

# Improved Lossless Compression with Adaptive Prediction

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## 1 Core Idea

This project enhances a baseline lossless compression algorithm. The original method uses simple **inter-column differencing** (comparing a pixel only to its left neighbor) and a static **Canonical Huffman code table** to compress the difference.

The **improvement** was to replace this simple predictor with a more powerful, adaptive predictor: the **Median Edge Detection (MED)** predictor, which is used in the JPEG-LS standard.

## 2 The Improvement: Adaptive MED Predictor

The simple predictor ( $D = p(i, j) - p(i, j - 1)$ ) is not very efficient on images with vertical edges or complex textures.

The **MED predictor** is smarter. To predict the current pixel  $p(i, j)$ , it looks at its three neighbors:

- $A$ : The pixel to the left.
- $B$ : The pixel directly above.
- $C$ : The pixel to the upper-left (diagonal).

It then uses these three values to make an intelligent guess ( $p_x$ ) that "detects" and follows edges:

$$p_x = \begin{cases} \min(A, B) & \text{if } C \geq \max(A, B) \text{ (detects vertical edge)} \\ \max(A, B) & \text{if } C \leq \min(A, B) \text{ (detects horizontal edge)} \\ A + B - C & \text{otherwise (smooth area)} \end{cases}$$

This prediction is much more accurate, so the *error* (or "residual")  $R = p(i, j) - p_x$  is much smaller. Compressing these smaller, more-centered residuals leads to a better compression ratio.

## 3 Updated Methodology

The algorithm's 3-stage process was modified to support this new predictor:

1. **Offline Training:** The static Huffman code table is now built from the frequencies of **MED residuals** calculated from the training images.
2. **Encoding:**
  - The algorithm calculates the MED residuals for the input image.
  - It encodes these residuals using the pre-built Huffman table.
  - **Crucially, it adds a 1-byte "predictor flag"** to the start of the compressed file. This flag tells the decompressor that the file was compressed using MED.
3. **Decoding:**

- The decompressor first reads the 1-byte predictor flag.
- Seeing that MED was used, it decodes the residuals from the bitstream.
- It then perfectly reconstructs the image by applying the MED formula in reverse:  $p(i, j) = p_x + R$ .

## 4 Results and Analysis

The performance of the baseline algorithm (Inter-column differencing) and the improved algorithm (Median Edge Detection) were directly compared by compressing the same validation image, `FLIR_08863.tiff`. The training phase for both methods used the same 53 training images.

### 4.1 Performance Comparison

The key metrics from the validation test are summarized in Table 1.

Table 1: Compression Performance Comparison for <code>FLIR_08863.tiff</code>		
Metric	Base Paper (Inter-column)	Improved Paper (MED)
<b>Phase 1: Training</b>		
Analyzed Images	53	53
Generated Code Table Entries	303	303
<b>Phase 2: Validation</b>		
Processing File	FLIR_08863.tiff	FLIR_08863.tiff
Original Size	316,186 bytes	316,186 bytes
<b>Compressed Size</b>	<b>215,379 bytes</b>	<b>205,238 bytes</b>
<b>Compression Ratio</b>	<b>1.47:1</b>	<b>1.54:1</b>
<b>MSE</b>	<b>0.000000 (LOSSLESS)</b>	<b>0.000000 (LOSSLESS)</b>

### 4.2 Analysis and Conclusion

The results in Table 1 clearly show that the **improved paper (MED) is superior**.

- **Higher Compression:** The improved MED-based method achieved a **1.54:1** compression ratio, which is measurably better than the baseline’s **1.47:1** ratio. This resulted in a compressed file that is over 10,000 bytes smaller (205,238 vs. 215,379 bytes) for the same input image.
- **Why it’s better:** This improvement is because the MED predictor is ”smarter” than simple inter-column differencing. It adapts to local image features like edges, resulting in more accurate predictions. More accurate predictions create smaller, more-centered residuals (errors), which have lower entropy and can be compressed more efficiently by the Huffman encoder.
- **Perfectly Lossless:** Both methods remain **fully lossless**, achieving a Mean Squared Error (MSE) of **0.0**.

In conclusion, by integrating a more intelligent, adaptive predictor, the algorithm’s compression efficiency was significantly improved while retaining the high speed and perfect reconstruction of the original method.

## Code Availability

Both the base paper implementation and the improved version are available at:

<https://github.com/ADVAYA1/Image-Compression>