Multi-Stack Ensemble for Job Recommendation

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ABSTRACT

This paper describes the approach that team PumpkinPie adopted in the 2016 Recsys Challenge. The task of the competition organized by XING is to predict which job postings the user has interacted with. The team's approach mainly consists in generating a set of models using different techniques, and then combining them in a multi-stack ensemble. This strategy granted the fourth position in the final leader-board to the team, with an overall score of 1.86M.

1. INTRODUCTION

Job recommendation domain presents some unique challenges for recommender systems. First of all, it makes sense to recommend already seen items, since users can browse them many times. Second, jobs have a trendiness and freshness window: it is very likely that old job postings are not available anymore [2]. Third, it is key to this domain to match the appropriate job to the appropriate user as this is not only a matter of personal taste. Each job posting requires a particular set of skills that have to be matched by the user personal skills [4]. Recommending job offerings is really different from recommending movies or e-commerce goods, mainly because it is unlikely that a user will watch a movie or buy the very same product again. On job recommendation instead it is very likely that when a user views a job posting once, he will return to that same offering to compare it with others, or to apply for an interview.

Our approach consists of an ensemble of many different recommendation algorithms. Ensemble theory states that the more the algorithms are diverse and can learn different relations in the data, the better is the performance of the ensemble [5, 6]. Figure 1 presents an outlook of the layers of our ensemble solution. Algorithms are represented by solid-line rectangles, while ensembles by dashed-line rectangles. The arrows shows the ensemble flow. We used collaborative filtering (CF) algorithms, content-based (CB) algorithms, past interactions, past impressions and the baseline. Two ensembling methods were used: linear ensemble and evalua-

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RecSys '16, September 15 - 19, 2016, Boston, MA, USA

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DOI: http://dx.doi.org/10.1145/2959100.2959136

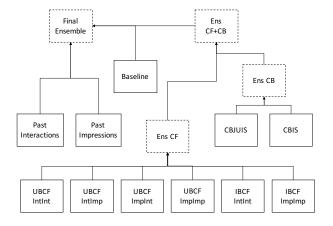


Figure 1: Ensemble Stack.

tion score ensemble. At the lowest level, we create an ensemble of algorithms exploiting the same technique: for example we merged all the collaborative algorithms together and all the content based algorithms together, eventually combining them in a single ensemble (CF+CB). For the final submission we created an ensemble merging the past interactions, past impressions, CF+CB and the baseline, thus combining very different techniques and empowering our final ensemble. The rest of the paper is organized as follows: Section 2 presents the dataset and the competition organization, including the evaluation methodology. The algorithms will be presented in Section 3, while the ensembling methods in Section 4. Finally Section 5 present the results and draws some insight for the job recommendation domain.

2. PROBLEM DEFINITION

The dataset provided is a subset of the interactions of the XING users in a time span of 12 weeks. The (hidden) test set is relative to the positive interactions (click, bookmark, reply) of the test users during the week immediately following the training set. The data provided for the competition consisted in:

 \mathcal{U} : 1.5M records of users and their features.

 \mathcal{I} : 1.3M records on items and their features.

 \mathcal{A} : 10.1M records on users and the job offerings that the XING recommender system showed the user during the training set period, grouped by week.

B: 8.8M records on users and their interactions with job offerings over the training period.

 $C = C_U \cup C_I$: The set of the concepts (~ 100 k) relative either to the users (C_U) or to the items (C_I).

The test set consists of 150k users that were all present in \mathcal{U} , but not all of them were also present in \mathcal{A} or in \mathcal{B} or in both. The task of the competition is to provide, for each user, an ordered list of at most 30 recommended items. The evaluation metric for the challenge combines different metrics like *precision at k*, *recall* and *user success*. We point to [1] for more details about the dataset, the evaluation and the general competition organization.

3. ALGORITHMS

3.1 Collaborative Filtering

We created a total of 6 collaborative filtering models: 4 User Based (UBCF) Collaborative Filtering , and 2 Item Based Collaborative Filtering (IBCF) . All of the methods consider every positive interaction as an implicit rating (sig-nal) of the user's interest in a particular job. However we converted this implicit signal to an explicit rating as detailed below:

$$r_{ui} = \begin{cases} 0 \text{ if user } u \text{ did not interact with item } i \\ \log \left(\frac{\text{total } \# \text{ of interactions}}{\# \text{ of interactions with job } i} \right) \text{ otherwise} \end{cases}$$
(1)

3.1.1 User Based Collaborative Filtering

Once the rating function is established, we can calculate the user-based similarity. In order to reduce the computational effort and to remove some noise from the datasets, we compute the similarity only between users that have at least a number of rated items above a fixed threshold z. We define the set \mathcal{U}_z as the set of all users with at least z ratings. Given two users u and w in \mathcal{U}_z we compute the user similarity as:

$$sim_user(u, w) = \frac{\sum_{i} r_{ui} r_{wi}}{\sqrt{\sum_{i} r_{ui}^2} \sqrt{\sum_{i} r_{wi}^2} + \beta}$$
 (2)

where the summations over i are calculated over the set of all Jobs that belong to the samples (impressions or interaction) on which we were computing the similarity. The shrink term β is used in order to give more importance to users that have a high number of co-rated items.

