Introduction to Machine Learning

Thesis submitted in partial fulfillment of the requirements for the degree

of

Master of Technology(D.E)

by

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Under the supervision of

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DECLARATION

Introduction of Machine Learning

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I declare that this thesis entitled is Introduction of Machine Learning the result of my own work except as cited in the references. The thesis has not been accepted for any degree and is not concurrently submitted in candidature of any other degree.

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Date: March 27,2021

ASSIGNMENT-2: Introduction to Machine Learning

Q1. Create an ANN with one hidden layer and do classification on the datasets given in the link.

```
( https://archive.ics.uci.edu/ml/datasets /Statlog+(Landsat+Satellite)
```

(https://archive.ics.uci.edu/ml/datasets/Breast+Cancer+ Wiscon sin+ Diagnostic)

(https://github.com/EpistasisLab/pmlb/tree/master/datasets/iris)

(https://github.com/EpistasisLab/pmlb/tree/master/datasets/titanic)

- i) Plot a graph of accuracy vs. the number of hidden units.(64,128,256,512)
- ii) Plot a graph of accuracy vs. activation function.(Relu,logistic sigmoid,tanh,leaky Relu)
- iii) Plot a graph comparing the following three loss functions vs accuracy
- a)Multi-Class Cross-Entropy Loss
- b)Sparse Multiclass Cross-Entropy Loss
- c)Kullback Leibler Divergence Loss

A-NN:

```
1
2
   #!/usr/bin/env python
3
   # coding: utf-8
5
   # In[1]:
6
7
   #Q-1. Create an ANN with one hidden layer and do
      classification on
9
         the datasets given in the link:
10
11
12
   # In[2]:
13
14
15 | import numpy as np
   import pandas as pd
   import seaborn as sns
   import matplotlib.pyplot as plt
19 from sklearn.model_selection import train_test_split
20 from sklearn.metrics import confusion_matrix
  from sklearn.preprocessing import LabelEncoder
   from sklearn.preprocessing import StandardScaler
22
23
```

```
24
25
  #Check observation one by one different dataset and see
26
      observations.
27
   data = pd.read_csv("https://raw.githubusercontent.com/psantul/
28
      Dataset/main/data.csv", encoding='latin-1')
   #data = pd.read_csv("https://raw.githubusercontent.com/psantul
      /Dataset/main/titanic.csv", delimiter = ',', encoding='latin
      -1')
30
  print(data.shape)
   data.head()
32
33
34 | # In[3]:
35
36
37 \times = data.iloc[:,3:].values
38 | y = data.iloc[:,1].values
39
40
41
  # In[4]:
42
43
44 | encoder = LabelEncoder()
45
   y = encoder.fit_transform(y)
46
47
  # In[5]:
48
49
50
51 | X_train, X_test, y_train, y_test = train_test_split(x, y,
      test_size = 0.2, random_state = 0)
52
53
54
  # In[6]:
55
56
57 sc = StandardScaler()
58 | X_train = sc.fit_transform(X_train)
59 | X_test = sc.fit_transform(X_test)
60
61
62 | # In [7]:
63
```

```
64
65
    class NeuralNetwork:
66
67
        def __init__(self,X, y, X_test, y_test, hidden_nodes=1,
           learning_rate=0.1, epochs=5000):
68
69
            #data
70
            self.y = y[:,None]
71
            self.X = X
72
73
            self.X_test = X_test
74
            self.y_test = y_test
75
76
77
            #parameters
            np.random.seed(4)
78
79
            self.input_nodes = len(X[0])
            self.hidden_nodes = hidden_nodes
80
81
            self.output_nodes = self.y.shape[1]
82
            self.learning_rate = learning_rate
83
84
            #init weights
85
            self.w1 = 2*np.random.random((self.input_nodes, self.
               hidden_nodes)) - 1
86
            self.w2 = 2*np.random.random((self.hidden_nodes, self.
               output_nodes)) - 1
87
88
            self.train(epochs)
89
            self.test()
90
91
        def sigmoid(self,X):
92
            return (1/(1+np.exp(-X)))
93
94
        def sigmoid_prime(self,X):
95
            return X * (1 - X)
96
97
        def train(self, epochs):
98
99
            for e in range(epochs):
100
101
                 #FORWARD PROPAGATION
102
103
                 #hidden layer
104
                 # W1(398,30) X(30,12)
                11 = self.sigmoid(np.dot(self.X, self.w1))
105
```

```
106
107
                 #output layer
108
                 #11(398,12) W2(12,1)
109
                 12 = self.sigmoid(np.dot(l1, self.w2))
110
111
                 # BACKPROPAGATION
112
113
                 #calculate how far off our prediciton was
114
                 error = self.y-12
115
116
                 #calculate how far off each layer is
117
                 12_delta = error * self.sigmoid_prime(12)
118
                 11_delta = 12_delta.dot(self.w2.T) * self.
                    sigmoid_prime(l1)
119
120
                 #update weights with our newly found error values
121
                 self.w2 = np.add(self.w2, 11.T.dot(12_delta) *
                    self.learning_rate)
                 self.w1 = np.add(self.w1, self.X.T.dot(l1_delta) *
122
                     self.learning_rate)
123
124
            #print('Error:', (abs(error)).mean())
125
        def test(self):
126
127
            correct = 0
128
            pred_list = []
129
130
            #replicate feedforward network for testing
131
            11 = self.sigmoid(np.dot(self.X_test, self.w1))
132
            12 = self.sigmoid(np.dot(l1, self.w2))
133
134
            #loop through all of the outputs of layer 2
135
            for i in range(len(12)):
136
                 if 12[i] >= 0.5:
137
                     pred = 1
138
                 else:
139
                     pred = 0
140
141
                 if pred == self.y_test[i]:
142
                     correct += 1
143
144
                 pred_list.append(pred)
145
            print(pred_list)
146
            print(y_test)
147
            correct = np.sum(pred_list == y_test)
```

