

191IT234_Niraj_Nandish

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1 Lab Week 2

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1.0.2 Roll no.: 191IT234

1.0.3 Semester: 3

```
[2]: # Import all required libraries
import numpy as np                # Contains built-in
    ↪ functions to work on arrays
import matplotlib.pyplot as plt  # Used to plot graphs
from scipy.integrate import quad as integrate # Used directly to
    ↪ integrate functions with limits
import sounddevice as sd         # Used to record audio
    ↪ input from user
```

1.1 Question 1

Generate the complex-valued signal $x(n) = \exp(-0.1 + j0.7)n$, $-15 \leq n \leq 15$, and plot its magnitude, phase, the real part, and the imaginary part in four separate subplots.

```
[2]: n = np.arange(-15,15,0.1)
x = np.exp(n*(-0.1 + 0.7j))

mag = np.absolute(x)
phase = np.angle(x)
real = np.real(x)
imag = np.imag(x)

fig, ax = plt.subplots(2,2, figsize=(15,10))

# Magnitude
ax[0,0].plot(n, mag);
ax[0,0].set(xlabel='n', ylabel='|x(n)|')
ax[0,0].set_title('Magnitude of x[n]')
ax[0,0].grid(True)

# Phase angle
```

```

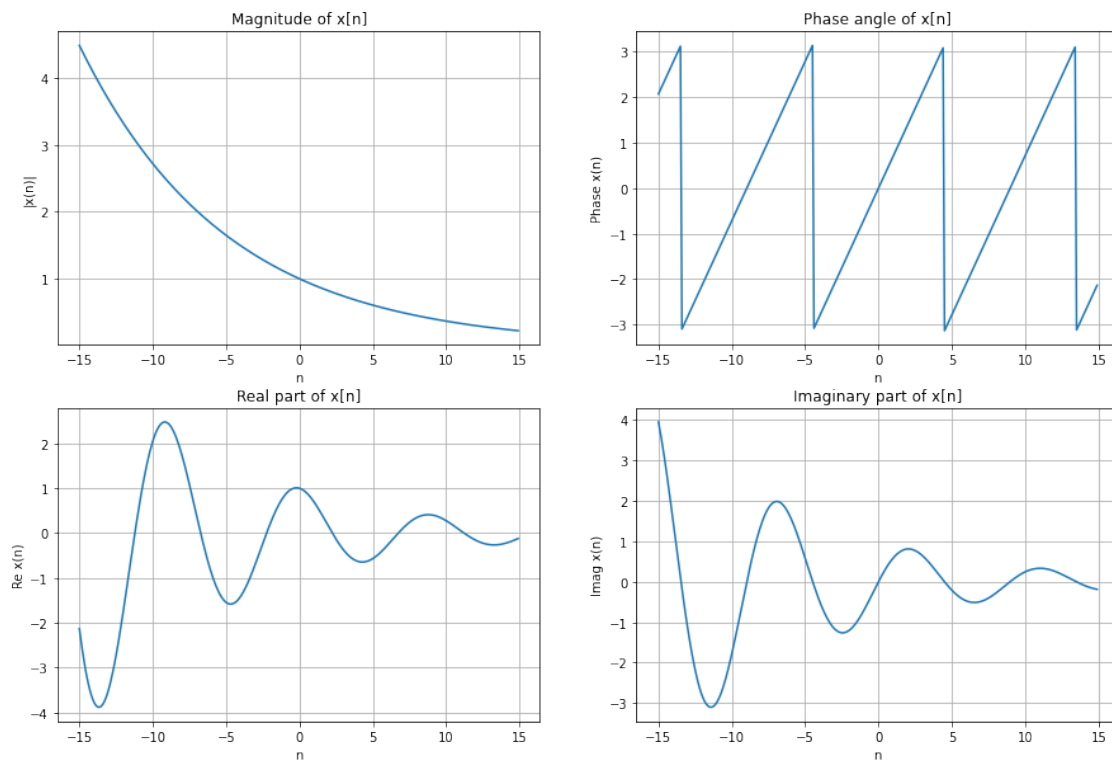
ax[0,1].plot(n, phase);
ax[0,1].set(xlabel='n', ylabel='Phase x(n)')
ax[0,1].set_title('Phase angle of x[n]')
ax[0,1].grid(True)

# Real part
ax[1,0].plot(n, real);
ax[1,0].set(xlabel='n', ylabel='Re x(n)')
ax[1,0].set_title('Real part of x[n]')
ax[1,0].grid(True)

# Imaginary part
ax[1,1].plot(n, imag);
ax[1,1].set(xlabel='n', ylabel='Imag x(n)')
ax[1,1].set_title('Imaginary part of x[n]')
ax[1,1].grid(True)

plt.show()

```



1.2 Question 2

Record 10 seconds of your speech with a microphone with different sampling rate (atleast 3) and plot the signal as a function of time.

