

Missing number 1 to n

03 December 2024 00:50

N=4

we need to enter 3 input only: 1 2 3
missing number is 4

total sum of natural numbers upto 4 is 10 (1,2,3,4)
actual array sum is 6 so $10-6=4$

```
int n = sc.nextInt()
    int[] nums = new int[n - 1] // Since one number is missing

    for (int i = 0; i < n - 1; i++)
        nums[i] = sc.nextInt()

    int totalSum = n * (n + 1) / 2
    //bracket (n+1) evaluated then multiplied with n then /2

    int arraySum = 0;
    for (int num : nums)
        arraySum += num;

    int missing = totalSum - arraySum
```

Using Bitwise Xor:

```
int xortotal = 0;
    for (int i = 1; i <= n; i++)
        xortotal ^= i
```

```
int xorarray = 0;
    for (int num : nums)
        xorarray ^= num
```

// The missing number is the result of $xortotal \oplus xorarray$

```
int missingNumber = xortotal ^ xorarray
```

if 0 to be included in the array then just change

```
int n = sc.nextInt();  
int[] nums = new int[n] //enter the values upto n  
  
for (int i = 0; i < n; i++)  
    nums[i] = sc.nextInt()
```

Pair with given Sum

02 December 2024 23:43

input: 1 2 3 4 5 6 7
sum=7

number of pairs=3 (3,4),(1,6),(5,2)

```
int n = scanner.nextInt();
int target = scanner.nextInt()
int[] arr = new int[n]
for (int i = 0; i < n; i++)
    arr[i] = scanner.nextInt()

HashMap<Integer, Integer> freq = new HashMap<>()
int cnt = 0

for (int i = 0; i < arr.length; i++)
    int complement=target-arr[i]
    if (freq.containsKey(complement))
        cnt += freq.get(complement)
    then
        freq.put(arr[i], freq.getDefault(arr[i], 0) + 1)

System.out.println(cnt)
```

Anagram Strings

02 December 2024 23:45

listen and silent are anagrams

```
HashMap<Character, Integer> hmap = new HashMap<>()

    for (char ch : s1.toCharArray())
        hmap.put(ch, hmap.getOrDefault(ch, 0) + 1)

    for (char ch : s2.toCharArray())
        hmap.put(ch, hmap.getOrDefault(ch, 0) - 1)

    boolean flag = true

    for (var pair : hmap.entrySet())
        if (pair.getValue() != 0)
            flag = false
            break

    if (flag==true)
        print("strings are anagrams")
    else
        print("strings are not anagrams")
```

Sum with queries

03 December 2024 16:12

You are given an array of integers of size N. You are also given Q queries consisting of three integers i, j, and x.

For each query, increment each element of the array from index i to j by a value of x. At the end, print the sum of all the elements of the array.

Input:

2 (2 Test cases)

5

1 5 -3 2 8

2 (queries)

1 3 1 (1 and 3 are indices 1 is the value to be added)

0 1 2

6

4 10 -1 2 8 -3

1

3 5 6

Output

20

38

```
int T=sc.nextInt()
while(T-->0)
{
    int n=sc.nextInt()
    int[] arr=new int[n]
    long sum=0
    for(int i=0;i<n;i++)
        arr[i]=sc.nextInt()
        sum+=arr[i]

    int q=sc.nextInt()
    while(q-->0)
        long i=sc.nextInt()
        long j=sc.nextInt()
        long x=sc.nextInt()
        sum+=(j-i+1)*x

    print(sum)

}
```

A query modifies elements in the range $[i, j]$ by adding x to each.

- The number of elements in this range is given by:
- $\text{Count of Elements} = (j - i + 1)$

Each element in this range contributes x to the total increment in the sum.

Therefore, the total contribution of this query to the array sum is:
 $(j - i + 1) * x$

Instead of modifying the array and recomputing the sum each time (which is time-consuming for large arrays), we directly add this contribution to the current sum.

in $j - i + 1$ add 1 bcz Add 1 because both i and j are included in the range. Adding 1 is necessary because the subtraction $j - i$ only gives the difference between the indices, not the count of elements.

