```
Given x number of 1's followed by y number of 0's, your task is to find the decimal representation of the x and y.
```

```
int decimal = Math.pow(2, x) - 1
    decimal = decima1 * Math.pow(2, y)
Better approach
_____
        int res=0
         int decimal = (1 << x) - 1
         decimal <<= y
if number is too large use big integer class
        import java.math.BigInteger;
        BigInteger x = scanner.nextBigInteger();
        BigInteger y = scanner.nextBigInteger();
        BigInteger res = BigInteger.ZERO;
        BigInteger res =
BigInteger.ONE.shiftLeft(x.intValue()).subtract(BigInteger.ONE).shiftLeft(y.intValue());
Given Xth and Yth Bit position. Create a number where X and Yth bit are Set:
int result= (1<<x) | (1<<y)
In a given integer - N, check whether the ith bit is set or not.
suppose i=2 and N=10, 1010 in binary: 2nd bit is 0(\text{starting from } 0,1,2)
if(n>>i & 1==1) then
    print true
else
   print false
Calculate number of bits required to represent an integer value:
                while n>0 do
                count++
                n>>=1
                print count
instead: int bits = (int)(Math.log_{10}(num) / Math.log_{10}(2)) + 1;
For example Take num=4
```

```
this is equal to \log_{10}(4)/\log_{10}(2) --> \log_{2}(4) = 2+1=3
```

```
Reverse the Bits of an integer number and print the value in decimal.
```

```
while N>0 Do
            res=0
           res = (res << 1) | (n & 1);
            n >>= 1;
        }
       print res
 N&1 to extract LSB bit of original number.
 Res<<1 to shift the result bit to the left side so that we can reverse the original number.
 OR operation to combine the shifted res with the extracted bit.
 n>>=1 to move to the next bit in the number
<u>Largest Power of 3 less than or equal to given number N:</u>
 initalize res to 1
 initalize power to 1
until power < N Do
    res=power
   power =power * 3
 print(res)
If the number is too large use BigInteger Class
______
  String input = scanner.nextLine();
  BigInteger N = new BigInteger(input);
        // or read directly as: BigInteger x = scanner.nextBigInteger();
       BigInteger res = BigInteger.ONE;
       BigInteger power = BigInteger.ONE;
           while (power.compareTo(N) < 0) {</pre>
           res = power;
           power = power.multiply(BigInteger.valueOf(3));
       print(res)
Print Number of trailing zeroes in the factorial of a given number N
GENERAL APPROACH
     mainfunction()
        read long int value
        long fact=factorial(n)
        long count=counttrailingzeroes(fact)
        print(count)
```

```
}
     factorial(long n)
           intitalize long res=1
           for i=1 to n (i=1;i<=n;i++)
           res=res*i
           return res
     }
   counttrailingzeroes(long n)
       int count = 0;
      while n > 0 Do
        if n mod 10 == 0 then
           count++
        else
           break the loop
       n = n/10;
      END WHILE
       return count
BETTER APPROACH
every multiple of 5 contributes to number of trailing zeroes in N!
use formula: n/5+n/25+n/125 and so on!!
initalize count=0
while n >0 Do
count = count + (n/5)
n = n/5
END WHILE
print(count)
Check if a given number is Prime Number or Not
  int flag=1
  if n<=1
     print not Prime
     return
  for i=2 to Math.sqrt(n) DO
     if n mod i==0 then
     set flag to 0
     break the loop
  if flag==1 then
     print "prime"
  else
     print "not Prime"
```

Instead of using Math.sqrt the better efficient way could be:

```
for i=2 to i*i<=n
   if n \mod i == 0
     set flag=0
     break the loop
Print Prime numbers from 1 to given range N
mainfunction()
     read n
     for i=1 to n+1 Do
      if(checkprime(i)):
          System.out.print(i+" ")
}
boolean checkprime(int n)
   if n is less than or equal to 1
       return False
   for i=2 to Math.sqrt(n) Do
       if n%i==0
           return false
   return true
}
Print Prime Numbers upto given Count
read N
set count=0
set i=1
while count<n Do:
    res=checkprime(i)
    if res==true
        System.out.print(i+" ")
        increment count++
    increment i++
boolean checkprime(int n)
   if n is less than or equal to 1
       return False
   for i=2 to Math.sqrt(n) Do
       if n%i==0 then
           return false
   return true
}
SIEVE OF ERATOSTHENES: THE MOST OPTIMIZED PRIME NUMBER LOGIC
        boolean[] prime = new boolean[n + 1]
```

```
for int i=0 to n Do
         set prime values to true
       OuterLoop for int i=2 to i*i<=n Do
          check if prime[i] is true if so then gotoinner loop
                for int j=p*p to n (Note: increment innerloop by j=j+p)
                   set prime[j] to false
          for int i=2 to n Do
           if prime[i] is true then
             print(prime[i]+" ")
Print prime numbers upto given range N for T test cases each on new line
Take input number of test cases T
iterate from i=1 to T Do
    read integer number n
   call printupton(n) function
function printupton(n):
    iterate from i to n Do
        if(checkforrime(i)==true):
            print(i+" ")
    println()
End Function
function boolean checkforprime(int n)
    if n<=1 then
        return false
    iterate from i=2 to sgrt(n) D0
        if n%i==0 then
            return false
    return true
End function
for example:
2 3 5 7
2 3 5 7 11 13 17 19
2 3 5 7 11 13 17 19 23 29 31 37 41 43 47 53 59 61 67 71 73 79 83 89 97
```

T=3 10

20

100

## Problems

28 September 2024

11:34