



# SI100B: Introduction to Information Science and Technology



## Lecture 10



# DICTIONARIES

list

vs

dict

- 
- ▶ **Ordered** sequence of elements
  - ▶ Look up elements by an integer index
  - ▶ Index is an **integer**
  - ▶ Indices have an **order**
  - ▶ Value can be any type

- ▶ **Matches** “keys” to “values”
- ▶ Look up one item by another item
- ▶ Key can be any **immutable** type
- ▶ **No order** is guaranteed
- ▶ Value can be any type



# EXAMPLE: FIND MOST COMMON WORDS IN A SONG'S LYRICS

---

- 1) Create a **frequency dictionary** mapping `str:int`
- 2) Find **word that occurs most often** and how many times
  - ▶ Use a list, in case more than one word with same number
  - ▶ Return a tuple `(list, int)` for `(words_list, highest_freq)`
- 3) Find the **words that occur greater than X times**
  - ▶ Let user choose X, so allow as parameter
  - ▶ Return a list of tuples, each tuple is a `(list, int)` containing the list of words ordered by their frequency
  - ▶ IDEA: From song dictionary, find most frequent word. Delete most common word. Repeat. It works because you are mutating the song dictionary.



# CREATING A DICTIONARY

---

```
song = "RAH RAH AH AH AH ROM MAH RO MAH MAH"
```

```
def generate_word_dict(song):
```

```
    song_words = song.lower()
```

```
    words_list = song_words.split()
```

```
    word_dict = {}
```

```
    for w in words_list:
```

```
        if w in word_dict:
```

```
            word_dict[w] += 1
```

```
        else:
```

```
            word_dict[w] = 1
```

```
    return word_dict
```

Return is a dict mapping str:int

Convert all  
chars to  
lower case

Convert string to list of words;  
divides based on spaces

Can iterate over list of  
words in song

If word in dict (as a key),  
increase # times you've  
seen it, update entry

If word not in dict, first time  
seeing word, create entry

```
{ 'rah':2, 'ah':3, 'rom':1, 'mah':3, 'ro':1 }
```



# USING THE DICTIONARY

---

```
word_dict = {'rah':2, 'ah':3, 'rom':1, 'mah':3, 'ro':1}
```

```
def find_frequent_word(word_dict):
```

```
    words = []
```

```
    highest = max(word_dict.values())
```

```
    for k,v in word_dict.items():
```

```
        if v == highest:
```

```
            words.append(k)
```

```
    return (words, highest)
```

Return is a tuple of (['ah', 'mah'], 3)

Highest frequency in  
dict's values

Loop to see which word  
has the highest freq

Append to list of all words  
that have that highest freq



# FIND WORDS WITH FREQUENCY GREATER THAN $x=1$

---

- ▶ Repeat the next few steps as long as the highest frequency is greater than  $x$

```
word_dict = {'rah':2, 'ah':3, 'rom':1, 'mah':3, 'ro':1}
```



# FIND WORDS WITH FREQUENCY GREATER THAN $x=1$

---

- ▶ Use function `find_frequent_word` to get words with the highest frequency

```
word_dict = {'rah':2, 'ah':3, 'rom':1, 'mah':3, 'ro':1}
```





# FIND WORDS WITH FREQUENCY GREATER THAN $x=1$

---

- ▶ Remove the entries corresponding to these words from dictionary by mutation

```
word_dict = {'rah':2, 'ah':3, 'rom':1, 'mah':3, 'ro':1}
```



# FIND WORDS WITH FREQUENCY GREATER THAN $x=1$

---

- ▶ Remove the entries corresponding to these words from dictionary by mutation

```
word_dict = {'rah':2,           'rom':1,           'ro':1}
```

- ▶ Save them in the result

```
freq_list = [['ah', 'mah'], 3]
```



# FIND WORDS WITH FREQUENCY GREATER THAN $x=1$

---

- ▶ Use function `find_frequent_word` to get words with the highest frequency

```
word_dict = {'rah':2, 'rom':1, 'ro':1}
```

- ▶ The result so far...

```
freq_list = [['ah', 'mah'], 3]
```



# FIND WORDS WITH FREQUENCY GREATER THAN $x=1$

---

- ▶ Remove the entries corresponding to these words from dictionary by mutation

```
word_dict = { 'rom':1, 'ro':1 }
```

- ▶ Add them to the result so far

```
freq_list = ([('ah', 'mah'], 3), ([rah'], 2))
```



# FIND WORDS WITH FREQUENCY GREATER THAN $x=1$

---

- ▶ Use function `find_frequent_word` to get words with the highest frequency
- ▶ The highest frequency is now not greater than  $x=1$ , so stop

```
word_dict = {
```

```
'rom':1, 'ro':1}
```

- ▶ The final result

```
freq_list = ([['ah', 'mah'], 3), [['rah'], 2)]
```



# LEVERAGING DICT PROPERTIES

---

```
word_dict = {'rah':2, 'ah':3, 'rom':1, 'mah':3, 'ro':1}
```

```
def occurs Often(word_dict, x):
```

```
    freq_list = []
```

```
    word_freq_tuple = find_frequent_word(word_dict)
```

*Gives us a word tuple  
like ('ah', 'mah'), 3)*

```
    while word_freq_tuple[1] > x:
```

*Stay in loop while we still have  
frequencies higher than x*

```
        freq_list.append(word_freq_tuple)
```

```
        for word in word_freq_tuple[0]:
```

```
            del(word_dict[word])
```

*Add those words to result  
Mutate dict to remove ALL  
those words; on next loop, will  
find next most common words*

```
        word_freq_tuple = find_frequent_word(word_dict)
```

```
    return freq_list
```



# SUMMARY

---

- ▶ Dictionaries have entries that **map a key to a value**
- ▶ **Keys are immutable/hashable and unique** objects
- ▶ **Values** can be **any object**
- ▶ Dictionaries can make code efficient
  - ▶ Implementation-wise
  - ▶ Runtime-wise





# RECURSION



# ITERATIVE ALGORITHMS SO FAR

---

- ▶ Looping constructs (`while` and `for` loops) lead to **iterative** algorithms
- ▶ Can capture computation in a set of **state variables** that update, based on a set of rules, on each iteration through loop
  - ▶ What is **changing each time** through loop, and how?
  - ▶ When can I **stop**?
  - ▶ Where is the **result** when I stop?



# MULTIPLICATION

---

- ▶ The \* operator does this for us
- ▶ Make a function

```
def mult(a, b):  
    return a*b
```



# MULTIPLICATION

## THINK in TERMS of ITERATION

---

- ▶ Can you make this iterative? Assuming integer  $b > 0$
- ▶ Define  $a * b$  as  $a + a + a + a \dots$   $b$  times
- ▶ Write a function

```
def mult(a, b):  
    total = 0  
    for n in range(b):  
        total += a  
    return total
```



# MULTIPLICATION

## THINK in TERMS of RECURSION

---

- ▶ If **a = 5** and **b = 4**
  - ▶  $5*4$  is  $5+5+5+5$
- ▶ **Decompose** the original problem into
  - ▶ **Something you know** and
  - ▶ the **same problem** again
- ▶ Original problem is using  $*$  between two numbers

Original problem ▶  $5*4$

▶  $= 5+( \quad 5*3 \quad )$

▶  $= 5+(5+( \quad 5*2 \quad ))$

▶  $= 5+(5+(5+(5*1)))$

A multiplication with 5 is  
 $5+5*\text{one\_less}$

# MULTIPLICATION

## FIND SMALLER VERSIONS of the PROBLEM

---

- ▶ If **a = 5** and **b = 4**
  - ▶  $5*4$  is  $5+5+5+5$
- ▶ **Decompose** the original problem into
  - ▶ **Something you know** and
  - ▶ the **same problem** again
- ▶ Original problem is using  $*$  between two numbers
  - ▶  $5*4$
  - ▶  $= 5+( \boxed{5*3} )$
  - ▶  $= 5+(\boxed{5+(5*2)})$
  - ▶  $= 5+(5+(5+(5*1)))$

*Similar  
problem*

*A multiplication with 5 is  
5+5\*one\_less*



# MULTIPLICATION

## FIND SMALLER VERSIONS of the PROBLEM

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- ▶ If **a = 5** and **b = 4**
  - ▶  $5*4$  is  $5+5+5+5$
- ▶ **Decompose** the original problem into
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- ▶ Original problem is using  $*$  between two numbers
  - ▶  $5*4$
  - ▶  $= 5+( \quad 5*3 \quad )$
  - ▶  $= 5+(5+( \boxed{5*2} \quad ))$
  - ▶  $= 5+(5+(\boxed{5+(5*1)}))$

*Similar  
problem*

*A multiplication with 5 is  
5+5\*one\_less*



# MULTIPLICATION REACHED the END

---

- ▶ If  $a = 5$  and  $b = 4$ 
  - ▶  $5*4$  is  $5+5+5+5$
- ▶ **Decompose** the original problem into
  - ▶ **Something you know** and
  - ▶ the **same problem** again
- ▶ Original problem is using  $*$  between two numbers
  - ▶  $5*4$
  - ▶  $= 5+( \quad 5*3 \quad )$
  - ▶  $= 5+(5+( \quad 5*2 \quad ))$
  - ▶  $= 5+(5+(5+(\boxed{5*1})))$

Basic fact: a number  
multiplied with itself  
is the same number.