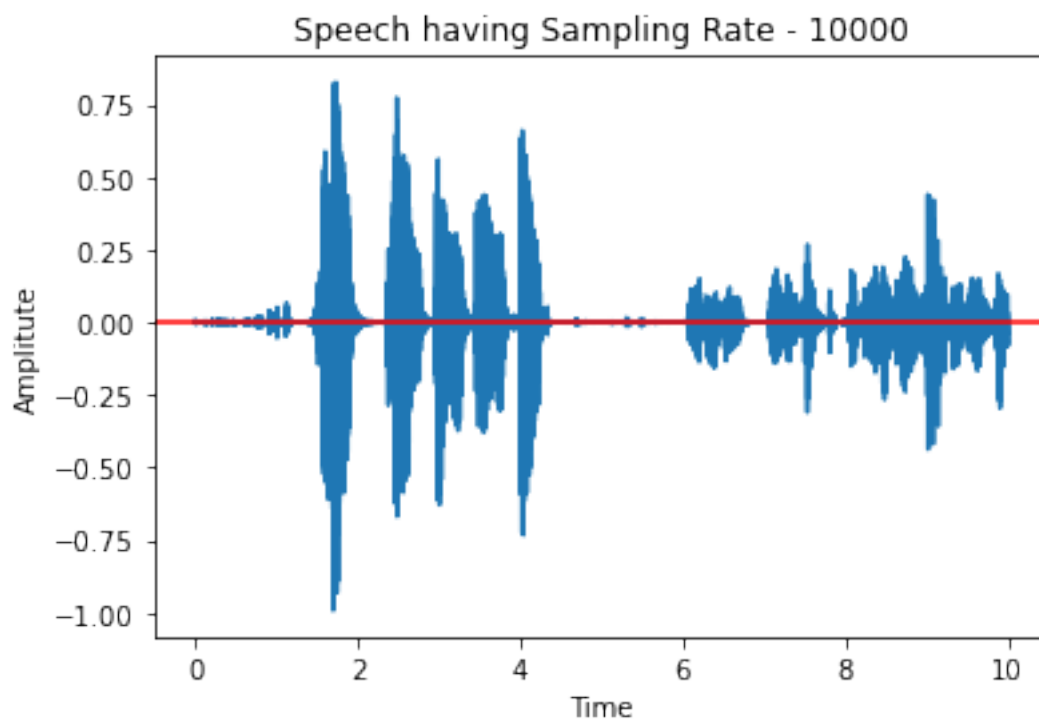
```
[3]: sec = 10;

for sample_rate in [10000, 25000, 50000]:
    print("Recording...")
    res = sd.rec(int(sample_rate*sec),sample_rate,1)
    sd.wait()
    print("Recording has stopped! Your signal:")
    time = np.arange(0,10,1/sample_rate)

    plt.plot(time,res)
    plt.axhline(y=0, color='r')
    plt.xlabel('Time')
    plt.ylabel('Amplitude')
    plt.title('Speech having Sampling Rate - {}'.format(sample_rate))
    plt.show()
```