Time Complexity

For Q queries and an array of size N :

naïve approach will take worst case $O(Q \times N)$

optimized approach will take: $O(Q)$ for queries + $O(N)$ for the final sum computation = $O(N + Q)$

Naïve Approach:

```
for (int q = 0; q < Q; q++)
    int i = queryStartIndex;
    int j = queryEndIndex;
    int x = incrementValue;

    // Update array for each query in the range [i, j]
    for (int k = i; k <= j; k++) {
        arr[k] += x;
    }

long sum = 0;
for (int value : arr)
    sum += value;
```

bitonic Sequence

05 November 2024 01:21

```
/*  
Input:  
arr = 1 3 5 4 2  
output=True
```

```
input=3 2 1 0  
output=false
```

```
input=1 2 3 4 5  
output=false
```

A valid bitonic sequence must have at least one element before and one element after the peak.
its increasing upto certain element and then decreases

```
*/
```

```
N = input  
arr = array of size N  
for i from 0 to N - 1  
    read array values
```

```
if N < 3  
    output false  
    return
```

```
i = 0  
while i < N - 1 and arr[i] < arr[i + 1]  
    i = i + 1  
end while
```

```
if i == 0 or i == N - 1  
    output false  
    return  
end if
```

```
while i < N - 1 and arr[i] > arr[i + 1]  
    i = i + 1  
end while
```

```
if(i==N-1)  
    print true  
else  
    print false
```

Find Ciel of Sorted array

03 December 2024 00:06

Given a sorted array in ascending order and a value key,
the ceiling of key is the smallest element in array greater than or equal to key.

input=6

1 2 3 5 6 7

4

output=

The ceiling of 4 is: 5

```
int arr[]={1,2,3,5,6,7}
```

```
int n=arr.length
```

```
int x=0
```

```
int high=n-1
```

```
int x=given key
```

```
if (x <= arr[low])
```

```
    return arr[low]
```

```
    for (int i = low; i < high; i++)
```

```
        if (arr[i] == x)
```

```
            return arr[i]
```

```
        if (arr[i] < x && arr[i + 1] >= x)
```

```
            return arr[i+1]
```

```
    return -1
```


Find floor of the sorted array

03 December 2024 00:11

the floor of key is the greater element in the array less than or equal to key.

```
input=6
1 2 3 5 6 7
4
output=
The floor of 4 is: 3
```

```
if (key < arr[0])
    return -1
```

```
    for (int i = n - 1; i >= 0; i--)
        if (arr[i] <= key)
            return arr[i]
```

```
    return -1
```

Rotate 2D matrix in Place clockwise 90 degrees

02 December 2024 23:57

input matrix:

```
1 2 3
4 5 6
7 8 9
```

Rotated Matrix:

```
7 4 1
8 5 2
9 6 3
```

Step 1: Transpose the Matrix:

The transpose of a matrix is obtained by swapping the rows with the columns. This turns the element at position (i,j) into position (j,i)

```
1 4 7
2 5 8
3 6 9
```

```
int n = matrix.length;

for (int i = 0; i < n; i++)
    for (int j = i; j < n; j++)
        // Swap matrix[i][j] with matrix[j][i] to transpose
        int temp = matrix[i][j]
        matrix[i][j] = matrix[j][i]
        matrix[j][i] = temp
```

After transposing, to complete the 90-degree rotation, reverse each row. to get rotated matrix.

```
7 4 1
8 5 2
9 6 3
```

Reversing each row of matrix using 2 pointer approach

```
-----
for (int i = 0; i < n; i++)
    int left = 0
    int right = n - 1
    while (left < right)
        int temp = matrix[i][left]
        matrix[i][left] = matrix[i][right]
        matrix[i][right] = temp
```

```
    left++  
    right--
```

```
        end while  
    end for
```

Another Approach:

the below method is just for printing the rotated value not changing matrix.
this will work for exam point of view.

```
n=matrix.length  
for(int i=0;i<n;i++)  
    for(int j=n-1;j>=0;j--)  
        System.out.print(arr[j][i]+" ")  
  
    System.out.println()
```

Kth smallest element naive

02 December 2024 23:10

```
input=
4
3
 7  4  8
 3  5 89
12 56 10
14 45 100
4
output=
The 4th smallest element is: 7
```

```
int rows = matrix.length
int cols = matrix[0].length

int[] flatarray= new int[rows * cols]

int index = 0
for (int i = 0; i < rows; i++)
    for (int j = 0; j < cols; j++)
        flatArray[index++] = matrix[i][j]

Arrays.sort(flatArray)
print flatArray[k - 1]
```

