

Prelab 6 OpAmp

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Prelab 6 Op Amps

$$1. \quad R_e = \frac{R_f}{R_i} \cdot (r_2 - r_1) \quad R_{f_1} = R_{f_2} = R_f, \quad R_{i_1} = R_{i_2} = R_i$$

$$V_1 = 0.05 \sin(2\pi \cdot 1e^3 \cdot t + 180^\circ) = 0.05 e^{j\pi} \quad (V_2 - V_1) = 0.05 e^{j90^\circ} - (-0.05 e^{j0^\circ}) \\ V_2 = 0.05 e^{j90^\circ} (1 - 1^3 e^{j0^\circ}) = 0.05 e^{j90^\circ}$$

$$V_2 = 0.05 \sin(2\pi - 1e^3 \cdot t) = 0.05 e^t = 0.1 e^t$$

$$V_2 = -0.03 \sin(2\pi f_e t) - 0.032$$

$$\frac{10 \cdot (0.1e^v)}{R_i} = \tan(0.1e^v) = e^v$$

$$2. V_o = -jw C R_f V_{in} = -jw (1nF) (10k\Omega) (2V_{pp})$$

$$V_0 = -jw(10) \quad w = 500 \Rightarrow G_{a/n} = 5,000$$

$$V_{in} \quad w = 1k \Rightarrow G_{out} = -10,000$$

$$w = 5k \Rightarrow 6ayh = -50,000$$

$$w = 10k \Rightarrow \text{Gash} = -100,000$$

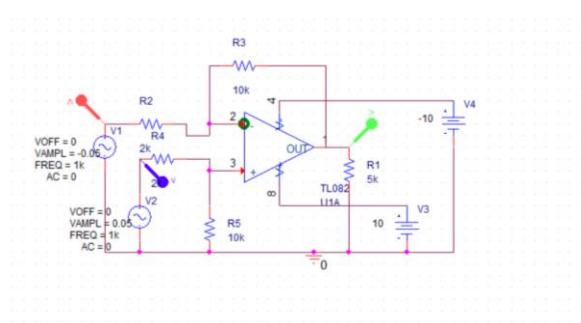
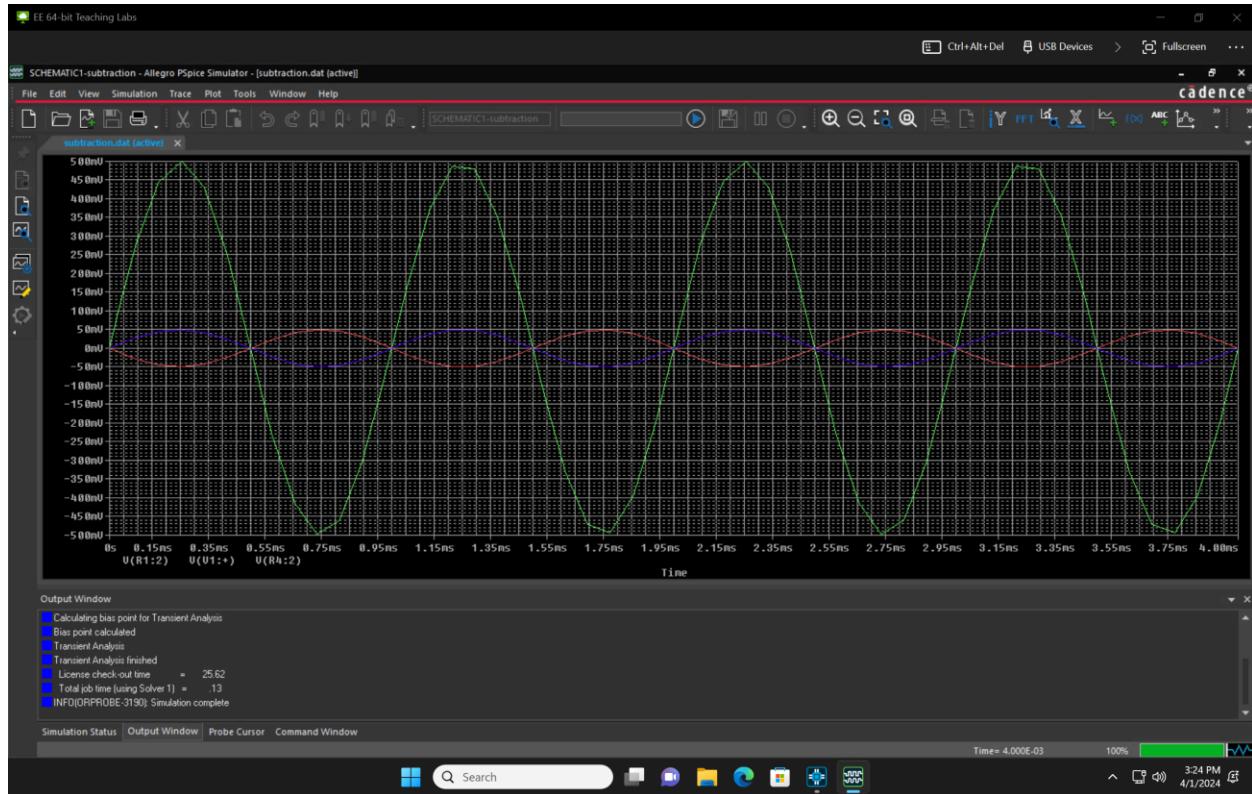
$$3. V_o = - \frac{1}{j\omega C R_i} \cdot V_{in} \quad \text{as } w \uparrow, \text{ gain } \downarrow$$