- i) Plot a graph of accuracy vs. the number of hidden units.(64,128,256,512)
- ii) Plot a graph of accuracy vs. activation function.(Relu,logistic sigmoid,tanh,leaky Relu)
- iii) Plot a graph comparing the following three loss functions vs accuracy

```
2
   #!/usr/bin/env python
3
   # coding: utf-8
4
5
6
7
   #i) Plot a graph of accuracy vs. the number of hidden
   #units.(64,128,256,512)
   #ii) Plot a graph of accuracy vs. activation function.
10 #(Relu, logistic sigmoid, tanh, leaky Relu)
11
  #iii) Plot a graph comparing the following three
   #loss functions vs accuracy
12
13
14
15 | import numpy as np
16 import pandas as pd
17 | import seaborn as sns
18 import matplotlib.pyplot as plt
19 from sklearn.model_selection import train_test_split
20 from sklearn.metrics import confusion_matrix
   from sklearn.preprocessing import LabelEncoder
   from sklearn.preprocessing import StandardScaler
23
24
25
    Check observation one by one different dataset remove
26
    comment part and see observations
27
28
29
    data = pd.read_csv("https://raw.githubusercontent.com
   □/psantul/Dataset/main/data.csv", encoding='latin-1')
31 | #data = pd.read_csv("https://raw.githubusercontent.com
32
   /psantul/Dataset/main/titanic.csv",delimiter<sub>□</sub>=<sub>□</sub>',',
33
   encoding='latin-1')
34
   print(data.shape)
35 | data.head()
36
37 \mid x_{\perp} = data.iloc[:,3:].values
38 \mid y_{\perp} = \text{data.iloc}[:,1]. \text{values}
```

```
39
40
     encoder,=,LabelEncoder()
41
    y__=_encoder.fit_transform(y)
42
43
    X_train, \( \subset \), \( \sup \) train, \( \sup \) train, \( \sup \) train test_split (\( x \), \( \sup \) y,
44
     test_size_{\square}=_{\square}0.2,_{\square}random_state_{\square}=_{\square}0)
45
46
     print(X_train.shape)
47
     print(y_train.shape)
48
     print(X_test.shape)
49
     print(y_test.shape)
50
51
    np.unique(y_train)
52
53 | nn_input_dim_=_X_train.shape[1]
54 \mid \text{nn\_output\_dim}_{\square} = \square \text{len(np.unique(y\_train))}
55 | 1r_{11} = 10.01
56
57 | #_helper_function_to_calculate_total_loss_on_the_dataset
58
    def _ calculate_loss (model , _ X , _ y):
    \sqcup \sqcup num_examples\sqcup = \sqcup X.shape [0]
60
    uuW1u=umodel['W1']
61
    \sqcup \sqcup b1 \sqcup = \sqcup model['b1']
62
    \sqcup \sqcup W2 \sqcup = \sqcup model['W2']
63
    \sqcup \sqcup b2 \sqcup = \sqcup model['b2']
    \sqcup \sqcup \# \sqcup \mathsf{forward} \sqcup \mathsf{propagation} \sqcup \mathsf{to} \sqcup \mathsf{calculate} \sqcup \mathsf{out} \sqcup \mathsf{predictions}
    \sqcup \sqcup z1 \sqcup = \sqcup X. dot(W1) \sqcup + \sqcup b1
66 \mid_{\sqcup \sqcup} a1_{\sqcup} =_{\sqcup} np. tanh(z1)
67
    \sqcup \sqcup z2 \sqcup = \sqcup a1. dot(W2) \sqcup + \sqcup b2
68
    \square \square \exp \_scores \square = \square np. exp(z2)
69
    uuprobsu=uexp_scoresu/unp.sum(exp_scores,uaxis=1,
    \sqcup \sqcup keepdims=True)
70
71
    72
    ull corect_logprobs_=u-np.log(probs[range(num_examples),uy])
    uudata_lossu=unp.sum(corect_logprobs)
74
    uureturnu1.u/unum_examplesu*udata_loss
75
76
    def predict (model, ⊥x):
77
    \sqcup \sqcup W1 \sqcup = \sqcup model['W1']
78
    \sqcup \sqcup b1 \sqcup = \sqcup model['b1']
     \square\square W2\square = \square model['W2']
80
    | b2| = | model['b2']
81
82
83 | ULL # L Forward L propagation
```

```
84 | \Box z1 \Box = \Box x. dot(W1) \Box + \Box b1
 85
       _{\sqcup \sqcup}a1_{\sqcup}=_{\sqcup}np.tanh(z1)
 87
       \square\square \exp _{\mathbf{z}} \operatorname{cores}_{\square} = \square \operatorname{np.exp}(\mathbf{z}2)
       |_{\sqcup\sqcup}probs_{\sqcup}=_{\sqcup}exp_{\bot}scores_{\sqcup}/_{\sqcup}np_{\bot}sum_{\bot}exp_{\bot}scores_{\bot}axis_{\bot}=1,
       \sqcup \sqcup keepdims=True)
 89
 90
       |_{\sqcup\sqcup}return_{\sqcup}np.argmax(probs,_{\sqcup}axis=1)
 91
 92
       \#_{\sqcup}(Relu, logistic_{\sqcup}sigmoid, tanh, leaky_{\sqcup}Relu)
 93
 94 |def_{\sqcup}relu(x):
