Ajani Mnyandu – Exercise 11

- 1. The next two lines after the comment #Question 1 in the code set the boundary conditions for the numerical solution. T[0,n+1] = T0 and T[-1,n+1] = T0 set the temperature at the first and last grid points to a constant value T0. This is done to enforce boundary conditions such as zero flux or fixed temperature at the boundaries.
- 2. Line #L1 implements the spatial discretization of the advection equation using a centered difference scheme. It calculates the right-hand side (rhs) of the advection equation, which represents the spatial gradient of temperature. Line #L2 updates the temperature values at interior grid points using the forward Euler method, where T[1:-1,n+1] represents all interior grid points excluding the boundary points.
- 3. The code does not perform the computation on all elements of the array T because the boundary conditions are set separately. Therefore, the loop only updates the temperature values for the interior grid points.
- 4. The numerical solution differs from the expected moving perturbation due to stability issues, as the numerical solution diverges from the analytical solution as time evolves.