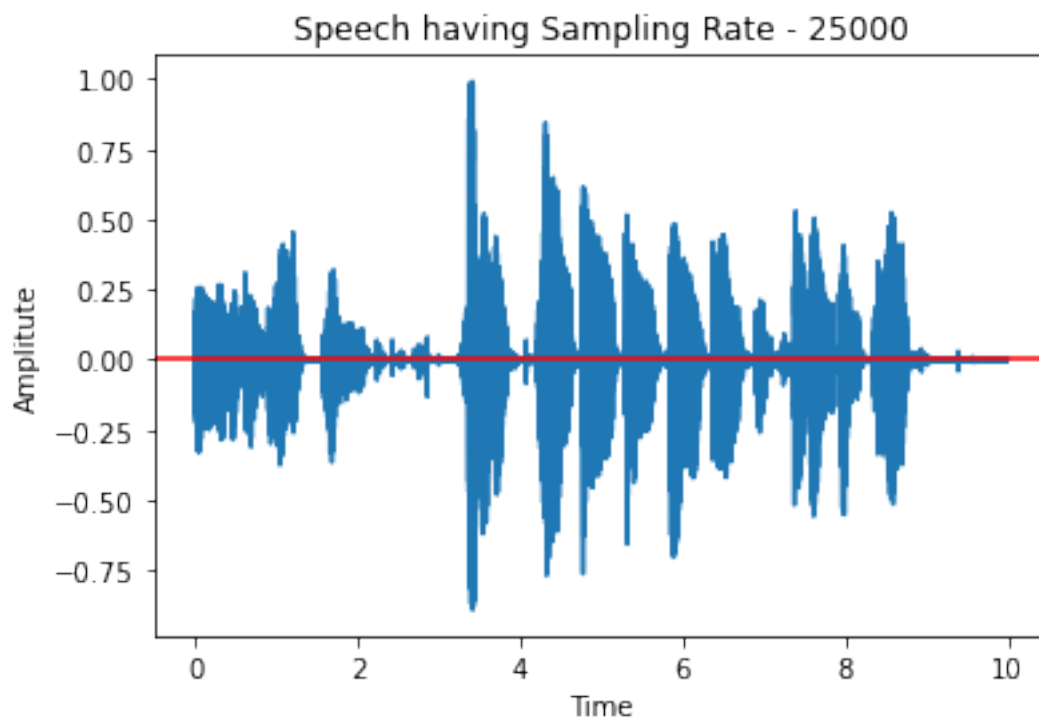
Recording...

Recording has stopped! Your signal:



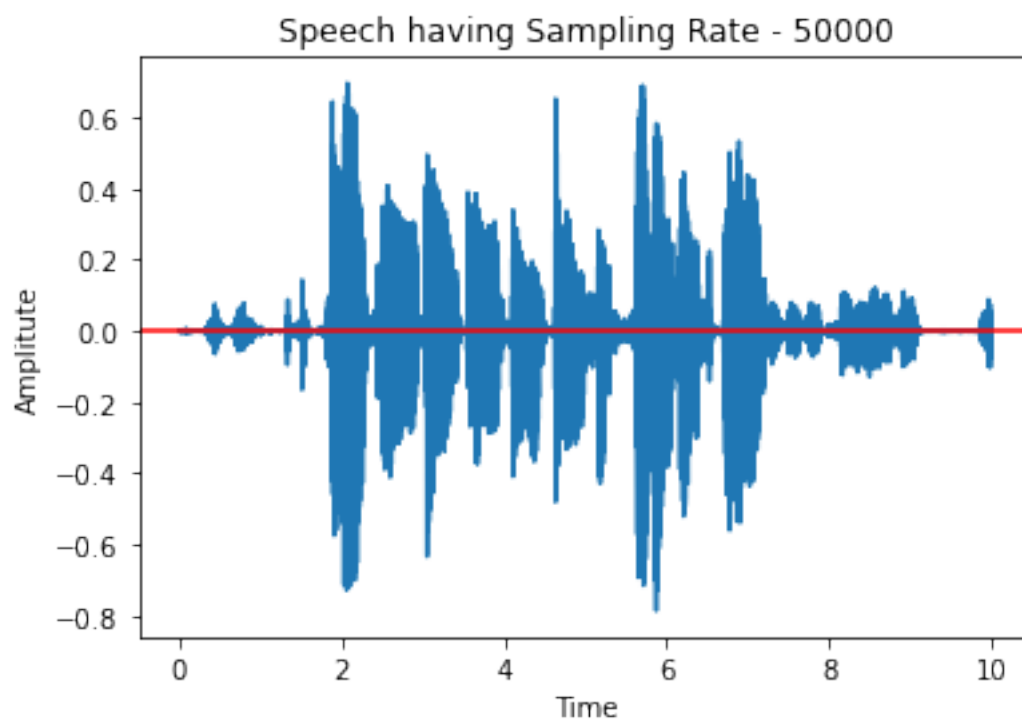
Recording...

Recording has stopped! Your signal:



Recording...

