CLASS XII ---- FUNCTIONS ---MATHEMATICS - 14 June 2020

- The period of $f(x) = \frac{1}{2} [\cos(\sin x) + \cos(\cos x)]$ is (A) π (C) π/4
- Domain of f (x) = $log_{\left[x-\frac{1}{2}\right]}(x^2-x-2)$ is , where [.] denotes the greatest integer

- $(A)\left[\frac{3}{2},\ \infty\right]$ (C) $\left[\frac{3}{2}, 2\right]$ (D) $\left[\frac{3}{2}, 6\right]$ (B) (2, ∞)
- If $f(x) = sin\{x\}$, f: R \rightarrow R, then f is (A) periodic (B) one-one (C) many-one (D) bijective
- If $f(x) = \sin \sqrt{[a]} x$, (where [.] denotes the greatest integer function), has π as it's fundamental period, then (A) a = 1 (B) $a \in [1,2)$
- (C) a = 9
- The function f (x) = $\begin{cases} \{x\}, & x \ge 0 \\ \{-x\}, & x < 0 \end{cases}$ is ({.} : fractional part) (A) even (B) odd (C) neither (B) odd (C) neither (D) Equal
- The range of y = $\sqrt{\log_3(\cos(\sin x))}$ contain(s) (B) infinitely many elements (A) one element (A) one element (C) the function is undefined
- (D) two elements The domain and range of $f(x) = \frac{1}{2 - \cos 3x}$ are respectively
 - (A) R $(2n+1)\frac{\pi}{3}$, R (B) R, R [1/3, 1] (C) R, [1/3, 1] (D) R, [1/3, 2] The equation x > [x] holds true for, where [-] denotes GIF (A) all integral values of x (B) all $x \in R$ (C) all positive integers (D) R-I
- The function and its inverse 9.
- The function and its inverse (A) are symmetric about y = x line (B) meet each other along the line y = x (C) are symmetric about y + x = 0 line (D) never intersect each other.

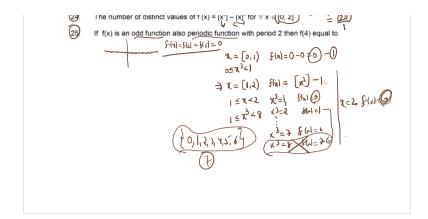
 If $f(x) = \begin{cases} x & \text{when } x \text{ is rational} \\ 1 x & \text{when } x \text{ is rational} \end{cases}$, then fof (x) is given as 10
- (C) 1 + x (D) x-1 (B) x
- Let $f(x) = \sin x + \cos \left(\sqrt{4 a^2} \right) x$. Then the integral values of 'a' for which f(x) is a
 - periodic function are given by (A) $\{2,-2\}$ (B) [-2,2) (C) (-2,2) (D) R Which of the following functions is /are periodic (A) Sgn (e $^{-x}$) (B) sinx + |sinx| (C) min (sinx, |x|) (D) $[x+\frac{1}{2}]+[x-\frac{1}{2}]+2[-x]$ Where [x] denotes the greatest integer function
- The function defined as $f:[0,\pi]\to[-1,1], f(x)=\cos x$ is (A) one-one onto (B) many-one onto (C) one-one (C) one-one into (D) many-one into

- $y = log_{|x|} |x|$, then find the domain (A) R (B) R {-1, 1} (C) R - {0} (D) R - {0, -1, 1}
- The range of the function $f(x) = \frac{x^2}{x^4 + 1}$ is
- (A) $\left(0, \frac{1}{2}\right)$ (B) $\left[0, \frac{1}{2}\right]$ (C) (0, ∞) (D) (0, 2]
- The graph of $y = x + \frac{1}{x}$ is symmetrical
 - (A) about x axis (B) about y - axis (C) in opposite quadrants
- The domain of $f(x) = \sin^{-1}(|x 1| 2)$ is 17. (A) $[-2, 0] \cup [2, 4]$ (B) $(-2, 0) \cup (2, 4)$ (C) [-2, 0] ∪ [1, 3] (D) (-2, 0)
- Minimum of $2^{[(x^2-3)^3+27]}$ is (A) 2^{27} (B) 1 (C) 18. (B) 1 (C) 2 (D) 2⁻²⁷
 - The range of the function $f(x) = \frac{x-3}{|x-3|}$ is

19.

20.

- (C) R {3} (D) R - {-1}
- (A) {-1, 1} (B) R
 - The solution set of $log \{x\} = 0$ is (B) [1, -1] (C) (0, -1) (D) [0, 1]
- If the period of the function f (x) = $\cos [\pi^2]x + \cos [-\pi^2]x$ is $k\pi$. Then value of k is
- The period of the function $f(x) = {\frac{\pi}{3}x} + \sin x/3 + \tan 2x$ is
- 23. If f (x) = [x] and g (x) = |x|, then g o f $\left(\frac{5}{3}\right)$ f o g $\left(\frac{5}{3}\right)$ is
- The number of distinct values of f (x) = $[x^3] [x]^3$ for $\forall x \in [0, 2]$



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