# MULTIPLICATION

## BUILD the RESULT BACK UP

---

- ▶ If **a = 5** and **b = 4**
  - ▶  $5*4$  is  $5+5+5+5$
- ▶ **Decompose** the original problem into
  - ▶ **Something you know** and
  - ▶ the **same problem** again
- ▶ Original problem is using  $*$  between two numbers
  - ▶  $5*4$
  - ▶  $= 5+( \quad 5*3 \quad )$
  - ▶  $= 5+(5+( \boxed{5*2} ))$
  - ▶  $= 5+(5+(\boxed{5+5}))$

*Similar  
problem  
10*





# MULTIPLICATION

## BUILD the RESULT BACK UP

---

- ▶ If **a = 5** and **b = 4**
  - ▶  $5*4$  is  $5+5+5+5$
- ▶ **Decompose** the original problem into
  - ▶ **Something you know** and
  - ▶ the **same problem** again
- ▶ Original problem is using  $*$  between two numbers
  - ▶  $5*4$
  - ▶  $= 5+( \boxed{5*3} )$  *Similar problem*
  - ▶  $= 5+(\boxed{5+( \boxed{10} )})$  *15*
  - ▶  $= 5+(5+(5+( 5 )))$



# MULTIPLICATION

## BUILD the RESULT BACK UP

---

- ▶ If **a = 5** and **b = 4**
  - ▶  $5*4$  is  $5+5+5+5$
- ▶ **Decompose** the original problem into
  - ▶ **Something you know** and
  - ▶ the **same problem** again
- ▶ Original problem is using  $*$  between two numbers

Original  
problem ▶

$$5*4$$

- ▶  $= 5 + ( \quad 15 \quad )$  20
- ▶  $= 5 + (5 + ( \quad 10 \quad ))$
- ▶  $= 5 + (5 + (5 + ( \quad 5 \quad )))$



# MULTIPLICATION – RECURSIVE and BASE STEPS

---

## ► Recursive step

- Decide how to reduce problem to a **simpler/smaller version** of same problem, plus simple operations

$$a * b = a + a + a + a + \dots + a$$

b times

$$= a + a + a + a + \dots + a$$

b-1 times

$$= a + a * (b-1)$$



# MULTIPLICATION – RECURSIVE and BASE STEPS


---

## ► Recursive step

- Decide how to reduce problem to a **simpler/smaller version** of same problem, plus simple operations

$$\begin{aligned} \boxed{a * b} &= a + a + a + a + \dots + a \\ &\quad \underbrace{\hspace{10em}}_{b \text{ times}} \\ &= a + \underbrace{a + a + a + \dots + a}_{b-1 \text{ times}} \\ &= a + \boxed{a * (b-1)} \end{aligned}$$

recursive reduction





# MULTIPLICATION – RECURSIVE and BASE STEPS

---

## ► Recursive step

- Decide how to reduce problem to a **simpler/smaller version** of same problem, plus simple operations

$$\boxed{a * b} = a + a + a + a + \dots + a$$

## ► Base case

- Keep reducing problem until reach a simple case that can be **solved directly**
- When  $b=1$ ,  $a * b = a$

$$\begin{aligned} &= a + \underbrace{a + a + a + \dots + a}_{b \text{ times}} \\ &= a + \underbrace{a + a + a + \dots + a}_{b-1 \text{ times}} \\ &= a + \boxed{a * (b-1)} \end{aligned}$$

*recursive reduction*



# MULTIPLICATION – RECURSIVE CODE

---

## ► Recursive step

► If  $b \neq 1$ ,  $a*b = a + a*(b-1)$

## ► Base case

► If  $b = 1$ ,  $a*b = a$

```
def mult_recur(a, b):
```

```
    if b == 1:  
        return a
```

*base case*

```
    else:  
        return a + mult_recur(a, b-1)
```

*recursive  
step*



# WHAT IS RECURSION?

---

- ▶ Algorithmically: a way to design solutions to problems by **divide-and-conquer** or **decrease-and-conquer**
  - ▶ Reduce a problem to simpler versions of the same problem or to problem that can be solved directly
- ▶ Semantically: a programming technique where a **function calls itself**
  - ▶ In programming, goal is to NOT have infinite recursion
  - ▶ Must have **1 or more base cases** that are easy to solve directly
  - ▶ Must solve the same problem on **some other input** with the goal of simplifying the larger input problem, ending at base case



# YOU TRY IT!

---

- ▶ Complete the function that calculates  $n^p$  for integer variables  $n$  and  $p \geq 0$

```
def power_recur(n, p):  
    if _____:  
        return _____  
    else:  
        return _____
```





# FACTORIAL

---

$$n! = n * (n-1) * (n-2) * (n-3) * \dots * 1$$

- ▶ For what  $n$  do we know the factorial?

$n = 1$                        $\rightarrow$     `if n == 1:`  
                                                 `return 1`

*base case*

- ▶ How to reduce problem? Rewrite in terms of something simpler to reach base case

$n * (n-1)!$                        $\rightarrow$     `else:`  
                                                 `return n * fact(n-1)`

*recursive step*



# RECURSIVE FUNCTION SCOPE EXAMPLE

---

```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)  
  
print(fact(4))
```



# RECURSIVE FUNCTION SCOPE EXAMPLE

---


```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)
```

```
print(fact(4))
```

Global scope

fact

Some  
code



# RECURSIVE FUNCTION SCOPE EXAMPLE

---

```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)  
  
print(fact(4))
```

Global scope

fact

Some  
code

`print(fact(4))`



# RECURSIVE FUNCTION SCOPE EXAMPLE

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```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)  
  
print(fact(4))
```

Global scope

fact

Some  
code

fact scope  
(call w/ n=4)

n

4

`print(fact(4))`



# RECURSIVE FUNCTION SCOPE EXAMPLE

---

```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)
```

```
print(fact(4))
```

Global scope

fact

Some  
code

fact scope  
(call w/ n=4)

n

4

*print(fact(4))*

*return 4\*fact(3)*

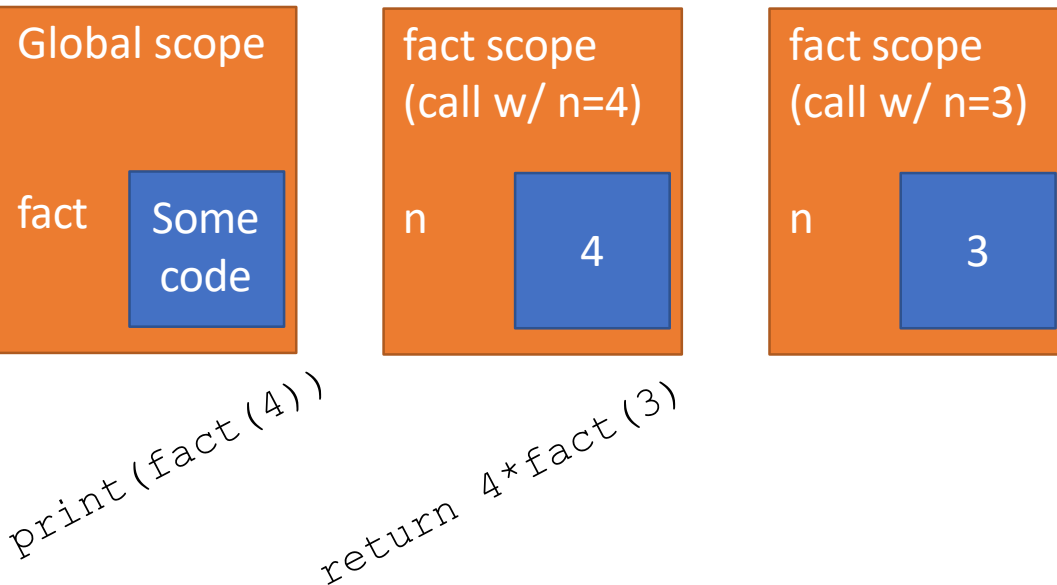


# RECURSIVE FUNCTION SCOPE EXAMPLE

---

