

Market Basket Analysis

Understanding customer purchasing behavior through transaction analysis

Key Applications:

- Identifies frequent itemsets in transactions
- Improves cross-selling and upselling strategies
- Aids in designing targeted promotions

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Core Concepts

Understanding the building blocks of MBA

Key Terms:

- **Item:** Single product in a transaction (e.g., iPhone)
- **Itemset:** Group of items purchased together
- **Transaction:** Collection of items in a single purchase
- **Frequent Itemset:** Set of items appearing often together
- **Association Rule:** Relationship expressed as:

$$X(\text{Phone}) \rightarrow Y(\text{Charger})$$



Transaction Examples

Understanding through examples

Sample Transactions:

ID	Items Purchased
1	Phone, Charger, Phone-cover
2	Phone, Charger
3	Charger, Phone-cover
4	Phone, Phone-cover
5	Phone, Charger, Phone-cover

Itemset Examples: - Single-itemset: {Phone},
{Phone-cover}

- Two-itemset: {Phone, Charger}, {Charger, Phone-cover}

- Three-itemset: {Phone, Charger, Phone-cover}



Support

Measures how frequently an itemset appears in transactions

Formula:

$$\text{Support}(X) = \frac{\text{Transactions containing } X}{\text{Total Transactions}}$$

Interpretation:

- **Higher Support:** Itemset is common (e.g., {Phone, Phone-case})
- **Lower Support:** Itemset is rare (e.g., {Phone, Mouse})
- Used to filter out infrequent combinations
- Analogous to relative frequency



Confidence

Measures how often item Y is bought when item X is bought

Formula:

$$\text{Confidence}(X \rightarrow Y) = \frac{\text{Support}(X, Y)}{\text{Support}(X)}$$

Interpretation:

- If > 0.5 : Y appears in more than 50% transactions containing X
- If $= 1$: Every transaction with X also contains Y
- Similar to conditional probability $P(Y | X)$
- Stronger when antecedent is rare



Lift

Measures how much stronger the association is compared to random chance

Formula:

$$\text{Lift}(X \rightarrow Y) = \frac{\text{Confidence}(X \rightarrow Y)}{\text{Support}(Y)}$$

Interpretation:

- **Lift** > 1: Positive association
- **Lift** = 1: No association
- **Lift** < 1: Negative association



Conviction

Measures how strongly the presence of one item implies the presence of another, based on how often the rule fails

Formula:

$$\text{Conviction}(X \rightarrow Y) = \frac{1 - \text{Support}(Y)}{1 - \text{Confidence}(X \rightarrow Y)}$$

Interpretation:

- **Conviction** > 1 : X suggests Y more strongly (more predictive power)
- **Conviction** $= 1$: No predictive power



Leverage

Measures the difference between observed and expected frequency

Formula:

$$\text{Leverage}(X \rightarrow Y) = \text{Sup}(X, Y) - (\text{Sup}(X) \times \text{Sup}(Y))$$

Interpretation:

- **Leverage** > 0 : Items co-occur more often than expected
- **Leverage** $= 0$: Items co-occur exactly as expected
- **Leverage** < 0 : Items co-occur less than expected
- Analogous to observed vs expected frequency in χ^2 test

