

CS & IT ENGINEERING

Data Structure

Stack and Queue's

Chapter- 4

Lec- 05



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TOPICS TO BE COVERED

Queue-I

* Linear Data structure Queue

- First In First Out

(i) Insertion : Rear

(ii) Deletion : Front

(i) Array implementation

#define SIZE 5

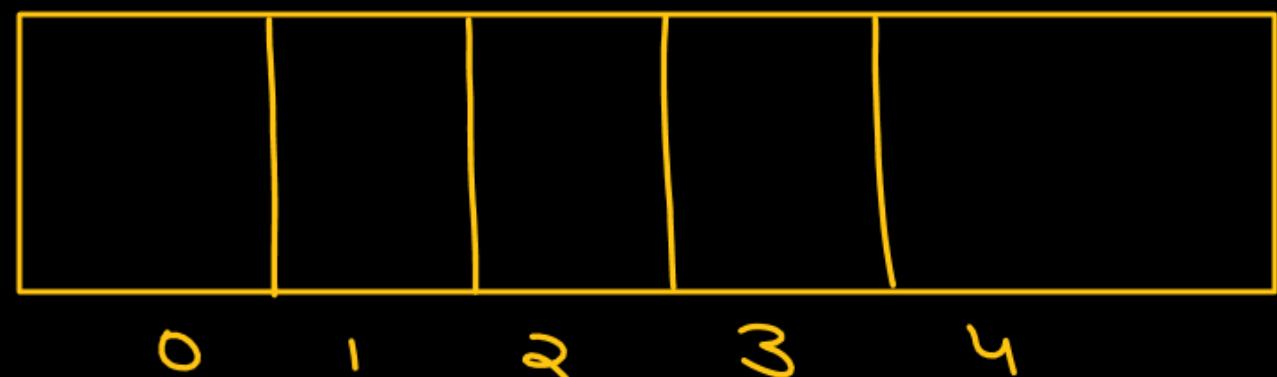
```
int Queue[SIZE];  
int Rear;  
int Front;
```

Front : index of element that can be deleted from Queue.

Rear : index of most recently added element.

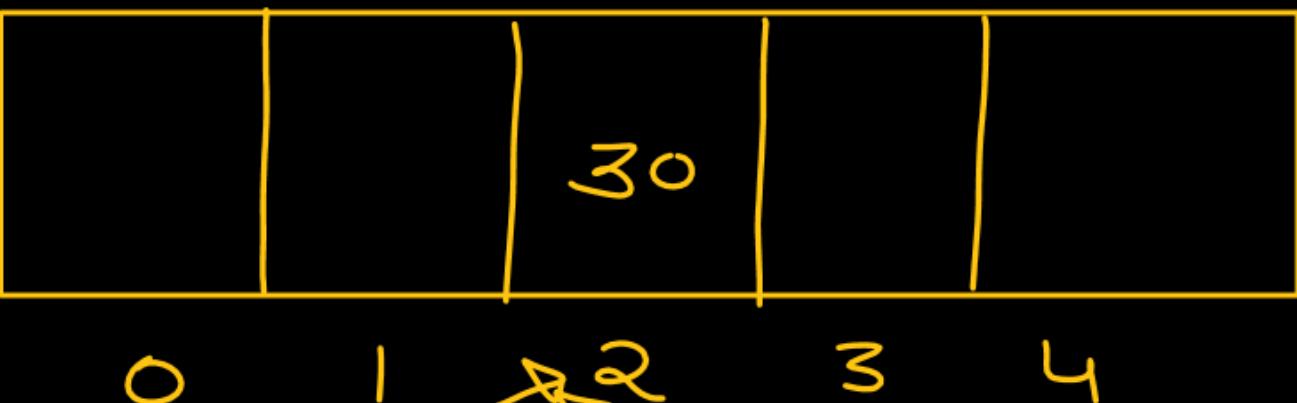
Queue is empty

Front = -1
Rear = -1



FIFO

Front → 10, 20



	Front	Rear
Initially	-1	-1
Insert(10)	0	0
Insert(20)	0	1
Insert(30)	0	2
Delete	1	2
Delete	2	2

