# Close Elections, Campaign Contributions, and Financial Deregulation

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#### Abstract

This paper builds upon Igan and Mishra (2014) ? on vote switches towards financial deregulation by US legislators. I measure the effect of close elections on US legislators on switching their votes towards financial deregulation in Congress bills. I aim to distinguish between vote switches towards financial deregulation because of voters' general interests (especially after the Global Financial Crisis of 2007) versus the financial industry's special interests and the industry's campaign contributions and lobbying expenditures towards legislators in close elections.

**Keywords** Financial Deregulation, Close Elections

**JEL codes** D81, D91, E21

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#### 1 Introduction

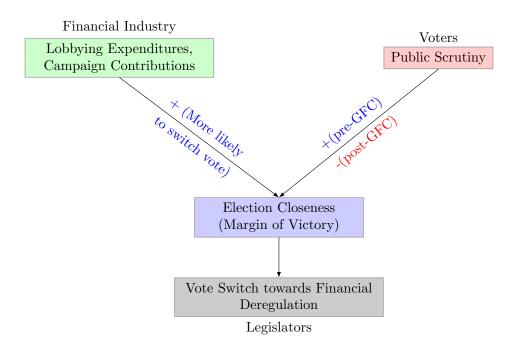


Figure 1 Two Channels in which Legislators in Close Elections Switch their Votes
Toward Financial Deregulation

How do legislators in close elections vote differently on financial deregulation compared to legislators in sure elections? I use data from ? to answer this question.

#### 2 The Problem

Legislators, to get reelected, have to respond to voters and special interests (in this paper, the financial industry)

Legislators in sure elections are less incentivized to switch their vote on bills on financial deregulation; they will still win their sure elections whether they vote for (if the legislator's constituent voters prefer deregulation) or against (if the legislator's constituent voters do not prefer deregulation). Legislators in sure elections are also less incentivized to switch their votes towards financial deregulation to satisfy the financial industry, as they will still have enough campaign finances to win their sure elections regardless of the additional campaign contributions from the financial industry. In short, legislators in sure elections would not be strongly incentivized to switch their votes on financial deregulation to get more votes or acquire more campaign contributions. Legislators in sure elections will be less responsive to additional lobbying expenditures or campaign contributions by the financial industry as well.

Legislators in close elections may be more incentivized to switch their vote towards

**Table 1** Definition of the Main Dependent Variable, Vote Switch towards Deregulation

Value of $S_{iBR}$		Voted against deregu-			
	tion in Bill $B, R$	lation in Bill $B, R$			
Voted for deregula-	0	0			
tion in Bill $B, R-1$					
Voted for deregula-	1	0			
tion in Bill $B, R-1$					

financial deregulation via the same two stakeholders. To attract more votes, legislators in close elections may be more responsive to voters' needs for financial deregulation. To gather more campaign contributions, those legislators may also be more responsive to lobbying expenditures and campaign contributions from the financial industry. Legislators in close elections, through either mechanism, have a greater incentive to switch their votes towards financial deregulation in order to win reelection.

? argue that their results, that lobbying expenditures make legislators more likely to switch their votes towards financial deregulation, is a correlational result and therefore cannot be taken as causation from either of these reasons. I attempt to provide at least a partial answer by introducing new variables, including one for whether a legislator has been in or will be facing a close election. I also include other variables to support the regression strategies that can differentiate between voters' public scrutiny and the financial industry's special interests.

There are two broad strategies that can be used; the first is to use a measure of "media congruence", by Snyder and Stromberg (2010).

The second is to use the rapid change in public sentiment against financial deregulation shortly after the Global Financial Crisis and the resulting Great Recession.

#### 2.1 Setup

#### 3 Variables

#### 3.1 Dependent Variable

#### 3.2 Election Closeness

Compared to the original ? paper, I add the new variable of "Election Closeness" as the main focus of this paper. I define "election closeness" for each legislator i and bill BR, denoted as  $X_{iBR}$ , as the degree to which the legislator has faced (past) or will face (future) a close election. Note the two possible ways of looking at election closeness: through the past election(s) of the legislator, or to the (immediately next) future election of the legislator. Meanwhile, the measure of future election closeness

Past election closeness is defined simply, in this paper, as the percentage margin of victory of the legislator in the last election before a vote on a bill BR. I denote this variable as  $X_{iBR}^P$ . As a concrete example, assume that legislator A won his/her last election with 49,000 votes against the runner-up, who got 47,000 votes in a congressional election of a total of 100,000 votes, and that the remaining 4,000 votes all went to third-party, independent, and write-in votes. In this case, legislator A's margin of victory is (49,000-47,000)/100,000=2%. There are two important characteristics of this variable: first,  $X_{iBR}^P$  must necessarily be greater than zero, as the legislator must have won at least one more vote than the runner-up. Second,  $X_{iBR}^P$  is the same across all bills BR during the same congress C, as legislator i has only one value of past election closeness at any given congress C and all the bills therein.

Ideally, future election closeness may be defined as the expected margin of victory in the next (future) election of the legislator. I denote this variable as  $X_{iBR}^F$ . The future expected margin of victory of an as-of-yet undecided election can be proxied by results of election polls. Since most future congressional elections at any given electoral cycle have at least one polling result, and in most cases more than one,  $X_{iBR}^F$  can differ across bills BR even in the same congress C.

