# Blower door to ESP-r AIM-2 Inputs

This document is with reference to the AIM model and the required inputs to ESP-r. It is a result of confusion and conflicts in the existing documentation.

Four documents referenced to gain understanding are of the implementation are:

- Bradley, B. 1993. Implementation of the AIM-2 infiltration model in HOT2000. NRCan
- Beausoleil-Morrison, I. 2000. AIM-2 implementation in ESP-r. NRCan
- CAN/CGSB-149.10-M86. 1986. Determination of the airtightness of building envelopes by the fan depressurization method. Canadian General Standards Board.
- <a href="http://en.wikipedia.org/wiki/Orifice">http://en.wikipedia.org/wiki/Orifice</a> plate

#### 1 Air infiltration and blower door measurement

Air infiltration (the leakage of air in/out) of a house is a function of pressure differential and airtightness characteristics. The AIM-2 model has been suggested to assess these things and determine a flowrate and proportioning of infiltrating air to an ESP-r house model. AIM-2 considers both:

- Wind induced pressure differential caused by air velocities around the house thermal envelope
- Stack effect pressure differential caused by the buoyancy difference of the internal and external air temperatures

In Canada, the airtightness characteristics of a house are determined using a depressurization technique. This technique utilizes a fan to impose a pressure difference across the thermal envelope of the house, and measures the resulting air flowrate. This is completed according to CAN/CGSB-149.10-M86 (1986). The results of such a test are shown in the following table:

Table 1 Depressurization test on 72 Oceanic Dr., Lawrencetown Beach, NS, B2Z 1T6, 27/08/2009, volume of conditioned zone is 588 m<sup>3</sup>

Depressurization pressure (Pa)	Flowrate (m <sup>3</sup> /s)		
50.7	0.26		
45.7	0.23		
40.7	0.21		
35.9	0.19		
30.6	0.18		
25.2	0.16		
20.2	0.13		
13.3	0.09		

### 2 Flow coefficient and flow exponent

When these values are plotted, it may be seen that a power law profile consisting of a coefficient and exponent can be used to represent the function. The equation is:

$$Q = C_{\rm F} \Delta P^n$$

with flowrate  $Q\left(\frac{\mathrm{m}^3}{\mathrm{s}}\right)$ , flow coefficient  $C_\mathrm{F}\left(\frac{\mathrm{m}^3}{\mathrm{s}\,\mathrm{Pa}^n}\right)$ , pressure P (Pa), and flow exponent n. A simple power law curve was fit to the depressurization test data, and after manipulating the  $C_\mathrm{F}$  and n values, fit well. The values are shown in the figure.

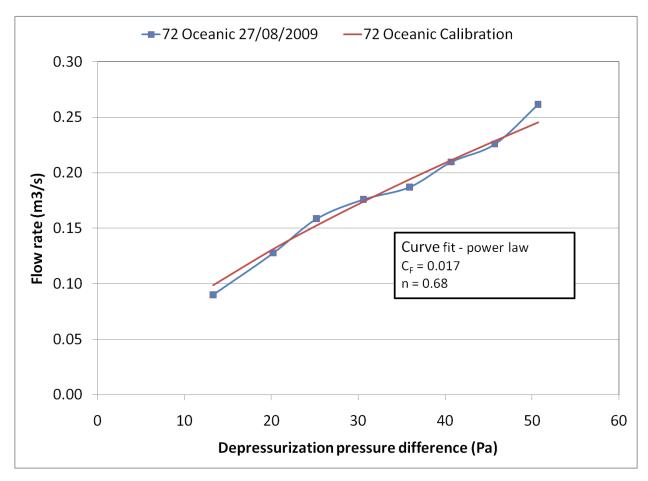


Figure 1 Depressurization results and applied power law curve fit to 72 Oceanic

The values of flow coefficient  $C_F$  and flow exponent n are required by AIM-2 for use in ESP-r. The functionality in ESP-r solves for the total wind induced and buoyancy pressure difference and applies the flow coefficient and flow exponent to determine the infiltration flowrate.

### 3 Common presentation of air infiltration results

However, instead of providing the flow coefficient and flow exponent values, the test method in Canada often calls for a presentation of the following:

- AC/h<sub>50</sub> (unitless) which is the number of air volume changes of the thermally conditioned zone in one hour at a pressure difference of 50 Pa (a very high value)
- ELA<sub>10</sub> (cm<sup>2</sup>)which is the effective leakage area of the thermal envelope at a pressure difference of 10 Pa (a more typical number)
- VOL (m³) is the volume of the thermally conditioned zone

## 3.1 Air changes per hour

Using the power law (with determined coefficients and exponents) the flowrate at 50 Pa pressure difference may be calculated. The AC/ $h_{50}$  is determined by dividing this flowrate by the house volume and converting from seconds to hours:

$$AC/h_{50} = \frac{Q_{50}}{VOL} \times \frac{3600 \text{ s}}{h}$$

#### 3.2 Estimated leakage area

The ELA<sub>10</sub> is more difficult to determine and requires reference to orifice flow. From Wikipedia: *By assuming steady-state*, <u>incompressible</u> (constant fluid density), <u>inviscid</u>, <u>laminar</u> flow in a horizontal pipe (no change in elevation) with negligible frictional losses, <u>Bernoulli's equation</u> reduces to an equation relating the conservation of energy between two points on the same streamline. Combining this with the continuity equation results in the following Wikipedia equation:

$$Q = A_2 \sqrt{\frac{1}{1 - (d_2/d_1)^4}} \sqrt{2 (P_1 - P_2)/\rho}$$

where area is A (in terms for this document ELA), diameter is d, and density is  $\rho$   $\left(\frac{\text{kg}}{\text{m}^3}\right)$  (see Wikipedia for more description).