$\text{as } w \downarrow, \text{ gain } \uparrow$

$$4. \quad 1.7 = \frac{10k}{10k + R_2} (10) \Rightarrow 0.17 (10k + R_2) = 10k \Rightarrow R_2 = 48.8k$$

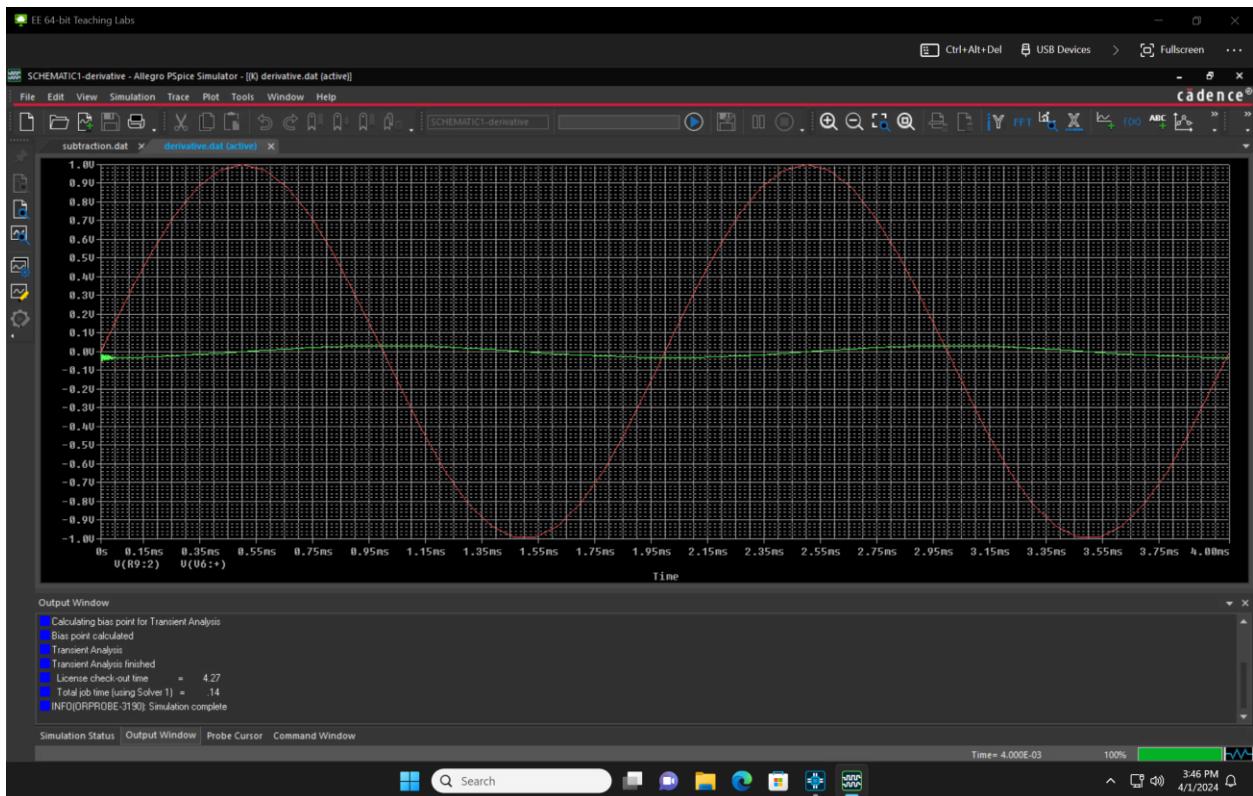
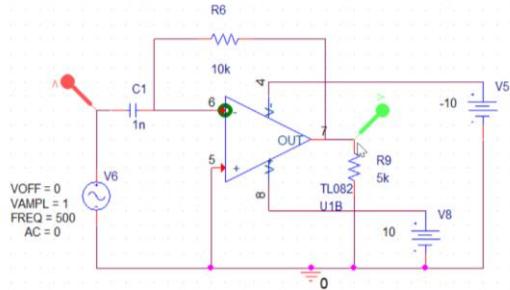
$$5. \quad 1000 = \frac{1}{2\pi(2nF)} R \Rightarrow R = \frac{1}{2\pi(2nF)(1k)} = 7.234k = R = R_3 = R_4$$

- Differencing output . Blue and red are the 180 degree out of phase inputs. The green is the output, with the specified gain of 10. Below the output is an image of the schematic implemented.

