

# Algorithm

The algorithm (of the main function) in pseudocode:

```
Define a subset of  $\mathbb{C}$  (e.g.  $[2; 3] \times [2i; 2i]$ ),  
Divide the subset into  $m \times n$  rectangles (tessellation).  
Compute for every rectangle the position of its  
center-point in the complex plane.  
for  $k = 1$  to  $m \times n$   
  test for every rectangle if its center-point belongs to  
  the Mandelbrot set. If yes, print a *, if not, print a  
  blank. If  $k == m$ , print a newline.  
end
```

In 1978:  $m = 80$ ,  $n = 49$ . On today terminal emulations like *konsole* one can use larger values if the length of one line is increased. (Use e.g. ctrl+mouse-wheel, depends on your settings.)

# Algorithm

To check if a point is in the Mandelbrot set, one has to iterate the formula

$$z_{k+1} = z_k^2 + z_0$$
$$z_0 = c$$

If  $z_{k+1}$  remains bounded, then  $c$  belongs to the Mandelbrot set. TU

# Algorithm

```
function mandelbrot(c,threshold,N)
    z = c;
    for k = 1 to N
        z = z^2+c;
    end    if abs(z) <= threshold
        return true;
    else
        return false;
    end
end
```

## Result

[illegible]