

Location-Independent Weather Forecasting

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Introduction

Weather forecasting has traditionally been treated as a well-studied physics-based phenomenon for a specific location. Even so, weather still exhibits data patterns that can potentially be utilized as a basis for future prediction. By gathering data from a variety of different locations in the continental United States, we are to train a dynamic neural network for location-neutral weather forecaster.

Objective

Input: The past three days of weather data samples recorded every four hours. Each sample includes readings of temperature, visibility, wind speed, wind direction, pressure, and dew point.

Output: The weather for the next day in 4 hour data samples.

Dynamic Neural Network Weather(t+1) Weather(t) Weather(t-4)

Feed Forward:

Weather(t-8)

$$\mathbf{x}(n+1) = \mathbf{f}(\mathbf{W}^{in}\mathbf{u}(n+1) + \mathbf{W}\mathbf{x}(n), \text{ where } f(x) = \tanh(x)$$

$$\mathbf{y}(n+1) = \mathbf{f}^{out}(\mathbf{W}^{out}(\mathbf{u}(n+1),\mathbf{x}(n+1)))$$

Monte Carlo Update Method:

Hidden Layer 1

For each weight matrix, update that matrix with a randomly generated matrix and check the error. If the error has gone down after the update, save the new matrix, otherwise discard it and try again.

Hidden Layer 2

Backpropagation Update Method:

Calculate deltas-
$$\delta_j(T) = (d_j(T) - y_j(T)) \frac{\partial f(u)}{\partial u}\Big|_{u=z_j(T)}$$

$$\delta_{i}(T) = \left[\sum_{j=1}^{L} \delta_{j}(T) w_{ji}^{out} \right] \frac{\partial f(u)}{\partial u} \Big|_{u=z_{i}(n)}$$

$$\delta_{i}(n) = \left[\sum_{j=1}^{N} \delta_{j}(n+1) w_{ji} + \sum_{j=1}^{L} \delta_{j}(n) w_{ji}^{out} \right] \frac{\partial f(u)}{\partial u} \Big|_{u=z_{i}(n)}$$

Update weights-

new
$$w_{ij} = w_{ij} + \gamma \sum_{n=1}^{I} \delta_i(n) x_j(n-1)$$
 [use $x_j(n-1) = 0$ for $n = 1$]

new
$$w_{ij}^{in} = w_{ij}^{in} + \gamma \sum_{n=1}^{T} \delta_{i}(n) u_{j}(n)$$

$$new \ w_{ij}^{out} = w_{ij}^{out} + \gamma \times \begin{cases} \sum_{n=1}^{T} \delta_{i}(n) u_{j}(n), & if j refers to input unit \\ \sum_{n=1}^{T} \delta_{i}(n) x_{j}(n), & if j refers to hidden unit \end{cases}$$

Results Predicted Temperature Using Backpropagation Update Method Predicted Temperature Using Monte Carlo Update Method) **Training Error with the Backpropagation Update Method** (celcius) y = Predicted temperature $-\dot{\mathbf{v}} = \mathbf{N}$ aive temperature y = Actual temperature Squared y = Actual Temperature Hours in the Future Hours in the Future

Future Work

- > Run more tests to refine the three hyperparameters used in the network (number of neurons per layer, number of hidden layers, number of input samples).
- Expand the network to allow for an arbitrary number of hidden layers.
- > Optimize for speed, potentially implementing a stochastic gradient descent.

Sources: H. Jaeger (2002, revised 2013): Tutorial on training recurrent neural networks, covering BPPT, RTRL, EKF and the "echo state network" approach. GMD Report 159, German National Research Center for Information Technology, 2002 (48 pp.)

Data Source: Quality Controlled Local Climatological Data from the National Climatic Data Center