same ←

same ←

→ ~~10, 20, 30~~

✓ same ←

Front →
Rear
↓ For first element

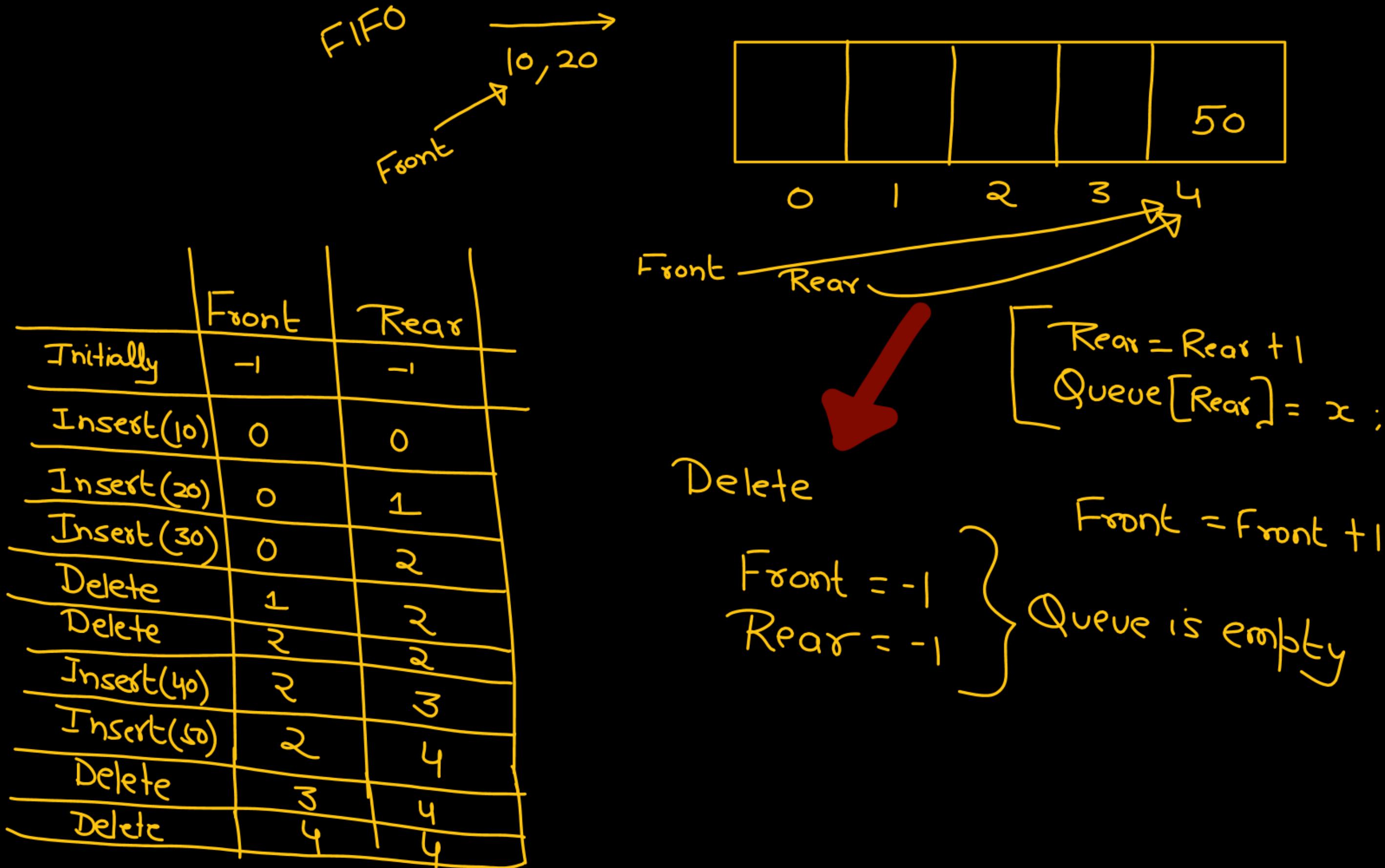
Front & Rear
are same

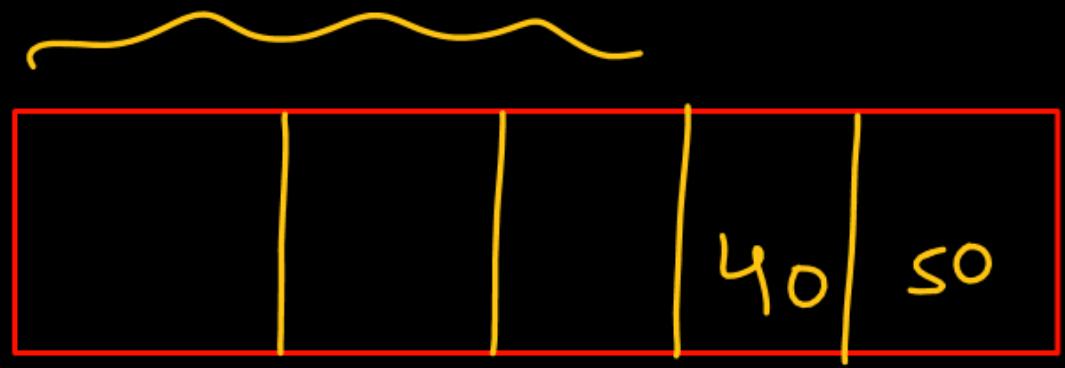
Case 1 : When there
is single ele.
in queue

Front = Rear ≠ -1

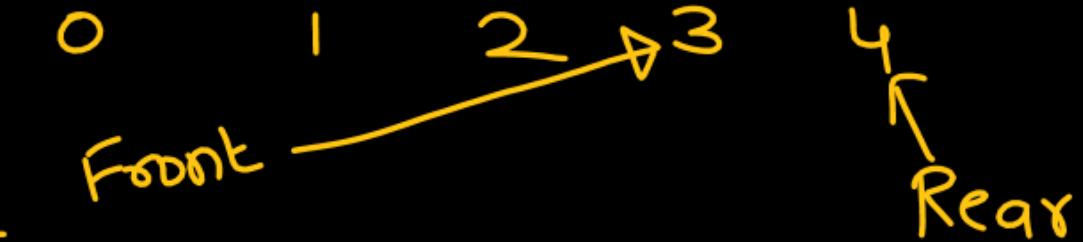
Case 2 : Queue is empty

Front = Rear = -1





	Front	Rear
Initially	-1	-1
Insert(10)	0	0
Insert(20)	0	1
Insert(30)	0	2
Insert(40)	0	3
Insert(50)	0	4



Delete

Front	Rear
1	4
2	4
3	4

Delete

Delete

Insert(60) \Rightarrow

bcs Rear == SIZE - 1

Overflow

Simple Queue \Rightarrow Circular Queue

Insertion \Rightarrow Enqueue

Deletion \Rightarrow Dequeue

void Enqueue(int x){

Constant time

if (Rear == SIZE - 1)

{

printf("Overflow");
return;
}

else if (Front == -1)

Front = Rear = 0;

else

Rear = Rear + 1;

Queue[Rear] = x;