```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)
```

```
print(fact(4))
```

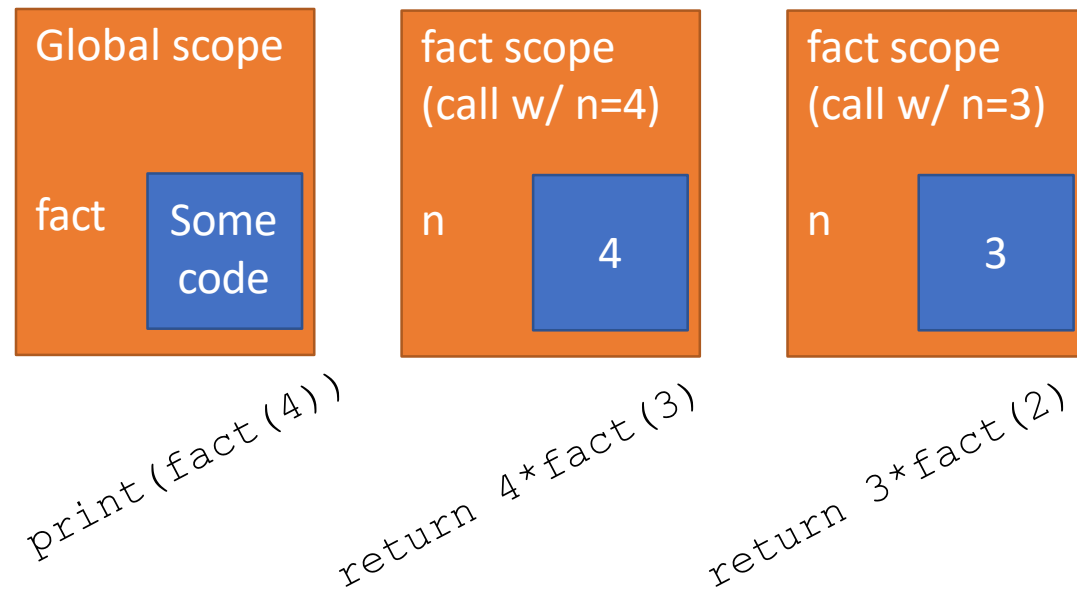


# RECURSIVE FUNCTION SCOPE EXAMPLE

---

```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)
```

```
print(fact(4))
```





# RECURSIVE FUNCTION SCOPE EXAMPLE

---

```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)
```

```
print(fact(4))
```

Global scope

fact

Some  
code

fact scope  
(call w/ n=4)

n

4

fact scope  
(call w/ n=3)

n

3

fact scope  
(call w/ n=2)

n

2

*print(fact(4))*

*return 4\*fact(3)*

*return 3\*fact(2)*

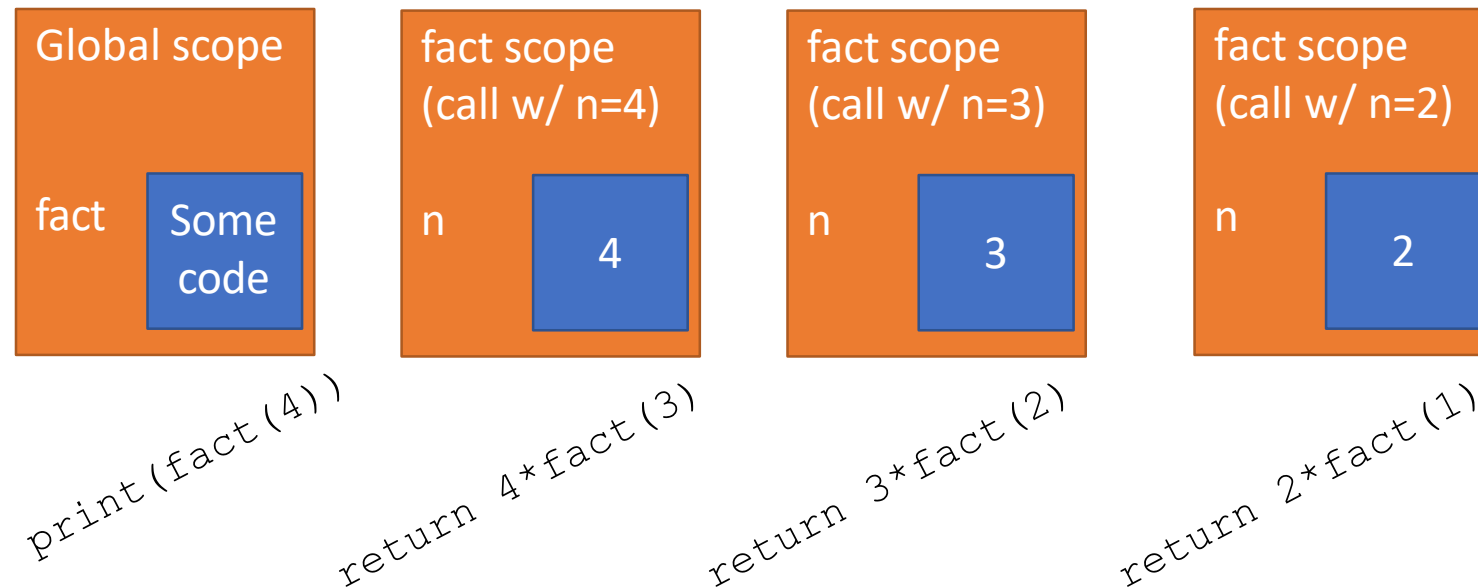


# RECURSIVE FUNCTION SCOPE EXAMPLE

---

```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)
```

```
print(fact(4))
```

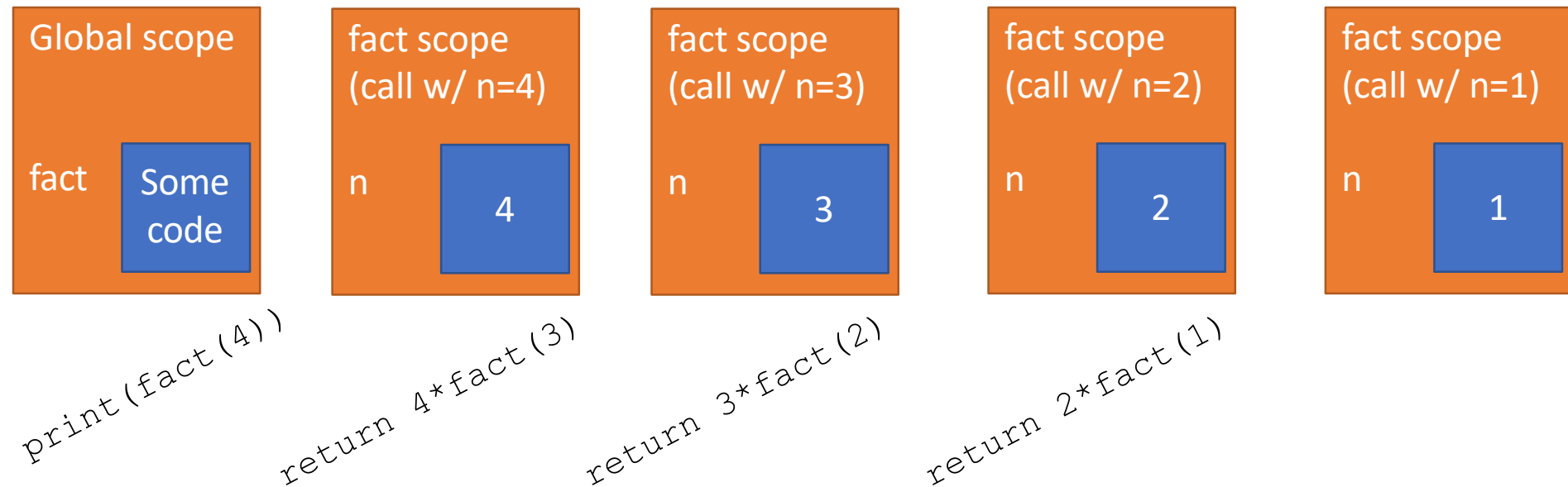


# RECURSIVE FUNCTION SCOPE EXAMPLE

---

