# 19BIO201

# Intelligence Of Biological Systems 3 Assignment-4

Topic: String reconstruction using debruijn graph

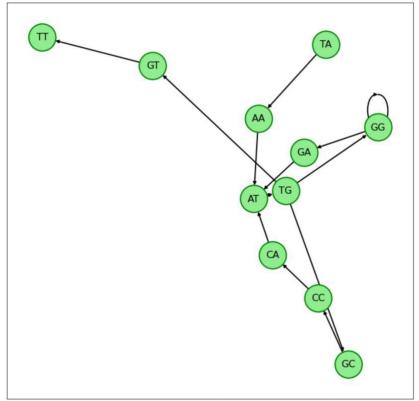
- 1. Write a program in any programming language (Java or Python) to carry out string reconstruction using DeBruijn graph for the sequences given below (Attempt for k=3 & k=5).
  - a) TAATGCT
  - b) GCGGTAATGCAGTCGAC
  - c) TTGAGTGCCAGCGAGCTAGGTCAGT

#### CODE:

```
# Amruth
# BL.EN.U4AIE20002
import networkx as nx
import matplotlib.pyplot as plt
from matplotlib.pyplot import figure
import pylab
def kmers(read, k):
   KList=[]
    num_kmers = len(read) - k + 1
    for i in range(num_kmers):
        kmer = read[i:i+k]
        if i==0:
           KList.append(kmer)
        else:
           KList.append(kmer)
    return KList
input1="TAATGCCATGGGATGTT"
Kmers=kmers(input1,3)
print(f"Kmers={Kmers}")
def FindNodesFromEdges(KmerList):
   NodesListOfLists=[]
    for edge in KmerList:
       NodesListOfLists.append([edge[:-1],edge[1:]])
    return NodesListOfLists
NodesListOfLists = FindNodesFromEdges(Kmers)
print(f"Nodes = {NodesListOfLists}")
Kmers=['TAA', 'AAT', 'ATG', 'TGC', 'GCC', 'CCA', 'CAT', 'ATG', 'TGG', 'GGG', 'GGA', 'GAT', 'ATG', 'TGT', 'GTT']
Nodes = [['TA', 'AA'], ['AA', 'AT'], ['AT', 'TG'], ['TG', 'GC'], ['GC', 'CC'], ['CC', 'CA'], ['CA', 'AT'], ['AT', '
TG'], ['TG', 'GG'], ['GG', 'GG'], ['GG', 'GA'], ['GA', 'AT'], ['AT', 'TG'], ['TG', 'GT'], ['GT', 'TT']]
```

```
G = nx.MultiDiGraph()
{\tt G.add\_edges\_from(NodesListOfLists)}
totalNodes=G.nodes()
pos = nx.spring_layout(G)
options = {
    "font_size": 16,
    "node_size": 2000,
"node_color": "lightgreen",
"edgecolors": "green",
    "linewidths": 2,
    "width": 2,
    "edge_vmin":5
}
nodes=G.nodes()
edges=G.edges()
print("
                   -- DE-BRUIJN Graph --- ")
print()
print(f"nodes = {nodes()}")
print(" ")
print(f"edges = {edges}")
plt.figure(2,figsize=(15,15))
nx.draw_networkx(G,pos,**options)
plt.show()
          --- DE-BRUIJN Graph ---
```

nodes = ['TA', 'AA', 'AT', 'TG', 'GC', 'CC', 'CA', 'GG', 'GA', 'GT', 'TT']
edges = [('TA', 'AA'), ('AA', 'AT'), ('AT', 'TG'), ('AT', 'TG'), ('TG', 'GC'), ('TG', 'GG'), ('TG', 'GT'), ('GC', 'CC'), ('CC', 'CA'), ('CA', 'AT'), ('GG', 'GG'), ('GG', 'GA'), ('GA', 'AT'), ('GT', 'TT')]



```
# converting list of lists in dictionary format
def ConvertListToDict(List):
    Dict={}
    for i in List:
        if i[0] in Dict.keys():
            newList = Dict[i[0]]
            newList.extend([i[1]])
            Dict.update({i[0]: newList})
        else:
            Dict[i[0]] = [i[1]]
    return Dict

Output=ConvertListToDict(edges)
```

```
def eulerian_cycle(edge_dict):
    tempo1=list(edge_dict.keys())
    current_node = tempo1[0]
    path = [current_node]
    while True:
        path.append(edge_dict[current_node][0])
        if len(edge_dict[current_node]) == 1:
            del edge_dict[current_node]
        else:
            edge_dict[current_node] = edge_dict[current_node][1:]
        if path[-1] in edge_dict:
            current_node = path[-1]
        else:
            break
    while len(edge_dict) > 0:
        for i in range(len(path)):
            if path[i] in edge_dict:
                current_node = path[i]
                cycle = [current_node]
                while True:
                    cycle.append(edge_dict[current_node][0])
                     if len(edge_dict[current_node]) == 1:
                        del edge_dict[current_node]
                     else:
                         edge_dict[current_node] = edge_dict[current_node][1:]
                     if cycle[-1] in edge_dict:
                        current_node = cycle[-1]
                     else:
                         break
                path = path[:i] + cycle + path[i+1:]
                break
    return path
print()
print(" Final Eulerian Path from the de-bruijn graph: ")
print()
path = eulerian_cycle(Output)
print ('->'.join(map(str,path)))
print(path)
 Final Eulerian Path from the de-bruijn graph:
{\sf TA->\!AA->\!AT->\!TG->\!GC->\!CC->\!CA->\!AT->\!TG->\!GG->\!GA->\!AT->\!TG->\!GT->\!TT}
['TA', 'AA', 'AT', 'TG', 'GC', 'CC', 'CA', 'AT', 'TG', 'GG', 'GG', 'GA', 'AT', 'TG', 'GT', 'TT']
def reconstructString(List):
    String=""
    String=String+List[0]
    for i in range(1,len(List)):
        newWord = List[i]
        String=String+newWord[-1]
    return String
print(f"
          Original String : {input1}")
print(f" Reconstructed String : {reconstructString(path)}")
    Original String : TAATGCCATGGGATGTT
 Reconstructed String : TAATGCCATGGGATGTT
```