}

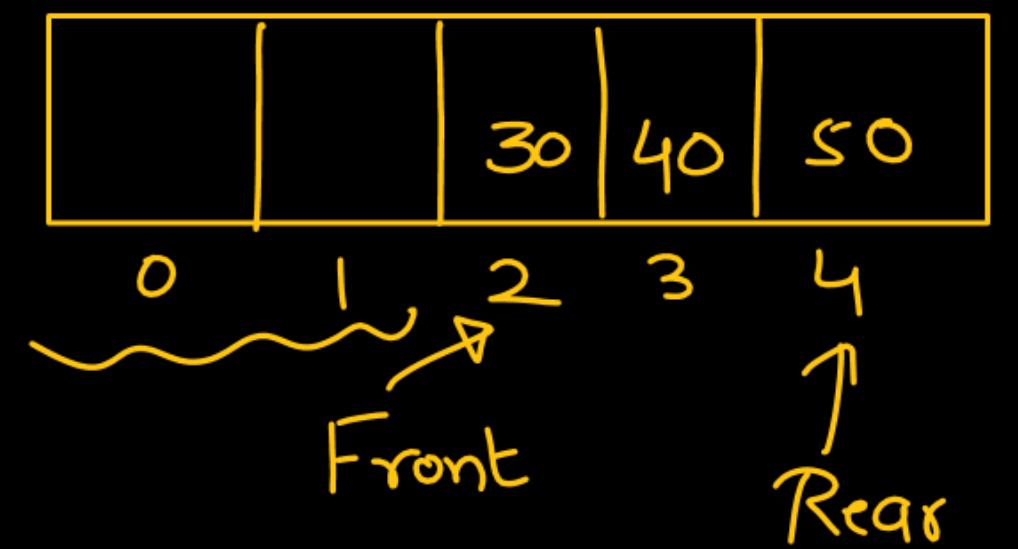
```

int Dequeue() {
    int temp;
    if( Front == -1 )
    {
        return INT_MIN;
    }
    else if( Front == Rear )
    {
        temp = Queue[Front];
        Front = Rear = -1;
    }
    else
    {
        temp = Queue[Front];
        Front = Front + 1;
    }
    return temp;
}

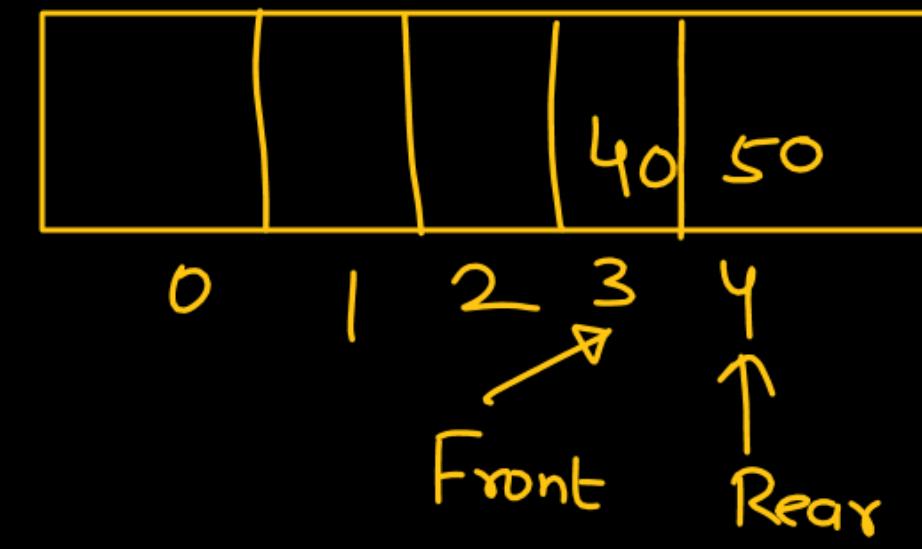
```

