magic_methods

July 9, 2020

1 Magic Methods

Below you'll find the same code from the previous exercise except two more methods have been added: an **add** method and a **repr** method. Your task is to fill out the code and get all of the unit tests to pass. You'll find the code cell with the unit tests at the bottom of this Jupyter notebook.

As in previous exercises, there is an answer key that you can look at if you get stuck. Click on the "Jupyter" icon at the top of this notebook, and open the folder 4.OOP_code_magic_methods. You'll find the answer.py file inside the folder.

```
In [2]: import math
        import matplotlib.pyplot as plt
        class Gaussian():
            """ Gaussian distribution class for calculating and
            visualizing a Gaussian distribution.
            Attributes:
                mean (float) representing the mean value of the distribution
                stdev (float) representing the standard deviation of the distribution
                data_list (list of floats) a list of floats extracted from the data file
            11 11 11
            def __init__(self, mu = 0, sigma = 1):
                self.mean = mu
                self.stdev = sigma
                self.data = []
            def calculate_mean(self):
                """Method to calculate the mean of the data set.
                Args:
                    None
```

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Returns:
        float: mean of the data set
    11 11 11
    #TODO: Calculate the mean of the data set. Remember that the data set is stored
    # Change the value of the mean attribute to be the mean of the data set
    # Return the mean of the data set
    avg = 1.0 * sum(self.data) / len(self.data)
    self.mean = avg
    return self.mean
def calculate_stdev(self, sample=True):
    """Method to calculate the standard deviation of the data set.
    Args:
        sample (bool): whether the data represents a sample or population
    Returns:
        float: standard deviation of the data set
    HHHH
    # TODO:
        Calculate the standard deviation of the data set
        The sample variable determines if the data set contains a sample or a populo
        If sample = True, this means the data is a sample.
        Keep the value of sample in mind for calculating the standard deviation
        Make sure to update self.stdev and return the standard deviation as well
    if sample:
        n = len(self.data) - 1
    else:
        n = len(self.data)
    mean = self.mean
    sigma = 0
    for d in self.data:
        sigma += (d - mean) ** 2
```

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sigma = math.sqrt(sigma / n)
    self.stdev = sigma
    return self.stdev
def read_data_file(self, file_name, sample=True):
    """Method to read in data from a txt file. The txt file should have
    one number (float) per line. The numbers are stored in the data attribute.
    After reading in the file, the mean and standard deviation are calculated
    Args:
        file_name (string): name of a file to read from
    Returns:
        None
    11 11 11
    # This code opens a data file and appends the data to a list called data_list
    with open(file_name) as file:
        data_list = []
        line = file.readline()
        while line:
            data_list.append(int(line))
            line = file.readline()
    file.close()
    # TODO:
        Update the self.data attribute with the data_list
        Update self.mean with the mean of the data_list.
            You can use the calculate_mean() method with self.calculate_mean()
        Update self.stdev with the standard deviation of the data_list. Use the
            calcaulte_stdev() method.
    self.data = data_list
    self.mean = self.calculate_mean()
    self.stdev = self.calculate_stdev(sample)
def plot_histogram(self):
    """Method to output a histogram of the instance variable data using
    matplotlib pyplot library.
    Arqs:
        None
```

```
Returns:
        None
    11 11 11
    # TODO: Plot a histogram of the data_list using the matplotlib package.
            Be sure to label the x and y axes and also give the chart a title
    plt.hist(self.data)
    plt.title('Histogram of Data')
    plt.xlabel('data')
    plt.ylabel('count')
def pdf(self, x):
    """Probability density function calculator for the gaussian distribution.
    Args:
        x (float): point for calculating the probability density function
    Returns:
        float: probability density function output
    # TODO: Calculate the probability density function of the Gaussian distribution
            at the value x. You'll need to use self.stdev and self.mean to do the co
    return (1.0 / (self.stdev * math.sqrt(2*math.pi))) * math.exp(-0.5*((x - self.me
def plot_histogram_pdf(self, n_spaces = 50):
    """Method to plot the normalized histogram of the data and a plot of the
    probability density function along the same range
    Args:
        n_spaces (int): number of data points
    Returns:
        list: x values for the pdf plot
        list: y values for the pdf plot
    11 11 11
