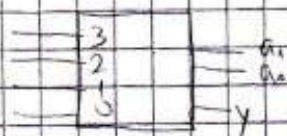


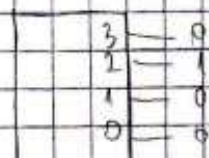
# MASOVNE DIGITALNA

## PRIORITETNI KODER



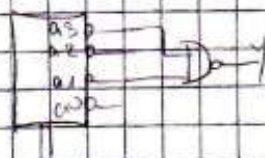
- aktivni vnos pretvora v binarno kombinacijo, ko več aktivnih vnosov  
izhaja vnos s najvišjim indeksom
- v sklopu sta samo aktivni vnos, koda je y v nuli

## DEKODER



a1 a0

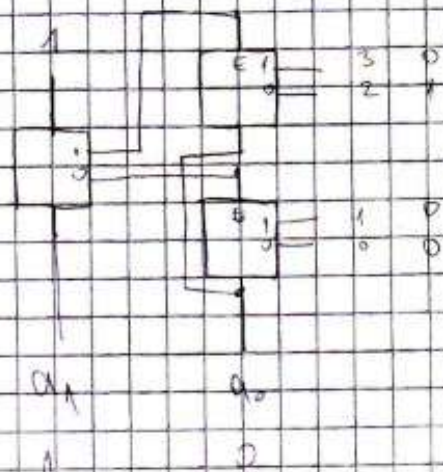
1 0



$$y = \overline{a_2} \cdot \overline{a_1} = \overline{a_2} + \overline{a_1} = a_2 + a_1$$

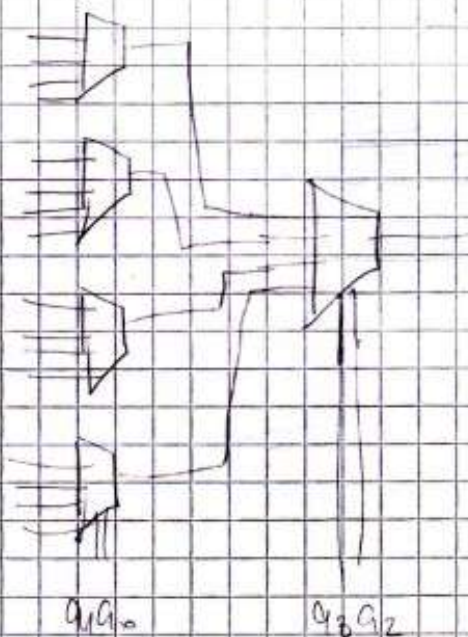
Isto 1. sk. 11. sklopom

- binarno kombinacijo na vnos sklopa na izhod s posebnim indeksom 7e  
binarne kombinacije



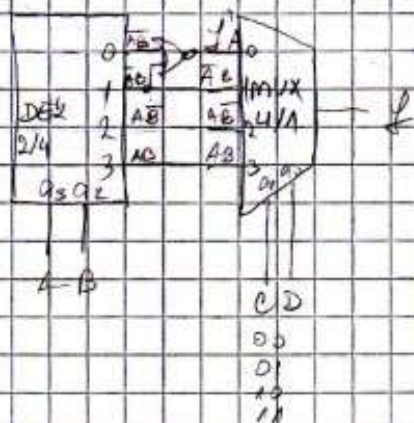


MUX



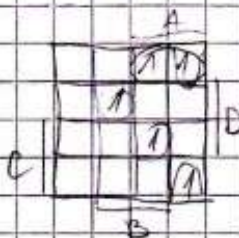
- funkcije rezidualne f-je samo od 1 variable

ZAD 1)  $f(A, B, C, D)$



$$\begin{aligned} f' &= \overline{A} \overline{B} + \overline{A} B = \overline{A} \overline{B} \cdot \overline{A} B = \overline{A} (\overline{B} + B) \\ &= (A + B) (A + \overline{B}) = A + A \overline{B} + A B \\ &= A + A (\overline{B} + B) = A \end{aligned}$$

$$f = A \overline{C} \overline{D} + A \overline{B} \overline{C} D + A \overline{B} C \overline{D} + A B C D$$



$$f_{\min} = A \overline{C} \overline{D} + A \overline{B} \overline{C} D + A \overline{B} C \overline{D} + A B C D$$



