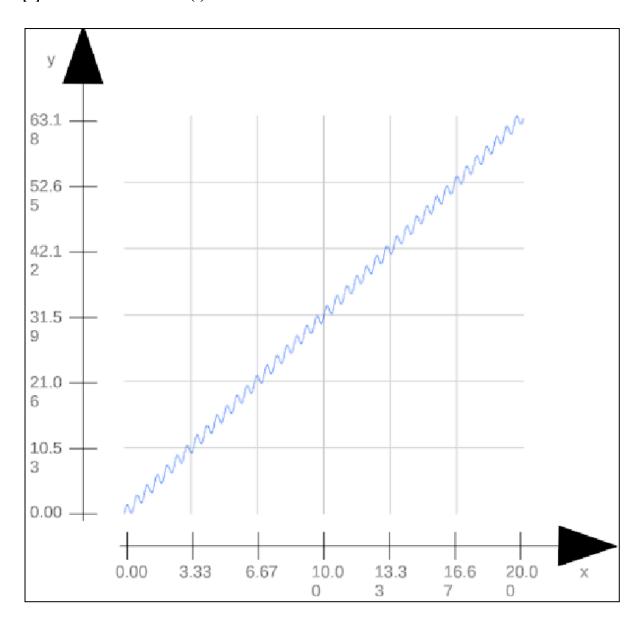
Project Report: 1 Date: 18.12.2023

Ajay Patil | registration Number: 126655

[1] Exact result of the integration: 633.275

[2] Plot of the function P(t):



[3] Nassi-Schneiderman diagrams for all three algorithms:

Method1:

Method1() Initialize constants

START

CalculateEnergyUsingRectangles(double start, double end, int numberOfintervals)

Initialize totalEnergy = 0.0

for i <- 0 to intervals - 1

Calculate t = startTime + i * intervalWidth

Calculate power = CalculatePowerAtTime(t)

Calculate area = power * intervalWidth

Add area to totalEnergy

Return totalEnergy

[Log Total Energy to Console]

Output "Total Energy using Rectangle Method: [totalEnergy] Joules"

Method2:

Method2()

Initialize Constants

a1 = 126655.0 / 40000.0

f1 = 2.0

startTime = 0.0

endTime = 20.0

intervals = 200

//Calculate Total Energy using Midpoint Method

intervalWidth = (endTime - startTime) / intervals

totalArea = 0.0

for i <- 0 to intervals-1

midpoint = startTime + (i + 0.5) * intervalWidth

midpointHeight = CalculatePowerAtTime(midpoint)

totalArea += midpointHeight * intervalWidth

Return totalArea

Log Total Energy to Console

Output "Total Energy using Midpoint Method: [totalEnergy] Joules"

Method3:

Method3()

// Initialize Constants

a1 = 126655.0 / 40000.0 f1 = 2.0 startTime = 0.0 endTime = 20.0 intervals = 2000

// Calculate Total Energy using Trapezoidal Rule

h = (endTime - startTime) / intervals

totalArea = 0.5 * (CalculatePowerAtTime(startTime) + CalculatePowerAtTime(endTime))

for i <- 0 to intervals-1

x = startTime + i * h

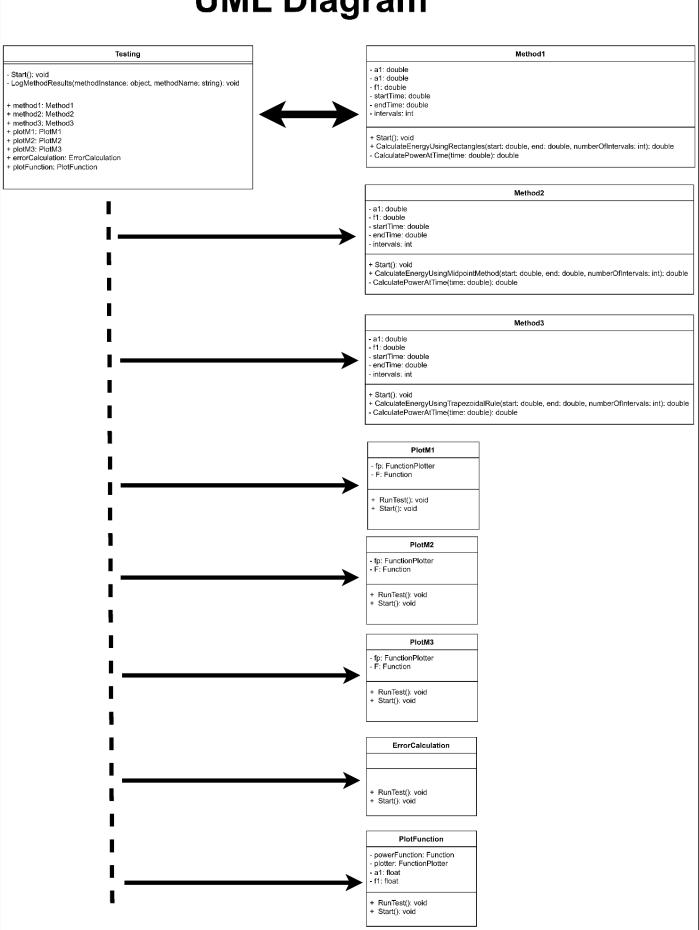
totalArea += CalculatePowerAtTime(x)

Return totalArea * h (Total Energy)

Log Total Energy to Console

Output "Total Energy using Trapezoidal Rule: [totalEnergy] Joules"