```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)
```

```
print(fact(4))
```

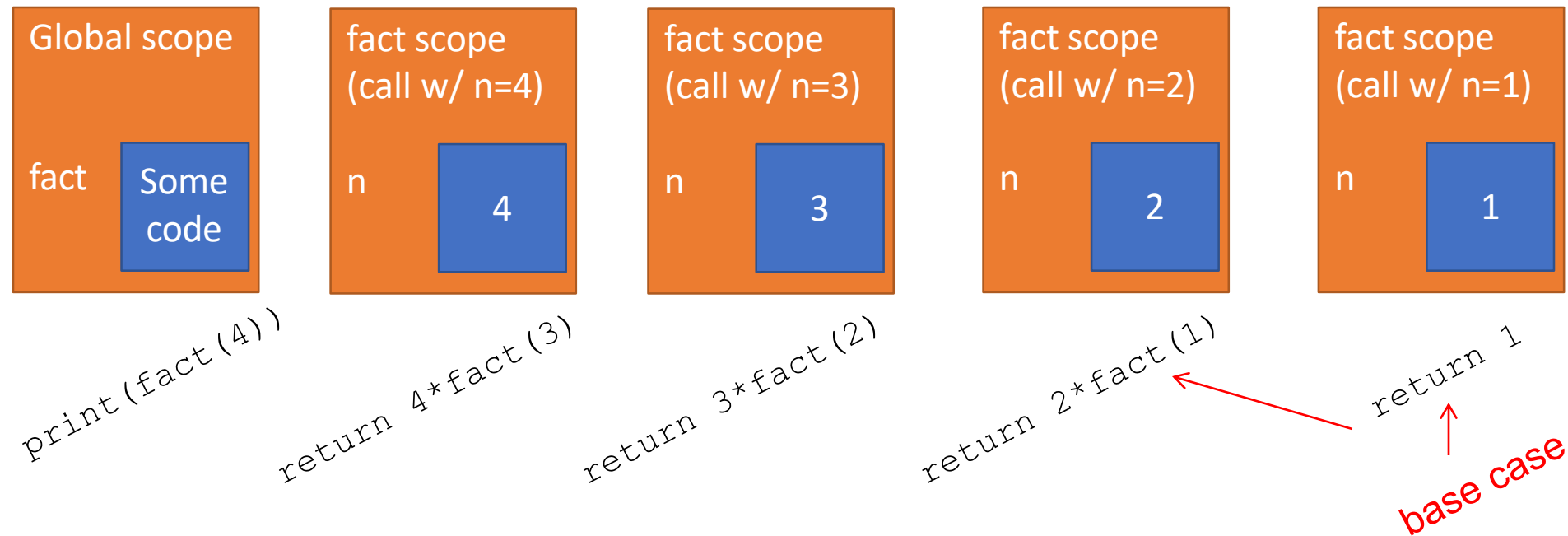


# RECURSIVE FUNCTION SCOPE EXAMPLE

---

```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)
```

```
print(fact(4))
```

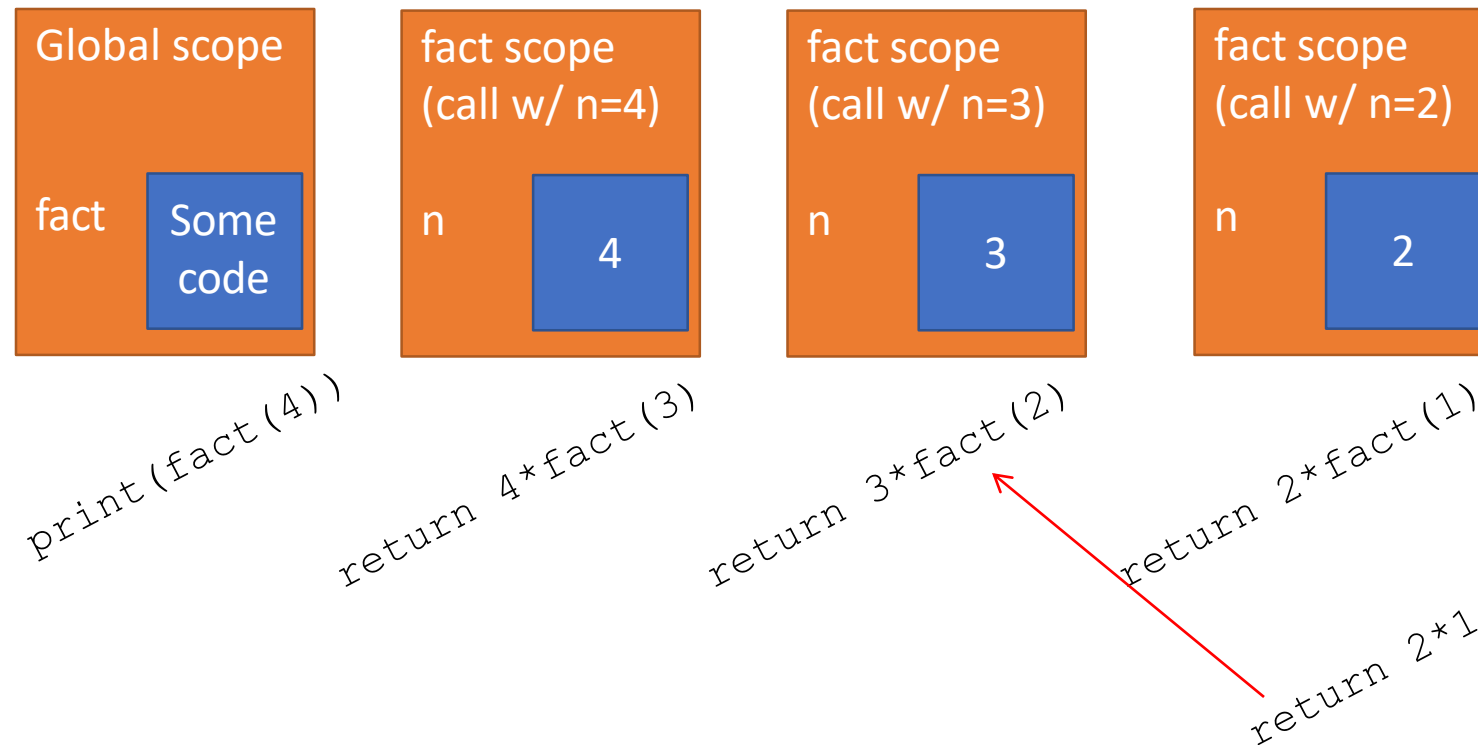


# RECURSIVE FUNCTION SCOPE EXAMPLE

---

```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)
```

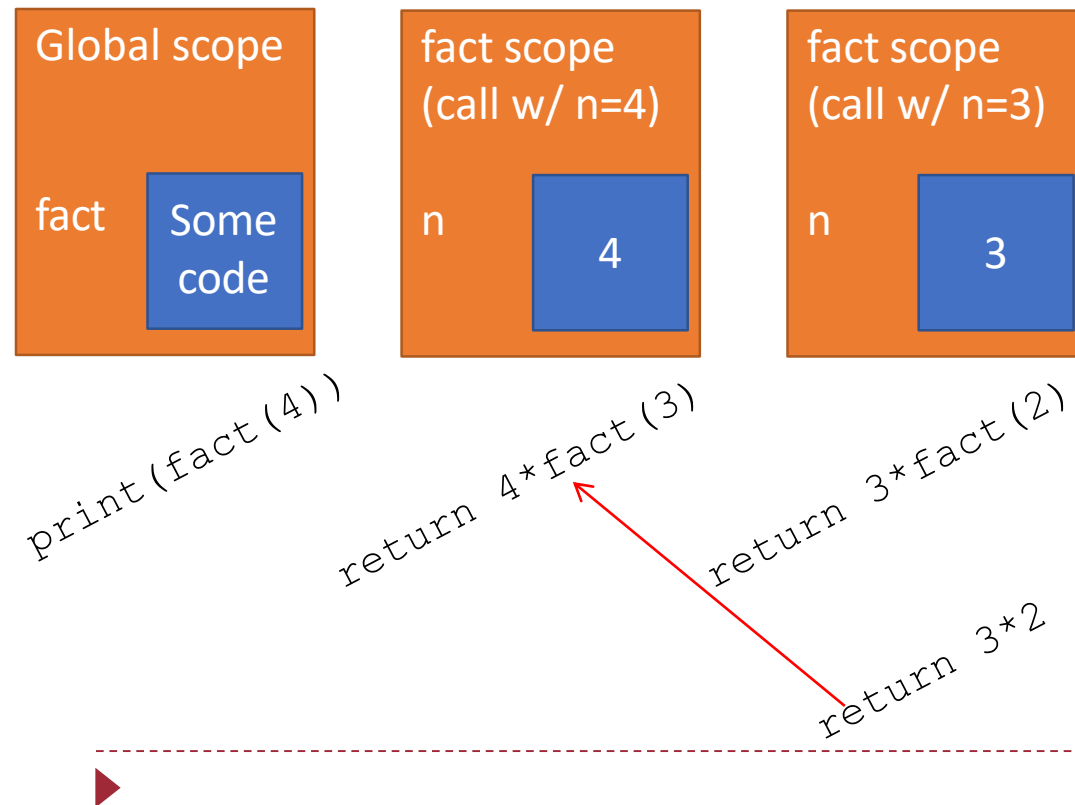
```
print(fact(4))
```



# RECURSIVE FUNCTION SCOPE EXAMPLE

---