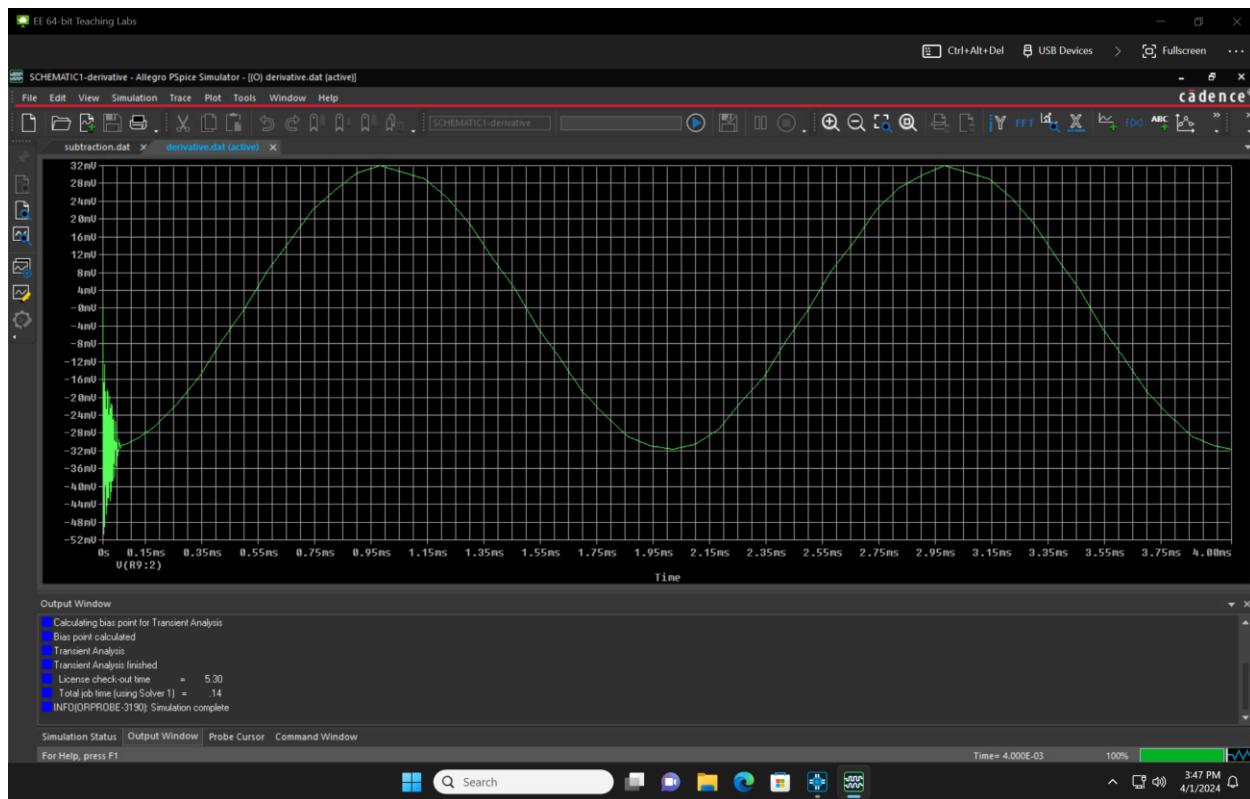


2. Derivative

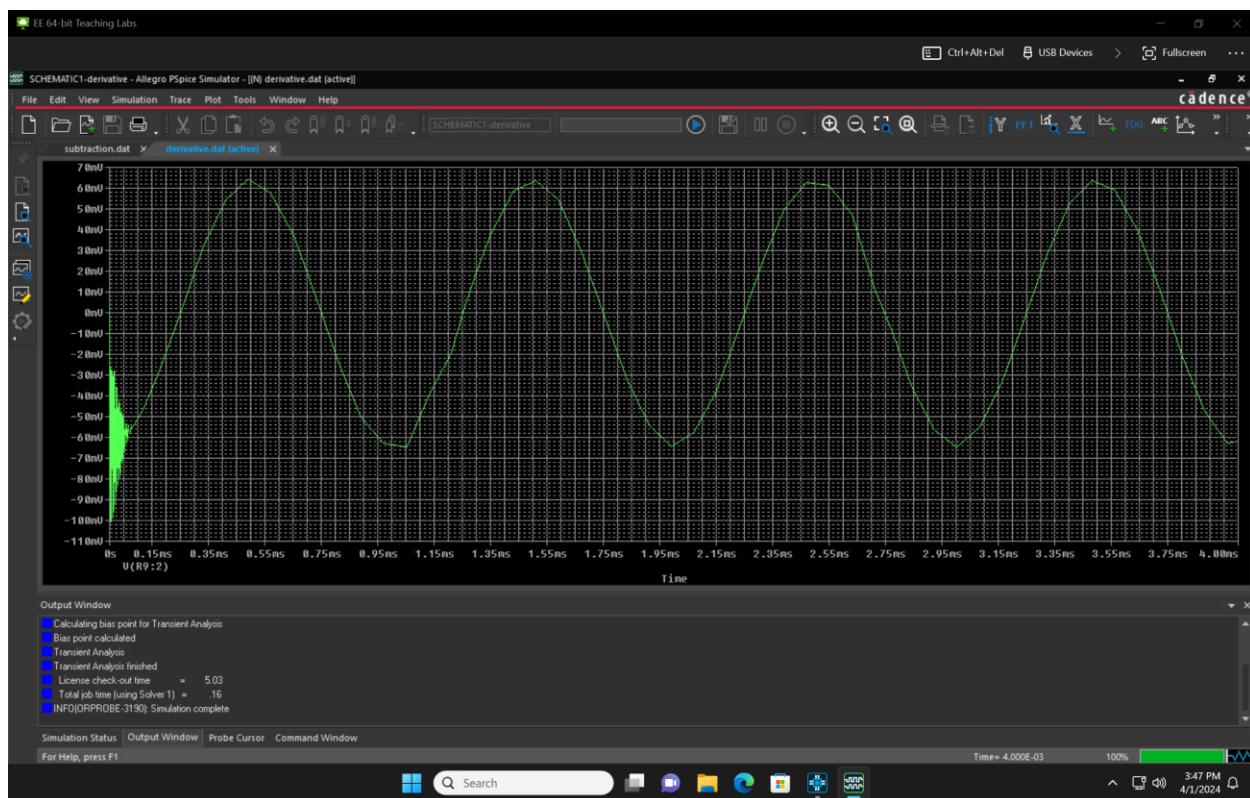
The differentiating amplifier was implemented with the schematic below. Answers to questions are below all differentiating output pictures.