#### 3.3 Original Variables

### 4 Regressions

#### 4.1 Regression A

Concretely, I write Regression A1 as:

$$S_{iBR} = \beta_1 L_{BR} + \beta_2 X_{iBR}^P + \beta_3 (L_{BR} \times X_{iBR}^P)$$
  
+  $\alpha F_{BR} + \gamma T_{BR} + s_i \times t_c + v_B \times t_c + \mu_R \times t_c + \varepsilon_{iBR}$  (1)

## 5 Results

Dep. Variable:	sw_p		R-squared:		0.038		
$\mathbf{Model}:$	OLS		Adj. R-squared:		0.038		
Method:	Least Squares		F-statistic:		42.84		
Date:	Sat, 20 Nov 2021		Prob (F-statistic)		e): 3.86e	): 3.86e-27	
Time:	11:15:12		Log-Likelihood:		-1862.0		
No. Observations:	3220		AIC:		3732.		
Df Residuals:	3216		BIC:		3756.		
Df Model:	3						
Covariance Type:	nonrobu						
	coef	std er	r t	$P> \mathbf{t} $	[0.025]	0.975]	
Intercept	0.0876	0.096	0.912	0.362	-0.101	0.276	
$\log\_contributions\_FIRI$	E = 0.0330	0.008	4.269	0.000	0.018	0.048	
$\operatorname{bill\_complexity}$	-0.0401	0.006	-6.474	0.000	-0.052	-0.028	
$ ext{tight}$	-0.3271	0.035	-9.350	0.000	-0.396	-0.259	
Omnibus:	736.091	Durbi	n-Watsor	ı:	2.176		
Prob(Omnibus):	0.000	Jarqu	e-Bera (J	B): 6	629.408		
Skew:	0.994	Prob(	JB):	2	.12e-137		
Kurtosis:	2.142	Cond.	No.		160.		

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

Dep. Variable:	sw_p	R-squared:	0.040
Model:	OLS	Adj. R-squared:	0.039
Method:	Least Squares	F-statistic:	26.96
Date:	Sat, 20 Nov 2021	Prob (F-statistic):	8.41e-27
Time:	11:15:12	Log-Likelihood:	-1858.9
No. Observations:	3220	AIC:	3730.
Df Residuals:	3214	BIC:	3766.
Df Model:	5		
Covariance Type:	nonrobust		

	$\mathbf{coef}$	$\operatorname{std}$ err	$\mathbf{t}$	$\mathbf{P}> \mathbf{t} $	[0.025]	0.975]
Intercept	-0.2308	0.181	-1.273	0.203	-0.586	0.125
$\log\_contributions\_FIRE$	0.0612	0.015	4.064	0.000	0.032	0.091
$mov\_past$	0.0082	0.004	2.278	0.023	0.001	0.015
${ m mov\_contr\_int}$	-0.0007	0.000	-2.357	0.019	-0.001	-0.000
${\it bill\_complexity}$	-0.0404	0.006	-6.528	0.000	-0.053	-0.028
$ ext{tight}$	-0.3275	0.035	-9.362	0.000	-0.396	-0.259
Omnibus:	721.842	721.842 <b>Durbin-Watson:</b> 2.179				
Prob(Omnibus):	0.000 <b>Jarque-Bera (JB):</b> 626.903					
Skew:	0.994 <b>Prob(JB):</b> 7.41e-137					
Kurtosis:	2.150	Cond.	No.	1	.31e+04	

Notes:

<sup>[2]</sup> The condition number is large, 1.31e+04. This might indicate that there are strong multicollinearity or other numerical problems.

Dep. Variable:	sw_p		R-square		0.03		
Model:	OLS		Adj. R-s	-	0.0		
Method:	Least Squares		F-statistic:		8.406		
Date:	Sat, 20 Nov 2021		Prob (F-statistic):			7.07e-08	
Time:	11:15:12		Log-Likelihood:		-104	-1048.4	
No. Observations:	1913	A	AIC:		210	9.	
Df Residuals:	1907	I	BIC:		214	2.	
Df Model:	5						
Covariance Type:	nonrobust						
	coef	std err	t	$P> \mathbf{t} $	[0.025]	0.975]	
Intercept	0.5296	0.252	2.105	0.035	0.036	1.023	
log_contributions_FIR	<b>E</b> -0.0143	0.022	-0.662	0.508	-0.057	0.028	
$\frac{-}{\text{congruence}}$ dc	-0.4166	0.520	-0.801	0.423	-1.436	0.603	
$\overline{\text{congru}}$ $\overline{\text{contr}}$ int	0.0341	0.045	0.754	0.451	-0.055	0.123	
$\frac{-}{\text{bill complexity}}$	-0.0223	0.008	-2.869	0.004	-0.038	-0.007	
$ ext{tight}$	-0.2803	0.045	-6.272	0.000	-0.368	-0.193	
Omnibus:	329.642	Durbin	-Watsor	ı:	2.304		
Prob(Omnibus)	): 0.000 <b>Jarque-Bera (JB):</b> 477.957						
Skew:	1.201	1.201 <b>Prob(JB):</b> 1.63e-104					
Kurtosis:	2.525	Cond. No. 805.			805.		

Notes:

## 6 Conclusions

<sup>[1]</sup> Standard Errors assume that the covariance matrix of the errors is correctly specified.

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## Appendices