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DEPARTMENT OF CSE-AI UNIVERSITY INSTITUTE OF ENGINEERING AND TECHNOLOGY, C.S.J.M. UNIVERSITY, KANPUR.

B.Tech., Physics-I (PHY-S101)

Semester: 2023-24 (Odd Semester)

Year: 1st Year (2k23)

First MID SEMESTER EXAMINATION

Time: 1.5 h

Maximum marks: 20

Note: All questions are compulsory.

Section A

 $[8 \times 1 = 8]$

1. Define unit vector.

2. Is earth an inertial frame of reference? Justify your answer.

3. Define fictitious force.

4. What do you understand by coriolis force?

5. If $\vec{A} = 4\hat{1} + 6\hat{j} - 3\hat{k}$ and $\vec{B} = 2\hat{1} + 5\hat{j} + 7\hat{k}$, find out the angle between \vec{A} and \vec{B} .

6. If $\vec{A} = 2\hat{i} - 4\hat{j} - 3\hat{k}$ and $\vec{B} = \hat{i} + 2\hat{j} + \hat{k}$, find $|(\vec{A} + \vec{B})|$.

7. Show that: $\operatorname{div} \vec{r} = 3$ where $\vec{r} = \kappa \hat{i} + y \hat{j} + 2\hat{k}$.

8. Describe the physical significance of curl.

Section B

 $[3 \times 2 = 6]$

9. Calculate fictitious and total force acting on a body of mass 2.5 kg relative to a frame moving vertically upwards on earth with an acceleration of 5 m/sec².

10 Describe the cylindrical and spherical coordinates.

11. Prove that curl of gradient is always zero.

Section C

 $[2 \times 3 = 6]$

12 What is non-inertial frame of reference? Show that observed force in Non-inertial frame is given as- $\mathbf{F}_N = \mathbf{F}_1 + \mathbf{F}_0$. Also give an example of it.

13. (a) A particle on which a force $F = -3\hat{1} - \hat{1} + 2\hat{k}$ Newton acts is displaced from point (4,-3,-5) m to point (-1,4,3) m. Calculate the work done by the force.

(b) Find grad (log r).



UNIVERSITY INSTITUTE OF ENGINEERING AND TECHNOLOGY, CSJM UNIVERSITY, KANPUR

ENGG. CHEMISTRY (CHM-S101) (CSAI)

Semester: I (Odd Semester)

Year: 1st Year (2K23)

First Mid. Semester Examination-2023-24

Time: 1.5 h

Max. Marks: 30

Note: All questions are compulsory

Section A

(1x9 = 9)

- 1. On increasing the conjugation, the λ_{max} ------ (increases/decreases).
- 2. Type of vibration (A), given below is ----- (Unsymmetrical stretching/Unsymmetrical bending).

- 3. Organic isomer which rotates the plane of polarized light is called optically inactive isomer. (true/fa(se)
- 4. Which of the following is correct regarding to Pairs (A & B)?

a. Pairs A & B are enantiomers

- b. Pairs A & B are diastereomers
- c. Pairs A is enantiomers and B is diastereomers diastereomers
- d. Pairs B is enantiomers and A is

- 5. What are active nuclei in NMR?.
- 6. Aldehyde, ketone and Nitro groups are chromospheres. (true/false)



- (n-π*/π-π* transition) 7. Acetaldehyde molecule has -----
-(Intra-/ inter- molecular hydrogen bonding) 8. O-nitro phenol has -----
- 9. Which of the following is correct regarding to these molecules?

- a. Compound A has a plane of symmetry,
- symmetry b. Compound A & B both have plane of symmetry,
- b. Compound B has a plane of
- d. None of these

Section B

(3x3 = 9)

- 1. Explain inter and intra-molecular hydrogen bonding with suitable examples.
- 2. Discuss the various methods of determination of order of reaction.
- 3. Draw the MO diagram of CO and O₂.

Section C

(2x 6=12)

- 1. An organic compound having C₉H₁₀, shows following ¹H-NMR data,
 - a. δ =1.2 quintet (2H)
 - b. $\delta = 2.3$. triplet (4H)
 - c. $\delta = 7.1$ singlet (4H), on the basis of above information, deduce the structure of compound.
- 2. Discuss bathochromic, hypsochromic, hyperchromic and hypochromic shift in UVspectroscopy with suitable graph and examples.