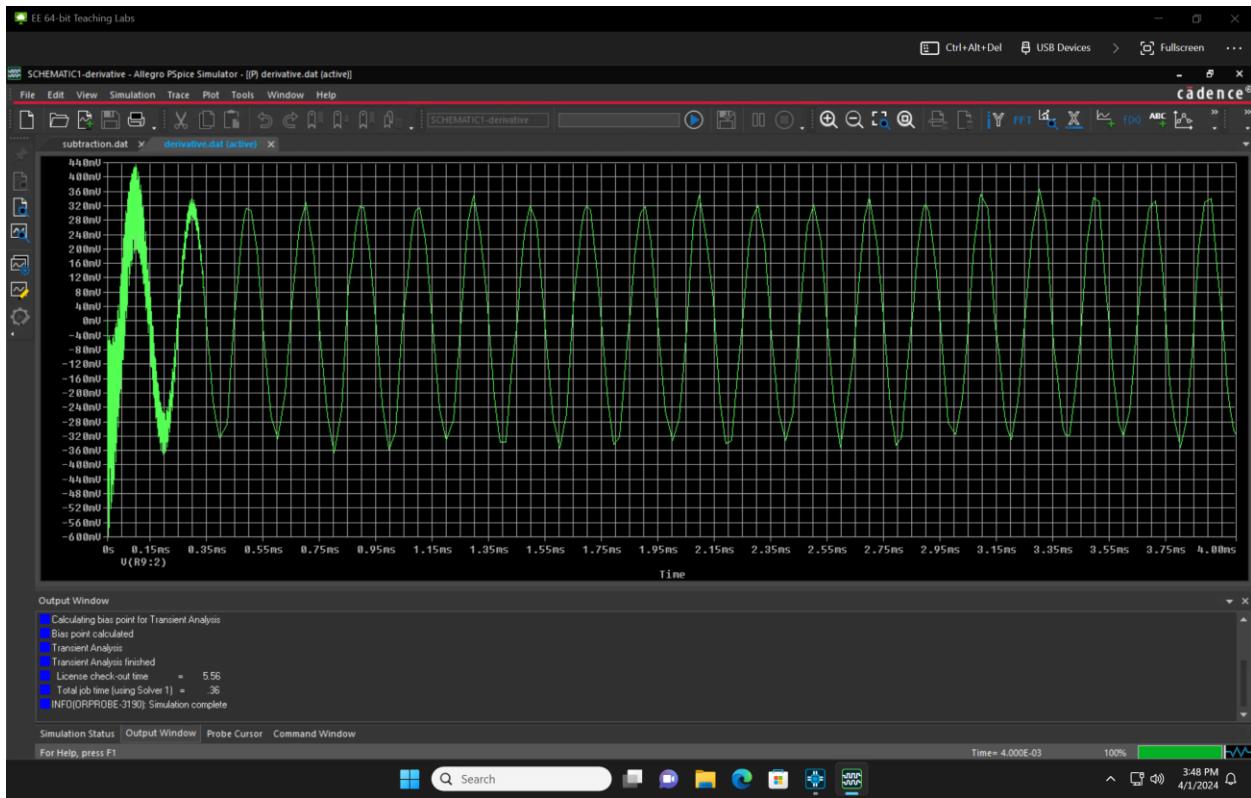
500Hz ^ Input (Red) and output (green)