Having both impressions and interactions data we are able to create two different similarity measures between users, one interaction-based and one impression-based. The final recommendation for user u and item i is then calculated as the weighted average of the ratings given to item i of the top-K similar users to user u.

With two similarity measures (Int/Imp) and two different options for creating the user profile (Int/Imp), we are able to obtain four sufficiently different predictions for each user that could be mixed together to obtain a better recommendation. Table 1 reports the best parameters for each model.

3.1.2 Item Based Collaborative Filtering

As for the user-based approach, we define the set \mathcal{I}_z the set of items having at least z ratings. The similarity between two item i and j in \mathcal{I}_z is calculated as:

Table 1: User-Based and Item-based Collaborative Filtering model parameters.

Name	Similarity	Target	z	β	K
UBCF IntInt	Interaction	Interaction	6	7	500
UBCF IntImp	Interaction	Impression	6	7	500
UBCF ImpInt	Impression	Interaction	15	9	500
UBCF ImpImp	Impression	Impression	15	9	500
IBCF IntInt	Interaction	Interaction	15	7	500
IBCF ImpImp	Impression	Impression	10	7	500

$$sim_item(i,j) = \frac{\sum_{u \in \mathcal{U}} r_{ui} r_{uj}}{\sqrt{\sum_{u \in \mathcal{U}} r_{ui}^2} \sqrt{\sum_{u \in \mathcal{U}} r_{uj}^2} + \beta}$$
(3)

where β is the shrinkage factor. The predicted rating for an user u over an item i can then be estimated as the average of the ratings given by user u over the top-K similar items to i weighted by their similarity.

Differently from the user-based approach, the cross combinations IntImp and ImpInt did not yielded good results, so we decided to keep only the IntInt and the ImpImp variants. Table 1 reports the best parameters of the used models.

3.2 Content Based Algorithms

We have implemented two different content based algorithms, exploiting the similarity of the concepts of the items (CBIS) and the similarity of the concepts of users and items (CBJUIS).

3.2.1 Concept-Based Item Similarity

An item is described by a vector in a vector space model composed by its concepts present in the titles and tags of the job posting. We decided not to use other parameters like career level or region because in our analysis we could not find any strong correlation between the user's feature and the job's feature the user interacted with, for example we found top managers interacting with internships. We think this behaviour may be due to the fact that top managers are managers of small start-ups or they wanted to see how other companies hire people. Each element of the vector represents the importance of the feature that we calculated as the IDF [3] thus:

$$w_{ci} = \begin{cases} 0 \text{ if item } i \text{ does not have concept } c \\ \log \left(\frac{|\mathcal{C}_I|}{\# \text{ of items having concept } c} \right) \text{ otherwise} \end{cases}$$
(4)

The similarity between two items i and j is then simply defined as the cosine similarity between the two items vector:

$$sim_item(i,j) = \frac{\sum_{c \in \mathcal{C}} w_{ci} w_{cj}}{\sqrt{\sum_{c \in \mathcal{C}} w_{ci}^2} \sqrt{\sum_{c \in \mathcal{C}} w_{cj}^2 + \beta}}$$
 (5)

where β is the shrinkage factor. Differently from the CF, for the prediction we used the non weighted average of the similarities of the top 30 similar items to the target item. We set the parameter β to 9.

3.2.2 Concept-Based Joint User-Item Similarity

We use the concept-based vector space model to represent both users and items in terms of their concepts. A user (document), will be represented by a vector UF of concepts that appeared in the jobs they interacted with in the past. Each element of the vector corresponds to the weight (or importance) of that specific concept for the current user. To calculate these vectors we used TF-IDF normalized weights, calculated as:

$$UF(c, u) = TF_U(c, u) \cdot IDF_U(c)$$
(6)

$$TF_U(c, u) = \frac{\sum_i b_{uic}}{\sum_i b_{ui}}$$
 (7)

$$TF_{U}(c, u) = \frac{\sum_{i} b_{uic}}{\sum_{i} b_{ui}}$$
(7)
$$IDF_{U}(c) = \log(\frac{\# \text{ users } \in \mathcal{B}}{\# \text{ users } \in \mathcal{B} \text{ having concept } c})$$
(8)

where b_{uic} is 1 if the user u interacted with item i having concept c and 0 otherwise and b_{ui} is 1 if the user u interacted with item i and 0 otherwise.