Better approach is to use Min heap to store the smallest elements

```
int rows = matrix.length
int cols = matrix[0].length
```

```
PriorityQueue<Integer> minHeap = new PriorityQueue<>()
```

```
for (int i = 0; i < rows; i++)
    for (int j = 0; j < cols; j++)
        minHeap.offer(matrix[i][j])
```

```

int kthSmallest = -1
for (int i = 0; i < k; i++)
    kthSmallest = minHeap.poll()

print kthSmallest

```

In a min-heap, the smallest element is always at the root (top) of the heap, and every parent node has a value less than or equal to its children.

For a min-heap each poll operation will remove the smallest element

[7, 10, 3, 1, 5, 8, 4]

step by step creation of min heap

```

      7
     /
    10

```

```

      3
     /\
    10 7

```

```

      1
     /\
    3  7
   /
  10

```

```

      1
     /\
    3  7
   /\ /
  10 5 8

```

```

      1
     /\
    3  4
   /\ /\
  10 5 8 7

```

Insert 4 as the right child of 3.

We swap 4 with 7 to maintain the min-heap property, as 4 is smaller than 7.

final tree as min heap

```

      1
     /\
    3  4
   /\ /\
  10 5 8 7

```

10 5 8 7

suppose K is 4:

4th smallest element is 5.

Suppose k = 4. 4th smallest elemnt is 5

after first poll 1 is removed.

```
      3
     /\
    5  4
   /\  /
  7 10 8
```

after second poll 3 is removed.

```
      4
     /\
    5  8
   /\
  7 10
```

after 3rd poll 4 is removed.

```
      5
     /\
    7  8
   /
  10
```

after 4th poll 5 is removed.

```
      7
     /\
    10 8
```

*/

Quadruples of XOR

03 December 2024 00:18

You are given 4 arrays of integers: A, B, C, and D. You have to find the number of quadruples (i, j, k, l) such that $A[i] \oplus B[j] \oplus C[k] \oplus D[l] = 0$, where \oplus is the bitwise XOR operator.

Input format:

```
-----  
4 (sizes of array)  
//next enter 4 arrays of size 4  
31 8 28 10  
18 7 22 5  
16 25 20 14  
39 9 34 19
```

Output:

2

```
Quadruples(int[] A, int[] B, int[] C, int[] D, int n)  
    Map<Integer, Integer> map = new HashMap<>()  
    int count = 0
```

```
    // Step 1: Store all possible XOR results of A[i] ^ B[j]  
    for (int i = 0; i < n; i++)  
        for (int j = 0; j < n; j++)  
            int xorAB = A[i] ^ B[j]  
            map.put(xorAB, map.getOrDefault(xorAB, 0) + 1)
```

```
    // Step 2: Check for each pair C[k] ^ D[l] and look for its opposite in the map  
    for (int i = 0; i < n; i++)  
        for (int j = 0; j < n; j++)  
            int xorCD = C[i] ^ D[j]  
            if (map.containsKey(xorCD))  
                count += map.get(xorCD)
```

```
    return count
```

Input:

- A=[1,2]
- B=[3,4]
- C=[5,6]
- D=[7,0]

Compute $A[i] \oplus B[j]$:

calculate the XOR values of all pairs from A and B, storing their frequencies in the hashmap.

1. For $A[0]=1$
 - $1 \oplus 3=2$
 - $1 \oplus 4=5$

- For $A[1]=2$
- $2 \oplus 3=1$

- $2 \oplus 4 = 6$

Now, the map contains:

```
map={2:1
      5:1
      1:1
      6:1}
```

Compute $C[k] \oplus [l]$:

We calculate the XOR values of all pairs from CCC and DDD, checking each against the hashmap.

For $C[0]=5$

$5 \oplus 7 = 2 \rightarrow$ Found in map with frequency 1 \rightarrow Increment count by 1.
 $5 \oplus 0 = 5 \rightarrow$ Found in map with frequency 1 \rightarrow Increment count by 1.

For $C[1]=6$

$C[1] = 6$
 $6 \oplus 7 = 1 \rightarrow$ Found in map with frequency 1 \rightarrow Increment count by 1.
 $6 \oplus 0 = 6 \rightarrow$ Found in map with frequency 1 \rightarrow Increment count by 1.