```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)  
  
print(fact(4))
```

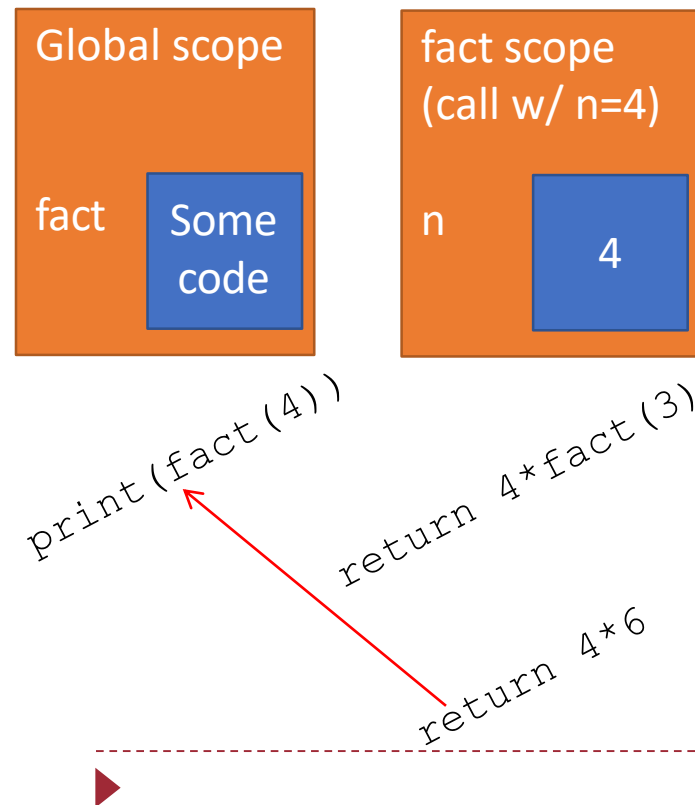


# RECURSIVE FUNCTION SCOPE EXAMPLE

---

```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)
```

```
print(fact(4))
```



# RECURSIVE FUNCTION SCOPE EXAMPLE

---

```
def fact(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact(n-1)  
  
print(fact(4))
```

Global scope

fact

Some  
code

`print(fact(4))`

`print(24)`

---





# BIG IDEA

---

In recursion, each function call is completely separate.

Separate scope/environments.

Fully I-N-D-E-P-E-N-D-E-N-T



# SOME OBSERVATIONS

---

- ▶ Each recursive call to a function creates its **own scope/environment**
- ▶ **Bindings of variables** in a scope are not changed by recursive call to same function
- ▶ Values of variable binding **shadow bindings** in other frames
- ▶ Flow of control passes back to **previous scope** once function call returns value

Using the same variable names but they are different objects in separate scopes



# BIG IDEA

---

“Earlier” function calls are waiting on results before completing.



# ITERATION vs. RECURSION

---

```
def factorial_iter(n):  
    prod = 1  
    for i in range(1, n+1):  
        prod *= i  
    return prod  
  
def fact_recur(n):  
    if n == 1:  
        return 1  
    else:  
        return n*fact_recur(n-1)
```

- ▶ Recursion may be efficient from programmer POV
- ▶ Recursion may not be efficient from computer POV



# WHEN to USE RECURSION?

## SO FAR WE SAW VERY SIMPLE CODE

---

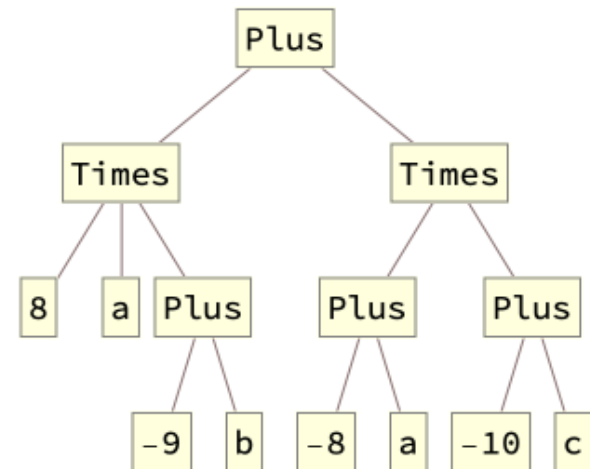
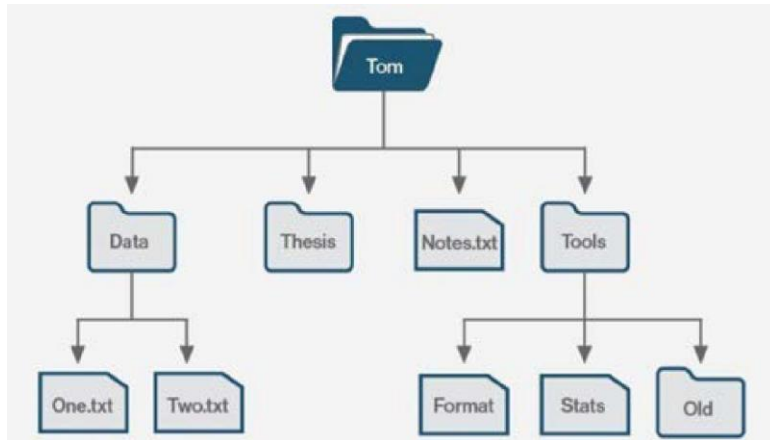
- ▶ Multiplication of two numbers did not need a recursive function, did not even need an iterative function!
- ▶ Factorial was a little more intuitive to implement with recursion
  - ▶ But it can also be easily implemented with an iterative function
- ▶ MOST problems do not need recursion to solve them
  - ▶ If iteration is more intuitive for you, then solve them using loops!



# WHEN to USE RECURSION

---

- ▶ SOME problems yield far simpler code using recursion
  - ▶ Searching a file system for a specific file
  - ▶ Evaluating mathematical expressions that use parentheses for order of operations



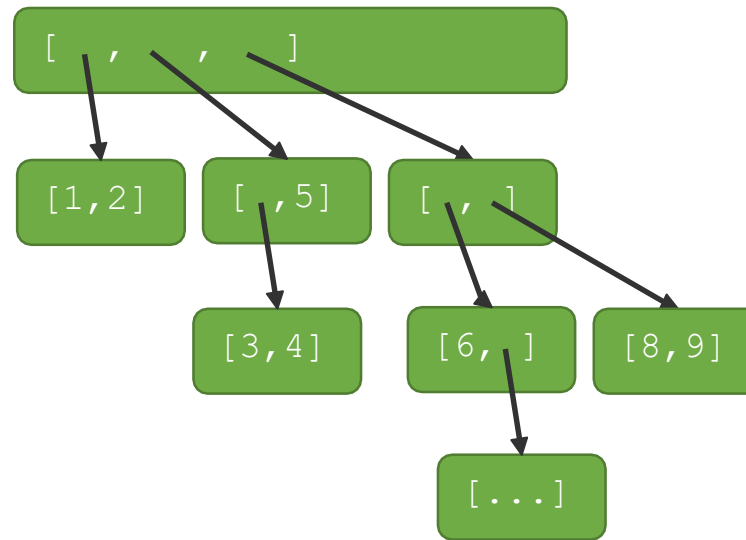
$$8*a*(-9+b) + (-8+a)*(-10+c)$$



# WHEN to USE RECURSION

---

- ▶ In the list examples so far, we knew how many levels we needed to iterate.
  - ▶ Either look at elems directly or in one level down
- ▶ But lists can have elements that are lists, which can in turn have elements that are lists, which can in turn have elements that are lists, etc.



# WHEN to USE RECURSION

---

- ▶ In the list examples so far, we knew how many levels we needed to iterate.
  - ▶ Either look at elems directly or in one level down
- ▶ But lists can have elements that are lists, which can in turn have elements that are lists, which can in turn have elements that are lists, etc.
- ▶ How can we use iteration to do these checks? It's hard.