       _{\sqcup \sqcup} x [x < 0] = 0
 95
 96
       ⊔⊔return⊔x
 97
 98 | def_{\sqcup} logsig(x) :
 99
       \square \squarereturn\square 1/(1_{\square}+_{\square}np.exp(-x))
100
101 | def__tanh(x):
102 |_{\sqcup \sqcup} return_{\sqcup}np.tanh(x)
103
104 def_leaky_relu(x):
105
       _{\sqcup \sqcup} x [x < 0] _{\sqcup} * = _{\sqcup} 0.01
106
       ⊔⊔return⊔x
107
108 | def_{\sqcup}build_{model}(X,_{\sqcup}Y,_{\sqcup}nn_{hdim},_{\sqcup}num_{passes}|_{\sqcup}10000,
109
       print_loss=False):
110
111 | \square num_examples \square = \square X.shape[0]
112 \mid_{\sqcup \sqcup} np.random.seed(0)
113 | \sqcup \sqcup W1 \sqcup = \sqcup np. random. rand (nn_input_dim, \sqcup nn_hdim) \sqcup /
114 | uunp.sqrt(nn_input_dim)
115 |_{\sqcup \sqcup} b1_{\sqcup} = _{\sqcup} np.zeros((1,_{\sqcup} nn_hdim))
116 | \sqcup \sqcup W2 \sqcup = \sqcup np. random. rand (nn_hdim, \sqcup nn_output_dim) \sqcup /
       ⊔⊔np.sqrt(nn_hdim)
117
118 |_{\sqcup\sqcup}b2_{\sqcup}=_{\sqcup}np.zeros((1,_{\sqcup}nn_output_dim))
       \square\squaremodel\square=\square{}
119
121
122
       \sqcup \sqcup \sharp \sqcup \mathsf{Gradient} \sqcup \mathsf{descent} . \sqcup \mathsf{for} \sqcup \mathsf{each} \sqcup \mathsf{batch}
123
       uuforuiuinurange(0,unum_passes):
124
125
126 \mid_{\sqcup \sqcup \sqcup \sqcup} \#_{\sqcup} Forward_{\sqcup} propagation
127 \mid_{\sqcup \sqcup \sqcup \sqcup \sqcup} z_1 = \mathsf{X} \cdot \mathsf{dot}(\mathsf{W}_1) = \mathsf{b}_1
128 \mid_{\sqcup \sqcup \sqcup \sqcup} a1_{\sqcup} =_{\sqcup} tanh(z1)
```

```
130
      \square\square\square\square exp_scores\square=\squarenp.exp(z2)
131
     132 | \square \square \square  axis=1, \square  keepdims=True)
133
134
      _{\sqcup\sqcup\sqcup\sqcup}#_{\sqcup}Backpropagation
135 | uuuudelta3u=unp.array(probs)
      |_{\sqcup\sqcup\sqcup\sqcup} delta3[range(num_examples),_{\sqcup}y]_{\sqcup}-=_{\sqcup}1
136
137
      \sqcup \sqcup \sqcup \sqcup \sqcup dW2 \sqcup = \sqcup (a1.T).dot(delta3)
138
      ____db2_=_np.sum(delta3,_axis=0,_keepdims=True)
139
      \sqcup \sqcup \sqcup \sqcup \sqcup delta2 \sqcup = \sqcup delta3.dot(W2.T) \sqcup * \sqcup (1 \sqcup - \sqcup np.power(a1, \sqcup 2))
      \sqcup \sqcup \sqcup \sqcup dW1 \sqcup = \sqcup np. dot(X.T, \sqcup delta2)
141
      \sqcup \sqcup \sqcup \sqcup \sqcup db1 \sqcup = \sqcup np.sum(delta2, \sqcup axis=0)
142
143 |_{\sqcup \sqcup \sqcup \sqcup} \#_{\sqcup} Gradient_{\sqcup} descent_{\sqcup} parameter_{\sqcup} update
144
      ____W1__+=__-lr__*_dW1
145
      |uuuub1u+=u-lru*udb1
146
      \sqcup \sqcup \sqcup \sqcup \sqcup W2 \sqcup += \sqcup -1r \sqcup * \sqcup dW2
      \sqcup \sqcup \sqcup \sqcup \sqcup b2 \sqcup += \sqcup -1r \sqcup * \sqcup db2
147
148
149
150
      ____#_Assign_new_parameters_to_the_model
151
      ____model__=_{'\W1':_\W1,_''b1':_\b1,_''\W2':_\W2,_''b2':_\b2}
152
153
      \sqcup \sqcup \sqcup \sqcup \sqcup if \sqcup print_loss_{\sqcup} and_{\sqcup} i_{\sqcup} \% \sqcup 1000_{\sqcup} = = \sqcup 0:
154
      |_{\sqcup \sqcup \sqcup \sqcup \sqcup \sqcup} loss_{\sqcup} = _{\sqcup} calculate_loss(model,_{\sqcup}X,_{\sqcup}y)
155
      UUUUUUUlosses.append(loss)
      |\Box\Box\Box\Box\Box\Boxprint("Loss after iteration %i: %f"\Box%\Box(i,\Boxloss))
156
157
158
      ⊔⊔return⊔model,⊔losses
159
160 | x_{\sqcup} =_{\sqcup} []
161 | y<sub>u</sub>=<sub>u</sub>[]
162
163 | for_nodes_in_[64,_128,_256,_512]:
      |_{\sqcup\sqcup}print('\setminusn_{\sqcup}for_{\sqcup}{\}_{\sqcup}number_{\sqcup}of_{\sqcup}nodes'.format(nodes))
164
165
      uumodel, ulossu=ubuild_model((X_train),(y_train),unodes,
166
      \sqcup \sqcup print_loss=True)
167
      uupredsu=upredict(model,uX_test)
      _{\sqcup\sqcup}acc_{\sqcup}=_{\sqcup}((preds_{\sqcup}==_{\sqcup}y_{\perp}test).sum()_{\sqcup}/_{\sqcup}len(y_{\perp}test))_{\sqcup}*_{\sqcup}100
168
169
      \sqcup \sqcup x.append(nodes)
170
     |_{\sqcup \sqcup} y.append(acc)
171
172 | plt.xlabel('number,of,nodes')
173 | plt.ylabel('accuracy')
```

