

## Algorithm Analysis

2 min

Given a moderately unsorted data-set, bubble sort requires multiple passes through the input before producing a sorted list. Each pass through the list will place the next largest value in its proper place.

We are performing  $n-1$  comparisons for our inner loop. Then, we must go through the list  $n$  times in order to ensure that each item in our list has been placed in its proper order.

The  $n$  signifies the number of elements in the list. In a worst case scenario, the inner loop does  $n-1$  comparisons for each  $n$  element in the list.

Therefore we calculate the algorithm's efficiency as:

$$O(n(n-1)) = O(n(n)) = O(n^2) \quad O(n(n-1)) = O(n(n)) = O(n^2)$$

The diagram analyzes the

Preview: Docs Loading link description

[pseudocode](#)

implementation of bubble sort to show how we draw this conclusion.

When calculating the run-time efficiency of an

Preview: Docs Loading link description

[algorithm](#)

, we drop the constant  $(-1)$ , which simplifies our inner loop comparisons to  $n$ .

This is how we arrive at the algorithm's runtime:  $O(n^2)$ .

## Instructions

What input to bubble sort would produce the worst possible runtime?