Hence final answer is 4

Matches found are: if u cross verify all xor will be zero.

```
(A[0],B[0],C[0],D[0])
(A[0],B[1],C[0],D[1])
(A[1],B[0],C[1],D[0])
(A[1],B[0],C[1],D[0])
(A[1],B[1],C[1],D[1])
```


Longest Consecutive 1's

05 November 2024 00:53

```
declare maxlength as 0 // to store the longest sequence of 1s
declare a as 0 // to count current sequence of contiguous 1s

for i from 0 to n - 1
    if arr[i] equals 1
        increment count
        if count greater than maxlength
            set maxlength to count
    if arr[i] equals 0
        set count to 0

print maxlength
```

Bubble sort efficient

27 November 2024 01:15

```
int temp;
boolean flag;
for (int i = 0; i < n - 1; i++) {
    flag = false;
    for (int j = 0; j < n - i - 1; j++) {
        if (arr[j] > arr[j + 1]) {

            temp = arr[j];
            arr[j] = arr[j + 1];
            arr[j + 1] = temp;
            flag = true;
        }
    }
    if (!flag) {
        break;
    }

    System.out.print("Pass " + (i + 1) + ": ");
    for (int k = 0; k < n; k++) {
        System.out.print(arr[k] + " ");
    }
    System.out.println();
}

System.out.println("Sorted array is:");
for (int i = 0; i < n; i++) {
    System.out.print(arr[i] + " ");
}
```

Lucky Numbers

27 November 2024 01:16

```
{3, 7, 8}
{9, 11, 13}
{15, 16, 17}
```

here lucky number is 15 which is minimum in its row and maximum in its column

Initialize matrix with values
Create an empty list called luckyNumbers

Get number of rows m and columns n in the matrix

```
For i from 0 to m - 1
    Initialize minRowIndex to 0
    Initialize minRowValue to matrix[i][0]

    For j from 1 to n - 1
        If matrix[i][j] is < minRowValue
            Update minRowValue to matrix[i][j] and minRowIndex to j

    Initialize flag as true
    For k from 0 to m - 1
        If matrix[k][minRowIndex] is > minRowValue
            Set flag to false
            Break

if(flag)
    luckyNumber = minRowValue;
    break; // Since only one lucky number exists,
```

Longest Prefix Suffix

02 December 2024 23:47

input: grietcollegegriet
output:5

```
String s=sc.next();
int n=s.length();
int longest=0;
for(int i=1;i<n;i++){
    if(s.substring(0,i).equals(s.substring(n-i)))
        longest=i
}

print(longest)
```

```
n = len(s)
longest = 0
for i in range(1, n):
    if s[:i] == s[-i:]:
        longest = i

print longest
```

String GCD

28 November 2024

14:27

Input

ABABAB

ABAB

Output

AB

```
String P = sc.nextLine()
String Q = sc.nextLine()
if (!(P + Q).equals(Q + P)) {
    System.out.println(-1);
} else {
    int gcdLength = gcd(P.length(),
Q.length())
    System.out.println(P.substring(0,
gcdLength))
}
```

```
int gcd(int a, int b) {
    while (b != 0) {
        int temp = b;
        b = a % b;
        a = temp;
    }
    return a;
}
}
```

Number of Monotonous Sub Strings

02 December 2024 23:51

Input: "abbcccaa"

For the first 'a': 1 substring ("a")

For the 'first b': 1 substring ("b")

For the first 'c': 1 substring ("c")

For the second 'c': 2 substrings ("c", "cc")

For the third 'c': 3 substrings ("c", "cc", "ccc")

For the first 'a': 1 substring ("a")

For the second 'a': 2 substrings ("a", "aa")

Total: $1 + 1 + 1 + 2 + 3 + 1 + 2 = 13$

example 2

String: "aaaa"

For the first 'a': 1 substring ("a")

For the second 'a': 2 substrings ("a", "aa")

For the third 'a': 3 substrings ("a", "aa", "aaa")

For the fourth 'a': 4 substrings ("a", "aa", "aaa", "aaaa")