```
for i in L:
    if type(i) == list:
        for j in i:
            if type(j) == list:
                for k in j:
                    if type(k) == list:
                        # and so on and on
                    else:
                        # do what you need to do
                else:
                    # do what you need to do
            else:
                # do what you need to do
        else:
            # do what you need to do
# done with the loop over L and all its elements
```

*You don't know how  
deep this goes*





# Example: reverse a list's elements

---

```
def rev(L):  
    L2 = []  
    for e in L[::-1]:  
        L2.append(e)  
    return L2
```



Or even simpler:

```
def rev(L):  
    return L[::-1]
```



# Example: reverse all elements in all sublists

---

Now need to know whether we are appending an element or a list

- ▶ lists must be reversed recursively



And sublists within sublists are reversed

```
def deep_rev(L):  
    L2 = []  
    for e in L[::-1]:  
        if type(e) == list:  
            L2.append(deep_rev(e))  
        else:  
            L2.append(e)  
    return L2
```



# YOU TRY IT!

---

## ▶ Count the number of int in a nested list

```
def count_elem(L):  
    """  
    Return the total number of integers in a nested list of integers.  
    """  
    # Your code here  
  
print(count_elem([1, 2, [[3, 4], 5]])) #5
```



# Summary

---

- ▶ Most problems are solved more **intuitively with iteration**
  - ▶ We show recursion on these to:
    - ▶ Show you a **different way of thinking** about the same problem (algorithm)
    - ▶ Show you **how to write a recursive function** (programming)
- ▶ Some problems have **nicer solutions with recursion**
  - ▶ If you recognize solving the same problem repeatedly, use recursion
- ▶ Tips
  - ▶ Every case in your recursive function **must return the same type of thing**
    - ▶ i.e. don't have a base case `return []`
    - ▶ and a recursive step `return len(L[0])+recur(L[1:])`
  - ▶ It's ok to:
    - ▶ have more than one base case
    - ▶ have more than one recursive cases, as long as you are **making progress** towards a base case recursively



# Object Oriented Programming: Classes

# Objects

---

- ▶ Python supports many different kinds of data
  - ▶ 1234
  - ▶ 3.14159
  - ▶ "Hello"
  - ▶ [1, 38, 4, 1, 35, 4]
  - ▶ {"CA": "California", "MA": "Massachusetts"}
- ▶ Each is an **object**, and every object has:
  - ▶ An internal **data representation** (primitive or composite)
  - ▶ A set of procedures for **interaction** with the object
- ▶ An object is an **instance** of a **type**
  - ▶ 1234 is an instance of an `int`
  - ▶ "Hello" is an instance of a `str`



# OBJECTS & TYPES

---

## ▶ **EVERYTHING IN PYTHON IS AN OBJECT**

- ▶ Can **create new objects** of some type
- ▶ Can **manipulate objects**
- ▶ Can **destroy objects**
  - ▶ Explicitly using `del` or just “forget” about them
  - ▶ Python system will reclaim destroyed or inaccessible objects – called “garbage collection”

## ▶ **EVERY OBJECT HAS A TYPE**

- ▶ This lecture: create new types with **class**



# OBJECTS & TYPES

---

- ▶ **Objects** of a specific **type** have...
  - ▶ An internal representation
    - ▶ Through data attributes
  - ▶ An interface for interacting with object
    - ▶ Through methods (i.e., procedural attributes)
    - ▶ Defines behaviors but hides implementation





# REAL-LIFE EXAMPLES

---

- ▶ **Elevator**: a box that can change floors
  - ▶ Represent using length, width, height, max\_capacity, current\_floor
  - ▶ Move its location to a different floor, add people, remove people
- ▶ **Employee**: a person who works for a company
  - ▶ Represent using name, birth\_date, salary
  - ▶ Can change name or salary
- ▶ **Queue at a store**: first customer to arrive is the first one helped
  - ▶ Represent customers as a list of str names
  - ▶ Append names to the end and remove names from the beginning
- ▶ **Stack of pancakes**: first pancake made is the last one eaten
  - ▶ Represent stack as a list of str
  - ▶ Append pancake to the end and remove from the end



# EXAMPLE: [1,2,3,4] has type list

---

## ▶ How are lists **represented internally**?

- ▶ Does not matter for so much for us as users (private representation)



*follow pointer to  
the next index*

## ▶ How to **interface with, and manipulate,** lists?

- ▶ `L[i]`, `L[i:j]`, `+`
- ▶ `len()`, `min()`, `max()`, `del(L[i])`
- ▶ `L.append()`, `L.extend()`, `L.count()`, `L.index()`,  
`L.insert()`, `L.pop()`, `L.remove()`, `L.reverse()`,  
`L.sort()`

## ▶ Internal representation should be private

## ▶ Correct behavior may be compromised if you manipulate internal representation directly



# CREATING AND USING YOUR OWN TYPES WITH CLASSES

---

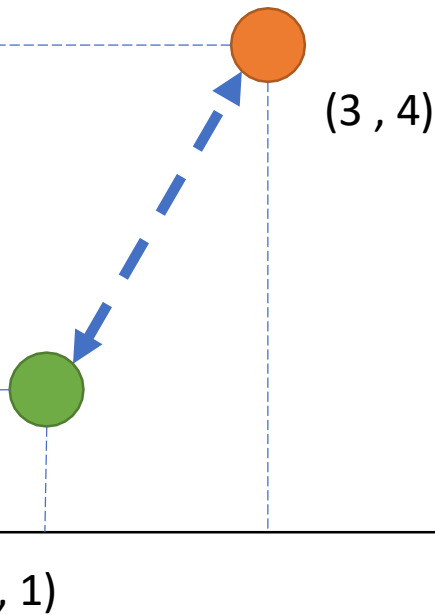
- ▶ **Creating** the class involves
  - ▶ Defining the class name
  - ▶ Defining class attributes
    - ▶ Data attributes: representation
    - ▶ Procedural attributes: interface
  - ▶ *for example, a list class*
- ▶ **Using** the class involves
  - ▶ Creating new **instances** of the class
  - ▶ Doing operations on the instances
  - ▶ *for example,  $L = [1, 2]$  and  $len(L)$*



# COORDINATE TYPE DESIGN DECISIONS

---

Can create **instances** of a  
Coordinate object



- ▶ Decide what **data** elements constitute an object
  - ▶ In a 2D plane
  - ▶ A coordinate is defined by an **x and y value**
- ▶ Decide **what to do** with coordinates
  - ▶ Tell us how far away the coordinate is on the x or y axes
  - ▶ Measure the **distance** between two coordinates



# DEFINE YOUR OWN TYPES

---

- ▶ Use the `class` keyword to define a new type

*class definition* *name/type* *class parent*

```
class Coordinate(object):  
    #define attributes here
```

- ▶ Similar to `def`, indent code to indicate which statements are part of the **class definition**
- ▶ The word `object` means that `Coordinate` is a Python object and **inherits** all its attributes (will see in future lects)
  - ▶ Can be omitted



# ATTRIBUTES

---

## ▶ Data attributes

- ▶ Think of data as other objects that represent the object
- ▶ *for example, a coordinate is made up of two numbers*

## ▶ Methods (i.e., procedural attributes)

- ▶ Think of methods as functions that only work with this class
- ▶ How to interact with the object
- ▶ *for example you can define a distance between two coordinate objects but there is no meaning to a distance between two list objects*



# Initialize data attributes

- ▶ Use a **special method called `__init__`** to initialize some data attributes or perform initialization operations when creating an instance of class

```
class Coordinate(object):
```

```
    def __init__(self, xval, yval):
```

```
        self.x = xval
```

```
        self.y = yval
```

special method to  
create an instance  
— is double  
underscore

two data attributes  
make up your type

parameter to  
refer to an  
instance of the  
class without  
having created  
one yet

what data initializes a  
Coordinate object

- ▶ `self` allows you to create **variables that belong to this object**
- ▶ Without `self`, you are just creating regular variables!

# ACTUALLY CREATING AN INSTANCE OF A CLASS

---

Recall the `__init__` method in the class def:

```
def __init__(self, xval, yval):  
    self.x = xval  
    self.y = yval
```

- ▶ Don't provide argument for `self`, Python does this automatically

