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Section: 4A

Task: 04

Subject: Programming For Ai (lab)

Submitted to: Sir Rasikh Ali

1. Checking if a Position is Safe

```
def is_position_safe(board, row, col):
  for i in range(row):
    if board[i] == col or \
        board[i] - i == col - row or \
        board[i] + i == col + row:
        return False
    return True
```

This function checks if a queen can be placed at position (row, col) without being attacked by other queens.

Conditions Checked:

- 1. Same Column: If any previous queen is already placed in the same column.
- 2. **Left Diagonal Conflict:** If any previous queen is on the left diagonal (board[i] i == col row).
- 3. **Right Diagonal Conflict:** If any previous queen is on the right diagonal (board[i] + i == col + row).

If **none of these conditions are met**, the function returns True (safe position).

2. Solving the N-Queens Problem Using Backtracking

```
def solve_n_queens_dynamic(size):
    def solve(row, board):
        if row == size:
            solutions.append(board[:])
        return
        for col in range(size):
            if is_position_safe(board, row, col):
            board[row] = col
            solve(row + 1, board)
            board[row] = -1
```

This function recursively tries to place queens on the chessboard.

Steps:

- 1. Base Case: If row == size, all queens are placed successfully, so store the board configuration.
- 2. **Loop Through Each Column:** Try placing a queen in each column of the current row.
- 3. **Check Safety:** If safe, place the queen (board[row] = col) and move to the next row (solve(row + 1, board)).
- 4. **Backtrack:** If placing the queen leads to a dead end, **remove it** (board[row] = -1) and try the next column.

3. Initializing and Running the Solver

```
solutions = []
board = [-1] * size
solve(0, board)
```

return solutions

- solutions: Stores all valid board configurations.
- board: A list where board[i] represents the column index of the queen placed in row i. (-1 means no queen placed in that row).
- The solve() function is called with row = 0 to begin the search.

4. Displaying the Solutions

```
def display_n_queens_solutions(solutions):
    for solution in solutions:
        for i in range(len(solution)):
            row = ['.'] * len(solution)
            row[solution[i]] = 'Q'
            print(" ".join(row))
            print("\n")
```

This function prints the **N-Queens solutions in a visual format**.

Output for N = 4:

```
. Q . . . Q . . . Q
```

..Q.

Each . represents an empty square, and Q represents a queen.

5. Running the Solver for N = 6

```
board_size = 6
solutions = solve_n_queens_dynamic(board_size)
print(f"Number of solutions: {len(solutions)}")
display_n_queens_solutions(solutions)
```

- The solver is run for a **6×6 board**.
- The total number of **valid solutions** is printed.

The solutions are displayed using display_n_queens_solutions().

```
def is_position_safe(board, row, col):
    for i in range(row):
        if board[i] == col or \
           board[i] - i == col - row or \
           board[i] + i == col + row:
def solve_n_queens_dynamic(size):
   def solve(row, board):
        if row == size:
            solutions.append(board[:])
        for col in range(size):
            if is_position_safe(board, row, col):
               board[row] = col
solve(row + 1, board)
                board[row] = -1
    solutions = []
   board = [-1] * size
    solve(0, board)
    return solutions
def display_n_queens_solutions(solutions):
    for solution in solutions:
        for i in range(len(solution)):
            row = ['.'] * len(solution)
            row[solution[i]] = 'Q'
            print(" ".join(row))
        print("\n")
board_size = 6
solutions = solve_n_queens_dynamic(board_size)
print(f"Number of solutions: {len(solutions)}")
display_n_queens_solutions(solutions)
```