Total: $1 + 2 + 3 + 4 = 10$

```
int MOD = 1000000007;
int n = sc.nextInt(); // Length of the string
String s = sc.next(); // The string itself
long result = 0;
int count = 1; //atleast one substring is der
```

```
for (int i = 1; i < n; i++)
    if (s.charAt(i) == s.charAt(i - 1))
        count++;
    else
        // If the character changes, calculate the number of monotonous substrings
        result += (long) count * (count + 1) / 2;
        result %= MOD;
        count = 1;
}
```

```
//for the last character
```

```
result += (long) count * (count + 1) / 2;
result %= MOD;
```

```
print(result)
```

if 3 consecutive: c, c, c
Length of consecutive c: 3

Number of monotonous substrings:

1 (Just "c") + 2 (Substrings of length 2: "c", "cc") + 3 (Substrings of length 3: "c,cc,ccc")

Total substrings are 6. same can be achieved using the following formula:

Total = $3 \times (3+1) / 2$

=6 substrings

Spiral Traversal Matrix

27 November 2024 01:26

```
int[][] matrix = {
    {1, 2, 3},
    {4, 5, 6},
    {7, 8, 9}
};

int top = 0;
int bottom = matrix.length - 1;
int left = 0;
int right = matrix[0].length - 1;

while (top <= bottom && left <= right) {
    for (int i = left; i <= right; i++) {
        System.out.print(matrix[top][i] + " ");
    }
    top++;

    // Traverse from top to bottom along the right column
    for (int i = top; i <= bottom; i++) {
        System.out.print(matrix[i][right] + " ");
    }
    right--;

    if (top <= bottom) {
        // Traverse from right to left along the bottom row
        for (int i = right; i >= left; i--) {
            System.out.print(matrix[bottom][i] + " ");
        }
        bottom--;
    }

    if (left <= right) {
        // Traverse from bottom to top along the left column
        for (int i = bottom; i >= top; i--) {
            System.out.print(matrix[i][left] + " ");
        }
        left++;
    }
}
```


}

Zero Matrix

27 November 2024 01:39

Original Matrix:

```
1 1 1
1 0 1
1 1 1
```

Modified Matrix:

```
1 0 1
0 0 0
1 0 1
```

```
boolean[] row = new boolean[n];
boolean[] col = new boolean[n];
for (int i = 0; i < n; i++)
    for (int j = 0; j < n; j++)
        if (matrix[i][j] == 0)
            row[i] = true
            col[j] = true

// Step 2: Set the rows to zero
for (int i = 0; i < n; i++)
    if (row[i])
        for (int j = 0; j < n; j++)
            matrix[i][j] = 0

// Step 3: Set the columns to zero
for (int j = 0; j < n; j++)
    if (col[j])
        for (int i = 0; i < n; i++)
            matrix[i][j] = 0;
```

print the matrix.

XoR of sum of all Pairs

27 November 2024 01:50

if array is [1,2,3]

Pairs and their sums:

```
(1 + 1) = 2
(1 + 2) = 3
(1 + 3) = 4
(2 + 1) = 3
(2 + 2) = 4
(2 + 3) = 5
(3 + 1) = 4
(3 + 2) = 5
(3 + 3) = 6
```

XOR of these sums=0

```
int[] arr = {1, 2, 3}
int n = arr.length
int result = 0

for (int i = 0; i < n; i++)
    for (int j = 0; j < n; j++)
        int sum = arr[i] + arr[j]
        result ^= sum;
```

print result as xor of sum of pairs.

An Efficient approach is based upon the fact that xor of the same values is 0. All the pairs like (a[i], a[j]) and (a[j], a[i]) will have same sum. So, their xor values will be 0. Only the pairs like (a[i], a[i]) will give the different result. So, take the xor of all the elements of the given array and multiply it by 2.

```
int xoR = 0;
for (int i = 0; i < n; i++) {
    xoR = xoR ^ arr[i]
}

print xoR * 2
```

}

When optimizing the code, we recognize that:

1. Symmetric pairs cancel out (XOR becomes 0 for those pairs).
2. Only diagonal pairs ($a[i]$, $a[i]$) contribute, and their sums are $2 * a[i]$.