when the Queue is not empty

Queue is empty *constant time*



delete
⇒



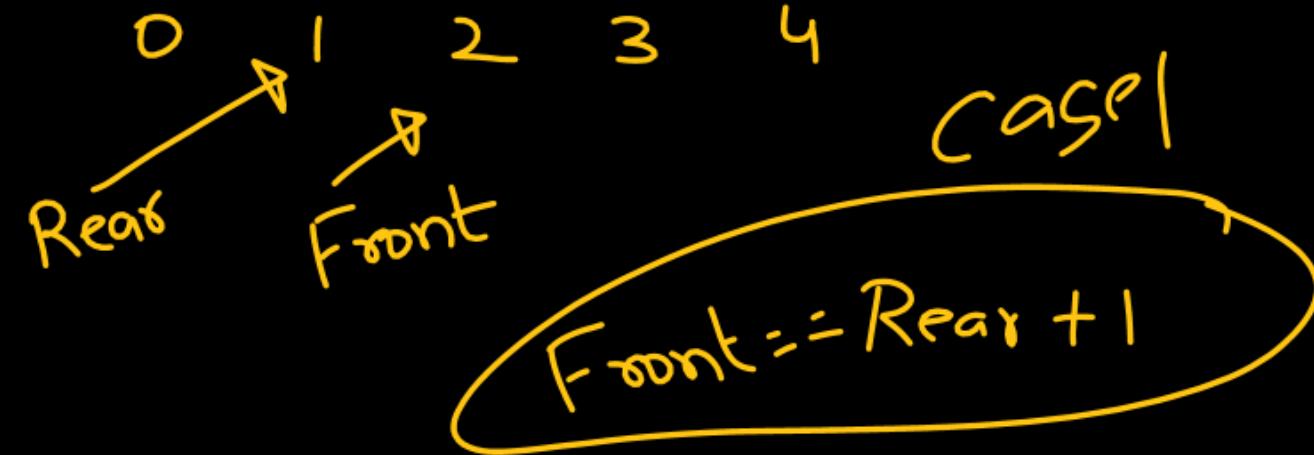
Overflow
Worst case

↓ delete

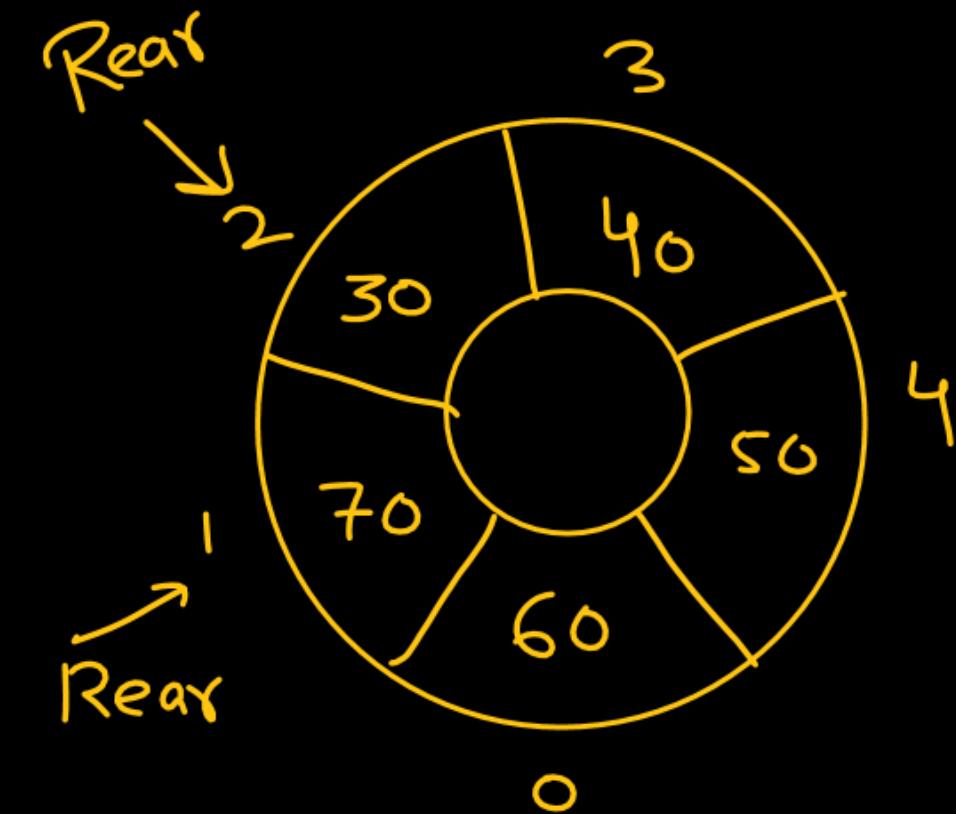


60	70	30	40	50
----	----	----	----	----

FULL



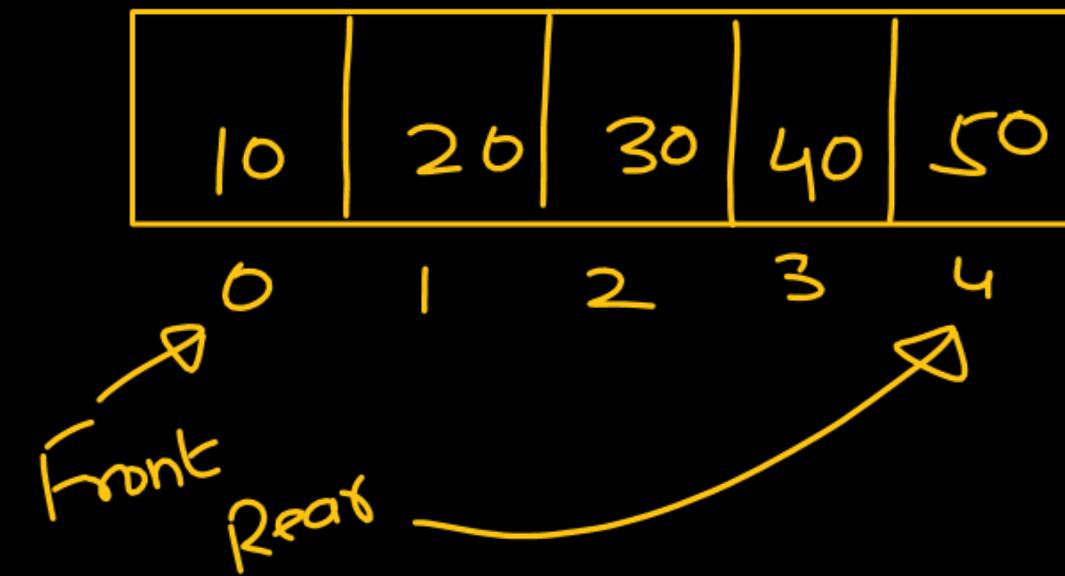
Insert 60 \Rightarrow Rear = 0
 $Queue[Rear] = 60$



Insert 70 \Rightarrow Rear +
 $Queue[Rear] = 70$

Front = -1 }
 Rear = -1 }

	Front	Rear
