

UNIT-1

* Classical Substitution

↳ Caesar cipher

Using key (3)

Encryption (+3)

TEST \Rightarrow WHVW

Decryption (-3)

WHVW \Rightarrow TEST

* PLAYFAIR

i) Fill the key without repetition (MONARCHY)

ii) Backup \Rightarrow For same letter can use 'X'

BA/LX/LO/ON

| | | | | |
|-----|---|---|-----|---|
| M | O | N | (A) | R |
| C | H | Y | (B) | D |
| E | F | G | I/J | K |
| (L) | P | Q | S | T |
| U | V | W | (X) | Z |

iii) Next fill remaining alphabets

\Rightarrow if the letter are in same row or same column
Select the next letter in row or column

IB/US/PM/NA

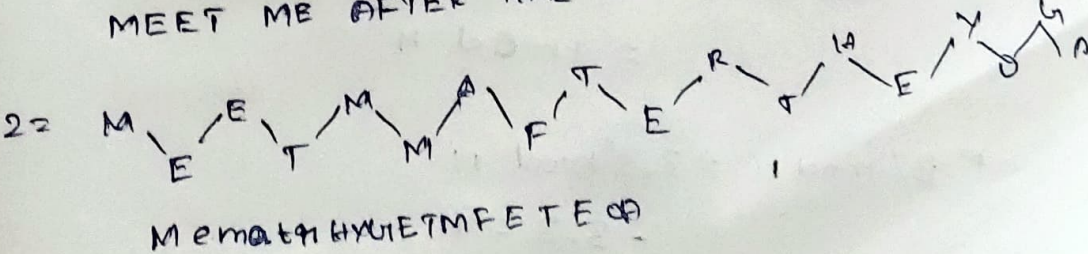
\Rightarrow letter are in another row or column select nearby

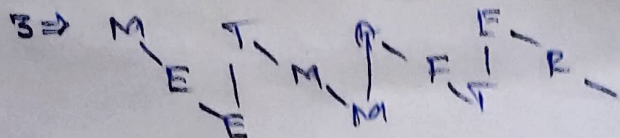
letter L \Rightarrow U X \Rightarrow S

* TRANSPOSITION CIPHER

Rail Fence cipher

MEET ME AFTER THE YOU





* Row transposition cipher

ATTACK POSTPONE CB UNTILL

key: 4 3 1 2 5 6 7

A T T A C K P

O S T P O N E

D U N T I L L

W O M A N 2

re-arrange the according key

\Rightarrow 15M (DES) or (AES)

UNIT - II

Euler-phi-Function

$$\phi(1) = 1$$

$$\phi(p) = p-1, \text{ if } p \text{ is prime}$$

$$\phi(m \times n) = \phi(m) \times \phi(n)$$

$$\phi(p^e) = p^e - p^{e-1}, \text{ if } p \text{ is prime}$$

Fermat Version

$$i) a^{p-1} \equiv 1 \pmod{p} \quad ii) a^p \equiv a \pmod{p}$$

$$* 6^{10} \pmod{11} \Rightarrow 6^{11-1} \pmod{11} = 1 \pmod{11}$$

$$* 3^{12} \pmod{11} = 3 \cdot 3^{11} \pmod{11} = 3 \cdot 3 = 9$$

⇒ multiplicative inverse

$$8 \overline{) 11} = 1$$

$$\begin{array}{r} 8 \\ \underline{8} \\ 3 \end{array} \overline{) 8} = 2$$

$$\begin{array}{r} 2 \\ \underline{2} \\ 0 \end{array} \overline{) 3} = 1$$

$$11 = 8(1) + 3$$

$$8 = 3(2) + 2$$

$$3 = 2(1) + 1$$

⇒ Chinese remainder theorem

$$x \equiv a_1 \pmod{m_1}$$

$$x \equiv a_2 \pmod{m_2}$$

$$x \equiv a_k \pmod{m_k}$$

① ⇒ Find M

$$M = m_1 \times m_2 \times m_3$$

$$② \Rightarrow M_1 = \frac{M}{m_1} \quad M_2 = \frac{M}{m_2} \quad M_3 = \frac{M}{m_3}$$

③ ⇒ multiplicative inverse M_i^{-1}

$$④ \Rightarrow x \equiv (a_1 \times M_1 \times M_1^{-1}) + (a_2 \times M_2 \times M_2^{-1}) \pmod{M}$$

⇒ order of group, primitive roots

⇒ Diffie-Hellman

⇒ RSA

• $p, q \in \mathbb{Q}$ prime

• $n = p \cdot q$

• $\phi(n) = \phi(p) \cdot \phi(q) = (p-1)(q-1)$

• $\gcd(e, \phi(n)) = 1$

$1 < e < \phi(n)$

• $d \cdot e \equiv 1 \pmod{\phi(n)}$

$d = e^{-1} \pmod{\phi(n)}$

Public (e, n) Private (d, n)

Encryption $\Rightarrow c = m^e \pmod{n}$

Decryption $\Rightarrow m = c^d \pmod{n}$

⇒ Quadratic residue

UNIT - III

- * Hash function
- * Application
- * properties of Hash function
- * MD5
- * SHA

UNIT - IV

- * Kerberos
- * X.509
- * E-MAIL
 - POP
 - S/MIME
- * IP security

UNIT - V

- ⇒ WORMS
- ⇒ VIRUSES
- ⇒ FIREWALL

2m or 7m

SSO, DOS, IP security, etc.