# CS & IT

# ENGINEERING

DISCRETE MATHS
SET THEORY



Lecture No. 4



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01 onto Functions

...

02 1:1 correspondance Functions

...

03 Number of Functions

...

**04 Types of Functions** 

....

05 Various Examples in Functions



$$A = 7 8 = 4$$

$$m = 7 n = 4$$

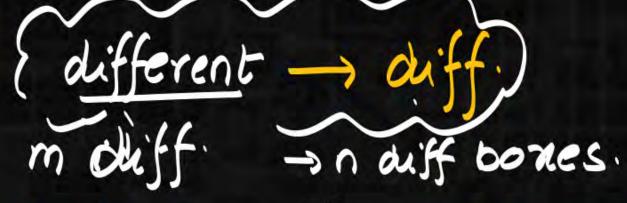
$$\sum_{i=0}^{n} (-i)^{i} \times n_{i} \times (n-i)^{m} = \sum_{i=0}^{4} (-i)^{i} \times 4c_{i} \times (4-i)^{7}$$

$$= 4c_{0}(4-0)^{7} - 4c_{1}(4-1)^{7} + 4c_{2}(4-2)^{7}$$

$$-4c_{3}(4-3)^{7}$$

$$+4c_{4}(4-4)^{7}$$

$$(1-i)^{3} \times n_{i} \times$$



By

-> How many ways we can distribute 7 diff coins among

4 diff holes, such that none of the holes should be

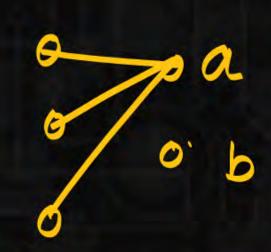
Empty 9

7quest >4



$$= 2c_0(2-0)^3 - 2c_1(2-1)^3 + 2c_2(2-2)^3$$

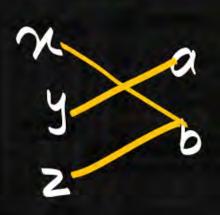


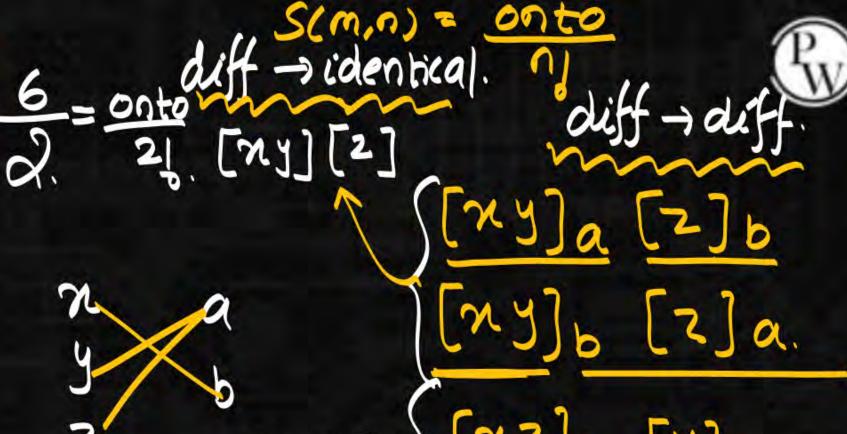


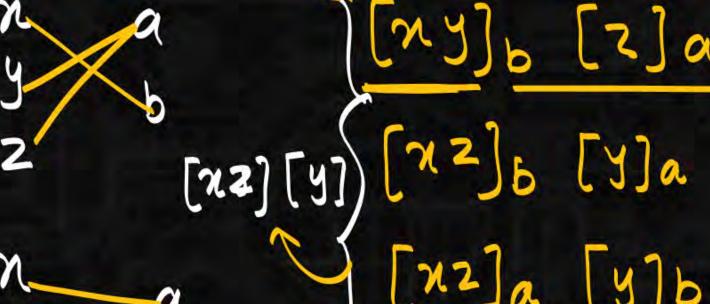
Total onto = Total Functions - Total non onto.

