{\text{PricePerMBofDRAM}}$$

For randomly accessed data, the first term (call the *access pattern*) is approximately 1, the second term (called the *technology ratio*) varies from 100 to 400 today. So, the breakeven interval is about 2 minutes to 5 minutes.

For sequentially accessed data the access pattern term is approximately 0.1 (1MB “pages” and 10 pages per second) so the break-even interval is 10 to 40 seconds.

This analysis gives the rules:

19. *The 5-minute random rule: cache randomly accessed disk pages that are re-used every 5 minutes.*
20. *The 1-minute sequential rule: cache sequentially accessed disk pages that are re-used within a minute.*

A related rule that has not seen much use is that one can *spend 1 byte of RAM to save 1 MIPS*. The argument goes that RAM costs about 1\$/MB and today one can get a 100 extra MIPS from Intel for 100 extra dollars (approximately). So, the marginal cost of an instruction per second is approximately the marginal cost of a byte. Fifteen years ago, the ratio was 10:1, but since then Intel and VLSI has made processors much less expensive.

21. *Spend 1 byte of RAM to save 1 MIPS.*

Now let’s consider web page caching. We can use logic similar to the five-minute rule to decide when it pays to cache web pages. The basic diagram is shown in Figure 2, where the link speed varies from 100 KBps for intranets, to modem speeds of 5 KBps, to wireless speeds of 1 KBps. In case of a modem and wireless links, we assume a local browser cache. For high-speed links, the cache could either be a browser cache or a proxy cache.

In case of a proxy, we assume a fast connection between the user and the cache (e.g., a 100Mb/s LAN), so that cost of accessing data from a remote proxy disk is not significantly larger than that from a local disk.

Given these assumptions consider three questions:

- (1) How much does web caching improve response times?
- (2) When should a web page be cached?
- (3) How large should a web cache be?

Assume that the average web object is 10KB. Define R_{remote} : response time to access an object at server.

R_{local} : response time to access the object from cache.

H : cache hit ratio (fraction of requests that cache satisfies)

Then: $Response_Time_Improvement =$

$$R_{remote} - (H * R_{local} + (1-H) * R_{remote}) = H * (R_{remote} - R_{local})$$

We now estimate R_{remote} and R_{local} . R_{remote} consists the server response time and the download network time. The server response time (the queuing delay and the service time) can range from several hundred milliseconds to several seconds. Assume a response time of 3 seconds.

The download time over the network depends on network conditions and on link speeds. WAN Links are typically shared, so the user bandwidth is smaller than the typical link bandwidth (a bottlenecked link at the server may further reduce the bandwidth/request). Assume that the effective LAN/WAN bandwidth is 100KB/s; hence time to transmit a 10KB object is a tenth of a second, and the R_{remote} of 3 seconds is dominated by the server time.

Modem bandwidth available on a dial-up link is 56 KB. With compression, the effective bandwidth is often twice that, but there are also start/stop overheads. We assume an effective modem bandwidth of 5KB/s. Hence, the modem transmit time for a 10 KB object is 2 seconds, and R_{remote} is 5 seconds.

A mobile user on a wireless link gets 1KB/s, and so it takes 10 seconds to download a 10KB object and R_{remote} is 13 seconds. We ignore the fact that mobile systems often compress the data to make the objects much smaller. Summarizing:

R_{remote}

$$= 3 + .1 = 3s \text{ (high speed connection)}$$

$$= 3 + 2 = 5s \text{ (modem connection)}$$

$$= 3 + 10 = 13s \text{ (wireless connection)}$$

R_{local} depends many details, but fundamentally local access avoids the server-time

wait (3 seconds in the examples above), and if the object is in the browser cache local access avoids the transmission time. If the local access saves both, then the R_{local} is a few hundred milliseconds.

Hence,

$$R_{local} = 100ms \text{ (browser cache)}$$

$$= 300ms \text{ (proxy cache intranet)}$$

$$= 2s \text{ (proxy cache modem)}$$

$$= 10s \text{ (proxy cache wireless)}$$

Proxy cache studies indicate that $H_{proxy_cache} = 0.4$ is an upper bound [16,17]. Anecdotal evidence suggests browser hit ratios are smaller: assume. $H_{browser_cache} = 0.20$. Assuming a 20\$/hr human cost, each second costs 0.55 cents. Using that, Table 3 computes the response time savings using the $Response_Time_Improvement$ equation at left.