Recording has stopped! Your signal:



1.3 Question 3

```
[5]: # 1. Plot the discrete-time signal  $x[n] = \sin(0n)$  for the following values of  $n$ 
    ↪ 0:  $-29/8$  ,  $-3/8$  ,  $-1/8$  ,  $1/8$  ,  $3/8$  ,  $5/8$  ,  $7/8$  ,  $9/8$  ,  $13/8$  ,  $15/8$  ,  $33/8$  ,
    ↪ 8 , and  $21/8$  .
    ## a. Plot each signal for  $0 \leq n \leq 63$ .
    ## b. Label each graph with the frequency.
    ## c. Use the subplot function to plot four graphs per figure.

    time = np.arange(0,63,1)
    n = time*np.pi/8
    x1 = np.sin((-29)*n)
    x2 = np.sin((-3)*n)
    x3 = np.sin((-1)*n)
    x4 = np.sin(n)
    fig, ((ax1, ax2), (ax3, ax4)) = plt.subplots(2,2,figsize=(15,8))
    ax1.stem(time,x1,use_line_collection=True)
    ax1.set_title('-29 /8')
    ax2.stem(time,x2,use_line_collection=True)
    ax2.set_title('-3 /8')
    ax3.stem(time,x3,use_line_collection=True)
    ax3.set_title('-1 /8')
    ax4.stem(time,x4,use_line_collection=True)
    ax4.set_title('1 /8')