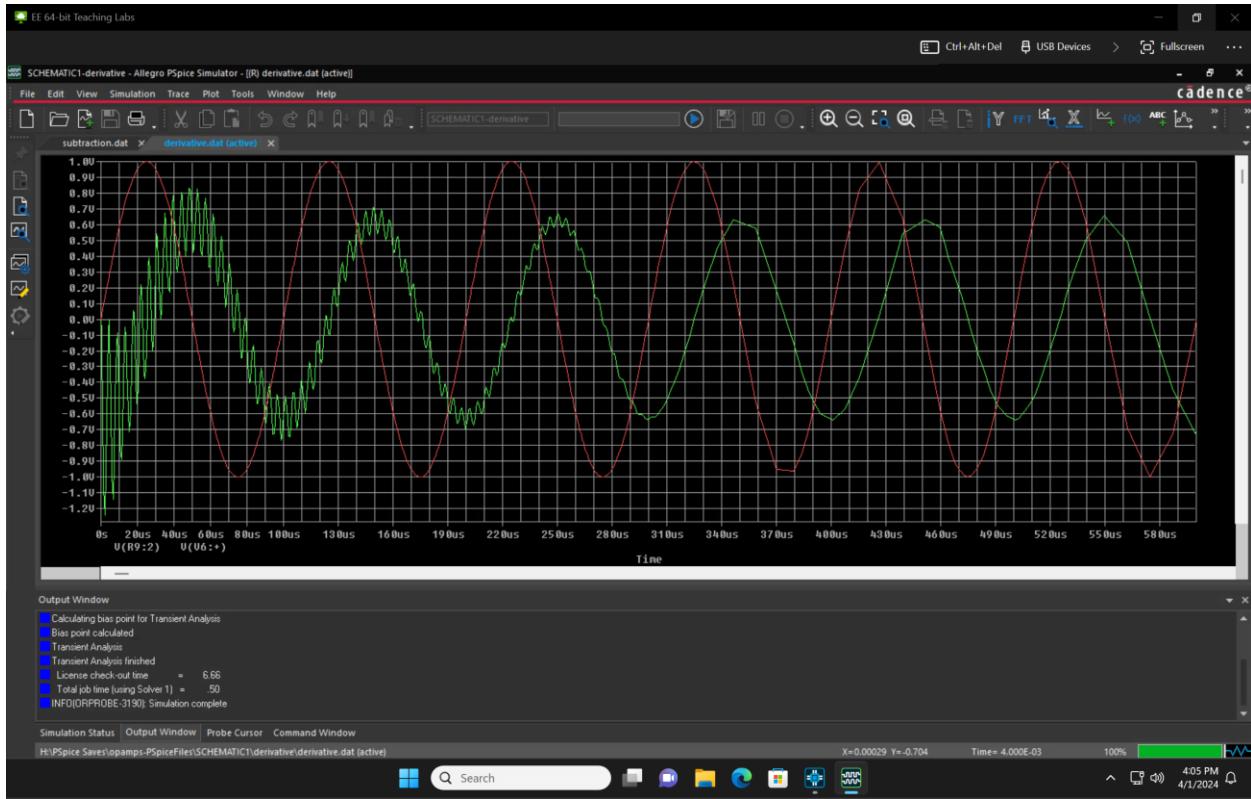
500Hz ^ with just the output in green



1kHz ^ output voltage



5kHz^output

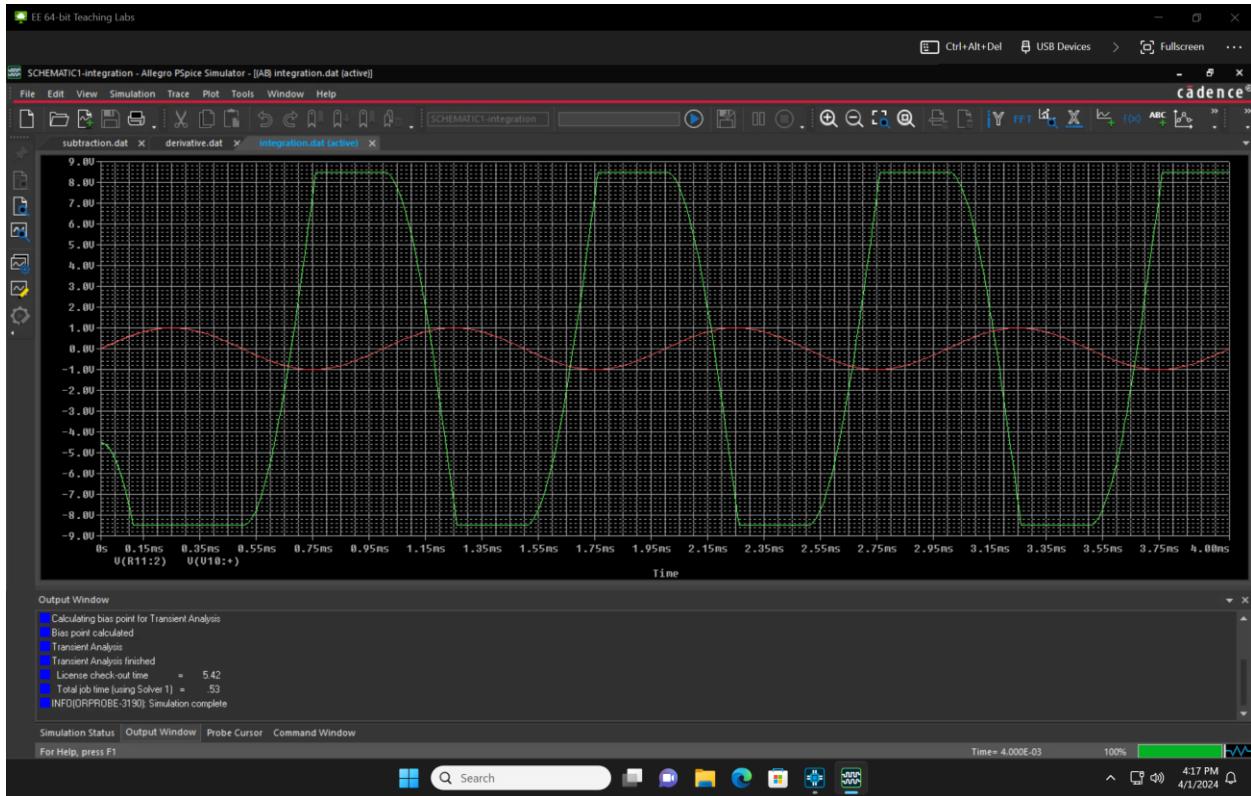
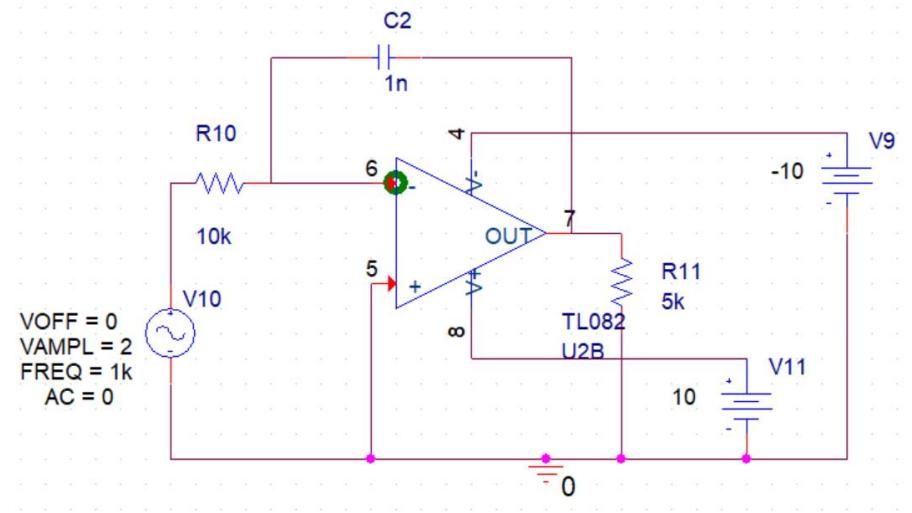


