

## Experiment No. 5

### Job Sequencing Problem

**Aim - To implement Job sequencing problem.**

**Theory -**

**Algo -**

- 1) Sort all the jobs in decreasing order of profit.
- 2) Iterate on jobs in decreasing order of profit for each job do the followings
  - a) Find a time slot ; is greatest. Put the job in this slot + mark this slot filled.
  - b) If no such exists , then ignore the job.

**Example -**

**Input - Five Jobs with following deadlines & profits.**

Job-ID	Deadline	Profit
a	2	100
b	1	19
c	2	27
d	1	25
e	3	15

**Output - following is the maximum profit sequence of jobs**  
**c; a, e .**



Time complexity -

$O(n^2)$  is the time complexity of the program.

Conclusion -

Hence, we have successfully implemented algo  
+ analysed the time complexity.

```
#job sequencing
class Job:
    def __init__(self, taskId, deadline, profit):
        self.taskId = taskId
        self.deadline = deadline
        self.profit = profit
    def scheduleJobs(jobs, T):
        profit = 0
        slot = [-1] * T
        jobs.sort(key=lambda x: x.profit, reverse=True)
        for job in jobs:
            for j in reversed(range(job.deadline)):
                if j < T and slot[j] == -1:
                    slot[j] = job.taskId
                    profit += job.profit
                    break
        print('The scheduled jobs are', list(filter(lambda x: x != -1, slot)))
        print('The total profit earned is', profit)
if __name__ == '__main__':
    jobs = [
        Job(1, 9, 15), Job(2, 2, 2), Job(3, 5, 18), Job(4, 7, 1), Job(5,
4, 25),
        Job(6, 2, 20), Job(7, 5, 8), Job(8, 7, 10), Job(9, 4, 12),
Job(10, 3, 5)]
    T = 15
    scheduleJobs(jobs, T)
```

Shell

The scheduled jobs are [7, 6, 9, 5, 3, 4, 8, 1]

The total profit earned is 109

> |

## Practical No. 6

All pair shortest path : Floyd Warshall Algorithm

Aim - Implementation of floyd warshall algo

Theory -

Algo -

// L is the matrix of size n.n representing original graph  
// D is the distance matrix.

 $D \leftarrow L$ for  $k \leftarrow 1$  to  $n$  do    for  $i \leftarrow 1$  to  $n$  do        for  $j \leftarrow 1$  to  $n$  do             $D[i, j] \leftarrow \min(D[i, j], D[i, k] + D[k, j])$ 

end

end

end

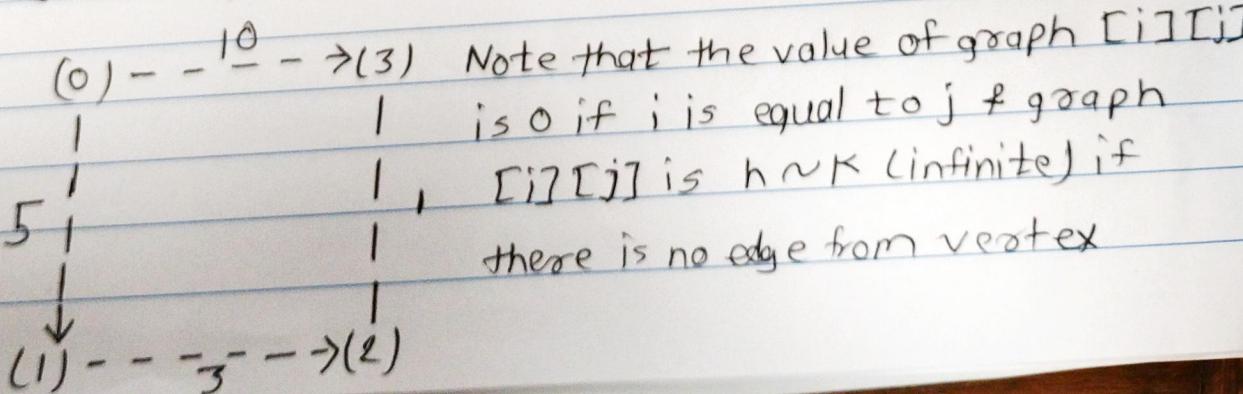
return  $D$ 

Example -

Input :

 $\text{graph}[][] = \{\{0, 5, \text{INF}, 10\},$   
 $\quad \{\text{INF}, 0, 3, \text{INF}\},$   
 $\quad \{\text{INF}, \text{INF}, 0, 1\},$   
 $\quad \{\text{INF}, \text{INF}, \text{INF}, 0\}\}$ 

which represents the following graph



Output - Shortest distance matrix.

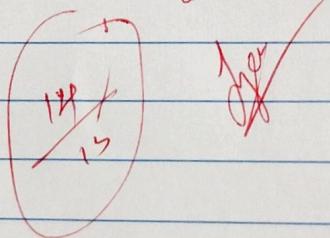
0	5	8	9
INF	0	3	4
INF	INF	0	1
INF	INF	INF	0

Time complexity -

$O(r^3)$  is the time complexity.