②

2-komp

	$b_3$	$b_2$	$b_1$	$b_0$	$k_3$	$k_2$	$k_1$	$k_0$
0	0	0	0	0	1	0	1	1
1	0	0	0	1	1	0	1	0
2	0	0	1	1	1	0	0	1
3	0	1	0	0	1	0	0	0
4	0	1	0	1	X	X	X	X
5	0	1	1	0	0	1	1	1
6	0	1	1	1	0	1	1	0
7	1	0	0	0	0	1	0	0
8	1	0	0	1	0	0	1	1
9	1	0	1	0	0	0	1	0
	1	0	1	1	X	X	X	X
	1	1	0	0	X	X	X	X
	1	1	0	1	X	X	X	X
	1	1	1	0	X	X	X	X
	1	1	1	1	X	X	X	X

$$0-3 \Rightarrow 1-4$$

$$4-9 \Rightarrow 6-11$$

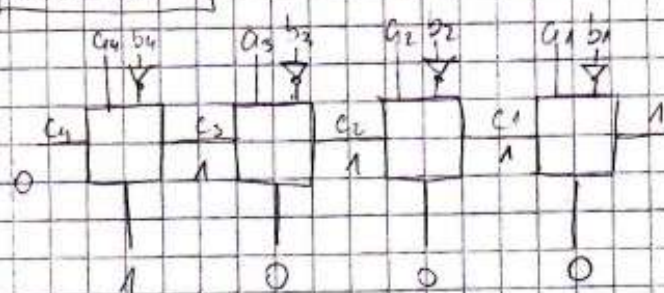
$$\min k_2 = ?$$

	$b_3$	$b_2$	$b_1$	$b_0$
$b_3$	X	0	X	0
$b_2$	0	X	X	0
$b_1$	0	1	X	0
$b_0$	0	1	X	0

$$f_m = b_3 b_1 + b_2 b_0$$

$$f_m = b_3 b_1 + \overline{b_2} b_1 b_0$$

ZBRAJALO



$$C_4 C_3 C_2 C_1 = 0111$$

treba napraviti oduzimalo  
pomocu 4 zbrajala i 4 NE  
sklapano pomacu 3-komponenta

$$a = 0110$$

$$b = 1110$$

$$b' = 0001$$

ZBRAJALO + ODUZIMALO

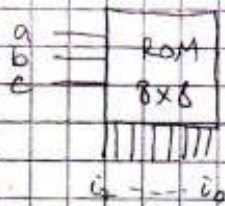
kog su prijenosi  $c_4, c_3, c_2, c_1$  ?

na b ulaz stavimo xor  
sklop, i tada sklop radi  
kao zbrajalo kada je  $c_0 = 0$ ,  
a kada je  $c_0 = 1$ , tada radi  
kao oduzimalo

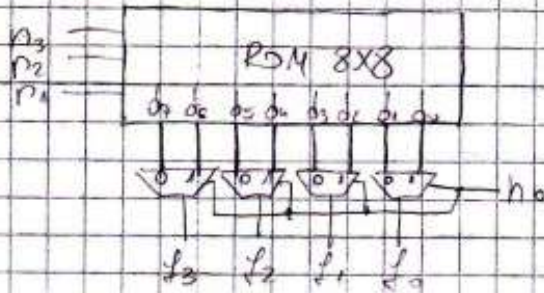
- vrijednost korektora kod BCD zbrajala je 6



# MEMORISE



## ZAD



$$f(n) = n \oplus \hat{n}$$

$$\hat{n} = n \ll 1$$

$d_7 d_6 d_5 d_4 d_3 d_2 d_1 d_0$

00000101	← $z_0$	000	
11000111	← $z_1$	100	4
<u>11111010</u>	← $z_2$	101	5
00110110	← $z_3$	110	6
<u>00001010</u>	← $z_4$	111	7
0			

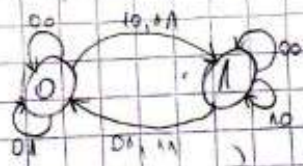
00 4-7

CG, FA, 3G, 0A

n	$\hat{n}$	J
$n_2 n_1 n_0$		
0000	0000	0000
0001	0010	0011
0010	0100	0110
0011	0110	0101
0100	1000	0110
0101	1010	1111
0110	1100	1010
0111	1110	1001
1000	0001	1001
1001	0011	1010
1010	0101	1111
1011	0111	1100
1100	1001	0101
1101	1011	0110
1110	1101	0011
1111	1111	0000



(4)



$\approx$

S	R	$Q_n$
00	0	$Q_n$
01	0	0
10	1	1
11	X	X

S	R	$Q_n$
00	0	$Q_n$
01	0	0
10	1	1
11	X	$Q_n$

T	$Q_n$
0	$Q_n$
1	$\bar{Q}_n$

D	$Q_n$
0	0
1	1

(5)

$Q_n$	S	R
000	0	0X
001	0	0X
010	1	10
011	1	10
100	1	X0
101	0	01
110	1	X0
111	0	01

$$S = \bar{Q}_n J + Q_n K$$

$$= Q_n (\bar{J} + K) = Q_n 1$$

$$R = Q_n \bar{J} + \bar{Q}_n K$$

$$= Q_n K (\bar{J} + 1)$$

$$= Q_n K$$