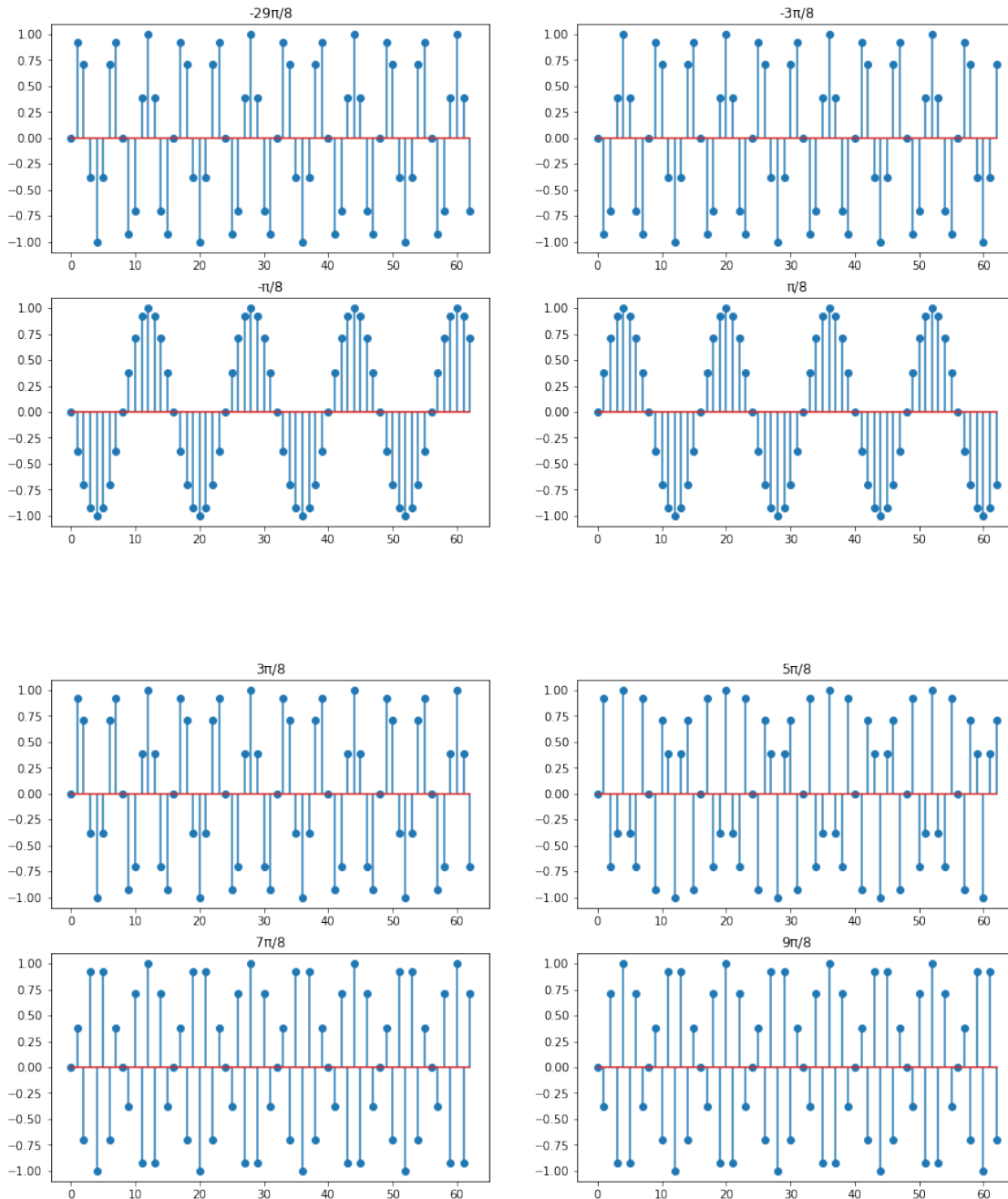
    x1 = np.sin(3*n)
    x2 = np.sin(5*n)
    x3 = np.sin(7*n)
    x4 = np.sin(9*n)
    fig, ((ax1, ax2), (ax3, ax4)) = plt.subplots(2,2,figsize=(15,8))
    ax1.stem(time,x1,use_line_collection=True)
    ax1.set_title('3 /8')
    ax2.stem(time,x2,use_line_collection=True)
    ax2.set_title('5 /8')
    ax3.stem(time,x3,use_line_collection=True)
    ax3.set_title('7 /8')
    ax4.stem(time,x4,use_line_collection=True)
    ax4.set_title('9 /8')

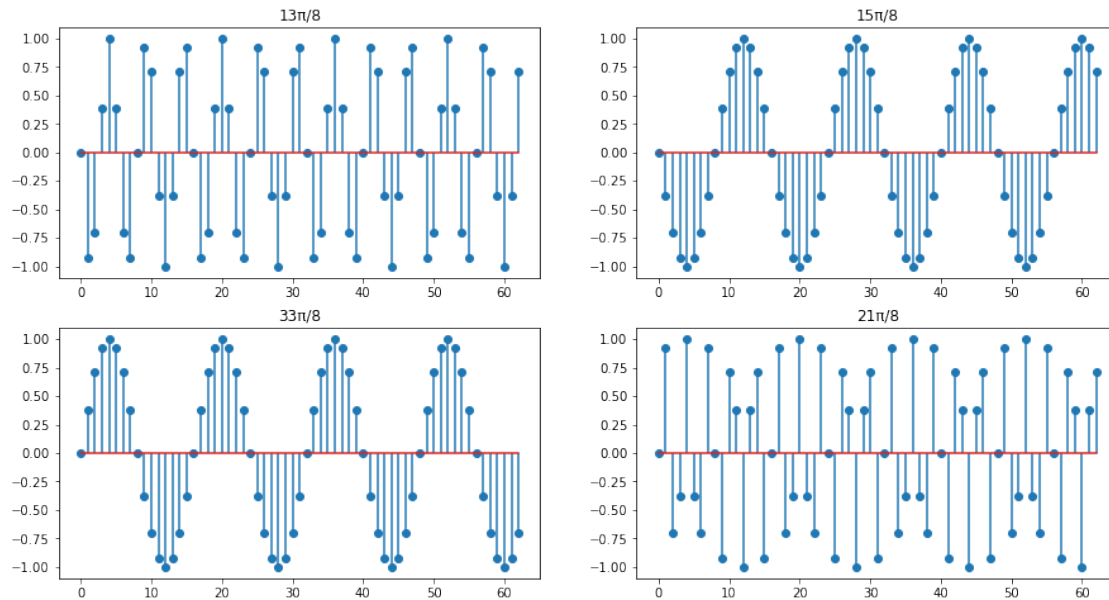
    x1 = np.sin(13*n)
    x2 = np.sin(15*n)
    x3 = np.sin(33*n)
    x4 = np.sin(21*n)
    fig, ((ax1, ax2), (ax3, ax4)) = plt.subplots(2,2,figsize=(15,8))
```

```

ax1.stem(time,x1,use_line_collection=True)
ax1.set_title('13 / 8')
ax2.stem(time,x2,use_line_collection=True)
ax2.set_title('15 / 8')
ax3.stem(time,x3,use_line_collection=True)
ax3.set_title('33 / 8')
ax4.stem(time,x4,use_line_collection=True)
ax4.set_title('21 / 8')
plt.show()