Insert(10)	0	0
Insert(20)	0	1
Insert(30)	0	2
Insert(40)	0	3
Insert(50)	0	4



$$4+1 \equiv 5 \pmod{5}$$

$$= 0$$

Full

(i) $(Front = 0) \& (Rear = SIZE - 1)$

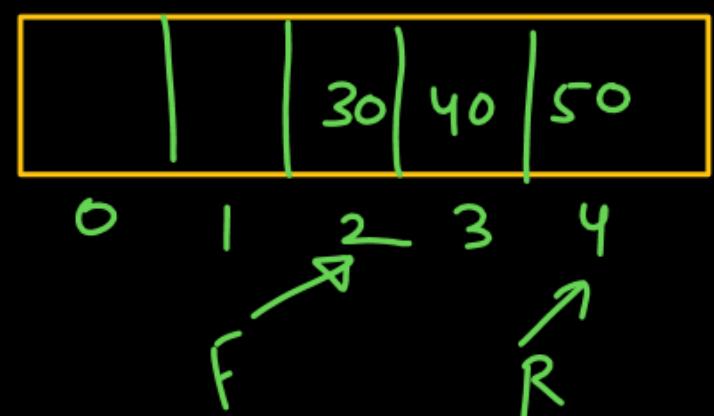
if $(Front == (Rear + 1) \bmod SIZE)$

```
void CQ_Enqueue(int x)
{
    if (((Front == 0) && (Rear == SIZE - 1))
        ||
        (Front == Rear + 1))
    {
        printf("Overflow")
        return;
    }
    // 3
}
```

