

## Adding Runtimes

3 min

Sometimes, a program has so much going on that it's hard to find the

Preview: Docs Loading link description

[runtime](#)

of it. Take a look at the

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[pseudocode](#)

program that first prints all the positive values up to  $N$  and then returns the number of times it takes to divide  $N$  by 2 until  $N$  is 1.

Function that takes a positive integer  $N$ :

Set a variable  $i$  equal to 1

Loop until  $i$  is equal to  $N$ :

Print  $i$

Increment  $i$

Set a count variable to 0

Loop while  $N$  is not equal to 1:

Increment count

$N = N/2$

Return count

to Clipboard

Rather than look at this program all at once, let's divide into two chunks: the first loop and the second loop.

- In the first loop, we iterate until we reach  $N$ . Thus the runtime of the first loop is  $\Theta(N)$ .
- However, the second loop, as demonstrated in a previous exercise, runs in  $\Theta(\log N)$ .

Now, we can add the runtimes together, so the runtime is  $\Theta(N) + \Theta(\log N)$ .

However, when analyzing the runtime of a program, we only care about the slowest part of the program, and because  $\Theta(N)$  is slower than  $\Theta(\log N)$ , we would actually just say the runtime of this program is  $\Theta(N)$ . **It is also appropriate to say the runtime is  $O(N)$  because if it runs in  $\Theta(N)$  for every case, then it also runs in  $\Theta(N)$  for the worst case. Most of the time people will just use big  $O$  notation.**

## Instructions

Play the video to go through an example of adding runtimes.

## ADDING RUNTIMES

function( $N$ ):

- Loop 1: print all values from 0 to  $N$
- Loop 2: find Lower bounded power of 2