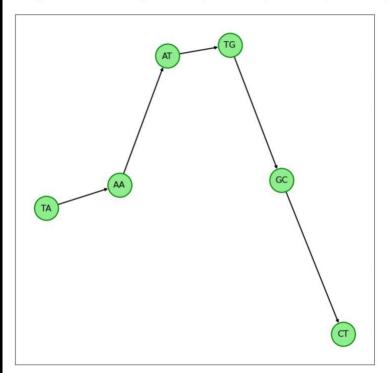
# a) TAATGCT

```
K=3
```

```
input1="TAATGCT"
Kmers=kmers(input1,3)
```

--- DE-BRUIJN Graph --
nodes = ['TA', 'AA', 'AT', 'TG', 'GC', 'CT']

edges = [('TA', 'AA'), ('AA', 'AT'), ('AT', 'TG'), ('TG', 'GC'), ('GC', 'CT')]



Final Eulerian Path from the de-bruijn graph:

TA->AA->AT->TG->GC->CT
['TA', 'AA', 'AT', 'TG', 'GC', 'CT']

Original String : TAATGCT Reconstructed String : TAATGCT

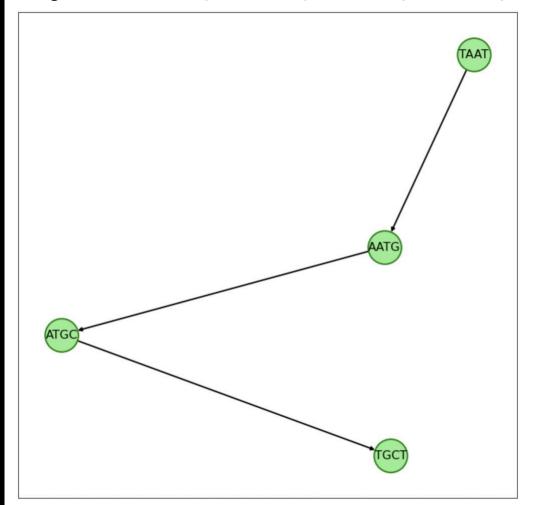
### K=5

```
input1="TAATGCT"
Kmers=kmers(input1,5)
```

```
--- DE-BRUIJN Graph ---

nodes = ['TAAT', 'AATG', 'ATGC', 'TGCT']

edges = [('TAAT', 'AATG'), ('AATG', 'ATGC'), ('ATGC', 'TGCT')]
```



Final Eulerian Path from the de-bruijn graph:

TAAT->AATG->ATGC->TGCT
['TAAT', 'AATG', 'ATGC', 'TGCT']

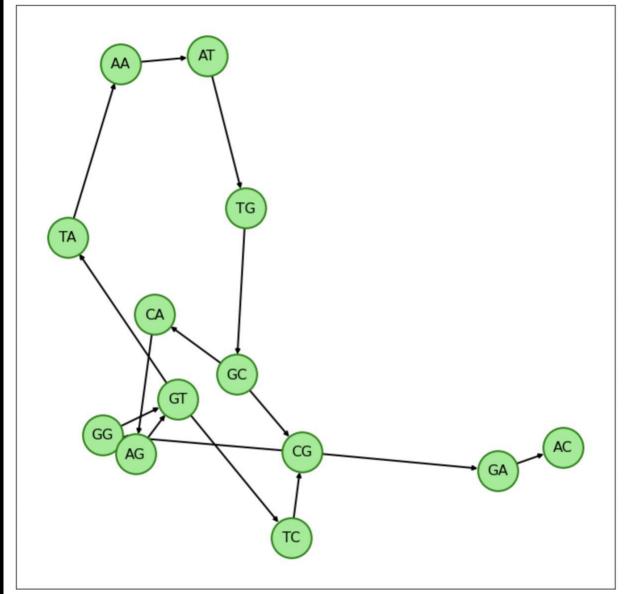
Original String : TAATGCT Reconstructed String : TAATGCT

# b)GCGGTAATGCAGTCGAC K=3

input1='GCGGTAATGCAGTCGAC'
Kmers=kmers(input1,3)

--- DE-BRUIJN Graph --
nodes = ['GC', 'CG', 'GG', 'GT', 'TA', 'AA', 'AT', 'TG', 'CA', 'AG', 'TC', 'GA', 'AC']

edges = [('GC', 'CG'), ('GC', 'CA'), ('CG', 'GG'), ('CG', 'GA'), ('GG', 'GT'), ('GT', 'TA'), ('GT', 'TC'), ('TA', 'AA'), ('AA', 'AT'), ('AT', 'TG'), ('TG', 'GC'), ('CA', 'AG'), ('AG', 'GT'), ('TC', 'CG'), ('GA', 'AC')]



