

The Transportaion Model

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Heart is attempting to reduce expenses at both plant A and plant B, including shipping and manufacturing costs. However, its supply exceeds its demand, thus we must create a dummy destination, in this example a warehouse, to absorb the 10 unit demand discrepancy in order to achieve a workable solution.

Objective function : $\text{Min}(622 x_{11} + 614 x_{12} + 630 x_{13} + 641 x_{21} + 645 x_{22} + 649 x_{23})$.

Variables: x_{11} = number of AEDs made and sent from plant A to warehouse 1. x_{12} = number of AEDs made and sent from plant A to warehouse 2. x_{13} = number of AEDs made and sent from plant A to warehouse 3. x_{14} = number of AEDs made and sent from plant A to fake warehouse 4. x_{21} = number of AEDs made and sent from plant B to warehouse 1. x_{22} = number of AEDs manufactured and sent from plant B to warehouse 2. x_{23} = number of AEDs made and sent from plant B to warehouse 3. x_{24} = number of AEDs made and sent from plant B to fake warehouse 4.

```
library(lpSolveAPI)
x <- read.lp("Heart_Data.lp")
x
```

```
## Model name:
##          x11  x12  x13  x21  x22  x23  x14  x24
## Minimize 622  614  630  641  645  649    0    0
## R1        1    1    1    0    0    0    1    0 = 100
## R2        0    0    0    1    1    1    0    1 = 120
## R3        1    0    0    1    0    0    0    0 = 80
## R4        0    1    0    0    1    0    0    0 = 60
## R5        0    0    1    0    0    1    0    0 = 70
## R6        0    0    0    0    0    0    1    1 = 10
## Kind      Std  Std  Std  Std  Std  Std  Std  Std
## Type      Real Real Real Real Real Real Real Real
## Upper     Inf  Inf  Inf  Inf  Inf  Inf  Inf  Inf
## Lower     0    0    0    0    0    0    0    0
```

Constraints: Plant A capacity constraint: $x_{11} + x_{12} + x_{13} + x_{14} = 100$, Plant B capacity constraint: $x_{21} + x_{22} + x_{23} + x_{24} = 120$, Warehouse 1 Demand constraint: $x_{11} + x_{21} = 80$, Warehouse 2 Demand Constraint: $x_{12} + x_{22} = 60$, Warehouse 3 Demand constraint: $x_{13} + x_{23} = 70$, Warehouse 4 Demand constraint: $x_{14} + x_{24} = 10$

```
solve(x)
```

```
## [1] 0
```

#Total Cost Of Shipping and production

```
get.objective(x)    #Total costs of shipping and production = $132790
```

```
## [1] 132790
```

#Variables

```
get.variables(x)    #x11= 0, x12=60, x13=40 , x21= 80, x22= 0, x23= 30, x14,  
0, x24 =10, total AEDs to be produced in Plant A= 100, and 110 in Plant B
```

```
## [1]  0 60 40 80  0 30  0 10
```