



Es 1

$$G = \begin{bmatrix} 0 & 1 & 1 & 0 & 1 & 1 & 0 & 1 & 1 \\ 1 & 1 & 0 & 1 & 1 & 0 & 1 & 1 & 0 \end{bmatrix}$$

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In a systematic shape

$$N=9$$

$$K=2$$

$$g(D) = D^7 + D^6 + D^4 + D^3 + D + 1 =$$

$$= (D^6 + D^3 + 1)(D + 1)$$

Is this a cyclic code?

$$z \left\{ \frac{D^N + 1}{g(D)} \right\} = 0 \quad \begin{array}{l|l} D^7 + D^6 + D^4 + D^3 + D + 1 & \begin{array}{l} D^9 + 0 + 0 + 0 + 0 + 0 + 0 + 0 + 1 \\ D^8 + D^8 + 0 + D^6 + D^5 + 0 + D^3 + D^2 + 0 + 0 \\ 0 + D^8 + 0 + D^6 + D^5 + 0 + D^3 + D^2 + 0 + 1 \\ D^8 + D^7 + 0 + D^5 + D^4 + 0 + D^2 + D + 0 \\ 0 + D^7 + D^6 + 0 + D^4 + D^3 + 0 + D + 1 \\ D^7 + D^6 + 0 + D^4 + D^3 + 0 + D + 1 \end{array} \\ \hline & D^2 + D + 1 \end{array}$$

possible codewords $2^k = 4$ possible codeword

m	\bar{x}	w
00	00 00000000	—
01	01 1011011	6
10	10 1101101	6
11	11 01 1 0110	6

$$d_{\min} = 6$$

yes, it is a cyclic code