Final Eulerian Path from the de-bruijn graph:

GC->CG->GG->GT->TA->AA->AT->TG->GC->CA->AG->GT->TC->CG->GA->AC
['GC', 'CG', 'GG', 'GT', 'TA', 'AA', 'AT', 'TG', 'GC', 'CA', 'AG', 'GT', 'TC', 'CG', 'GA', 'AC']

Original String : GCGGTAATGCAGTCGAC Reconstructed String : GCGGTAATGCAGTCGAC

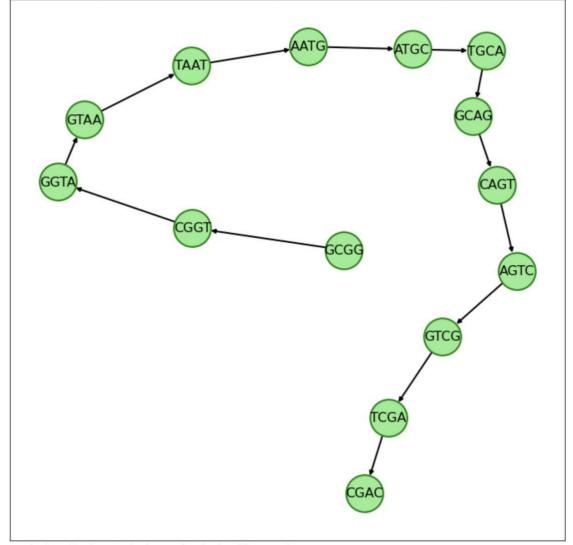
### K=5

# input1='GCGGTAATGCAGTCGAC' Kmers=kmers(input1,5)

--- DE-BRUIJN Graph --
nodes = ['GCGG', 'CGGT', 'GGTA', 'GTAA', 'TAAT', 'AATG', 'ATGC', 'TGCA', 'GCAG', 'CAGT', 'AGTC', 'GTCG', 'TCGA', 'CGAC']

odes = [('GCGC, 'GCGT', 'GGTA', 'GTAA', 'TAAT', 'AATG', 'ATGC', 'TGCA', 'GCAG', 'CAGT', 'AGTC', 'GTCG', 'TCGA', 'CGTAA', 'CGTAA', 'GTAAT', 'AATG', 'ATGC', 'ATGC', 'GCAG', 'CAGT', 'AGTC', 'AGTC', 'ATGC', 'CGTAA', 'GTAAT', 'AATG', 'ATGC', 'TGCA', 'GCAG', 'CAGT', 'AGTC', 'GTCG', 'TCGA', 'CGTAA', 'GTAAT', 'AATG', 'ATGC', 'TGCA', 'GCAG', 'CAGT', 'AGTC', 'GTCG', 'TCGA', 'CGTAA', 'GTAAT', 'AATG', 'ATGC', 'TGCA', 'GCAG', 'CAGT', 'AGTC', 'GTCG', 'TCGA', 'CGTAA', 'GTAAT', 'AATG', 'ATGC', 'TGCA', 'GCAG', 'CAGT', 'AGTC', 'GTCG', 'TCGA', 'CGTAA', 'GTAAT', 'AATG', 'ATGC', 'TGCA', 'GCAG', 'CAGT', 'AGTC', 'GTCG', 'TCGA', 'CGTAA', 'TAAT', 'AATG', 'TAAT', 'AATG', 'TAAT', 'AATG', 'TAAT', 'AATG', 'TAAT', 'AATG', 'TAAT', 'TAAT', 'AATG', 'TAAT', 'TAAT

edges = [('GCGG', 'CGGT'), ('CGGT', 'GGTA'), ('GGTA', 'GTAA'), ('GTAA', 'TAAT'), ('TAAT', 'AATG'), ('ATGC')
, ('ATGC', 'TGCA'), ('TGCA', 'GCAG'), ('GCAG', 'CAGT'), ('CAGT', 'AGTC'), ('AGTC', 'GTCG'), ('GTCG', 'TCGA'), ('TCGA', 'CGAC')]



Final Eulerian Path from the de-bruijn graph:

GCGG->CGGT->GGTA->GTAA->TAAT->AATG->ATGC->TGCA->GCAG->CAGT->AGTC->GTCG->TCGA->CGAC
['GCGG', 'CGGT', 'GGTA', 'GTAA', 'TAAT', 'AATG', 'ATGC', 'TGCA', 'GCAG', 'CAGT', 'AGTC', 'GTCG', 'TCGA', 'CGAC']

