# Congratulations! You passed!

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1. What is the **order** of the following transfer function?

1 / 1 point

$$G(s) = \frac{s - 10}{s^2 + 2s + 1}$$

- O This is the first order transfer function
- This is the second order transfer function
- O This is the third order transfer function
- O This is the fifth order transfer function
- O None of the above

#### **⊘** Correct

Correct! This transfer function contains a first order numerator and a second order denominator. The order of the function is the highest exponent in the transfer function, so that this is the second order transfer function.

2. What are the **poles and zeros** of the following transfer function?

1/1 point

$$G(s) = \frac{s^2 + 3s - 10}{s^2 - s - 12}$$

- The poles are -3 and 4; the zeros are 2 and -5
- O The poles are -4 and 3; the zeros are 5 and -2
- O The poles are 2 and -5; the zeros are -3 and 4
- O The poles are 5 and -2; the zeros are -4 and 3
- O None of the above

## **⊘** Correct

 $\label{lem:correct:} The zeros of a system are the roots of the numerator, and the poles of a system are the roots of its denominator.$ 

What might be your action as a system control engineer if you need to increase the overshoot of a control loop system? (Select all that apply) 1/1 point

- $\square$  Decrease  $K_I$
- lacksquare Decrease  $K_D$

#### **⊘** Correct

Correct! Decreasing derivative gain leads to an increase of overshoot.

ightharpoonup Increase  $K_I$ 

## **⊘** Correct

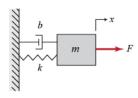
Correct! Increasing integral gain leads to an increase of the overshot.

- $\square$  Decrease  $K_P$
- ightharpoons Increase  $K_P$

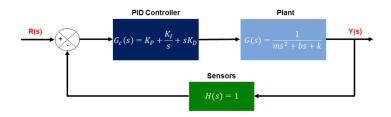
#### ✓ Correct

Correct! Increasing proportional gain leads to an increase of the overshot.

- $\square$  Increase  $K_D$
- Recall the Mass-Spring-Damper System example form the video on PID Control. This system is shown in the figure below.



As a system control engineer, you constructed the following closed loop transfer function to represent the Mass-Spring-Damper System. What is the **correct transfer function** for this closed loop?



O Transformation function 1

$$G(s) = \frac{K_D s^2 + s K_P + K_I}{K_P + \frac{K_I}{s} + K_D s}$$

O Transformation function 2

$$G(s) = \frac{K_P + \frac{K_I}{s} + K_D s}{K_D s^2 + s K_P + K_I}$$

O Transformation function 3

$$G(s) = \frac{ms^{2} + bs + k + K_{P} + \frac{K_{I}}{s} + K_{D}s}{K_{P} + \frac{K_{I}}{s} + K_{D}s}$$

Transformation function 4

$$G(s) = \frac{K_D s^2 + s K_P + K_I}{m s^3 + (b + K_D) s^2 + (k + K_P) s + K_I}$$

O None of the above

✓ Correct!

5. You are given the step response of a few different PID controllers using the same gains for the same first order transfer function. Determine a possible set of controllers that generated these step responses:



1/1 point

- 20 25 50 75 100 115 150 115 200 00 25 50 75 100 125 150 175 200 00 25 50 1
- 1st response by PI; 2nd response by PD; 3rd response by PID1st response by PD; 2nd response by PI; 3rd response by PID
- O 1st response by PI; 2nd response by PID; 3rd response by PD
- 1st response by Pi, 2nd response by PiD, 3rd response by PD
- 1st response by PD; 2nd response by PID; 3rd response by PI

None of the above



Correct
Correct! Adding derivative control improves the step response in terms of overshoot and settling time, but slows down the rise time. Adding the integral term instead maintains a short rise time, and is able to reduce oscillation and overshoot, leading to a fast settling time as well. Adding both derivative and integral control terms brings the advantages of both these approaches.

6. What is the output of a typical output of a Longitudinal control module? (Select all that apply)

1 / 1 point

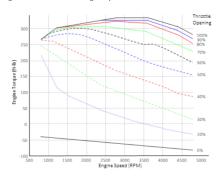
- ☐ Reference velocity
- ✓ Throttle angle
  - **⊘** Correct

Correct! A longitudinal control module takes a reference velocity as an input and outputs throttle angle and brake pedal position.

- ☐ Steering angle
- ✓ Brake position
- **⊘** Correct

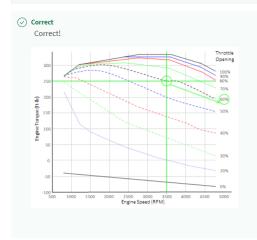
Correct! A longitudinal control module takes reverence velocity as an input and outputs throttle angle and brake pedal position.

 Based on the engine map in the figure below, determine the throttle angle needed to produce 250 ft-lb of torque given that the current engine speed is 3500 RPM. 1/1 point



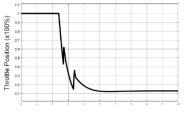
If you need help formatting math functions, read this article 🖸.

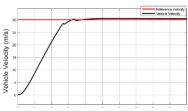
60



8. The results of a simulation of the control response to a step change in desired speed of a dynamic vehicle model with a PID controller are shown in the figures below. There are two spikes on these figures: one spike is between 2 and 3 seconds, another spike is between 3 and 4 seconds. What is the reason of these spikes?

1/1 point





**⊘** Correct

Correct! Rolling resistance is a force acting opposite to the relative motion, so that it is a part of the load torque acting on the vehicle

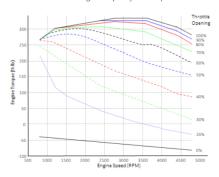
Aerodynamic resistance

**⊘** Correct

Correct! Aerodynamic resistance is a force acting opposite to the relative motion, so that it is a part of the load torque acting on the vehicle.

13. A vehicle is being operated on a highway with the reference velocity of 126 km/h (35 m/s) in gear 4 and it overcomes the total load torque of 300 ft-lb. This vehicle specification includes effective wheel radius of 0.35 m and 4th gear ratio of 2. What throttle angle is required for maintaining the the current speed of the vehicle?

Please use the below engine map for your computation.



If you need help formatting math functions, read this article <a>[2]</a>.

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## **⊘** Correct

Correct!

$$\omega_w = \frac{V_r ef}{r_e ff} = \frac{35[m/s]}{0.35[m]} = 100[1/s] = 100[hertz]$$

$$\omega_e = \frac{\omega_w}{GR} = \frac{100[hertz]}{2} = 50[hertz]$$

$$\omega_e = 50[1/s] \cdot 60[s/min] = 3000RPM$$

An intersection of  $\omega_e=3000[RPM]$  and  $T_{engine}=300$ [ft-lb] falls on the green line on the chart, where the green line defines the throttle angle of 70%.

1/1 point