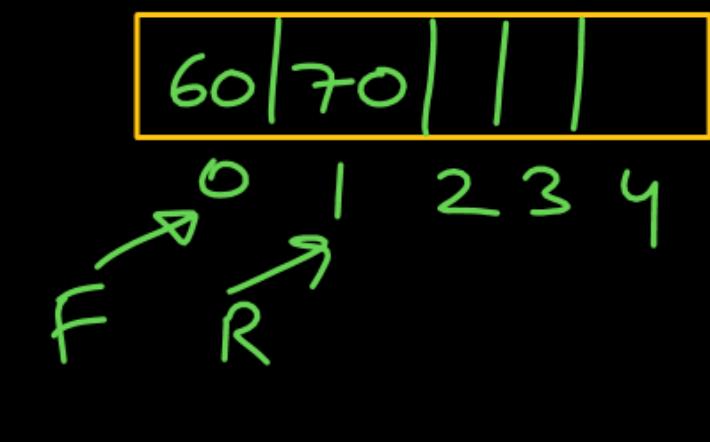
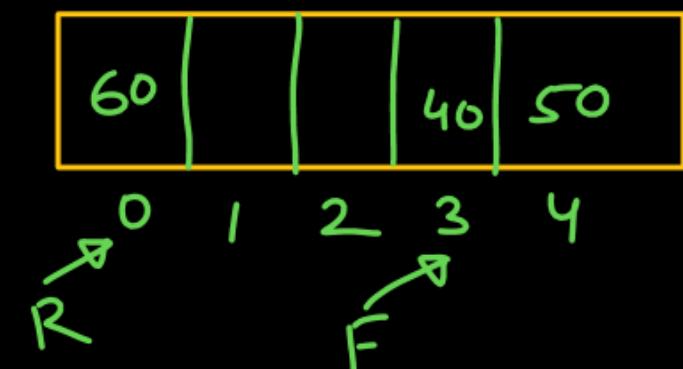
```
void CQ_Enqueue(int x)
{
    if (Front == (Rear + 1) / SIZE) // overflow
        return;
    else if (Rear == SIZE - 1)
        Rear = 0;
    else if (Front == -1)
        Rear = Front = 0;
    else
        Rear++;
    Queue[Rear] = x;
}
```

CQ is
not
full

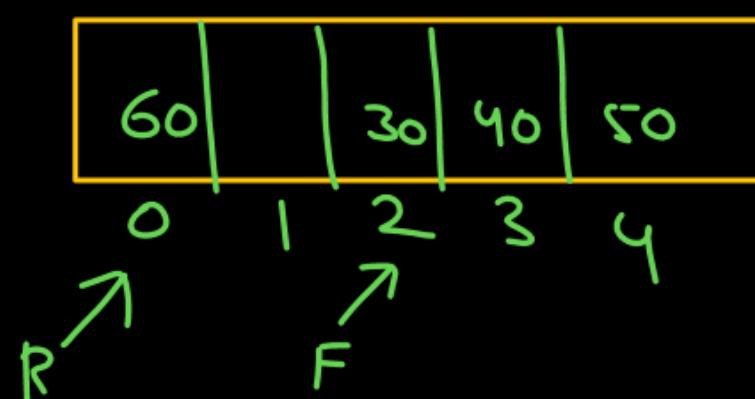
Deletion



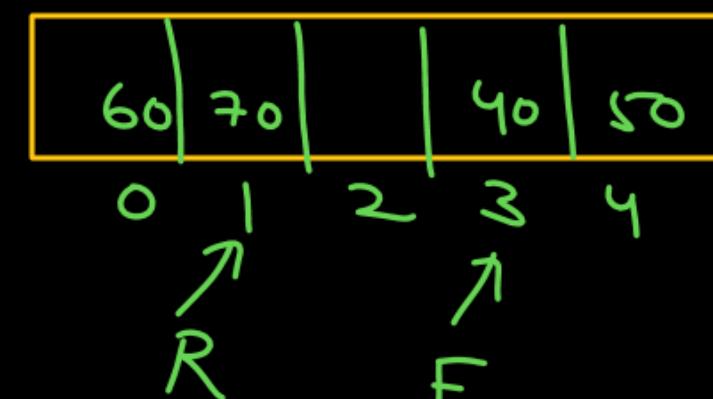
3) Delete 40,50,60



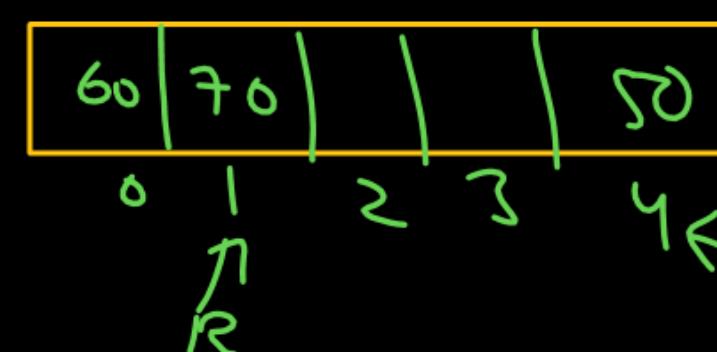
1) Insert 60



3) Insert 70 40,50,60,70



delete



4) Delete

~~40,60,70~~

int
void CQ::Deletion

if (Front == -1)