    #TODO: Nothing to do for this method. Try it out and see how it works.
    mu = self.mean
    sigma = self.stdev
```

```
min_range = min(self.data)
    max_range = max(self.data)
     # calculates the interval between x values
    interval = 1.0 * (max_range - min_range) / n_spaces
    x = []
    y = []
    # calculate the x values to visualize
    for i in range(n_spaces):
        tmp = min_range + interval*i
        x.append(tmp)
        y.append(self.pdf(tmp))
    # make the plots
    fig, axes = plt.subplots(2,sharex=True)
    fig.subplots_adjust(hspace=.5)
    axes[0].hist(self.data, density=True)
    axes[0].set_title('Normed Histogram of Data')
    axes[0].set_ylabel('Density')
    axes[1].plot(x, y)
    axes[1].set_title('Normal Distribution for \n Sample Mean and Sample Standard De
    axes[0].set_ylabel('Density')
    plt.show()
    return x, y
def __add__(self, other):
    \hbox{\tt """Magic method to add together two Gaussian distributions}
    Args:
        other (Gaussian): Gaussian instance
    Returns:
        Gaussian: Gaussian distribution
    11 11 11
    # TODO: Calculate the results of summing two Gaussian distributions
        When summing two Gaussian distributions, the mean value is the sum
            of the means of each Gaussian.
        When summing two Gaussian distributions, the standard deviation is the
            square root of the sum of square ie sqrt(stdev_one ^ 2 + stdev_two ^ 2)
```

```
# create a new Gaussian object
                result = Gaussian()
                # TODO: calculate the mean and standard deviation of the sum of two Gaussians
                result.mean = self.mean + other.mean # change this line to calculate the mean of
                result.stdev = math.sqrt(self.stdev ** 2 + other.stdev ** 2) # change this line
                return result
            def __repr__(self):
                \hbox{\it """Magic method to output the characteristics of the Gaussian instance}\\
                Arqs:
                    None
                Returns:
                    string: characteristics of the Gaussian
                HHHH
                # TODO: Return a string in the following format -
                # "mean mean_value, standard deviation standard_deviation_value"
                # where mean_value is the mean of the Gaussian distribution
                # and standard_deviation_value is the standard deviation of
                # the Gaussian.
                # For example "mean 3.5, standard deviation 1.3"
                return "mean {}, standard deviation {}".format(self.mean, self.stdev)
In [3]: # Unit tests to check your solution
        import unittest
        class TestGaussianClass(unittest.TestCase):
            def setUp(self):
                self.gaussian = Gaussian(25, 2)
            def test_initialization(self):
                self.assertEqual(self.gaussian.mean, 25, 'incorrect mean')
                self.assertEqual(self.gaussian.stdev, 2, 'incorrect standard deviation')
            def test_pdf(self):
                self.assertEqual(round(self.gaussian.pdf(25), 5), 0.19947,\
                 'pdf function does not give expected result')
            def test_meancalculation(self):
                self.gaussian.read_data_file('numbers.txt', True)
```

```
self.assertEqual(self.gaussian.calculate_mean(),\
                                                    sum(self.gaussian.data) / float(len(self.gaussian.data)), 'calculated mean not
                                    def test_stdevcalculation(self):
                                                self.gaussian.read_data_file('numbers.txt', True)
                                                self.assertEqual(round(self.gaussian.stdev, 2), 92.87, 'sample standard deviation's self.assertEqual(round(self.gaussian)) self.assertEqual(self.gaussian)) self.assertEqual(self.gaussian
                                                self.gaussian.read_data_file('numbers.txt', False)
                                                self.assertEqual(round(self.gaussian.stdev, 2), 88.55, 'population standard devi
                                    def test_add(self):
                                                gaussian_one = Gaussian(25, 3)
                                                gaussian_two = Gaussian(30, 4)
                                                gaussian_sum = gaussian_one + gaussian_two
                                                self.assertEqual(gaussian_sum.mean, 55)
                                                self.assertEqual(gaussian_sum.stdev, 5)
                                    def test_repr(self):
                                                gaussian_one = Gaussian(25, 3)
                                                self.assertEqual(str(gaussian_one), "mean 25, standard deviation 3")
                        tests = TestGaussianClass()
                       tests_loaded = unittest.TestLoader().loadTestsFromModule(tests)
                        unittest.TextTestRunner().run(tests_loaded)
Ran 6 tests in 0.012s
OK
Out[3]: <unittest.runner.TextTestResult run=6 errors=0 failures=0>
In [ ]:
```