Original String : GCGGTAATGCAGTCGAC Reconstructed String : GCGGTAATGCAGTCGAC

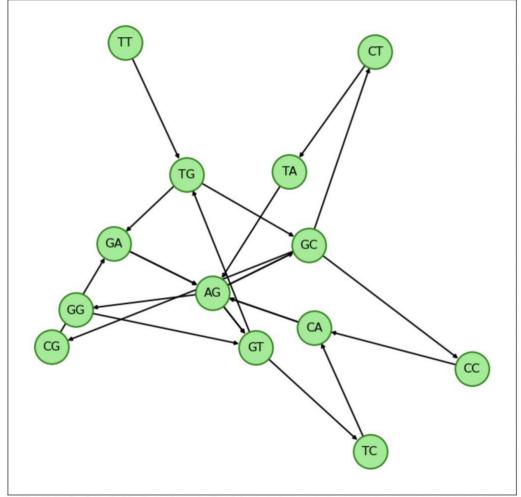
# C) TTGAGTGCCAGCGAGCTAGGTCAGT **K=3**

```
input1='TTGAGTGCCAGCGAGCTAGGTCAGT'
Kmers=kmers(input1,3)
```

```
--- DE-BRUIJN Graph ---

nodes = ['TT', 'TG', 'GA', 'AG', 'GT', 'GC', 'CC', 'CA', 'CG', 'CT', 'TA', 'GG', 'TC']

edges = [('TT', 'TG'), ('TG', 'GA'), ('TG', 'GC'), ('GA', 'AG'), ('GA', 'AG'), ('AG', 'GT'), ('AG', 'GT'), ('AG', 'GC'), ('AG', 'GG'), ('GT', 'TG'), ('GC', 'CC'), ('GC', 'CG'), ('GC', 'CT'), ('CC', 'CA'), ('CA', 'AG'), ('CA', 'AG'), ('CG', 'GA'), ('CT', 'TA'), ('TA', 'AG'), ('GG', 'GT'), ('TC', 'CA')]
```



Final Eulerian Path from the de-bruijn graph:

TT->TG->GA->AG->GT->TG->GC->CC->CA->AG->GT->TC->CA->AG->GC->CG->GA->AG->GC->CT->TA->AG->GG->GT

['TT', 'TG', 'GA', 'AG', 'GT', 'TG', 'GC', 'CC', 'CA', 'AG', 'GT', 'TC', 'CA', 'AG', 'GC', 'CG', 'GA', 'AG', 'GC', 'CT', 'TA', 'AG', 'GG', 'GT']

Original String : TTGAGTGCCAGCGAGCTAGGTCAGT Reconstructed String : TTGAGTGCCAGTCAGCGAGCTAGGT

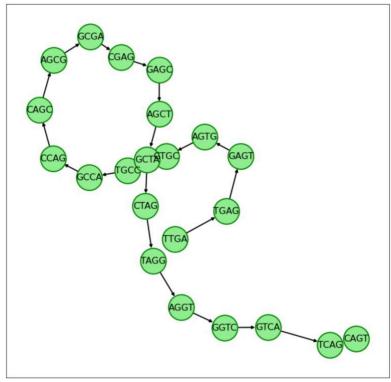
**NOTE:** In this, we find tht original and reconstructed strings are not matching, this is because the debruijn graph contains multiple eulerian paths, and one among them is being reconstructed

# input1='TTGAGTGCCAGCGAGCTAGGTCAGT' Kmers=kmers(input1,5)

--- DE-BRUIJN Graph ---

nodes = ['TTGA', 'TGAG', 'GAGT', 'AGTG', 'GTGC', 'TGCC', 'GCCA', 'CCAG', 'CAGC', 'AGCG', 'GCGA', 'CGAG', 'GAGC', 'A
GCT', 'GCTA', 'CTAG', 'TAGG', 'AGGT', 'GGTC', 'GTCA', 'TCAG', 'CAGT']

edges = [('TTGA', 'TGAG'), ('TGAG', 'GAGT'), ('GAGT', 'AGTG'), ('AGTG', 'GTGC'), ('GTGC', 'TGCC'), ('TGCC', 'GCCA')
, ('GCCA', 'CCAG'), ('CCAG', 'CAGC'), ('CAGC', 'AGCG'), ('AGCG', 'GCGA'), ('GCGA', 'CGAG'), ('CGAG', 'GAGC'), ('GAGC'), ('GAG



Final Eulerian Path from the de-bruijn graph:

TTGA->TGAG->GAGT->AGTG->GTGC->TGCC->GCCA->CCAG->CAGC->AGCG->GCGA->CGAG->GAGC->AGCT->GCTA->CTAG->TAGG->AGGT->GTC->GTCA->TCAG->CAGT ['TTGA', 'TGAG', 'GAGT', 'AGTG', 'GTGC', 'TGCC', 'GCCA', 'CCAG', 'CAGC', 'AGCG', 'GCGA', 'CGAG', 'GAGC', 'AGCT', 'GTA', 'CTAG', 'TAGG', 'AGGT', 'GGTC', 'GTCA', 'CCAGT']

Original String : TTGAGTGCCAGCGAGCTAGGTCAGT Reconstructed String : TTGAGTGCCAGCGAGCTAGGTCAGT **2.** Each member of the team has to select 20bp long unique segment from the sequence that has been selected from NCBI website. Mention the starting and stopping position of the unique segment selected in the report. (**eg.** Team member 1 can take first 20, Team member 2 can take next 20 and so on.)