Output: (64,128,256,512)

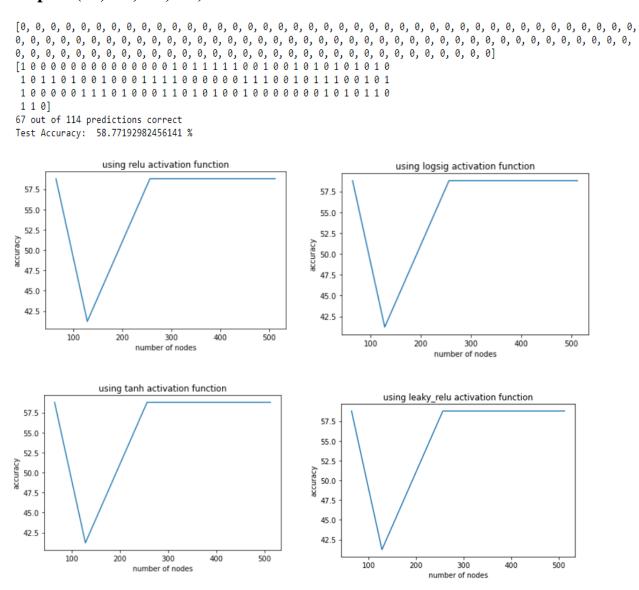


Fig: Observation of Dateset-1: https://raw.githubusercontent.com/psantul/Dataset/main/data.csv

Output: (64,128,256,512)

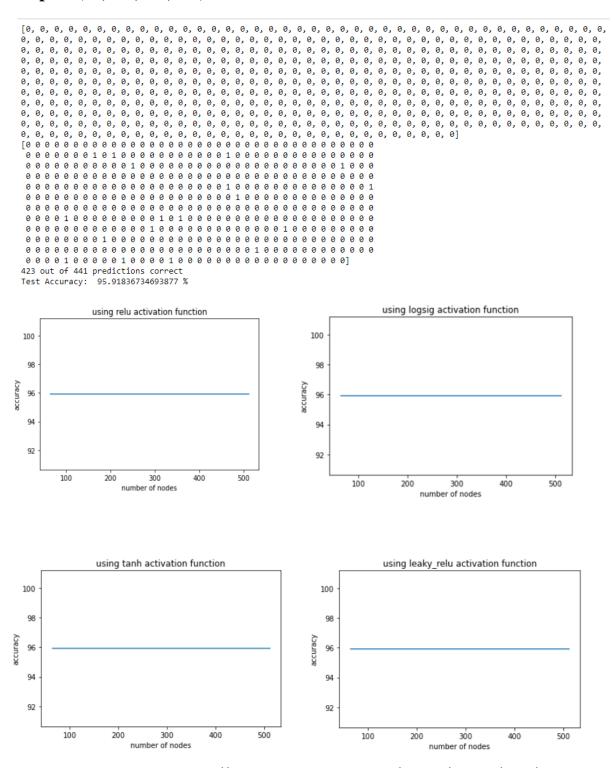


Fig: Observation of dataset 2: https://raw.githubusercontent.com/psantul/Dataset/main/titanic.csv

