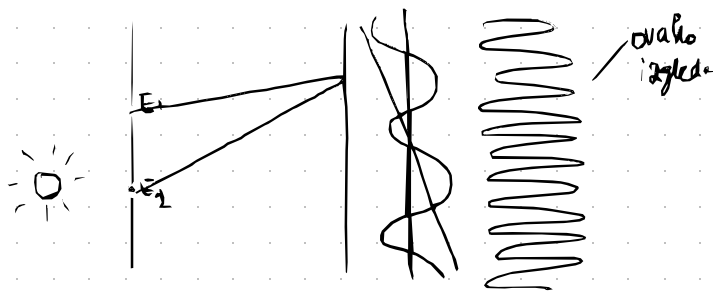


Interferencija svjetlosti

↳ konstruktivna i destruktivna

temnička realizacija dva koherentna izvora



$$E_1 = E_0 \sin(\omega t - kx_1)$$

$$E_2 = E_0 \sin(\omega t - kx_2)$$

$$E = E_1 + E_2$$

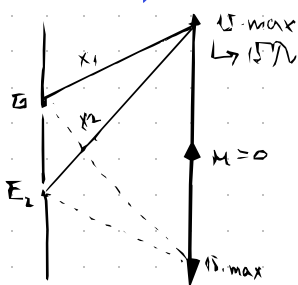
max.

$$|x_1 - x_2| = m\lambda \quad m = 0, 1, 2, \dots$$

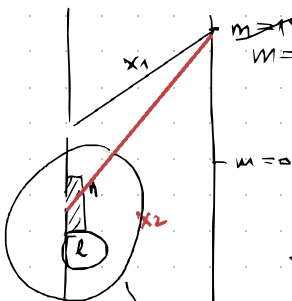
$$\Rightarrow |x_1 - x_2| = \frac{2m+1}{2} \lambda$$

$$|n_1 x_1 - n_2 x_2| =$$

Zadatak: Youngov pokus



prvi



posljed

tu je onda nešto max

$$\lambda = 500 \text{ nm}$$

$$n = 1.6$$

$l = ?$ - debljina listića

→ prva aproksimacija (bez nje uvrne g.)



→ to su toliko male veličine da je krak svjetlosti ~ l

$$|x_2 - x_1| = 15\lambda$$

$$x_2 + l + n \cdot l - x_1 = m \cdot \lambda = 0$$

$$15\lambda - l + n \cdot l = 0$$

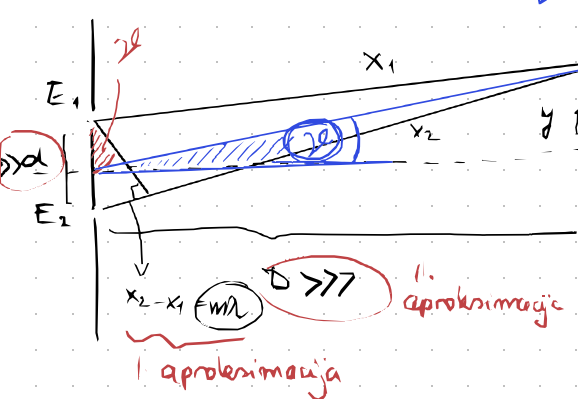
$$15\lambda - l(1 - n) = 0$$

$$l = \left| \frac{-15\lambda}{n-1} \right| \Rightarrow l = \frac{15\lambda}{n-1} = 1.25 \times 10^{-5} \text{ m}$$

jer je sinuoidno pa je 15. max i onda gdje je x2 krasi

→ taj smo trebali

Ekvidistantnost u Youngovu pokusu:



$m\lambda$; koliko iznosi $y(m\lambda) = ?$

$$\sin \theta = \frac{m\lambda}{a}$$

$$\tan \theta = \frac{y}{D}$$

$\theta \rightarrow 0$, jer su velike udaljenosti
III. aproksimacija i između zaslona, a
nitno između rešetke

$$\frac{m\lambda}{a} \approx \frac{y}{D}$$

$$y = \frac{D}{a} \cdot m\lambda \quad \text{MAX}$$

$$y = \frac{D}{a} \cdot \frac{2m+1}{2} \lambda \quad \text{MIN}$$

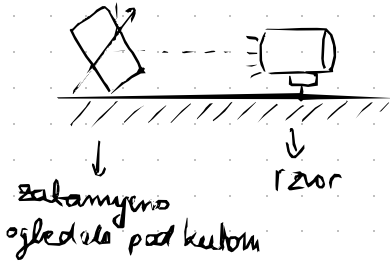
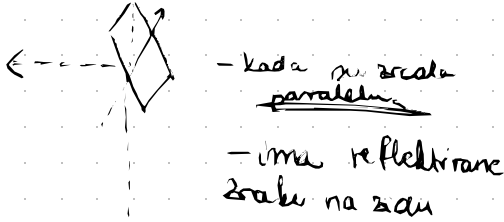
$$\left\{ \begin{array}{l} \theta \rightarrow 0 \Rightarrow \sin \theta \approx \theta \\ \text{tj } \theta \approx \theta \end{array} \right.$$