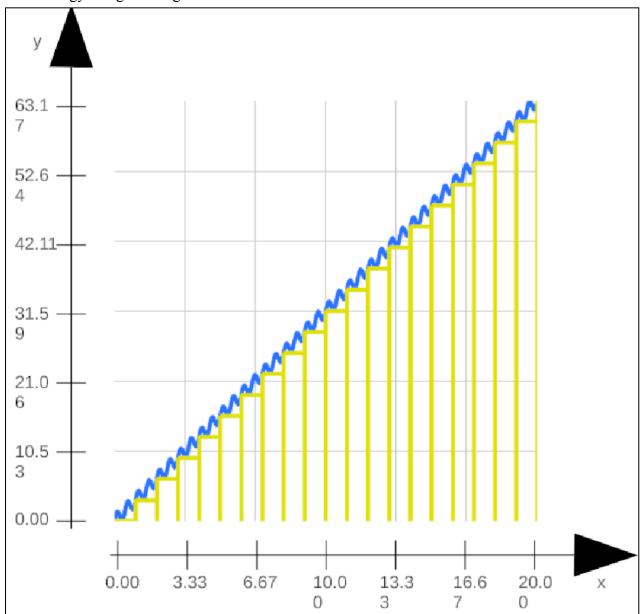
UML Diagram



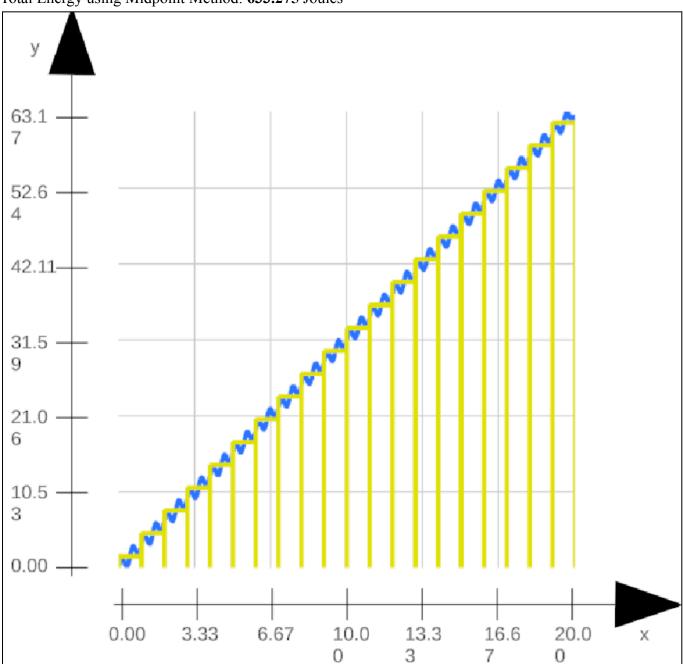
[5] Results of the numerical integration:

Method 1:

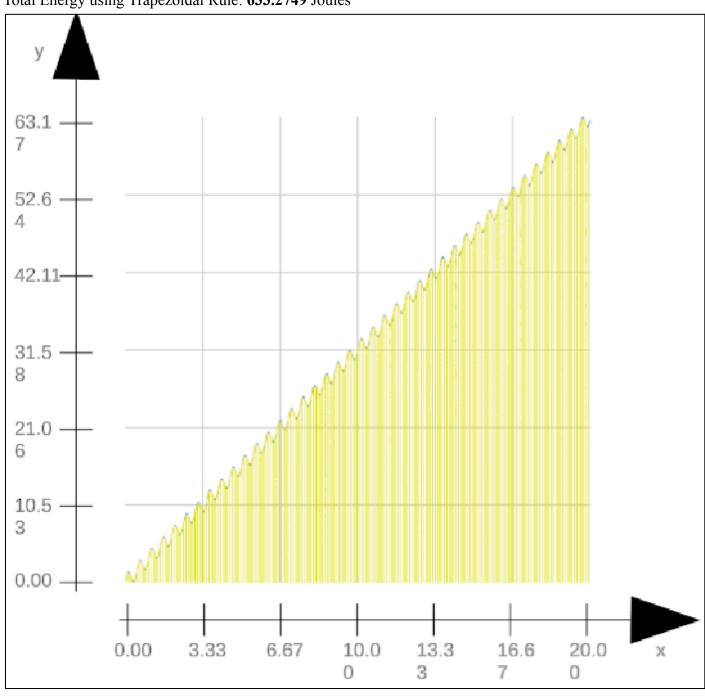
Total Energy using Rectangle Method: 630.108625 Joules



Method 2: Total Energy using Midpoint Method: 633.275 Joules



Method 3: Total Energy using Trapezoidal Rule: 633.2749 Joules



[6] Absolut and relative error of the numerical results:

Absolute Error = (Approximate Value - Exact Value)

Relative Error = (Approximate Value - Exact Value) / (Exact Value)

Analytical Value = 633.275

Numerical Value of Method1 = 630.108625

Numerical Value of Method 1 = 0

Numerical Value of Method 1 = 633.2749

Absolute Error for Method 1 is: -3.16637500000002

Absolute Error for Method 2 is: 0

Absolute Error for Method 3 is: -9.9999999748979E-05

Relative Error for Method 1 is: -0.005000000000000003

Relative Error for Method 2 is: 0

Relative Error for Method 3 is: -1.57909281078359E-07

Relative Error Percentage for Method 1 is: -0.500000000000003%

Relative Error Percentage for Method 2 is: 0%

Relative Error Percentage for Method 3 is: -1.57909281078359E-05%