A similar formula was used for the item-feature vector representation. In this case the item represents the document, and the feature represents the term. The difference is that the term-frequency part is binary.

$$IF(c,i) = TF_I(c,i) \cdot IDF_I(c)$$
(9)

$$TF_I(c,i) = \begin{cases} 1 & \text{if item } i \text{ has concept } c \\ 0 & \text{otherwise} \end{cases}$$
 (10)

$$TF_{I}(c, i) = \begin{cases} 1 & \text{if item } i \text{ has concept } c \\ 0 & \text{otherwise} \end{cases}$$

$$IDF_{I}(c) = \log\left(\frac{|\mathcal{I}|}{\# \text{ of items having concept } c}\right)$$
(11)

Once we have built the vectors for both users and items, we can proceed with calculating the similarity between each pair of user-item. In order to calculate the similarity between user u and item i we used the cosine between the angles formed by their vectors UF_u and IF_i . Once the similarities for each user-item pair are computed, we sort these similarities for each user u in decreasing order and recommend the first 30 items.

3.3 **Past Interactions**

Differently from other domains, for job recommendation it makes sense to recommend already seen items, since users are likely to re-interact with past items for example to review the job description. In order to take into account this information, we processed the past interaction with a filtering and an ordering step. We filtered out all the items whose latest interaction did not happened during the last 2 weeks of activity of each user. We also tried with different time windows, but the last two weeks were the best tradeoff between performance and the lowest number of items, so that it leaves more "space" for the other algorithms in the ensemble. Moreover we also did not take into account the "remove" interactions, since they do not constitute neither a positive nor a negative feedback. We then sorted all the items per descending interaction count, following the principle that the more times an item had been interacted with the more interesting it is for the user, since he had continuously got back to that job posting.

Past Impressions

Impressions, i.e. the output of the XING recommender, cannot be ignored, since they heavily bias the available choices of each user. This simple algorithm takes the last week of each user for which the data is available. We noticed that simply reordering these items in the list of recommendation led to very different results with a difference up to 50k

points. We tried many reordering methods, but the best performing one was to sort the items for each user using the Concept based joint user-item similarity (See Section 3.2.2).

Baseline

This algorithm was provided by XING and slightly tweaked by us. For each item we compute a score, giving points for each item feature matching a user feature (like region, discipline, industry). This algorithm lead to poor results, it was used mainly to fill those recommendations that our algorithms were not able to provide.

4. **ENSEMBLING METHODS**

We chose to create an ensemble of the previous algorithms using a multi-stack ensemble technique [7], where we created a hierarchy of hybrid models in order to exploit the best out of each single learner we had. Each ensemble in the stack uses a voting-based method combined with a reduce function in order to build the hybrid recommendation, as detailed below:

$$s_{aui} = f_E(\operatorname{rank}_{aui}, \Theta_E) \tag{12}$$

$$s_{Eui} = \sum_{a \in E} s_{aui} \tag{13}$$

$$rank_{Eui} = sort(s_{Eui}) \tag{14}$$

where $a \in E$ is an algorithm in the ensemble E, s_{aui} is the score assigned to item i of user u for algorithm aby the scoring function f_E dependent on the parameters of the ensemble Θ_E . s_{Eui} is the final score for each item i of the user u for the ensemble E. rank_{Eui} is the final rank of each item i for the user u calculated by the sort function that sorts the items in descending s_{Eui} order and takes the top 30 items. If an algorithm provides less than 30 recommendations, the remaining part of the list is filled with lower priority algorithms.

Our idea is that if an item is recommended by more than one different technique it has higher probability to be a good recommendation.

Hereafter, we will describe the different voting techniques that we implemented in order to assign a score to each element of the algorithms inside the stack. Table 2 reports the name of the algorithm produced by the ensemble together with the used parameters.

Linear Ensemble

In the linear ensemble we used two per-algorithm parameters: the weight w_a of the algorithm a and the decay d_a of algorithm a. The score s_{aui} is calculated as:

$$s_{aui} = w_a - \operatorname{rank}_{aui} \cdot d_a \tag{15}$$

We used integers for w_a in order to establish a priority over the algorithms, while d_a has a very low value (in the order of magnitude of 10^{-3}), so that it does not change the ordering between algorithms with the same w_a . d_a is then used as an *interleaving factor* that allows to interleave the recommendations of algorithms with the same priority (same weight w_a). We set d_a proportionally to the public leaderboard score of algorithm a. This ensemble method is used for Ens CB, Ens CF+CB and for the Final Ensemble.

