# MSE491: Application of Machine Learning in Mechatronic Systems

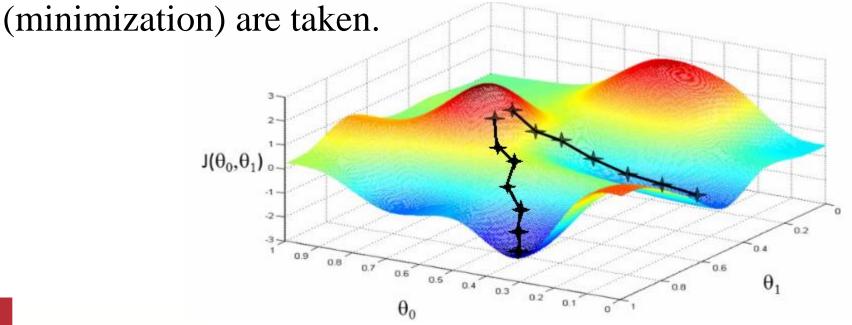
**Types of Gradient Descent** 

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## Gradient descent

In gradient descent the step taken goes in the direction of the steepest descent/ascent, a direction given by the gradient of the function.

In the figure below, the journey starts at two locations on top of the hill and each two descent paths



# Gradient descent



### Types of Gradient Descent

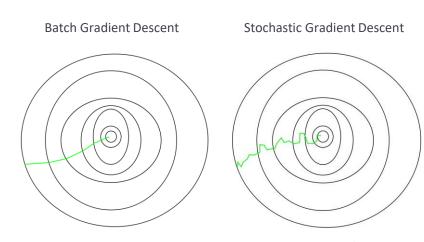
- Typically, there are three types of Gradient Descent:
  - Batch Gradient Descent (discussed before)
  - Stochastic Gradient Descent (SGD)
  - Mini-batch Gradient Descent

### Stochastic Gradient Descent (SGD)

- SGD uses only a single sample to perform each iteration, i.e., a batch size of one.
- The sample is randomly shuffled and selected for performing the iteration.

#### **Sudo code for SGD:**

Shuffle (m samples)
for i in range (m):  $\theta_j = \theta_j - \alpha (h_\theta(x^{(i)}) - y^{(i)}).x_j^{(i)}$ 



### Stochastic Gradient Descent (SGD)

Pros and cons:

### Mini-batch Gradient Descent

### Approach:

Step 1: the whole set of training examples is divided to *t* groups ( *t* mini-batches).

Step 2: Using a for loop, the GD formula is executed on all mini-batches (one minibatch in each iteration), that is in each iteration the cost function is executed for only one mini-batch. Also,  $\theta_j$ 's are updated.

Step 3: When the process is executed for all mini-batches (the whole training set), one epoch is done.

#### **Sudo code for mini-batch GD:**

Shuffle (m samples)

Divide the training set to t mini-batches

for i in range (t): # t is the number of mini-batches - Compute the cost function J -Update  $\theta_j's$  end