### String selected by our team

ACCCCCACGGGAAACAGCAGTGATTAACCTTTAGCAATAAACGAAAGTTTAACTAAGCTATACTAACCCC
AGGGTTGGTCAATTTCGTGCCAGCCACCGCGGTCACACGATTAACCCCAAGTCAATAGAAGCCGGCGTAAA
GAGTGTTTTAGATCACCCCCTCCCCAATAAAGCTAAAACTCACCTGAGTTGTAAAAAACTCCAGTTGACA
CAAAATAGACTACGAAAGTGGCTTTAACATATCTGAACACAAATAGCTAAGACCCAAACTGGGATTAGA
TACCCCACTATGCTTAGCCCTAAACCTCAACAGTTAAATCAACAAAACTGCTCGCCAGAACACTACGAGC
CACAGCTTAAAACTCAAAGGACCTGGCGGTGCTTCATATCCCTCTAGAGG

### **Output:**

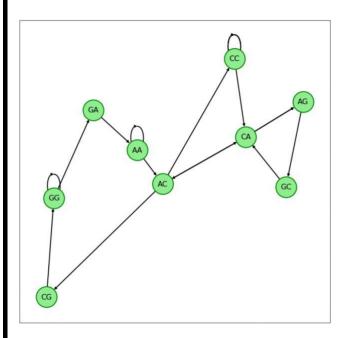
#### K=3

```
input1="ACCCCCACGGGAAACAGCAG"
Kmers=kmers(input1,3)
```

```
--- DE-BRUIJN Graph ---

nodes = ['AC', 'CC', 'CA', 'CG', 'GG', 'GA', 'AA', 'AG', 'GC']

edges = [('AC', 'CC'), ('AC', 'CG'), ('AC', 'CA'), ('CC', 'CC'), ('CC', 'CC'), ('CC', 'CC'), ('CC', 'CA'), ('CA', 'AG'), ('CA', 'AG'), ('CG', 'GG'), ('GG', 'GG'), ('GG', 'GA'), ('GA', 'AA'), ('AA', 'AA'), ('AA', 'AC'), ('AG', 'GC'), ('GC', 'CA')]
```



Final Eulerian Path from the de-bruijn graph:

```
AC->CC->CC->CC->CA->AC->CG->GG->GA->AA->AA->AC->CA->AG->GC->CA->AG

['AC', 'CC', 'CC', 'CC', 'CA', 'AC', 'CG', 'GG', 'GG', 'GA', 'AA', 'AA', 'AC', 'CA', 'AG', 'AG']
```

Original String : ACCCCCACGGGAAACAGCAG Reconstructed String : ACCCCCACGGGAAACAGCAG

## **Output:**

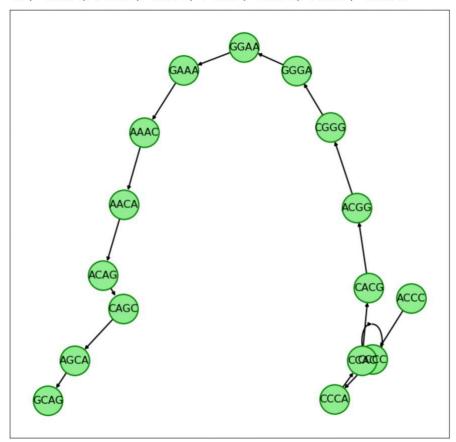
#### K=5

# input1="ACCCCCACGGGAAACAGCAG" Kmers=kmers(input1,5)

--- DE-BRUIJN Graph ---

nodes = ['ACCC', 'CCCC', 'CCCA', 'CCAC', 'CACG', 'ACGG', 'GGGA', 'GGAA', 'GAAA', 'AAAC', 'AACA', 'ACAG', 'CACG', 'AGCA', 'GCAG']

edges = [('ACCC', 'CCCC'), ('CCCC', 'CCCC'), ('CCCC', 'CCCA'), ('CCCA', 'CCAC'), ('CCAC', 'CACG'), ('CACG', 'ACGG')
, ('ACGG', 'CGGG'), ('CGGG', 'GGGA'), ('GGAA'), ('GGAA', 'GAAA'), ('GAAA', 'AAAC'), ('AAAC', 'AAAC'), ('AACA'), ('ACAG'), ('ACAG'), ('CAGC', 'AGCA'), ('AGCA', 'GCAG')]



Final Eulerian Path from the de-bruijn graph:

ACCC->CCCC->CCCC->CCCA->CCAC->CACG->CGGG->GGGA->GGAA->GAAA->AAAC->AACA->ACAG->CAGC->AGCA->GCAG
['ACCC', 'CCCC', 'CCCC', 'CCCA', 'CCAC', 'CACG', 'ACGG', 'CGGG', 'GGGA', 'GGAA', 'GAAA', 'AAAC', 'AACA', 'ACAG', 'C
AGC', 'AGCA', 'GCAG']