10k[^] with output (green) and input (red)

For the deriving amplifier, gain seems to increase as frequency increases. This is consistent with the equation written in the handwritten work at the top of the prelab. Output voltage is proportional to frequency. This is why the gain changes with changing frequencies. The circuit does indeed behave as a differentiator, which is something that can be observed by comparing the input and output graphs. The output is lagging the input by a 90 degree phase shift. This is characteristic of a phasor differentiation, where the original function is multiplied by $-j\omega$. This is equivalent to a 90 degree counter clockwise rotation in the complex plane, which corresponds to a lagging output.

3. Integrator

The integrating amplifier was implemented with the schematic below. Answers to questions are below all integrating output pictures.



1kHz ^



5kHz ^

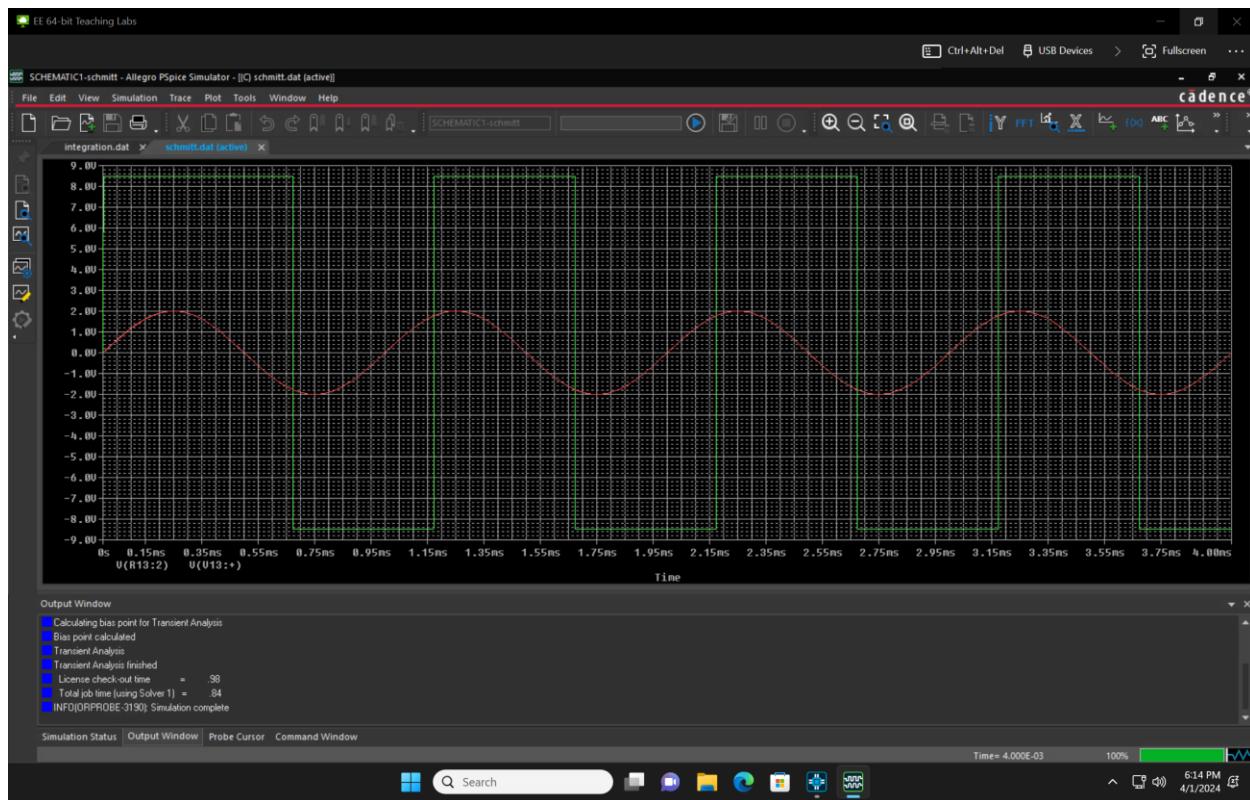
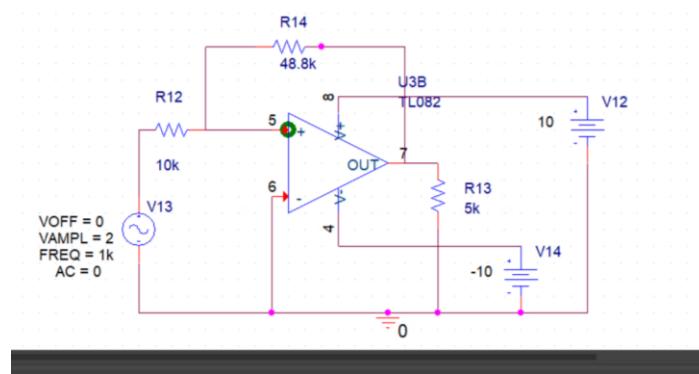