```
c = Coordinate(3, 4)  
origin = Coordinate(0, 0)
```

create a new object  
of type  
Coordinate and  
pass in 3 and 4 to  
the `__init__`

- ▶ Data attributes of an instance are called **instance variables**
  - ▶ Data attributes are accessible with dot notation for the lifetime of the object
  - ▶ All instances have these data attributes, but with different values!

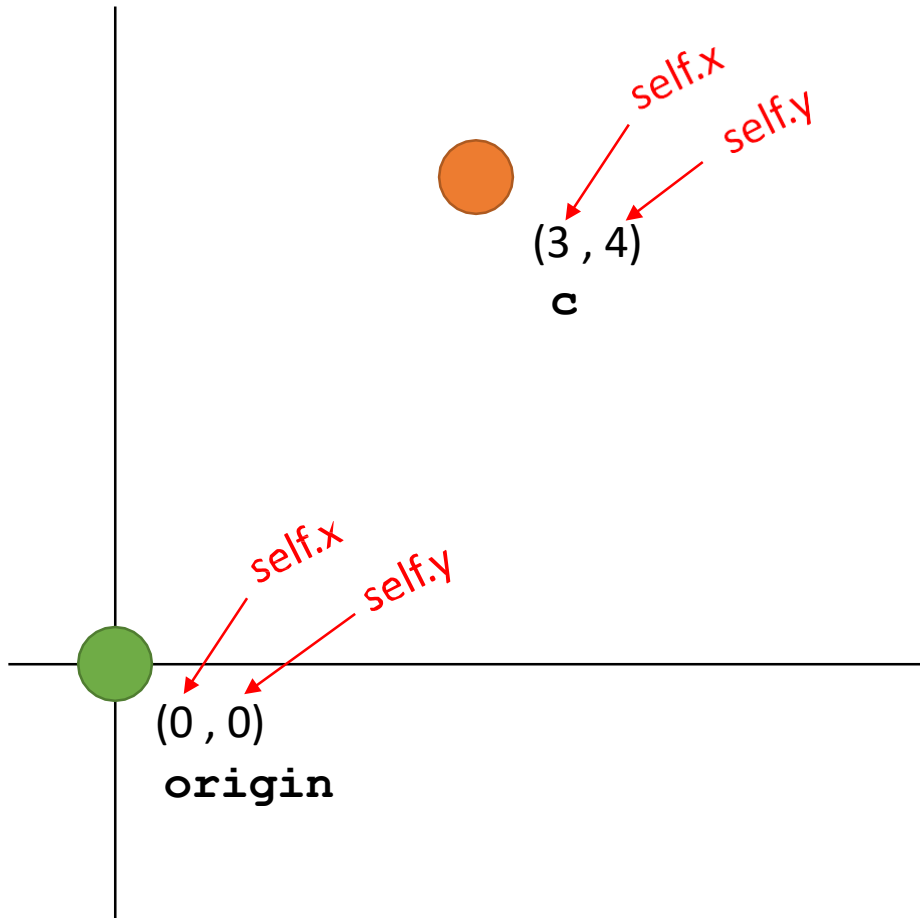
```
print(c.x)  
print(origin.x)
```

use the dot  
notation to access  
an attribute of  
instance `c`





# VISUALIZING INSTANCES: draw it



The template for a  
Coordinate type

```
class Coordinate(object):  
    def __init__(self, xval, yval):  
        self.x = xval  
        self.y = yval
```

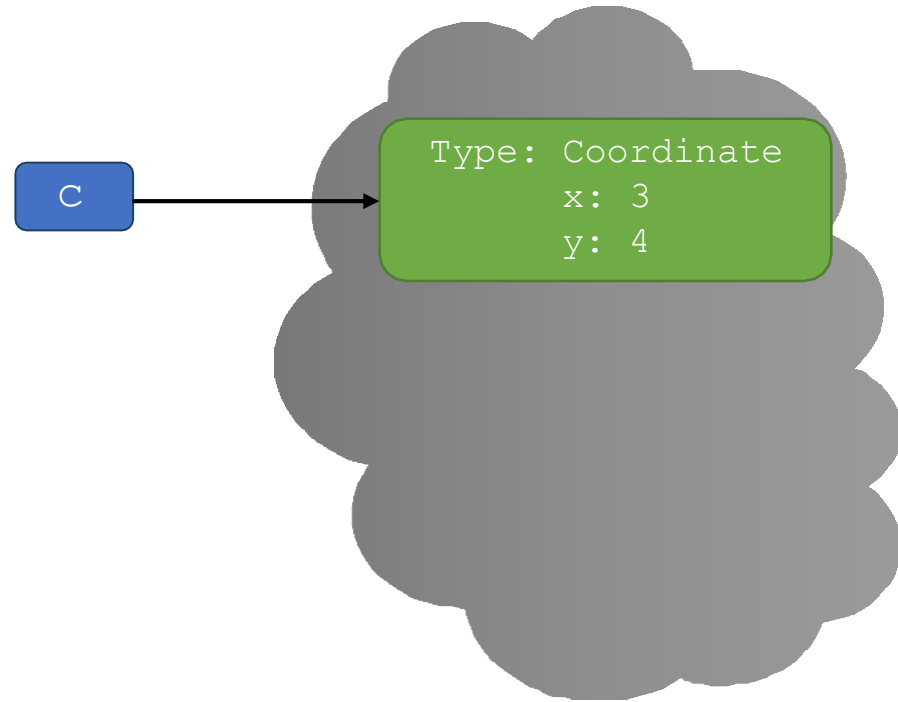
```
c = Coordinate(3,4)  
origin = Coordinate(0,0)  
print(c.x)  
print(origin.x)
```

Code to make actual  
tangible Coordinate  
objects (aka instances)

# VISUALIZING INSTANCES

---

- ▶ Suppose we create an instance of a coordinate  
`c = Coordinate(3, 4)`
- ▶ Think of this as creating a structure in memory
- ▶ Then evaluating `c.x` looks up the structure to which `c` points, then finds the binding for `x` in that structure



# VISUALIZING INSTANCES: in memory

---

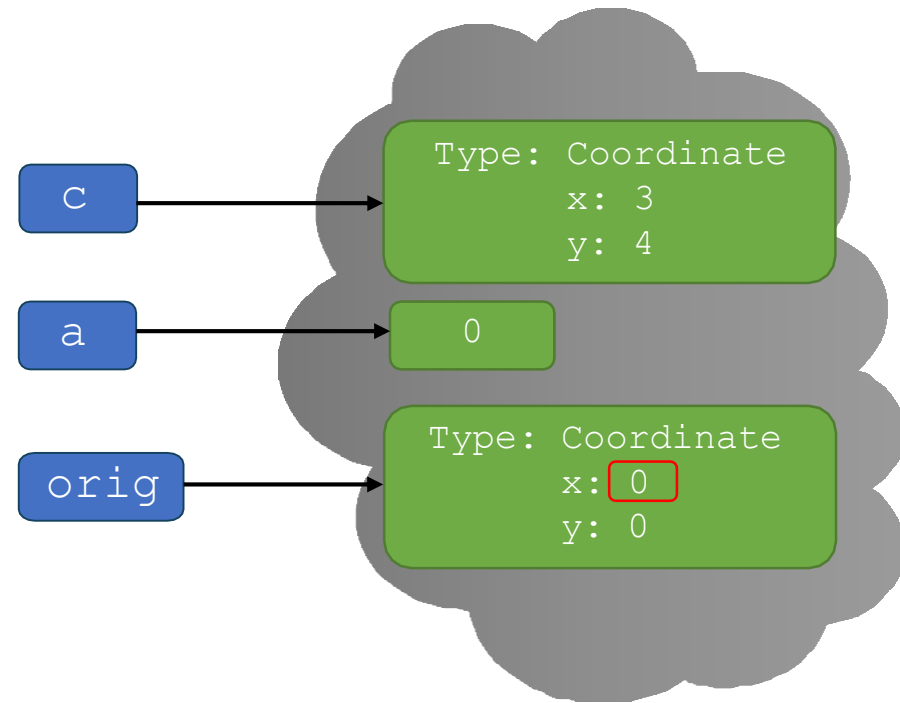
- ▶ Make another instance using a variable

```
a = 0
```

```
orig = Coordinate(a, a)
```

```
orig.x
```

- ▶ All these are just objects in memory!
- ▶ We just access attributes of these objects



# WHAT IS A METHOD?

---

- ▶ Procedural attribute
  - ▶ Think of it like a **function that works only with this class**



# DEFINE A METHOD FOR THE Coordinate CLASS

---

```
class Coordinate(object):  
    def __init__(self, xval, yval):  
        self.x = xval  
        self.y = yval  
  
    def distance(self, other):  
        x_diff_sq = (self.x - other.x) ** 2  
        y_diff_sq = (self.y - other.y) ** 2  
        return (x_diff_sq + y_diff_sq) ** 0.5
```

- ▶ Python always passes the object as the first argument
  - ▶ Convention is to use **self** as the name of the first argument of all methods
- ▶ Other than `self` and dot notation, methods behave just like functions (take params, do operations, return)



# HOW TO CALL A METHOD?

---

- ▶ The “.” **operator** is used to access any attribute
  - ▶ A data attribute of an object (we saw `c.x`)
  - ▶ A method of an object
- ▶ Dot notation

`<object_variable>.<method>(<parameters>)`

*Object to call  
method on, becomes  
self in the class def*

*Name of  
method*

*Not including self.  
self is the obj  
before the dot!*

- ▶ Familiar?