DEPARTMENT OF MECHANICAL ENGINEERING
UNIVERSITY INSTITUTE OF ENGINEERINGAND TECHNOLOGY, CSJM UNIVERSITY, KANPUR

Subject Name-WORKSHOP CONCEPT (TCA-S 102) CS-AI

Semester: (Even Semester)

Mid Semester-1 Examination				
Time: 1.5 h				ximum marks: 30
		With the second		
	Section A		(9 questions of	l mark each)
1. The purpose of a riser	is to-			
a. Deliver molten metal	b. Act as a reservoir for n	nolten metal c	. Compensate for sh	rinkages d. none
2. Cast iron and steel pip	es are produced by-			
a. Centrifugal casting	b. investment casting	c. Die casting	d. 1	forge casting
(a) It should be light in we	is not a requirement of a gight to handle easily ngth to break it and to remove	(b) It should l	be smooth to make of the control of	easting surface smooth the above
	All the second	The same of the sa		
4. Which of the following	is not true for gas welding	?		
a. Heat affected zone and c c. It is slower than arc welc	listortion are less as compare ding d. The		b. It is suitable ms in storing and ha	e for thin sheets ndling the gases
5. The pattern used for m	ass production is			
a. match plate pattern	b. split pattern	c, skeletor	pattern	d. single plate pattern
reached the	n of metal takes place when ortional limit (c) Fatigue		1	to the applied forces,
(a)Yield point (b) Prop	ortional limit (ç) Fatigue	strength (d) Ultimate strength	
 Which of the following a. loose piece pattern 	pattern is used to produce b. split pattern	a number of casti c. gated pattern	8	match plate pattern
8. The flame suitable for a. Oxidising flame	welding of ferrous metals, Carburising flame c. N	1 1 0	s - None of the above	
9. A model of casting, coa a. sand construction b.	nstructed to use for forming pattern c. cover	g a mould in damp d. none	sand, is called as of the above	

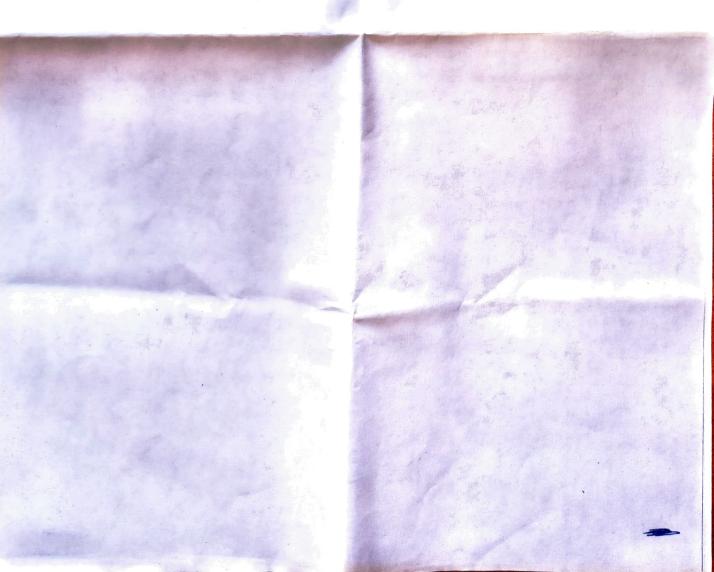
Section B (3 questions of 3 marks each)

- Q 1.Discuss the classification of manufacturing process.
- Q 2.Explain soldering and brazing process with example.
- Q 3.Define (i) pattern (ii) Arc blow (iii) casting

Section C

12 marks (6 marks each)

- Q 4. Define plant layout. Explain its types with example.
- Q 5. Explain Resistance welding and its types with example.



