

Name:

1. (2 Pts.) State **two** assumptions that the *k*-means clustering algorithm makes about the shape or distribution of clusters in a data set.

Any 2 of:

Points in a cluster are relatively close to one-another (non-sparse/dense data)

Disjoint/separate/non-hierarchical clusters

Spherical/Gaussian distributed clusters

Roughly similarly sized clusters

Must know number of clusters

(Any phrasing is fine)

2. (2 Pt.) State **two** data preparation steps that should be considered before conducting a clustering analysis.

Any two of:

Standardization, removing/replacing outliers, binning of rare categorical input levels, appropriate numeric encoding of categorical inputs, combining or removing highly correlated features

(Any phrasing is fine)

3. (1 Pt.) **True or False:** Squared error from cluster centroids nearly always decreases when adding more clusters into an analysis.

True

4. (2 Pt.) State **two** mathematical or statistical techniques for determining the number of clusters in a data set.

Any two of: ABC, CCC, Gap Statistic, Silhouette, 'Elbow Method'

5. (1 Pt.) **True or False:** k-Means clustering tends to be slower but more accurate than hierarchical clustering techniques.

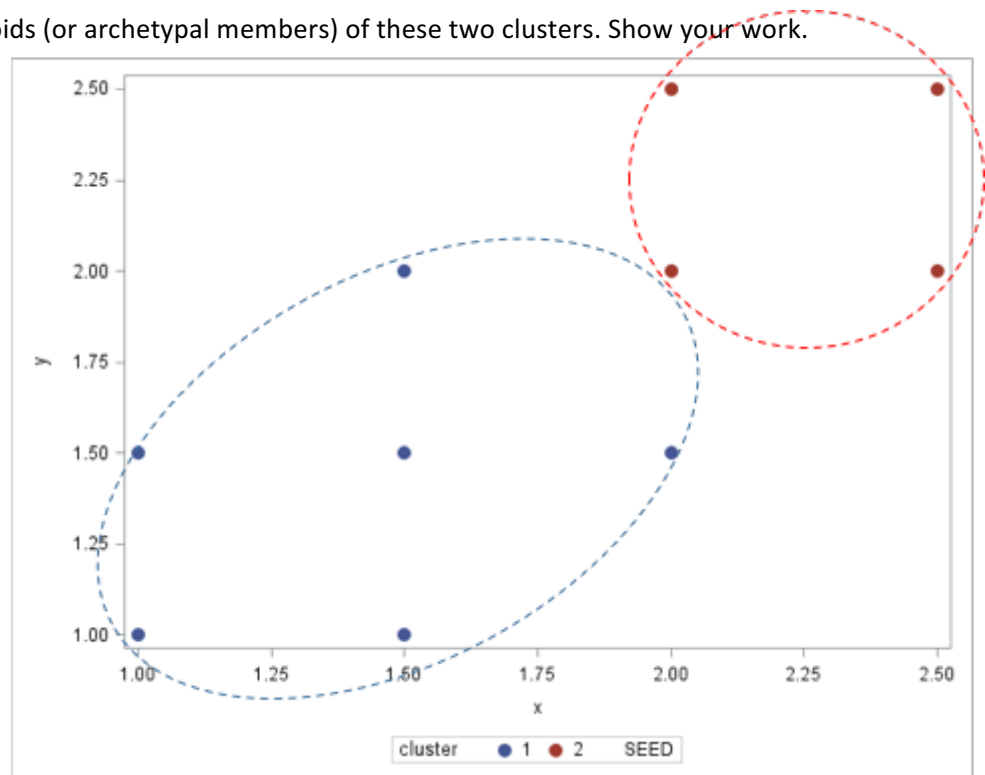
False

Name:

(Continue to next page)

6. (2 Pts.) Calculate the centroids (or archetypal members) of these two clusters. Show your work.

Cluster	X	Y
1	1	1
1	1.5	2
1	1.5	1
1	1	1.5
1	1.5	1.5
1	2	1.5
2	2.5	2.5
2	2	2
2	2.5	2
2	2	2.5



1 pt each

$$(x_1, y_1) = (\text{AVERAGE}(1, 1.5, 1.5, 1, 1.5, 2), \text{AVERAGE}(1, 2, 1, 1.5, 1.5, 1.5)) = \mathbf{(1.41, 1.41)}$$

$$(x_2, y_2) = (\text{AVERAGE}(2.5, 2, 2.5, 2), \text{AVERAGE}(2, 2, 2.5, 2.5)) = \mathbf{(2.25, 2.25)}$$