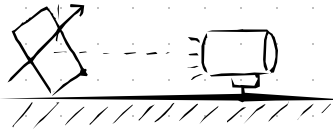
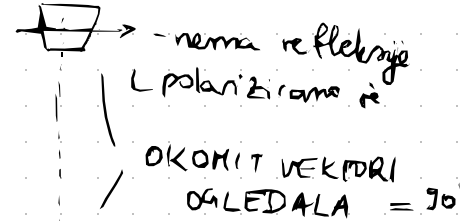
IV. aproksimacija - ono za ušićku priju

RATKO POKUSI

1. Linearno polariziranje svetlosti



/// - ima najtlošiji na zidu



2. Drugi pokus polariziranja



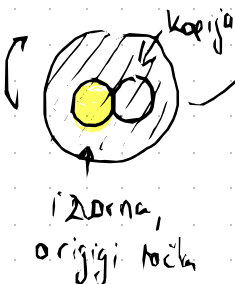
- 1 (črta) polarizator je poklopljen na $0^\circ; 0^\circ$

- 2 (↑) polarizator je isto na $0^\circ; 0^\circ$

↳ ako ga okrenemo na  - nema propusta svetlosti (90)

↳ na 180° ima  - nema polarizacije

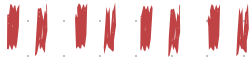
3. Grru stoji?



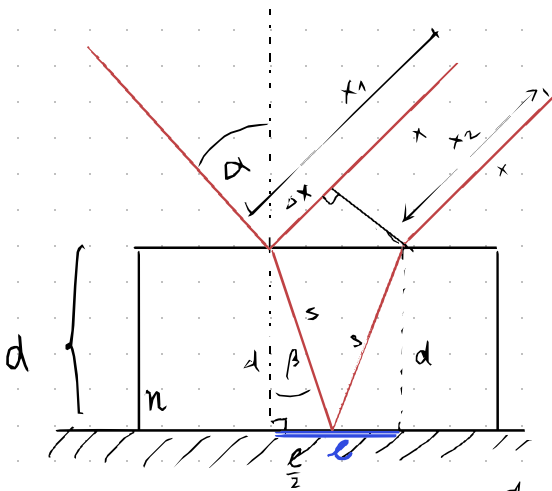
↳ kako ga okrećemo, tako jedna točka nestaje, ne naglo ali postepeno prema okretanju



4. Young's peaks:



Tonki listici



$$x_1 - x_2 = \Delta x + x - x - 2ns = m\lambda$$

$$x_1 - x_2 = \Delta x - 2ns = m\lambda$$



$$\Delta x - 2ns = m\lambda = f(\alpha, n, d)$$

$$s = \frac{d}{\cos \beta}$$

$$s = \frac{d}{\sqrt{1 - \frac{\sin^2 \alpha}{n^2}}}$$

$$d \sin \alpha = n \sin \beta$$

$$\sin \beta = \frac{\sin \alpha}{n}$$

$$\cos \beta = \frac{d}{s}$$

$$\sin \alpha = \frac{\Delta x}{l} \quad \Delta x = l \sin \alpha$$

$$\sin \alpha = \frac{l}{2s} \quad l = 2s \sin \alpha$$

$$\left\{ \begin{array}{l} \frac{2d}{\sqrt{1 - \frac{\sin^2 \alpha}{n^2}}} \sin \alpha - \frac{2nd}{\sqrt{1 - \frac{\sin^2 \alpha}{n^2}}} = m\lambda \\ \frac{2d}{\sqrt{n^2 - \sin^2 \alpha}} \sin \alpha - \frac{2n^2 d}{\sqrt{n^2 - \sin^2 \alpha}} = -2d \frac{n^2 \sin \alpha}{\sqrt{n^2 - \sin^2 \alpha}} \end{array} \right.$$

$$2d \sqrt{n^2 - \sin^2 \alpha} = m\lambda ?$$

$$L \text{ vrijedi za } m \text{ koj } < n$$

$$\text{ALI Ako } n \text{ koj } > n$$

$$\cos \left(\frac{k_{x1} - k_{x2}}{2} - \frac{\pi}{2} \right)$$

$$2d \sqrt{n^2 - \sin^2 \alpha} = \frac{2m+1}{2} \lambda$$

$$0, \pi, 2\pi, \dots$$

$$\frac{k_{x1} - k_{x2}}{2} = m\pi - \frac{\pi}{2}$$