```

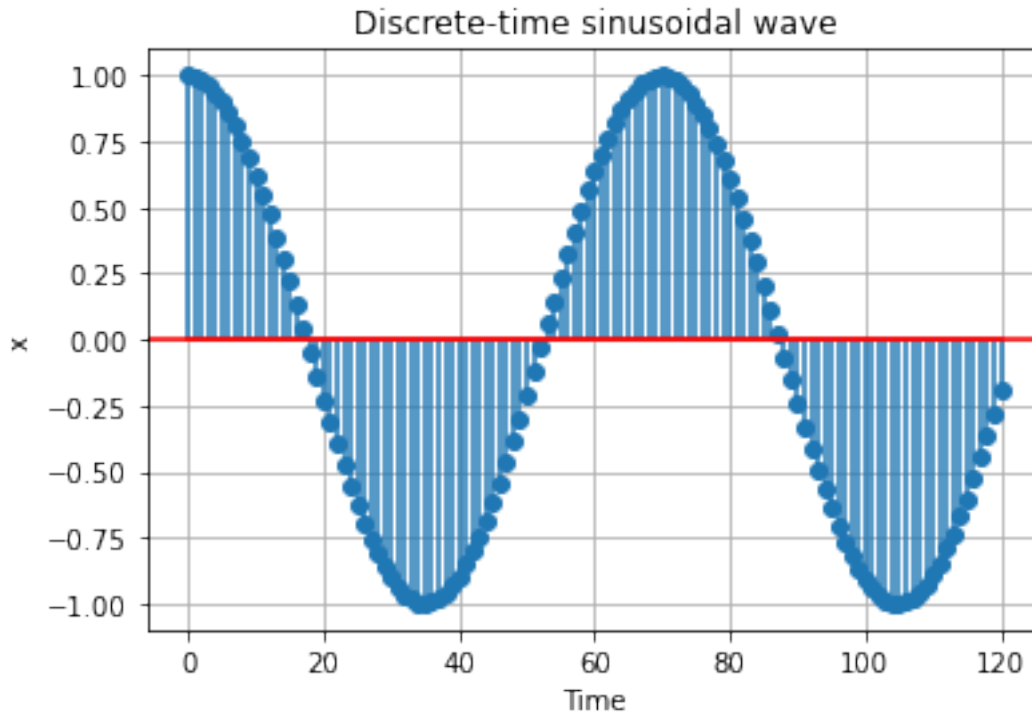




[3]: # 2. Plot Discrete-time signal $x[n] = \cos(0.09n)$ for $0 \leq n \leq 120$.
 # For your plot, turn the grid on and scale the axes using the python
 → statements grid

```
time = np.arange(0,121)
amp = np.cos(0.09*time)

plt.stem(time, amp, use_line_collection=True)
plt.grid(True)
plt.axhline(y=0, color='r')
plt.title('Discrete-time sinusoidal wave')
plt.xlabel('Time')
plt.ylabel('x')
plt.show()
```



1.3.1 3. Is this signal periodic? Explain.

Answer:

$x[n] = \cos(0.09n)$ is not periodic, as we need $x[n + N] = x[n] \quad n \in \mathbb{Z}$.
This follows that $x[n + N] = \cos(0.09n + 0.09N) \Rightarrow N = \frac{m \cdot 2\pi}{0.09}$ where $m \in \mathbb{Z}$.
Therefore N is not an integer and hence the signal is not periodic.