Underflow

return

2) Special case Front == Rear

1 elem.
in
queue

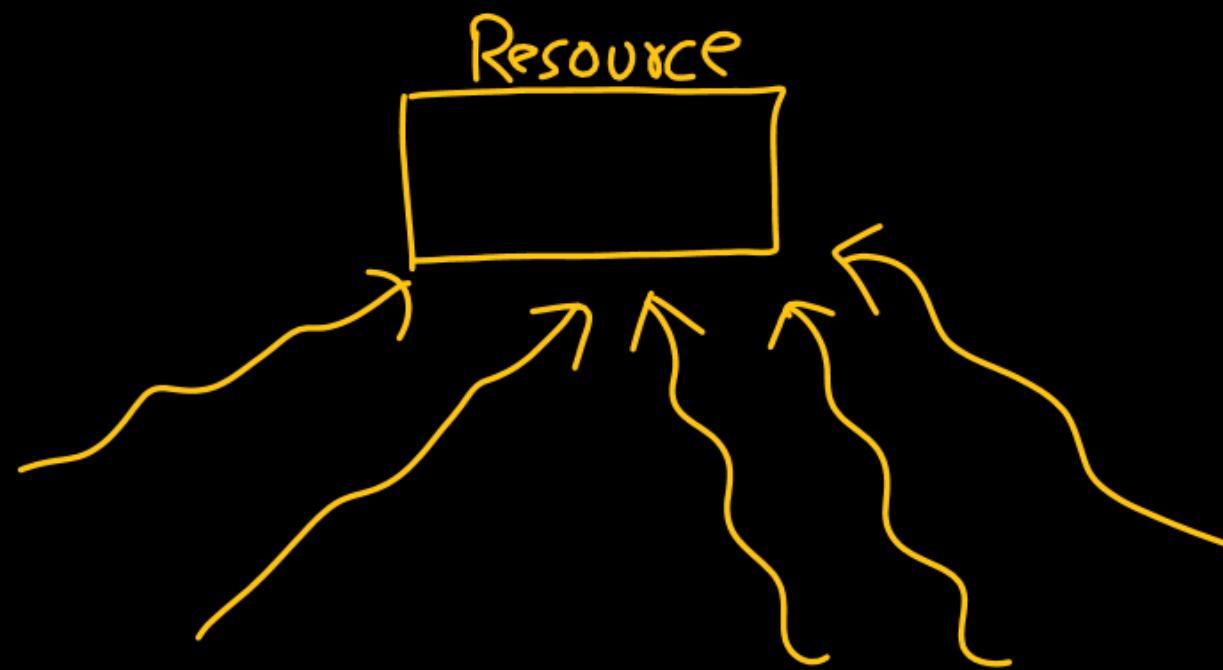
Front = Rear = -1

3) Special case Front == SIZE-1

→ front = 0

4) Front++ ;

Application

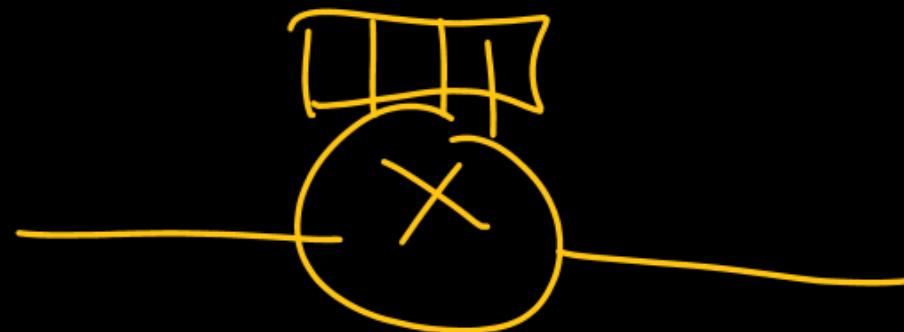


(i) CPU scheduling

(ii) Spooling

(iii) Slow & fast device \Rightarrow Synchronization

(iv)



{ Double Ended Queue
Priority Queue