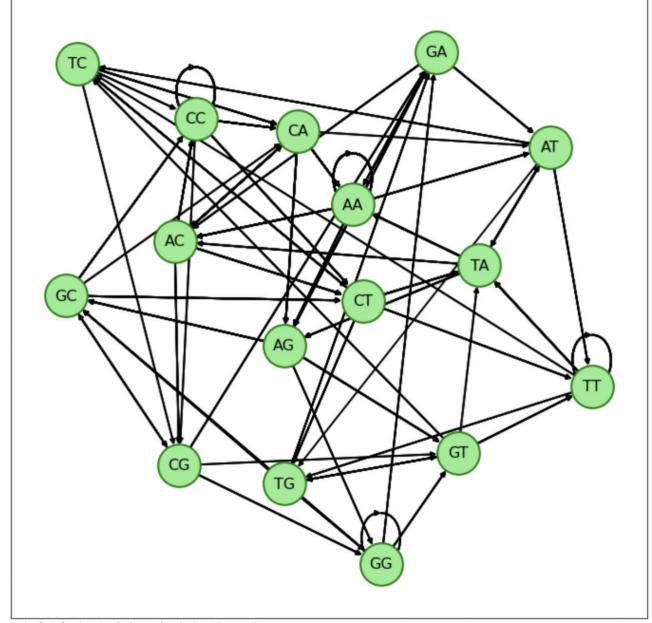
Original String : ACCCCCACGGGAAACAGCAG Reconstructed String : ACCCCCACGGGAAACAGCAG Write a program in the programming language you prefer (Java or Python) to carry out string reconstruction using DeBruijn graph. (Attempt for k=3 & k=5). Also run the program for the whole sequence you have selected and include the output as well as the total run-time in the report. (5 marks)

### String:

#### K=3

```
DE-BRUIJN Graph
nodes = ['AC', 'CC', 'CA', 'CG', 'GG', 'GA', 'AA', 'AG', 'GC', 'GT', 'TG', 'AT', 'TT', 'TA', 'CT', 'TC']

edges = [('AC', 'CC'), ('AC', 'CC'), ('AC', 'CC'), ('AC', 'CC'), ('AC', 'CC'), ('AC', 'CC'), ('AC', 'CG'), ('AC', 'CT'), ('CC', 'CC'), ('CC', 'CC'),
          nodes = ['AC', 'CC', 'CA', 'CG', 'GG', 'GA', 'AA', 'AG', 'GC', 'GT', 'TG', 'AT', 'TT', 'TA', 'CT', 'TC']
        '), ('AG', 'GC'), ('AG', 'GC'), ('AG', 'GC'), ('AG', 'GT'), ('AG', 'GA'), ('GC', 'CA'), ('GC', 'CA'), ('GC', 'CT'), ('GC', 'CT'), ('GC', 'CT'), ('GC', 'CT'), ('GC', 'CT'), ('GC', 'CC'), ('GC', 'CG'), ('GC', 'CC'), ('GC', 'CC', 'CC'), ('GC', 'CC'), ('GC', 'CC'), ('GC', 'CC'), ('GC', 'CC'), ('GC', 'CC'), ('GC',
                                                    ('TG', 'ĠC'), ('TG', 'ĠC'), ('TG', 'ĠC'), ('TG', 'ĠT'), ('TG', 'ĠT'), ('AT', 'TT'), ('AT', 'TT'), ('AT', 'TT'), ('AT', 'TA'), ('TT', 'TG'), ('TT', 'TG'), ('TT', 'TG'), ('TT', 'TG'), ('TT', 'TG'), ('TA', 'AA'), ('TA', 'AG'), ('
                                                          'CC'), ('TC', 'CT'), ('TC', 'CT')]
```

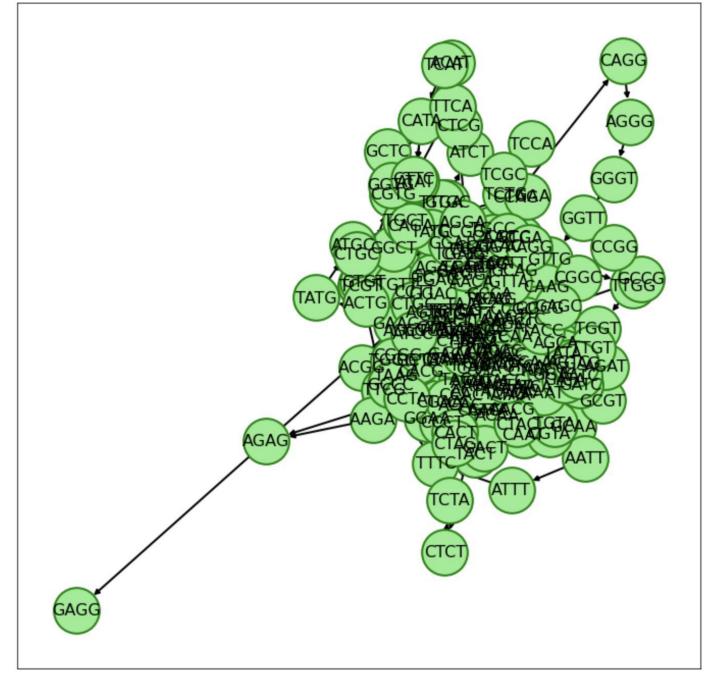


Final Eulerian Path from the de-bruijn graph:

**NOTE:** In this, we find tht original and reconstructed strings are not matching, this is because the debruijn graph contains multiple eulerian paths, and one among them is being reconstructed

nodes = ['ACCC', 'CCCC', 'CCCA', 'CCAC', 'CACG', 'ACGG', 'CGGG', 'GGGA', 'GGAA', 'GAAA', 'AAAC', 'AACA', 'ACAG', 'C
AGC', 'AGCA', 'GCAG', 'CAGT', 'AGTG', 'GTGA', 'TGAT', 'GATT', 'ATTA', 'TTAA', 'TAAC', 'AACC', 'ACCT', 'CCTT', 'CTTT
', 'TTTA', 'TTAG', 'TAGC', 'GCAA', 'CAAT', 'AAAA', 'AAAA', 'AACG', 'ACGA', 'CGAA', 'AAAG', 'AAGT', 'AGTT',
'GTTT', 'AACT', 'ACTA', 'CTAA', 'TAAG', 'AAGC', 'AGCT', 'GCTA', 'CTAT', 'TATA', 'ATAC', 'TACT', 'CCAG', 'AGGT', 'AGGT', 'GGTG', 'GGGT', 'GGTG', 'TGGT', 'TGGT', 'GGTC', 'GGTC', 'TCAC', 'CACA', 'AAATT', 'ATTT', 'TTTC', 'TTCG', 'TCGT', 'CGTG',
'GTGC', 'TGCC', 'GCCA', 'AGCC', 'CACC', 'ACCG', 'CGCG', 'GCGG', 'GGGT', 'TCAC', 'CACA', 'ACAC', 'CGAT', '
CCAA', 'CAAG', 'AGTC', 'ATAG', 'TAGA', 'AGAA', 'GAAG', 'GCCG', 'CGGG', 'GGGG', 'GGGT', 'CGGT', 'CGTA', 'GTAA', 'AAG
A', 'AGAG', 'GAGT', 'GTGT', 'TGTT', 'TTTT', 'AGAT', 'GATC', 'ATCA', 'CCCT', 'CCTC', 'CTCC', 'TCCC', 'AAAA', 'ACTC',
'CTCA', 'CCTG', 'CTGA', 'TGGG', 'TGGC', 'GGCT', 'GCTT', 'ACAT', 'TGAC', 'GACA', 'ACAA', 'CAAA', 'AAAT', 'AGAC', 'GA
CT', 'CTAC', 'TACG', 'GTGG', 'TGGC', 'GGT', 'GATA', 'TACC', 'CACT', 'TATG', 'ATGC', 'ATGC', 'TGCT', 'CTTA', 'GCCC', 'CCTA', '
CAAC', 'GTTA', 'AATC', 'CTGG', 'GGAT', 'GATA', 'TACC', 'CACC', 'CAGA', 'CGAG', 'AAGG', 'AGGA', 'GGAC', 'GGT', 'GGTT', 'CTTC', 'TTCA', 'TTCA', 'TCTT', 'TTCA', 'TCTT', 'TTCA', 'GGAC', 'AAGG', 'AAGG', 'AAGG', 'AGGA', 'GGAC', 'GGTT', 'GGTT', 'CTTC', 'CTTC', 'TCAG', 'GAGC', 'CAGA', 'CGAG', 'GAGC', 'AAGG', 'AGGA', 'GGAC', 'GGTT', 'GGTT', 'TCTT', 'TCTTA', 'CTTAG', 'GAGG']

edges = [('ACCC', 'CCCC'), ('ACCC', 'CCCC'), ('ACCC', 'CCCC'), ('ACCC', 'CCCC'), ('ACCC', 'CCCA'), ('ACCC', 'CCCA'), ('CCCC', 'CCCC'), ('CCCC', 'CCCC'), ('CCCC', 'CCCC'), ('CCCC', 'CCCC'), ('CCCC', 'CCCC'), ('CCCC', 'CCCA'), ('CCCC', 'CCCA'), ('CCCC', 'CCCA'), ('CCCA', 'CCCA'), ('CCCA'), ('CCCA', 'CCCA'), ('CCCA'), ('CCCA', 'CCCA'), ('CCCA', 'CCCA'), ('CCCA', 'CCCA'), ('CCCA'), ('CCCA', 'CCCA'), ('CCCA', 'CCCA'), ('CCCA', 'CCCA'), ('CCGG', 'CGGG'), ('GGGA', 'GGGA'), ('GGGA', 'GGAT'), ('GGAA', 'GAAA'), ('GAAA', 'AAAC'), ('GGGA', 'GGGA'), ('GGAA', 'GAAC', 'AACC'), ('AAAC', 'AACC'), ('AAAC', 'AACC'), ('AAAC', 'AACC'), ('AAAC', 'AACC'), ('AACA', 'ACAC'), ('AACA', 'ACAC'), ('ACAC', 'ACAC'), ('ACAC', 'ACAC'), ('ACAC', 'ACAC'), ('ACAC', 'ACAC'), ('CAGC', 'AGC'), ('ACAC', 'ACGC'), ('ACAC', 'ACC'), ('ACC', 'TAAA', 'AAAA', 'TAAA', 'AAAA', ('TAAA', 'AAAT'), 'AACG', 'ACCG', 'CGAG', 'CGAGA', 'CAGA', 'CAGA', 'CAGA', 'CAGA', 'CAGA', 'AAGG', 'AA



Final Eulerian Path from the de-bruijn graph:

ACCC->CCCC->CCCC->CCCC->CCCA->CCAC->CACG->ACGG->CGGG->GGGA->GGAA->GAAA->AAAC->AACA->ACAG->CAGC->AGCA->GCAG->CAGT->A GTG->GTGA->TGAT->GATT->ATTA->TTAA->TAAC->AACC->ACCT->CCTT->CTTT->TTTA->TTAG->TAGC->AGCA->CCAA->CAAT->AATA->ATAA->TA AA->AAAC->AACG->ACGA->CGAA->GAAA->AAAG->AAGT->ACTT->CTTT->TTTA->TTAG->TAGC->AGCT->CTAT->CTAT->ATAC->TAC->ACT A->CTAA->TAAG->AAGC->AGCT->GCTA->CTAA->TAAG->AAGA->AGAG->GAGT->GTGT->TGTT->TTTT->TTTA->TTAA->TAAC->AACC ->ACCT->CCTG->CTGA->TGAG->GAGT->AGTT->GTTG->TTGG->TGGT->GGTC->GTCA->TCAA->CAAT->AATA->ATAA->TAAA->AAAC->AACT->ACTA->CTAA->TAAC->AACC->ACCC->CCCC->CCCA->CCAC->CACC->ACCG->CCGC->CGCG->CGGG->CGGT->GGTC->GTCA->TCAA->CAAT->AATA->ATAG-> TAGA->AGAA->GAAG->AAGC->AGCT->GCTA->CTAA->TAAA->AAAG->AAGT->AGTC->GTCA->TCAC->CACA->ACAC->CACG->ACGA->CGAA->GAAA->A AAG->AAGA->AGAC->GACT->ACTA->CTAC->TACG->ACGA->CGAT->GATT->ATTA->TTAA->TAAC->AACT->ACTC->CTCA->TCAC->CACC->ACCC->CC CC->CCA->CCAG->CAGG->AGGG->GGGT->GGTT->GTTG->TGTA->GTAA->TAAA->AAAG->AAGC->AGCC->GCCA->CCAG->CAGC->AGCC->GCCA->CCAG->CAGC->AGCC->GCCA->CCAG->CAGC->AGCC->GCCA->CCAG->CAGC->AGCC->GCCA->CCAG->CAGC->AGCC->AGCC->GCCA->CCAG->CAGC->AGC A->CCAG->CAGT->AGTT->GTTG->TTGA->TGAC->GACA->ACAC->CACA->ACAC->CACA->ACAC->AAAA->AAAA->AAAC->AACC->ACTC->CTCA-->CAAC->AACA->ACAG->CAGC->AGCT->GCTT->CTTT->TTTA->TTAA->TAAC->AACA->ACAT->CATA->ATAT->TATC->ATCT->TCTG->CTGA->TGAA->GAAC->AACA->ACAC->CACA->ACAA->CAAA->AAAA->AAAC->AAACT->ACTC->CTCC->TCCC->CCCC->CCCA->CCAA->CAAG->AAGT->AGTG->GTGG-> TGGC->GGCT->GCTT->CTTA->TTAG->TAGA->AGAT->GATC->ATCA->TCAC->CACC->ACCT->CTGG->TGGG->TGGG->GGAT->GATT->ATTA->T TAG->TAGA->AGAT->GATA->ATAC->TACC->ACCC->CCCC->CCCT->CCTC->CTCC->TCCA->CCAG->CAGA->AGAA->GAAC->AACAC->ACAC->CACT->AC TA->CTAC->TACG->ACGA->CGAG->GAGC->AGCC->CCGG->CCGG->CGGC->GCCG->CGTA->CTAA->AAAA->AAAA->AAAC->AACT->ACTG->CTG G->TGGC->GCGG->CGGT->GGTG->GTGC->TGCC->CACT->ACTA->CTAT->TATG->ATGC->TGCT->CTTA->TTAA->TAAA ->AAAA->AAAC->AACT->ACTG->CTGC->TGCT->GCTT->CTTC->TTCA->TCAT->CATA->ATAT->TATC->ATCC->TCCC->CCCT->CCTC->CTCA->TCAA->CAAC->AACA->CAAT->AATA->ATAG->TAGA->AGAC->GACC->CCCA->CCAA->CAAT->AATT->ATTTC->TTTC->TCGT->CGTG-> GTGC->TGCT->GCTC->CTCG->TCGC->CGCC->GCCA->CCAC->CACA->ACAG->CAGT->AGTT->GTTA->TTAA->TAAA->AAAAA->AAAAA->AAAAA->AAAAA->AAAAA->AAAAA->AAAAA->AAAAA->AAAAA->AAAAA->AAAAA->AAAAA->AAAAA-ATA->ATAG->TAGC->AGCC->GCCC->CCCT->CCTA->CTAA->TAAA->AAATC->ATCA->TCAA->CAAA->AAAC->AACC->ACCC->CCCA->CCAA->CA AA->AAAG->AAGG->AGGA->GGAC->GACC->ACCT->CCTC->CTCT->TCTA->CTAG->TAGA->AGAG->GAGG

Original String : ACCCCCACGGGAAACAGCAGTGATTAACCTTTAGCAATAAACGAAAGTTTAACTAAGCTATACTAACCCCAGGGTTGGTCAATTTCGTGCC AGCCACCGCGGTCACACGATTAACCCAAGTCAATAGAAGCCGGCGTAAAGGATGTTTTAGATCACCCCCCCC
Reconstructed String: ACCCCCCACGGGAAACAGCAGTGATTAACCTTTAGCAATAAACGAAAGTTTAGCTATACTAAGCTAAGAGTGTTTTAACCTGAGTTGGTCA ATAAACTAACCCCACCGCGGTCAATAGAAGCTAAAGTCACACGAAAGACTACGATTAACTCACCCCAGGGTTGTAAAGCCAGCC
Run Time: 1.7081665420000718
En Fig.
End