1.4 Question 4

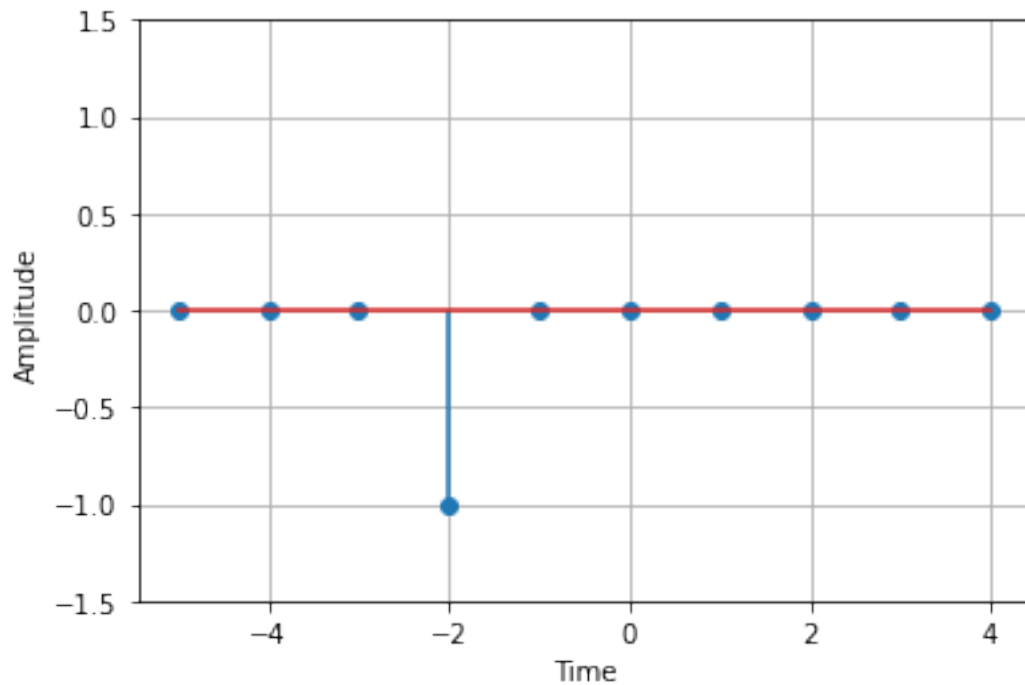
Consider an input $x[n]$ and a unit impulse response $h[n]$ given by $x[n] = (1/2)n \cdot 2^{-n} u[n-2]$; $h[n] = u[n+2]$.

Determine and plot the output $y[n] = x[n] * h[n]$

```
[7]: n = np.arange(-5,5,1)
u = np.where(n-2==0,1,0)
x = np.array(0.5*n - 2*u)
h = np.where(n+2==0,1,0)
y = x*h
plt.xlabel('Time')
plt.ylabel('Amplitude')
plt.stem(n,y,use_line_collection=True)
plt.grid(True)
plt.ylim([-1.5,1.5])
```



```
plt.show()
```



1.5 Question 5

Consider the following discrete-time signals with a fundamental period of 6:

$$x[n] = 1 - \cos((2/6)*n)$$

Determine the Fourier series coefficients. Plot the magnitude and phase of each coefficients.

```
[6]: n = np.arange(-5,5)
y = np.zeros(n.size)
y[4] = -0.5
y[5] = 1
y[6] = -0.5

fig, ax = plt.subplots(2)

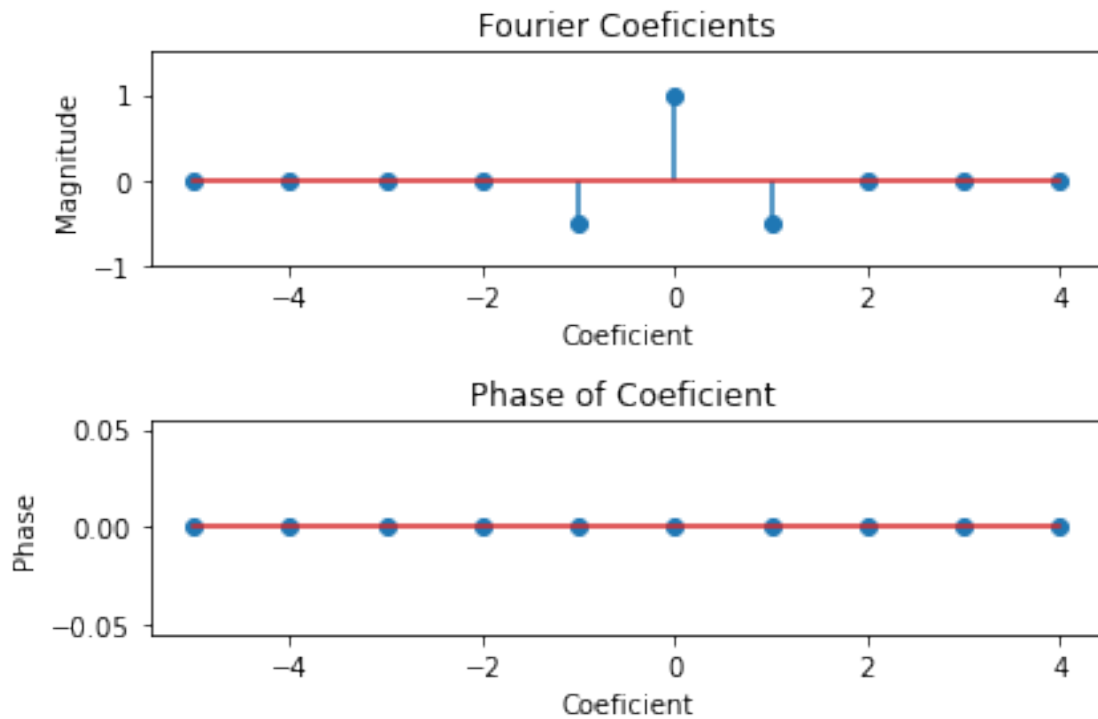
ax[0].stem(n, y, use_line_collection=True)
ax[0].set_xlabel("Coefficient")
ax[0].set_ylabel("Magnitude")
ax[0].set_title("Fourier Coefficients")
ax[0].set_ylim(-1,1.5)

y = np.zeros(n.size)
```

```

ax[1].stem(n, y, use_line_collection=True)
ax[1].set_xlabel("Coefficient")
ax[1].set_ylabel("Phase")
ax[1].set_title("Phase of Coefficient ")
plt.tight_layout()
plt.show()