Thus, instead of explicitly summing diagonal pairs, we:

1. Compute the XOR of all array elements ($xor = a[0] \wedge a[1] \wedge \dots \wedge a[n-1]$).
2. Multiply the result by 2 because each diagonal contributes twice the value of the element.
3. Diagonal Pairs in the Array
4. For an array [1, 2, 3], the diagonal pairs are:
 1. $(1 + 1) = 2$
 2. $(2 + 2) = 4$
 3. $(3 + 3) = 6$
5. Each diagonal pair is the sum of an element with itself, i.e., $a[i] + a[i] = 2 * a[i]$.

The final XOR computation is equivalent to XORing these diagonal values:

- $result = (2) \wedge (4) \wedge (6)$

Sum of XoR of all pairs

27 November 2024 01:51

Input : arr[] = {5, 9, 7, 6}

Output : 47

$$5 \wedge 9 = 12$$

$$9 \wedge 7 = 14$$

$$7 \wedge 6 = 1$$

$$5 \wedge 7 = 2$$

$$5 \wedge 6 = 3$$

$$9 \wedge 6 = 15$$

$$\begin{aligned} \text{Sum} &= 12 + 14 + 1 + 2 + 3 + 15 \\ &= 47 \end{aligned}$$

```
int[] arr = {5, 9, 7, 6}
```

```
int n = arr.length
```

```
int result = 0
```

```
for (int i = 0; i < n; i++)
```

```
    for (int j = 0; j < n; j++)
```

```
        int xorSum = arr[i] ^ arr[j]
```

```
        result += xorSum
```

```
System.out.println("XOR sum of all pairs: " + result)
```

Sum of XOR of all subarrays

29 November 2024 20:39

Given an array containing N positive integers, the task is to find the sum of XOR of all sub-arrays of the array.

Input : arr[] = {3, 8, 13}

Output : 46

XOR of {3} = 3
XOR of {3, 8} = 11
XOR of {3, 8, 13} = 6
XOR of {8} = 8
XOR of {8, 13} = 5
XOR of {13} = 13
Sum = 3 + 11 + 6 + 8 + 5 + 13 = 46

```
int sum = 0

for (int i = 0; i < n; i++)
    int xorr = 0
    for (int j = i; j < n; j++)
        xorr = xorr ^ arr[j]
        sum += xorr
```

```
print sum
```

```
when i=0
xorr = 0.
inner loop j is 0 so
Subarray: {3}
xorr = 0 ^ 3 = 3
sum = 0 + 3 = 3
j becomes 1
Subarray: {3, 8}
xorr = 3 ^ 8 = 11
sum = 3 + 11 = 14
j becomes 2
Subarray: {3, 8, 13}
xorr = 11 ^ 13 = 6
sum = 14 + 6 = 20
```

continue similiary for for i=1 and subarrays are 8 and 8,13
total sum would be 33

when i=2, subarrays is only 13.

so final sum will 33+13=46

Tracing the Execution

Outer Loop ($i = 0$):

- Starting from index $i = 0$.
- Initialize $xorr = 0$.

Inner Loop ($j = 0$):

- Subarray: {3}
- Compute XOR: $xorr = 0 \oplus 3 = 3$
- Add to sum: $sum = 0 + 3 = 3$

Inner Loop ($j = 1$):

- Subarray: {3, 8}
- Compute XOR: $xorr = 3 \oplus 8 = 11$
- Add to sum: $sum = 3 + 11 = 14$

Inner Loop ($j = 2$):

- Subarray: {3, 8, 13}
- Compute XOR: $xorr = 11 \oplus 13 = 6$
- Add to sum: $sum = 14 + 6 = 20$

Outer Loop ($i = 1$):

- Starting from index $i = 1$.
- Initialize $xorr = 0$.

Inner Loop ($j = 1$):

- Subarray: {8}
- Compute XOR: $xorr = 0 \oplus 8 = 8$
- Add to sum: $sum = 20 + 8 = 28$

Inner Loop ($j = 2$):

- Subarray: {8, 13}
- Compute XOR: $xorr = 8 \oplus 13 = 5$
- Add to sum: $sum = 28 + 5 = 33$

Outer Loop ($i = 2$):

- Starting from index $i = 2$.
- Initialize $xorr = 0$.

Inner Loop ($j = 2$):

- Subarray: {13}
- Compute XOR: $xorr = 0 \oplus 13 = 13$
- Add to sum: $sum = 33 + 13 = 46$