In the treatment of a house, the diameter relationship becomes zero, and the orifice has a discharge coefficient  $C_D$  (unitless) which acts as a restriction coefficient that linearly impacts the flowrate Q.

Thus, the equation simplifies to:

$$Q = C_{\rm D} \, \text{ELA} \, \sqrt{\frac{2\Delta P}{\rho}}$$

As the intention is to determine the  $ELA_{10}$ , we can rearrange the previous equation, solving for ELA, and replacing Q with the power law equation.

ELA = 
$$\frac{C_{\rm F}\Delta P^n}{C_{\rm D}\sqrt{\frac{2\Delta P}{\rho}}} = \frac{C_{\rm F}\Delta P^{(n-0.5)}}{C_{\rm D}\sqrt{\frac{2}{\rho}}}$$

It may be shown by a unit analysis that ELA is in units of  $m^2$  and thus a conversion factor (10<sup>4</sup>) must be applied to achieve the units of  $cm^2$ . For housing efforts, the orifice discharge coefficient  $C_D$  is 0.611 (Bradley 1993)

#### 3.3 72 Oceanic example

For clarity, the AC/ $h_{50}$ , and ELA<sub>10</sub>, are calculated here for the 72 Oceanic house.

The house conditioned zone volume:  $VOL = 588 \text{ m}^3$ 

From the test data:  $C_F = 0.017 \frac{\text{m}^3}{\text{s Pa}^n}$ , n = 0.68

From the orifice discussion:  $C_D = 0.611$ 

Air density at standard temperature and pressure:  $ho = 1.2 \, rac{\mathrm{kg}}{\mathrm{m}^3}$ 

$$Q_{50} = C_{\rm F} \Delta P^n = 0.017 \; \frac{{\rm m}^3}{{\rm s \; Pa}^n} \times 50 \; {\rm Pa}^{0.68} = 0.243 \; \frac{{\rm m}^3}{{\rm s}}$$

$$AC/h_{50} = \frac{Q_{50}}{VOL} \times \frac{3600 \text{ s}}{h} = \frac{0.243 \frac{\text{m}^3}{\text{s}}}{588 \text{ m}^3} \times \frac{3600 \text{ s}}{h} = 1.49 \text{ h}^{-1}$$

$$ELA_{10} = \frac{C_{\rm F}\Delta P^{(n-0.5)}}{C_{\rm D}\sqrt{\frac{2}{\rho}}} = \frac{0.017 \frac{\rm m^3}{\rm s \, Pa^n} \times 10 \, \rm Pa^{(0.68-0.5)}}{0.611 \times \sqrt{\frac{2}{1.2 \, \frac{\rm kg}{\rm m^3}}}} = 0.0326 \, \rm m^2 \times \frac{10000 \, \rm cm^2}{\rm m^2} = 326 \, \rm cm^2$$

$$ELA_{10}$$

## 4 AIM-2 implementation in ESP-r

The \*.aim file holds the air infiltration characteristics of the house for use by the building simulation engine *bps*. The file is fixed format and the first two data lines are of interest for describing the information covered in this document. The following table describes the lines.

Table 2 Data lines of the \*.aim file

Data line	Line example	Notes
1	FileVersion 2	The word 'FileVersion' should be used with a value other than '0' to promote the read-in of the house infiltration characteristics. If it is not specified it will revert to old read-in. For function of each FileVersion
2	1 3 1.6 10 327 0.611	value, consult the source file /src/cetc/aim2_pretimestep.F  The first digit is the 'airtightness type', set this to 1 or 2 to read-in subsequent data
		The second digit is the 'blower door input' and key the remaining data line digits as listed in the next table

Table 3 Infiltration data line of the \*.aim file

	Data item					
1	2	3	4	5	6	Notes
1	1	$C_{\mathrm{F}}$	n			Version '1': simply specify the flow coefficient and flow exponent
1	2	AC/h <sub>50</sub>	$\Delta P_{ m ELA}$			Version '2': specify the air change rate at 50 Pa, and give a pressure difference $\Delta P_{\rm ELA}$ for ESP-r to evaluate the ELA. ESP-r will assume that $n=0.68$ , then calculate $ELA_{\Delta P}$ , and finally calculate $C_{\rm F}$
1	3	AC/h <sub>50</sub>	$\Delta P_{\mathrm{ELA}}$	$ELA_{\Delta P}$	$C_{\mathrm{D}}$	Version '3': specify all of the information so that ESP-r can calculate both $C_{\rm F}$ and $n$ . Note that it is typical for $\Delta P_{\rm ELA}=10~{\rm Pa}$ and $C_{\rm D}=0.611$