10kHz ^

The unusual gain for the 1kHz case is due to clipping of the opamp's output. Because it is only supplied with $\pm 10V$ rails, it cannot output gain greater than this range, hence why the gain output of the 1kHz input is clipped. Because gain is inversely proportional to frequency, the output observed has a greater gain as the input frequency was decreasing. This relationship is observed in the gain equation $V_{out} = -1/(j\omega CR) \cdot V_{in}$. The circuit does behave as an integrator, because as explained for the differentiator above, integration causes a 90 degree phase shift in the opposite direction. This causes the output to lead the input by 90 degree, which can be observed in the above images. Multiplying a phasor by $-1/j\omega$ is the same as a $+90$ degree phase shift, or a leading phase with respect to the input.

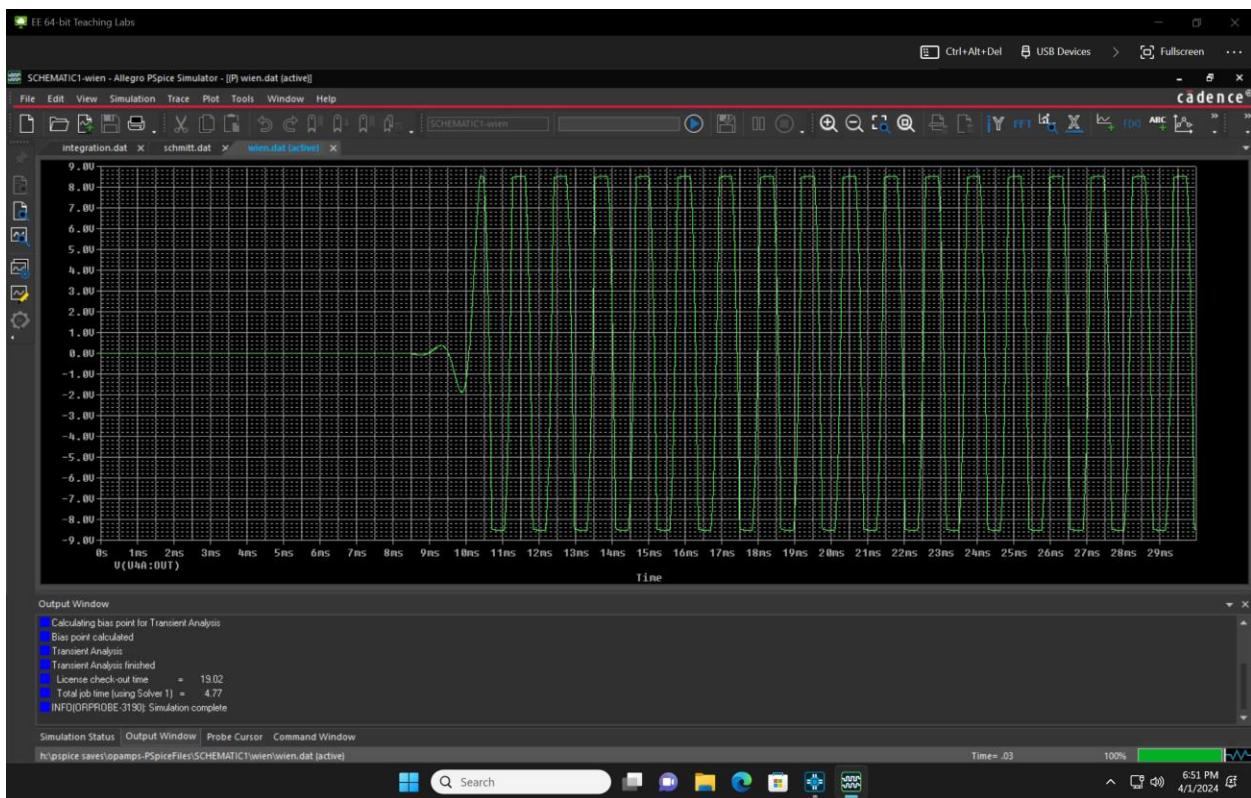
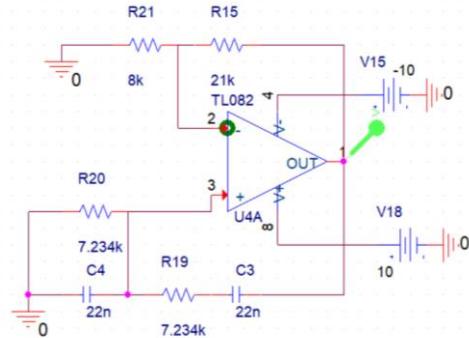
4. Schmitt