Table 3: Shows the benefits of browser and proxy caching (pennies saved) assuming people's time is worth 20\$/hr.

connection	cache	R_{remote} seconds	R_{local} seconds	H hit rate	People Savings ¢/page
LAN	proxy	3	0.3	.4	0.6
LAN	browser	3	0.1	.2	0.3
Modem	proxy	5	2	.4	0.7
Modem	browser	5	0.1	.2	0.5
Mobile	proxy	13	10	.4	0.7
Mobile	browser	13	0.1	.2	1.4

If a user makes ten requests per hour, and uses web 400 hours per year then the benefit of caching is about 7 cents/hour and 20\$/year. This should be balanced against the cost of the disk to store the pages – but as mentioned earlier, \$20 will buy a LOT of disk space.

Having computed the savings for a cached page (Table 3), we can now compute the point where caching a page begins to pay off. Table 4 has the calculation. The first column of Table 4 estimates download costs from Odlysko [13 table 7] and assumes a wireless (1KBps) link costs \$0.1/minute (\$6/hr). The second column assumes desktop disks cost 30\$/GB and last 3 years, while mobile storage devices are 30x more expensive.

The break-even cost of storing a page happens when the storage rent matches the download cost. The download cost has two components: the network time (A

Table 4: Caching is a very good deal: cache web pages if they will be re-used within the few years.

	A \$/10 KB download network cost	B \$/10 KB storage/mo	Time = A/B Break-even cache storage time	C People Cost Of download \$ (table 3)	Time= (A+C)/B Break Even
Internet/LAN	1e-4	1e-4	100 months	3E-3	400 months
Modem	2E-4	1e-4	250 months	5E-3	750 months
Wireless	1E-2	3E-3	56 months	1E-2	102 months

in Table 4) and the people time C . The fourth column of the table shows the calculation ignoring people's time, C . In that case the break-even interval is 8 years rather than many decades. In either case, the table indicates that caching is very attractive: cache a page if it will be referenced within the next 5 years months (longer than the lifetime of the system (!)).

Certainly, our assumptions are questionable, but the astonishing thing is that a very wide spectrum of assumptions concludes that a "cache everything" strategy is desirable.

How will Table 4 change with time? Network speeds are predicted to increase and network costs are predicted to drop. Column 4, $Time=A/B$, may drop from 100 months to one day. But column 6, $Time=(A+C)/B$, will grow as people's time grows in value, while the cost of technology (A and B) decline. In summary, technology trends suggest that web page caching will continue to be a popular, especially for bandwidth-limited mobile devices.

How much would it cost to cache all web accesses for a year? If users make 10 requests per hour with a hit ratio of $H=0.4$ the cache gets 4 hits and 6 new objects per user hour. For an 8-hour workday, this is 480KB per user per day. If $H=0.2$, then it is 640KB per user per day. In both cases, this is about a penny a day. So, again we conclude a simple "cache everything" strategy is a good default.

These calculations suggest the simple rule:

22. *Cache web pages if there is any chance they will be re-referenced within their lifetime.*

Web object lifetimes are bi-modal, or even tri-modal in some cases. Studies show median lifetimes to be a few days or few tens of days [18]. The average page has a 75-day lifetime (ignoring the modalities and non-uniform access.) A heuristic that recognized high-velocity pages would both improve usability (by not showing stale cached pages) and would save cache storage.

A major assumption in these calculations is that server performance will continue to be poor: 3 seconds on average. Popular servers tend to be slow because web site owners are not investing enough in servers and bandwidth. With declining costs, web site owners could invest more and reduce the 3-second response time to less than a second. If that happens, then the web cache's people cost savings will evaporate, and the need for caching would be purely to save network bandwidth and download time -- which we believe will not be a scarce resource except for mobile devices.

6. Summary

Data stores will become huge. Our biggest challenge is to make it easy to access and manage them. Automating all the tasks of data organization, accesses, and protection.

Disk technology is overtaking tapes, but at the same time disks are morphing into tape-like devices with primarily sequential access to optimize the use of disk arms. Meanwhile, RAM improvements encourage us to build machines with massive main memory. Indeed, the main change to Amdahl's balanced system law is that α (=MIPS/DRAM size) is rising from 1 to 10.

Network bandwidth is improving at a rate that challenges many of our design assumptions. LAN/SAN software is being streamlined so it is no longer the bottleneck. This may well allow a re-centralization of computing.

Still, data caching is an important optimization. Disk caching still follows the 5minute random rule and the one-minute sequential rule. Web caching encourages designs that simply cache all pages.

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