- iii) Plot a graph comparing the following three loss functions vs accuracy a)Multi-Class Cross-Entropy Loss
- b)Sparse Multiclass Cross-Entropy Loss
- c)Kullback Leibler Divergence Loss

```
2
  # mlp for regression with mse loss function
   from sklearn.datasets import make_regression
4 from sklearn.preprocessing import StandardScaler
   from keras.models import Sequential
  from keras.layers import Dense
   from keras.optimizers import SGD
8 from matplotlib import pyplot
   from sklearn.preprocessing import LabelEncoder
10 | import pandas as pd
11
12 data = pd.read_csv("https://raw.githubusercontent.com/psantul/
13 | Dataset/main/titanic.csv", delimiter = ',', encoding='latin-1')
   print(data.shape)
15 data.head()
17 | X = data.iloc[:,3:].values
18 | y = data.iloc[:,1].values
19
20 encoder = LabelEncoder()
21 | y = encoder.fit_transform(y)
22
23 # split into train and test
24 | from sklearn.model_selection import train_test_split
25 | X_train, X_test, y_train, y_test = train_test_split(X, y,
26
   test_size = 0.2, random_state = 0)
27
28 import tensorflow as tf
29 | from tensorflow.keras.models import Sequential
30
31 # define model
32 | model = Sequential()
33 | model.add(Dense(25, input_dim=1, activation='relu',
34 kernel_initializer='he_uniform'))
35 | model.add(Dense(1, activation='linear'))
36 \mid \text{opt} = \text{SGD}(1\text{r}=0.01, \text{momentum}=0.9)
   model.compile(loss='mean_squared_error', optimizer=opt)
```

```
39 X_test.shape, y_test.shape
40
41 X.shape, y.shape
42
43 | # fit model
44 history = model.fit(X_train, y_train,
   validation_data=(X_test, y_test), epochs=100, verbose=0)
46
47
   # evaluate the model
48
   train_mse = model.evaluate(X_train, y_train, verbose=0)
   test_mse = model.evaluate(X_test, y_test, verbose=0)
49
50
   print('Train: \( \) \% .3f, \( \) Test: \( \) \% (train_mse, test_mse))
51
52 | # plot loss during training
53 | pyplot.title('Loss_\_/\_Mean_\_Squared_\_Error')
   pyplot.plot(history.history['loss'], label='train')
   pyplot.plot(history.history['val_loss'], label='test')
55
56
   pyplot.legend()
   pyplot.show()
57
58
59
   """#Kullback Leibler Divergence Loss"""
60
61 from keras.utils import to_categorical
62 | # one hot encode output variable
63 | y = to_categorical(y)
64
65 # define model
66 model = Sequential()
67 | model.add(Dense(50, input_dim=1, activation='relu',
68 kernel_initializer='he_uniform'))
69 model.add(Dense(3, activation='softmax'))
70
71 | # compile model
   opt = SGD(1r=0.01, momentum=0.9)
73 | model.compile(loss='kullback_leibler_divergence',
74
   optimizer=opt, metrics=['accuracy'])
75
76 | # fit model
77 | history = model.fit(X_train, y_train,
78 | validation_data= (X_test, y_test), epochs=100, verbose=0)
79
80 # evaluate the model
   _, train_acc = model.evaluate(X_train, y_train, verbose=0)
82 | _, test_acc = model.evaluate(X_test, y_test, verbose=0)
83 | print('Train: \( \) \%.3f, \( \) Test: \( \) \%.3f' \% (train_acc, test_acc))
```

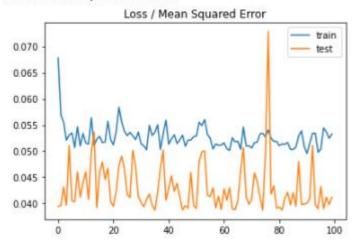
```
84
85 | # plot loss during training
86 | pyplot.figure(figsize=(10,8))
   pyplot.subplot(211)
   pyplot.title('Loss')
    pyplot.plot(history.history['loss'], label='train')
90 | pyplot.plot(history.history['val_loss'], label='test')
91
   pyplot.legend()
92
93 | # plot accuracy during training
94 pyplot.subplot(212)
95 | pyplot.title('Accuracy')
   pyplot.plot(history.history['accuracy'], label='train')
96
   pyplot.plot(history.history['val_accuracy'], label='test')
98
   pyplot.legend()
99
   pyplot.show()
100
101
    """#Sparse Multiclass Cross-Entropy Loss"""
102
103 | # define model
104 | model = Sequential()
105 | model.add(Dense(50, input_dim=1,activation='relu',
106 | kernel_initializer='he_uniform'))
107 | model.add(Dense(3, activation='softmax'))
108 | # compile model
109 opt = SGD(1r=0.01, momentum=0.9)
110 | model.compile(loss='sparse_categorical_crossentropy',
111 optimizer=opt, metrics=['accuracy'])
112 | # fit model
113 | history = model.fit(X_train, y_train,
114 validation_data=(X_test, y_test), epochs=100, verbose=0)
115 | # evaluate the model
   _, train_acc = model.evaluate(X_train, y_train, verbose=0)
116
117
   _, test_acc = model.evaluate(X_test, y_test, verbose=0)
118 | print('Train: | %.3f, | Test: | %.3f' % (train_acc, test_acc))
119 | # plot loss during training
120 pyplot.subplot(211)
121
   pyplot.title('Loss')
122 | pyplot.plot(history.history['loss'], label='train')
123 | pyplot.plot(history.history['val_loss'], label='test')
124
   pyplot.legend()
125 | # plot accuracy during training
126 pyplot.subplot(212)
   pyplot.title('Accuracy')
127
128 | pyplot.plot(history.history['accuracy'], label='train')
```

```
129 | pyplot.plot(history.history['val_accuracy'], label='test')
130 | pyplot.legend()
131 | pyplot.show()
```

Output:

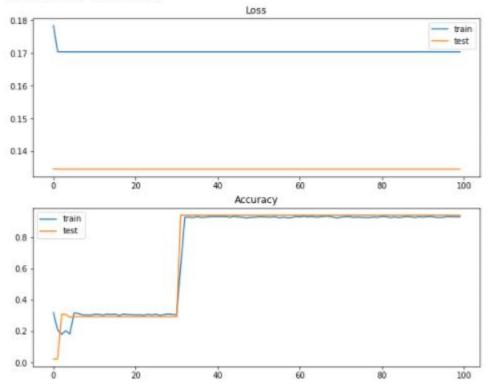
a) Multi-Class Cross-Entropy Loss:

C→ Train: 0.051, Test: 0.041



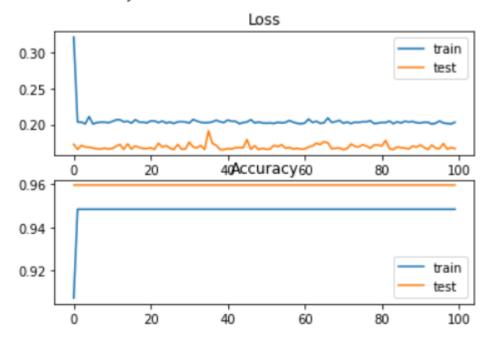
b) Sparse Multiclass Cross-Entropy Loss:

C. Train: 0.935, Test: 0.943



c) Kullback Leibler Divergence Loss:

Train: 0.948, Test: 0.959



Q2.Implement SVM from scratch on the above datasets and plot a graph for the given kernel functions:

- i)Linear kernel vs accuracy
- ii)Polynomial kernel vs accuracy
- iii)Gaussian RBF kernel vs accuracy

```
2
   #!/usr/bin/env python
3
   # coding: utf-8
4
5
   # In[1]:
6
7
   import pandas as pd
   from matplotlib.pyplot import *
   import matplotlib.pyplot as plt
10
11
12
13 | # In [2]:
14
15
16 from sklearn.metrics import roc_auc_score
17 | from sklearn.metrics import roc_curve
18
   from sklearn.preprocessing import LabelEncoder
19
20
21
  # In[3]:
22
23
24 | import numpy as np
25 from numpy import linalg
26 | import cvxopt
27
   import cvxopt.solvers
28
29
   def linear_kernel(x1, x2):
30
       return np.dot(x1, x2)
31
32
   def polynomial_kernel(x, y, p=3):
33
       return (1 + np.dot(x, y)) ** p
34
35
   def gaussian_kernel(x, y, sigma=5.0):
36
       return np.exp(-linalg.norm(x-y)**2 / (2 * (sigma ** 2)))
37
38 class SVM(object):
```

```
39
40
       def __init__(self, kernel=linear_kernel, C=None):
41
           self.kernel = kernel
           self.C = C
42
43
           if self.C is not None: self.C = float(self.C)
44
45
       def fit(self, X, y):
46
           n_samples, n_features = X.shape
47
48
           # Gram matrix
           K = np.zeros((n_samples, n_samples))
49
50
           for i in range(n_samples):
51
                for j in range(n_samples):
52
                    K[i,j] = self.kernel(X[i], X[j])
53
54
           P = cvxopt.matrix(np.outer(y,y) * K)
55
           q = cvxopt.matrix(np.ones(n_samples) * -1)
           A = cvxopt.matrix(y, (1,n_samples))
56
57
           b = cvxopt.matrix(0.0)
58
59
           if self.C is None:
60
                G = cvxopt.matrix(np.diag(np.ones(n_samples) * -1)
               h = cvxopt.matrix(np.zeros(n_samples))
61
62
           else:
63
                tmp1 = np.diag(np.ones(n_samples) * -1)
64
                tmp2 = np.identity(n_samples)
65
                G = cvxopt.matrix(np.vstack((tmp1, tmp2)))
                tmp1 = np.zeros(n_samples)
66
67
                tmp2 = np.ones(n_samples) * self.C
               h = cvxopt.matrix(np.hstack((tmp1, tmp2)))
68
69
70
           # solve QP problem
71
           solution = cvxopt.solvers.qp(P, q, G, h, A, b)
72
73
           # Lagrange multipliers
74
           a = np.ravel(solution['x'])
75
76
           # Support vectors have non zero lagrange multipliers
77
           sv = a > 1e-5
           ind = np.arange(len(a))[sv]
78
79
           self.a = a[sv]
80
           self.sv = X[sv]
81
           self.sv_y = y[sv]
82
           print("%dusupportuvectorsuoutuofu%dupoints" % (len(
```

```
self.a), n_samples))
83
84
            # Intercept
85
            self.b = 0
86
            for n in range(len(self.a)):
87
                 self.b += self.sv_y[n]
88
                 self.b -= np.sum(self.a * self.sv_y * K[ind[n],sv
                    ])
89
            self.b /= len(self.a)
90
91
            # Weight vector
92
            if self.kernel == linear_kernel:
93
                 self.w = np.zeros(n_features)
94
                 for n in range(len(self.a)):
95
                     self.w += self.a[n] * self.sv_y[n] *
96
                     self.sv[n]
97
            else:
98
                 self.w = None
99
100
        def project(self, X):
101
            if self.w is not None:
102
                 return np.dot(X, self.w) + self.b
103
            else:
104
                 y_predict = np.zeros(len(X))
105
                 for i in range(len(X)):
106
                     s = 0
107
                     for a, sv_y, sv in zip(self.a, self.sv_y,
108
                     self.sv):
109
                         s += a * sv_y * self.kernel(X[i], sv)
110
                     y_predict[i] = s
111
                 return y_predict + self.b
112
113
        def predict(self, X):
114
            return np.sign(self.project(X))
115
116
    if __name__ == "__main__":
117
        import pylab as pl
118
119
        def plot_margin(X1_train, X2_train, clf):
120
            def f(x, w, b, c=0):
121
                 return (-w[0] * x - b + c) / w[1]
122
123
            pl.plot(X1_train[:,0], X1_train[:,1], "ro")
            pl.plot(X2_train[:,0], X2_train[:,1], "bo")
124
125
            pl.scatter(clf.sv[:,0], clf.sv[:,1], s=100, c="g")
```

```
126
127
            a0 = -4; a1 = f(a0, clf.w, clf.b)
128
129
            b0 = 4; b1 = f(b0, clf.w, clf.b)
130
            pl.plot([a0,b0], [a1,b1], "k")
131
132
133
            a0 = -4; a1 = f(a0, clf.w, clf.b, 1)
134
            b0 = 4; b1 = f(b0, clf.w, clf.b, 1)
135
            pl.plot([a0,b0], [a1,b1], "k--")
136
137
138
            a0 = -4; a1 = f(a0, clf.w, clf.b, -1)
139
            b0 = 4; b1 = f(b0, clf.w, clf.b, -1)
140
            pl.plot([a0,b0], [a1,b1], "k--")
141
142
            pl.axis("tight")
143
            pl.show()
144
145
146
        def accuracy_metric(actual, predicted):
147
          correct = 0
148
          for i in range(len(actual)):
149
            if actual[i] == predicted[i]:
150
              correct += 1
151
          return correct / float(len(actual)) * 100.0
152
153
        def plot_contour(X1_train, X2_train, clf):
154
            pl.plot(X1_train[:,0], X1_train[:,1], "ro")
155
            pl.plot(X2_train[:,0], X2_train[:,1], "bo")
156
            pl.scatter(clf.sv[:,0], clf.sv[:,1], s=100, c="g")
157
158
            X1, X2 = np.meshgrid(np.linspace(-6,6,50), np.linspace
                (-6,6,50)
159
            X = np.array([[x1, x2] for x1, x2 in zip(np.ravel(X1),
                np.ravel(X2))])
160
            Z = clf.project(X).reshape(X1.shape)
161
            pl.contour(X1, X2, Z, [0.0], colors='k', linewidths=1,
                 origin='lower')
162
            pl.contour(X1, X2, Z + 1, [0.0], colors='red',
163
            linewidths=1, origin='lower')
            pl.contour(X1, X2, Z - 1, [0.0], colors='green',
164
               linewidths=1, origin='lower')
165
166
            pl.axis("tight")
```

```
167
            pl.show()
168
169
        def test_linear():
170
171
            dataset = pd.read_csv("https://raw.githubusercontent.
172
    UUUUUUUU/psantul/Dataset/main/titanic.csv",delimiter = ',',
       encoding='latin-1')
173
174
            x = dataset.iloc[:,0:2].values
175
            y = dataset.iloc[:,-1].values
176
            print(x)
177
178
            from sklearn.model_selection import train_test_split
179
            X_train, X_test, y_train, y_test = train_test_split(x,
               y,test_size = 0.15, random_state=1)
180
181
            clf = SVM()
182
            clf.fit(X_train, y_train)
183
184
            y_predict = clf.predict(X_test)
185
            #print(y_predict)
186
            correct = np.sum(y_predict == y_test)
187
            print("%duoutuofu%dupredictionsucorrect" % (correct,
               len(y_predict)))
188
            accuracy = accuracy_metric(y_test, y_predict)
189
            print("Accuracy_of_Model_is_:_")
190
            print(accuracy)
191
192
            plot_margin(X_train[y_train==1], X_train[y_train==-1],
193
            clf)
194
195
196
            roc_auc4 = roc_auc_score(y_test, y_predict)
197
            fpr4, tpr4, thresholds4 = roc_curve(y_test, y_predict)
198
            plt.figure()
199
            plt.plot(fpr4, tpr4, label='Support_UVector_Machines_
               Classifier (area_{\perp} = \ \%0.2f), % roc_auc4)
200
            plt.plot([0, 1], [0, 1], 'r--')
201
            plt.xlim([0.0, 1.0])
            plt.ylim([0.0, 1.0])
202
203
            plt.xlabel('False_Positive_Rate')
204
            plt.ylabel('True_Positive_Rate')
205
            plt.title('ROC_for_SVM_with_Linear_Kernel')
206
            plt.legend(loc="lower_right")
```