Table 2: Parameters and public leaderboard sco	res
l_a for each algorithm and ensemble.	

Ens. Name	Algorithm	Ens. Type	w_a	d_a	l_a
CF	UBCF IntInt	Eval	.0339	NA	108k
	UBCF IntImp	Eval	.0322	NA	103k
	UBCF ImpInt	Eval	.0238	NA	91k
	UBCF ImpImp	Eval	.0408	NA	156k
	IBCF ImpImp	Eval	.0314	NA	121k
	IBCF IntInt	Eval	.0300	NA	95k
СВ	CBJUIS	Lin	1	.001	128k
	CBIS	Lin	1	.0015	102k
CF+	Ens CF	Lin	2	.001	180k
СВ	Ens CB	Lin	2	.0015	140k
Final	Ens CF+CB	Lin	3.98	.001	250k
	P. Interactions	Lin	4	.001	230k
	P. Impressions	Lin	4	.001	400k
	Baseline	Lin	.1	.0001	46k
	Final				622k

4.2 Evaluation Score Ensemble

The Evaluation Score ensemble assigns to each item in the recommendation list a score that reflects the maximum score that can be obtained using the provided evaluation metric by recommending a relevant item in that particular position.

$$s_{aui} = w_a \cdot e(\operatorname{rank}_{aui}) \tag{16}$$

where $e(\operatorname{rank}_{aui})$ is defined as:

$$e(\operatorname{rank}_{aui}) = \begin{cases} 37.83, & \operatorname{rank}_{aui} \in [1, 2] \\ 27.83, & \operatorname{rank}_{aui} \in [3, 4] \\ 22.83, & \operatorname{rank}_{aui} \in [5, 6] \\ 21.17, & \operatorname{rank}_{aui} \in [7, 20] \\ 20.67, & \operatorname{rank}_{aui} \in [21, N] \end{cases}$$
(17)

For determining the weights w_a we defined the score density ratio as the ratio between the leaderboard score and the total number of recommended items:

$$w_a = \frac{l_a}{n_a} \tag{18}$$

where n_a is the number of items recommended by algorithm a and l_a is the public leaderboard score for algorithm a. We use this ensemble method for the Ens CF.

5. RESULTS AND CONCLUSIONS

Table 2 shows the public leaderboard score for every single algorithm and ensemble of our method. The ordering of past impressions and interactions already provides good results, therefore from every other algorithm we excluded the items that were present either in the past interaction or in the past impressions for each user. In this way the recommendations would have been different in each of our methods, thus giving more diverse information to the ensembling algorithm. This is the reason for the relatively low performance of collaborative and content algorithms: they do not contain the items that the user is more likely to interact with. Without any filtering their scores are much higher.

We can observe that any ensembling method is effectively exploiting the differences in the algorithms, always delivering better performance. Taking Ens CF as an example, it scores 180k compared to the best performance of the best CF algorithm, i.e. 156k. The Evaluation Score ensembling method (Eval) was used only in the Ens CF: this can be explained by the fact that CF algorithms' confidence in recommendations degrades pretty fast and a linear ensemble is not able to weight them in the proper way. The linear ensembling (Lin), instead, has been proven the best for the other ensembles: by controlling the weight and the decay it basically produces an interleaving with priority: an higher weighted algorithm is recommended before a lower priority one, while maintaining its internal ordering. Two equally weighted algorithms, instead, are interleaved proportionally to their decay ratio: this is the case of the Final Ensemble, where interactions and impressions have the same decay and weight, so the final ensemble will interleave an item from the past impressions and an item from the past interactions. Of course, if an item is present in more than one algorithm contributing to the ensemble, this is pushed higher in the recommendation list.

Xing claims that its algorithm can score much better on the same data of the competition. However, the evaluation introduces a bias that underestimates the proposed algorithms. The introduced bias is relative to the impressions: of course it is very likely that a user clicks on items that are recommended by the Xing recommender, as this is the main way for users to interact with the system. This fact imposes a bias on the ground truth, because it is very likely to be a subset of Xing recommendations: we believe that evaluating the algorithms proposed by different teams in an online setting would improve the reported performances, since the users are presented with the actual recommendations. The way in which the evaluation has been carried out, instead, promotes the algorithms that learn which are the best items among the ones recommended by the Xing platform. Thus any comparison with the Xing recommender is penalized.

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