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DEPARTMENT OF ELECTRONICS & COMMUNICATION ENGINEERING

PARTMENT OF ELECTRONICS OF TECHNOLOGY, CSJM UNIVERSITY, KANPUR

(Subject Name: Basic Electrical & Electronics Engineering) (Subject Code: ESC-S101) [Branch: ECCA CSAI]

Semester: 2022-23 (Odd Semester)

Year: 1st Year (2K23)

First mid Semester Examination Aug - 2023

Time: 1.5 h

Maximum marks: 30

All questions are compulsory

Section A

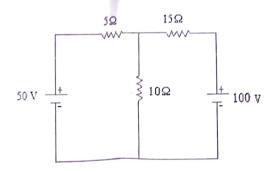
Note: 9 marks (9 questions of 1 mark each)

- Define Active element & passive elements?
- 2. What is maximum power transfer theorem?
- 3. Define Active element & passive elements.
- 4. State KCL & KVL?
- 5. What is source transformation
- 6. State Norton Theorem.
 - 7. Why do we use network theorems and techniques to solve electrical circuits?
 - 8. Explain ohm's Law.
 - 9. Explain open circuit and short circuit.

Section B

Note: 9 marks (3 questions of 3 marks each)

- 1. Explain Maximum power transfer theorem and derive the condition for maximum power transfer.
- 2. Determine the current through the 10 ohm resistance by using thevenin theorem.

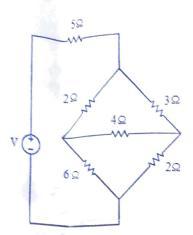


3. Derive the expression for converting a delta network to a star equivalent network.

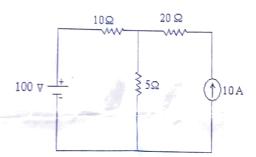
Section C

Note: 12 marks (2 questions of 6 marks each)

1. Find the current drawn from the source for a circuit given in the figure.



2. Find the currents in all the resistive branches of the circuit shown in below figure by using nodal theorem.



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University Institute of Engineering and Technology, CSJM University, Kanpur Mathematics | MTH-S101 (CS (AI))

Semester: 23-24 (Odd Semester)

Year: I year (2K23)

1*9

Maximum marks: 30

Time: 90 min.

First MID SEMSTER EXAMINATION

SECTION- A

Attempt all question

a. If $u = \frac{x^2 + y^2}{x^2 - y^2} + 4$, then find $x \frac{\partial u}{\partial x} + y \frac{\partial u}{\partial y} = ?$

b. Two functions u and v are functionally dependent. Find their Jacobian with respect to x and y.

c. Fill in the blank: $f(x, y) = f(2,3) + \cdots$

c. Fill in the plank: f(x,y) = f(x) = 0d. If u is the composite number of t, defined by the relation u = f(x,y), $x = \phi(t)$, $y = \psi(t)$, then total derivative $\frac{du}{dt}$

e. Find the minimum value of $\sqrt{x^2 + y^2}$.

f. For maximum value of the function $f(x, y) = x^3 + y^3 - 3axy$ write the sign of $\frac{d^2f}{dx^2}$.

g. Show that the $\lim_{(x,y)\to(0,0)} \frac{xy}{x^2+y^2}$

- h. Write the definition of the continuity of function of two variables.
- i. Find the degree of the following homogenous function logy logx.

SECTION-B 3*3

Question 2. Find the maximum and minimum value of the

function
$$f(x, y) = x^4 + y^4 - x^2 - y^2 + 1$$
.

Question 3. Find the Taylor series expansion of the function

$$f(x,y) = \cos x \cos y \ at(0,\pi)$$
up to six terms.

Question 4. Calculate
$$\frac{\partial(u,v)}{\partial(x,y)}$$
 for $x=e^u cos v$ and $\frac{\Lambda}{\chi^2+y^2}$

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$$y = e^u sinv$$
.

SECTION C 4*3=12.

- (a) State and Prove Euler Homogenous Theorem.
- (b) Show that the following function is discontinuous at the given point

$$f(x,y) = \begin{cases} \frac{x-y}{x+y}, & (x,y) \neq (0,0) \\ 0, & (x,y) = (0,0) \end{cases}$$

At the point (0, 0).

Question 6.

(a). Find the maximum value of the function $x^m y^n z^p$, subject to the condition

(b). Find $\frac{du}{dt}$ as a total derivative and verify the result by direct substitution if $u = x^2 + y^2 + z^2$ and $x = e^{2t}$, $y = e^{2t}cos3t$, $z = e^{2t}sin_{3t}$