Conclusion -

We have successfully implemented the algorithm  
+ analyzed the algo.



```

# Python3 Program for Floyd warshall Algorithm
floyd
V = 4
INF = 99999

def floydwarshall(graph):
    dist = list(map(lambda i: list(map(lambda j: j, i)), graph))
    for k in range(V):
        for i in range(V):
            for j in range(V):
                dist[i][j] = min(dist[i][j],
                                  dist[i][k] + dist[k][j])
    printsolution(dist)

def printsolution(dist):
    print("Following matrix shows the shortest distances\
between every pair of vertices")
    for i in range(V):
        for j in range(V):
            if(dist[i][j] == INF):
                print("%7s" % ("INF"), end=" ")
            else:
                print("%7d\t" % (dist[i][j]), end=' ')
            if j == V-1:
                print()

if __name__ == "__main__":
    graph = [[0, 5, INF, 10],
              [INF, 0, 3, INF],
              [INF, INF, 0, 1],
              [INF, INF, INF, 0]]
floydwarshall(graph)

```

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Tue 1:58 PM

p11.py - Visual Studio Code

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EXPLORER

> NO FOLDER OPENED

> OUTLINE

> TIMELINE

Python + v

...

```
home > computer > p11.py > ...
22 # printing the solution
23 def print_solution(distance):
24     for i in range(nV):
25         for j in range(nV):
26             if (distance[i][j] == INF):
27                 print("INF", end=" ")
28             else:
29                 print(distance[i][j], end=" ")
30
31
32
33 G = [[0, 3, INF, 5],
34       [2, 0, INF, 4],
35       [INF, 1, 0, INF],
36       [INF, INF, 2, 0]]
37 floyd_marshall(G)
```

PROBLEMS OUTPUT DEBUG CONSOLE TERMINAL

Python + v

...

```
/usr/bin/python3.9 /home/computer/p11.py
(base) computer@computer:~$ /usr/bin/python3.9 /home/computer/p11.py
```

```
0 3 7 5
2 0 6 4
3 1 0 5
5 3 2 6
(base) computer@computer:~$
```

## Experiment No. 7

## Largest Common Subsequence

Aim - To implement longest common subsequences problem

Theory -

Algo -

LCS - Length(x, y)

```
1 m < length [x]
2 n < length [y]
3 for i <= 1 to m
4 do c[i, 0] <- 0
5 for j <= 0 to m
6 do c[0, j] <- 0
7 for i <= 0 to m
8 do for j <= 1 to n
9 do if x[i] = y[j]
10 then c[i, j] <- c[i-1, j-1] + 1
11 b[i, j] <- ""↖""
12 else if c[i-1, j] ≥ c[i, j-1]
13 then c[i, j] <- c[i-1, j]
14 b[i, j] <- ""↑""
15 else c[i, j] <- c[i, j-1]
16 b[i, j] <- ""←""
17 return c & b
```

Example -

Input sequences for LCS "ABCDEFGH" & ~~"AEDFH"~~ "AEDFH" is "ADH" of length 3.

Input sequences for LCS "AGGTAB" & "GXTXAYB" is "GTAB" of length 4.

Consider the input strings "AGGTAB" & "GXTXAYB".  
Last char match the strings, so length of LCS can be written as:  $L("AGGTAB", "GXTXAYB") = 1 + L("AGGTAB", "GXTXAY")$

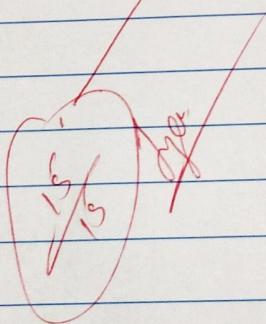
A	G	G	T	A	B
G	-	-	4	-	-
X	-	-	-	-	-
T	-	-	-	3	-
X	-	-	-	-	-
A	-	-	-	-	2
Y	-	-	-	-	-
B	-	-	-	-	1

Time complexity -

$O(2^n)$  is time complexity.

Conclusion -

We have successfully implemented algo & analysed the complexity.



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pra7.py ...

```
1
2
3
4
5
6
7
8
9
10
11
12
13

def lcs(X, Y, m, n):
    if m == 0 or n == 0:
        return 0
    elif X[m-1] == Y[n-1]:
        return 1 + lcs(X, Y, m-1, n-1)
    else:
        return max(lcs(X, Y, m, n-1), lcs(X, Y, m-1, n))

X = "AGGTAB"
Y = "GXTXAYB"
print ("Length of LCS is ", lcs(X, Y, len(X), len(Y)))
```

PROBLEMS 2 OUTPUT DEBUG CONSOLE

TERMINAL

```
/usr/bin/python3.9 "/home/computer/Desktop/aoa/pra/prat7.py"
(base) computer@computer:~/Desktop/aoa/pra$ /usr/bin/python3.9 "/home/computer/Desktop/aoa/pra/prat7.py"
Length of LCS is 4
(base) computer@computer:~/Desktop/aoa/pra$
```



② 2 △ 0

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