```



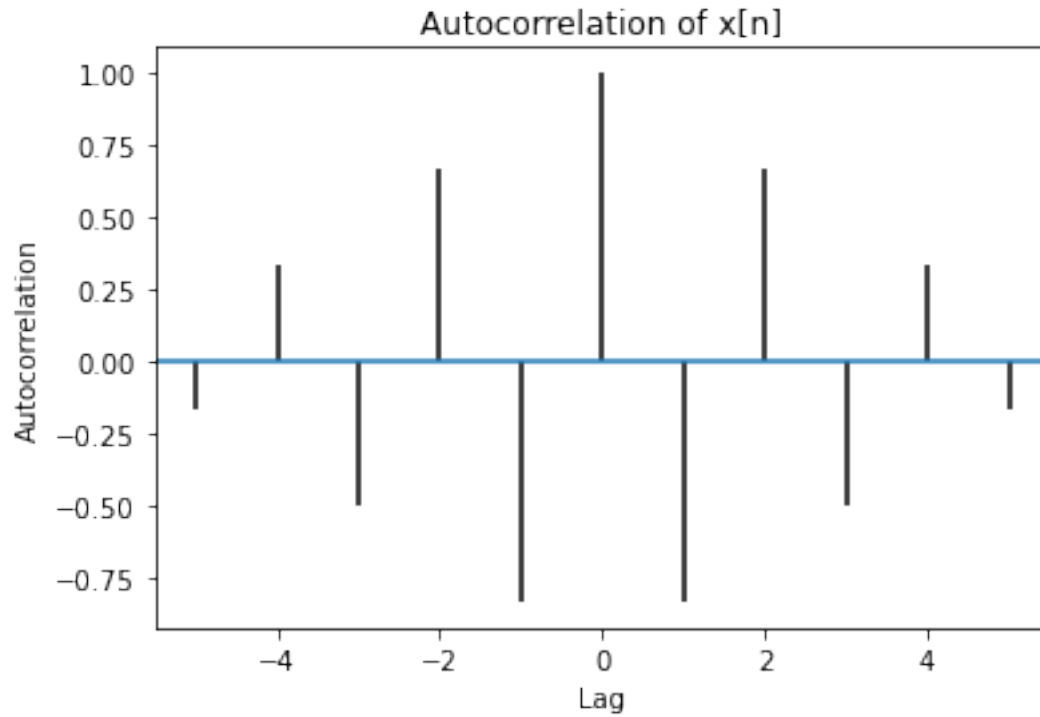
1.6 Question 6

[9]: # 1. Find the autocorrelation of $x[n] = [1, -1, 1, -1, 1, -1]$. Plot the output.

```

x = np.array([1.0, -1.0, 1.0, -1.0, 1.0, -1.0])
plt.acorr(x, maxlags=5)
plt.title('Autocorrelation of x[n]')
plt.xlabel('Lag')
plt.ylabel('Autocorrelation')
plt.show()

```



```
[10]: # 2. Find the cross correlation between two sequences x[n] and h[n]: x[n] = [1, 0, 2, 1]
      ↪ 0, 2, 1]; h[n] = [1, 1, 2, 1]

x = np.array([1.0, 0, 2.0, 1.0])
h = np.array([1.0, 1.0, 2.0, 1.0])
plt.xcorr(x, h, maxlags=3)
plt.title('Cross-correlation of x[n] & h[n]')
plt.xlabel('Lag')
plt.ylabel('Cross-correlation')
plt.show()
```