Schematic used to implement the Schmitt trigger. Below that is the output of the simulation. As can be seen, the swing is from +-8.5 Volts, and the trigger voltage is around +- 1.7 V, as specified. The work for calculating R2 is at the top of this report, handwritten.

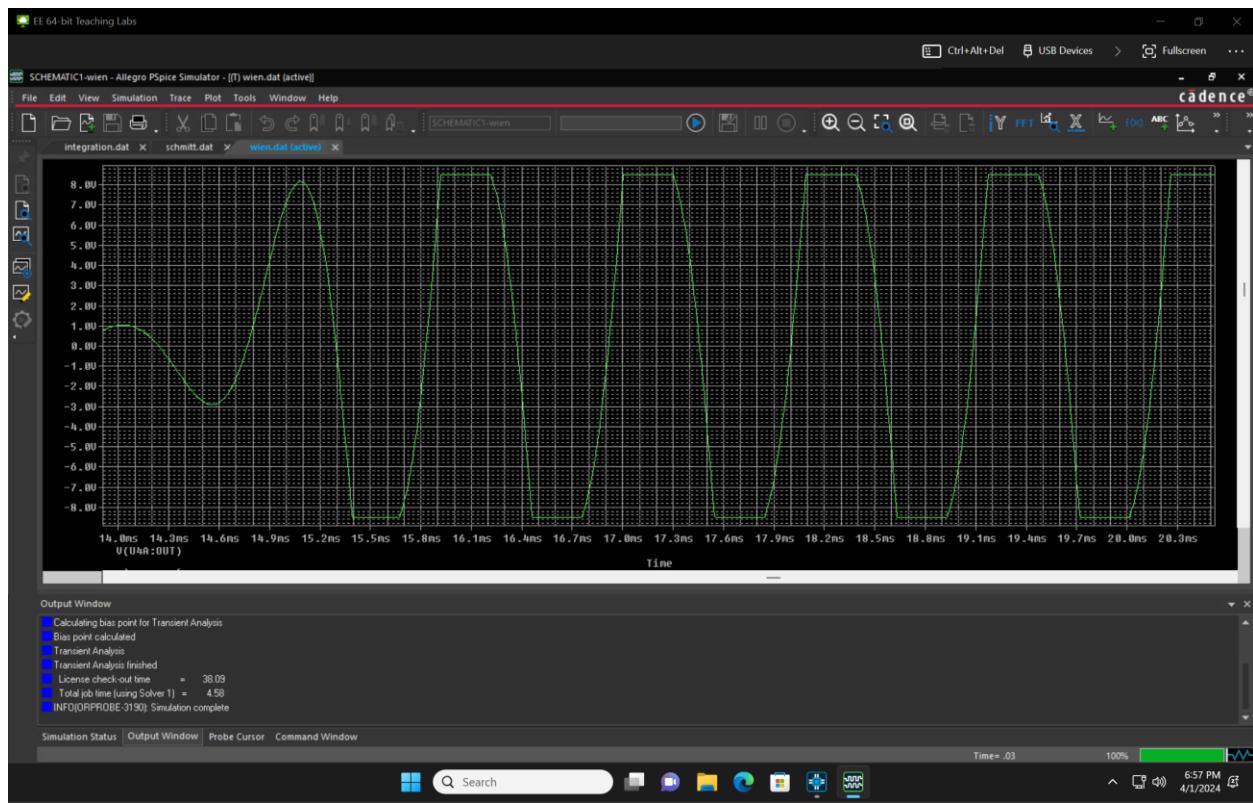


5. Wien

Wien bridge oscillator implemented using below schematic



Normal output of simulation ^. Stabilization is after 10ms



Zoomed in simulation output. The frequency as calculated from the midpoints of two waves is (17.0ms – 15.9ms) inverted, which is $1/1.1\text{ms} = 910\text{kHz}$, which is very close to the theoretical 1MHz calculation