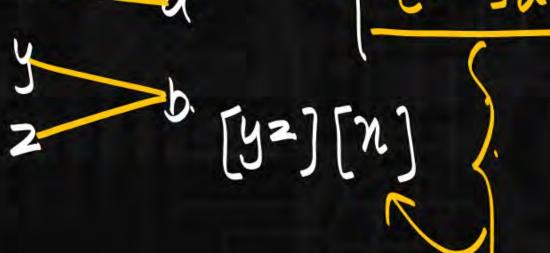
$$= 2^3 - 2 = 8 - 2 = 6$$

onto: diffquest-diffroom











m-sdiff objects -> n identical rooms.

$$S(m,n) = \frac{\text{onto}}{n!}$$

$$S(m,n) = \frac{1}{n!} \sum_{i=0}^{\infty} (-i)^{i} * n_{i} * (n-i)^{m}$$

$$S(m,n) = \frac{1}{n!} \sum_{i=0}^{\infty} (-i)^{i} * n_{i} * (n-i)^{m}$$

Stirling number of second kind.





1=2 3 differements -> 2 diffrooms. -> Ans: 6. =



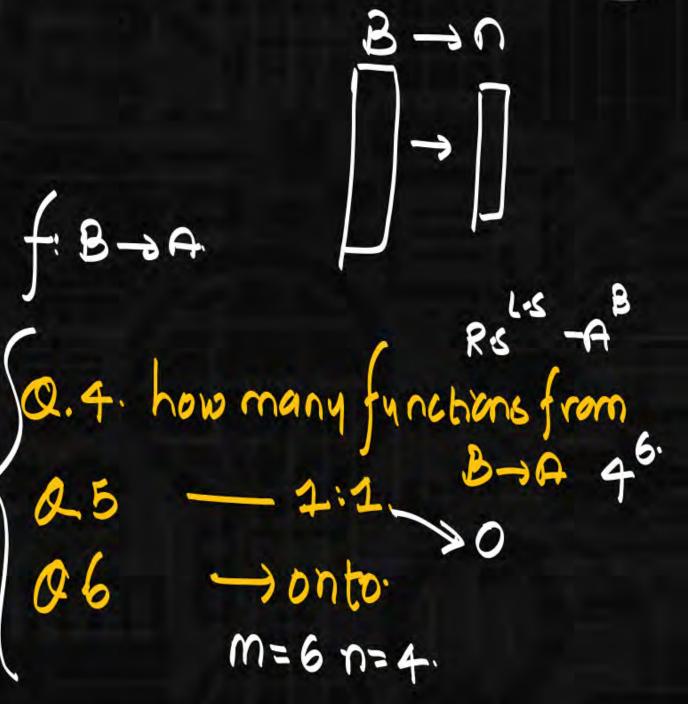
$$A=\{1,2,3,4\}$$
 $B=\{1,2,3,4,5,6\}$ .

 $f:A\rightarrow B$ 

Q.I. How many function from  $A\rightarrow B$ 

2. how many these are 1:1 RSPLS 6P4.

3. How many these are onto:0





Q.1: How many ways we can distribut [7 diff quest to 4 diff rooms such that none grooms should onto: be empty

00 to: m=7 n=4.

Ans: 8400

How many ways we can distribute 7 S(m,n) = S(7,4) = onto

none of-rooms should be empty.

$$f: R \rightarrow R(a,b,c,f)$$

$$1:1/onto$$

(h) 
$$f(n) = n+7 \rightarrow 2:2/onto$$

$$\int f(n) = -n+5 / 1:1/onto$$

e) 
$$f(n) = n^2 + n$$
 — not 1:1/not onto.

If)  $f(n) = n^3$ . 1:1/but not onto.

f(0) = f(-1)

0 = 0

0+0=1+(-1)

 $f(0)=f(-1) \rightarrow 0=-1$ 