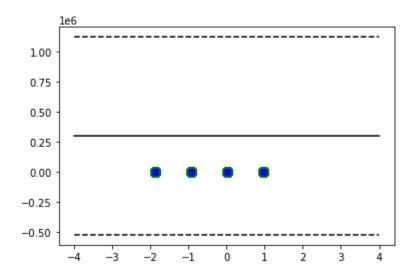
```
207
                                  plt.savefig('Log_ROC_SVM')
208
                                  plt.show()
209
210
211
212
213
                      def test_non_linear():
214
215
                                  dataset = pd.read_csv("https://raw.githubusercontent.
                                           com
216
           UUUUUUUU/psantul/Dataset/main/titanic.csv",delimiter = ',',
                   encoding='latin-1')
217
                                  x = dataset.iloc[:,0:2].values
218
219
                                  y = dataset.iloc[:,-1].values
220
221
                                  from sklearn.model_selection import train_test_split
222
                                  X_train, X_test, y_train, y_test = train_test_split(x,
                                          y,test_size = 0.15, random_state=1)
223
224
                                  clf = SVM(polynomial_kernel)
225
                                  clf.fit(X_train, y_train)
226
227
                                  y_predict = clf.predict(X_test)
228
                                  correct = np.sum(y_predict == y_test)
229
                                  #print(y_predict)
230
                                  print("%d\u00dt\u00f\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00dt\u00d
                                           len(y_predict)))
231
232
                                  accuracy = accuracy_metric(y_test, y_predict)
233
                                  print(accuracy)
234
235
                                  plot_contour(X_train[y_train==1], X_train[y_train
                                           ==-1]
236
                                  clf)
237
238
239
                                  roc_auc4 = roc_auc_score(y_test, y_predict)
240
                                  fpr4, tpr4, thresholds4 = roc_curve(y_test, y_predict)
241
                                  plt.figure()
242
                                  \verb|plt.plot(fpr4, tpr4, label='Support_{\sqcup}Vector_{\sqcup}Machines_{\sqcup}|
                                           Classifier (area = %0.2f), % roc_auc4)
243
                                  plt.plot([0, 1], [0, 1], 'r--')
244
                                  plt.xlim([0.0, 1.0])
245
                                  plt.ylim([0.0, 1.0])
```

```
246
            plt.xlabel('False,Positive,Rate')
247
            plt.ylabel('True_Positive_Rate')
248
            plt.title('ROC_for_SVM_with_Polynomial_Kernel')
249
            plt.legend(loc="lower_right")
250
            plt.savefig('Log_ROC_SVM')
251
            plt.show()
252
253
254
        def test_soft():
255
256
            dataset = pd.read_csv("https://raw.githubusercontent.
257
    ער ביי, ', psantul/Dataset/main/titanic.csv", delimiter = ',',
       encoding='latin-1')
258
259
            x = dataset.iloc[:,1:3].values
260
            y = dataset.iloc[:,-1].values
261
262
            from sklearn.model_selection import train_test_split
263
            X_train, X_test, y_train, y_test = train_test_split(x,
               y,test_size = 0.15, random_state=1)
264
265
            clf = SVM(C=1000.1)
266
            clf.fit(X_train, y_train)
267
268
            y_predict = clf.predict(X_test)
269
            #print(y_predict)
270
            correct = np.sum(y_predict == y_test)
271
            print("%duoutuofu%dupredictionsucorrect" % (correct,
               len(y_predict)))
272
            #print("Accuracy: %.3f (%.3f)" % (y_test.mean(),
               y_predict.std()))
273
            accuracy = accuracy_metric(y_test, y_predict)
274
            print(accuracy)
275
276
            plot_contour(X_train[y_train==1], X_train[y_train
               ==-1]
277
            clf)
278
279
            roc_auc4 = roc_auc_score(y_test, y_predict)
280
            fpr4, tpr4, thresholds4 = roc_curve(y_test, y_predict)
281
            plt.figure()
282
            plt.plot(fpr4, tpr4, label='Support_Vector_Machines_
               Classifier (area = 0.2f), % roc_auc4)
283
            plt.plot([0, 1], [0, 1], 'r--')
```

```
284
            plt.xlim([0.0, 1.0])
285
            plt.ylim([0.0, 1.0])
286
            plt.xlabel('False_Positive_Rate')
            plt.ylabel('True_Positive_Rate')
287
288
            plt.title('ROC_for_SVM_with_Gaussian_Kernel')
            plt.legend(loc="lower_right")
289
290
            plt.savefig('Log_ROC_SVM')
291
            plt.show()
292
293
294
        test_linear()
295
        test_non_linear()
296
        test_soft()
```