```
my_list.append(4)
```

```
my_list.sort()
```



# HOW TO USE A METHOD

---

- ▶ Recall the definition of distance method:

```
def distance(self, other):  
    x_diff_sq = (self.x-other.x)**2  
    y_diff_sq = (self.y-other.y)**2  
    return (x_diff_sq + y_diff_sq)**0.5
```

- ▶ Using the class:

```
c = Coordinate(3, 4)  
orig = Coordinate(0, 0)  
print(c.distance(orig))
```

object to call  
method on

name of  
method

parameters not including self  
(self is implied to be c)

- ▶ Notice that `self` becomes the object you call the method on (the thing before the dot!)
- 



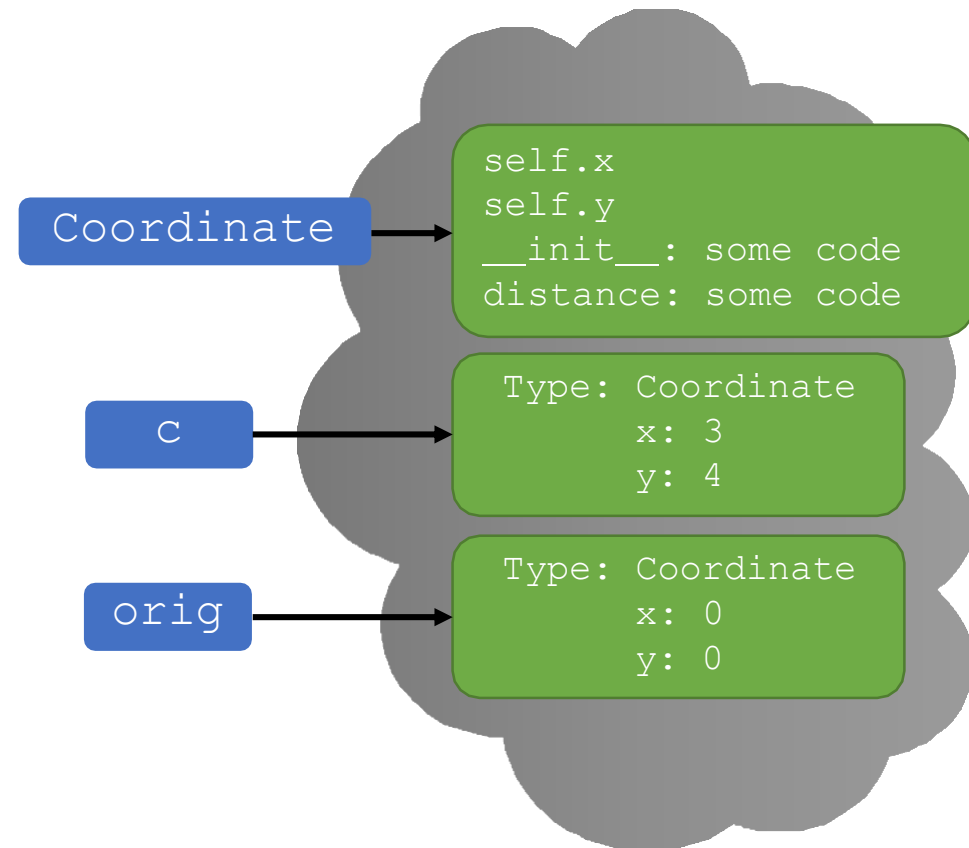
# VISUALIZING INVOCATION

---

- ▶ Coordinate class is an object in memory
  - ▶ From the class definition

- ▶ Create two Coordinate objects

```
c = Coordinate(3, 4)
orig = Coordinate(0, 0)
```





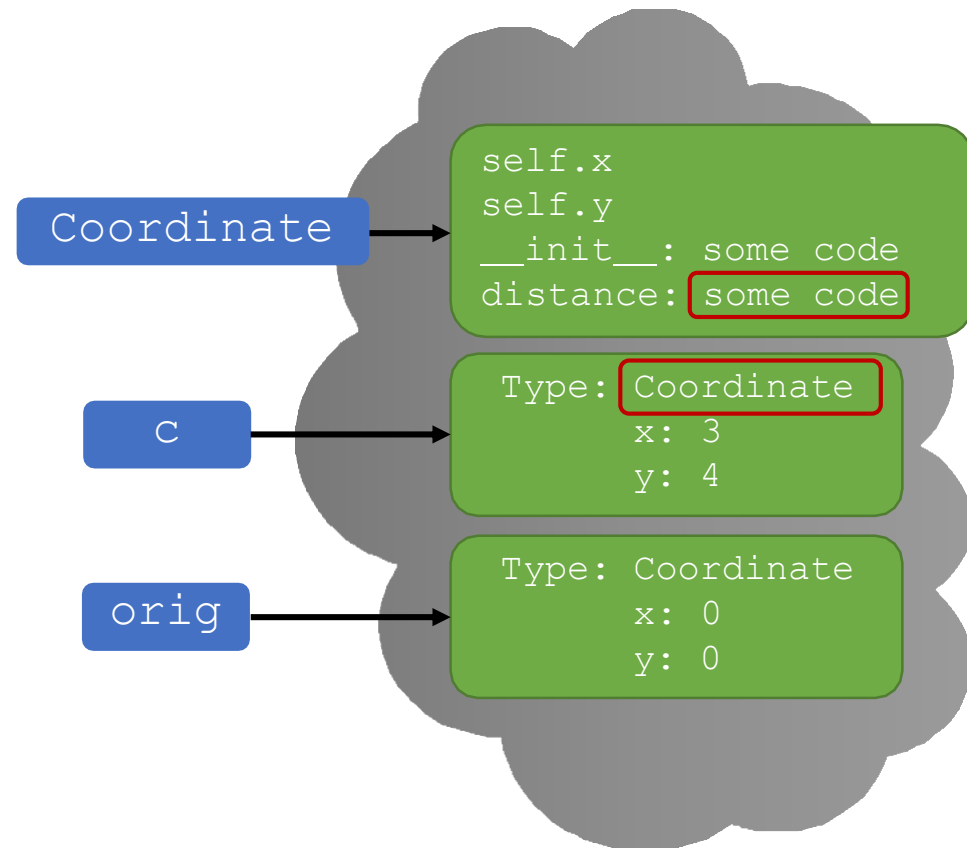
# VISUALIZING INVOCATION

---

## ► Evaluate the method call

`c.distance(orig)`

- (1) The object is before the dot
- (2) Looks up the type of `c`
- (3) The method to call is after the dot.
- (4) Finds the binding for `distance` in that object class
- (5) Invokes that method with `c` as `self` and `orig` as other



# HOW TO USE A METHOD

---

## ► Conventional way

```
c = Coordinate(3, 4)
```

```
zero = Coordinate(0, 0)
```

```
c.distance(zero)
```

object to  
call  
method  
on, this is  
self in the  
class def

name of  
method

parameters not  
including `self`  
(`self` is  
implied to be `c`)

## ► Equivalent to

```
c = Coordinate(3, 4)
```

```
zero = Coordinate(0, 0)
```

```
Coordinate.distance(c,  
zero)
```

name of  
class (NOT  
an object of  
type  
`Coordinate`)

name of  
method

parameters, including an  
object to call the method  
on, representing `self`



# BIG IDEA

---

The `.` operator accesses either data attributes or methods.

Data attributes are defined with `self.something`

Methods are functions defined inside the class with `self` as the first parameter.



# Object Oriented Programming (OOP)

---

- ▶ Bundle **related data into packages** together with **procedures that work on them** through well-defined interfaces
- ▶ **Divide-and-conquer** development
  - ▶ Implement and test behavior of each class separately
  - ▶ Increased modularity reduces complexity