Output:

Linear Kernel: Accuracy of Model is: 64.65%



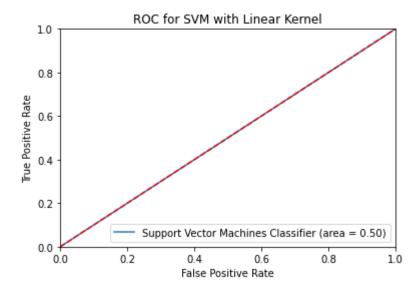
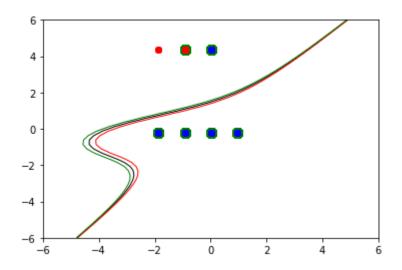


Fig: Observation SVM Linear Kernel Result

Polynomial Kernel: Accuracy of Model is: 65.25%



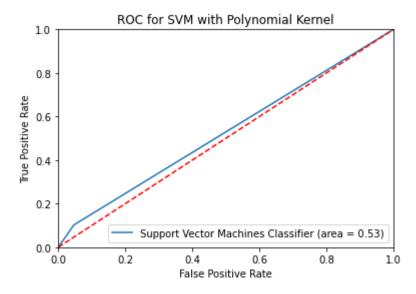
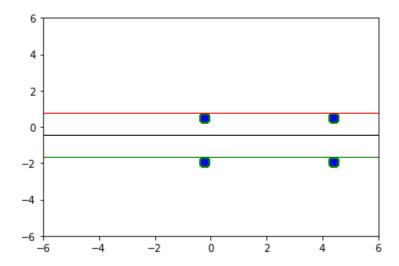


Fig: Observation SVM Polynomial Kernel Result

Gaussian Kernel: Accuracy of Model is: 77.94%



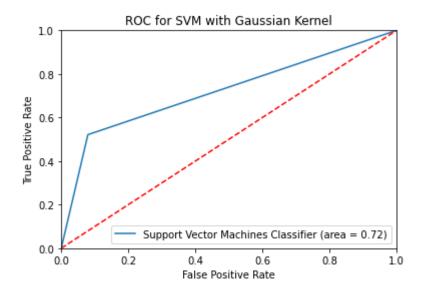


Fig: Observation SVM Gaussian Kernel Result