

→ split-step Fourier  
 Divide in  $B$  &  $A$   $B \rightarrow \text{cdp} \rightarrow \hat{P} \rightarrow F$  | step  $h$   $F(z+h, t) \approx e^{i\hat{H}h} F(z, t)$   
 $A \rightarrow \text{cdp} \rightarrow F$

→ GVD

Phenomenon that group vel. depends on freq. It affects every freq comp.

→ Chirp | Dispersion compensation  $D_1 L_1 + D_2 L_2 = 0$   
 change in center wavelength depends on sign  $\beta_2$   
 Freq variation

→ Gaussian with GVD

causes broadening bc freq comps. travel @ dif. speed

→ Normal dispersion

$\beta_2 > 0$  red faster than blue

→ Anomalous disp.

$\beta_2 < 0$  red slower than blue

→ Chirp/unchirp gaussian

unchirp → broadening no depends sign  $\beta_2$

chirped → yes  $\Delta \omega \propto \frac{1}{\sqrt{1 - C^2}}$  when  $C > 0$   
 $\Delta \omega \downarrow$  when  $C < 0$

chirp & unchirp maintain gaussian shape

chirped → broadens →  $\beta_2 C > 0$

narrows →  $\beta_2 C < 0$

→ Super Gaussian

steeper lead & trail edges broadens more rapidly bc wider spectrum skirt

 gauss

 super gauss

Always chirped, broadens faster, distorts shape

## → SPM

Raman effect: ultrashort pulse  $\xrightarrow{\text{induce}}$  varying  $n$  due to Kerr  $\xrightarrow{\text{probe}}$  phase shift  $\rightarrow$  change in pulse's freq spectrum

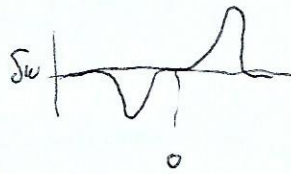
Induces a chirp

Spectral broadening (in temporal is affected)

a temporally varying phase implies instant opt. freq differs across the pulse

→ new freq. compo generated continuously

→ super gaussian



## Super gaussian

Spectral broadening with oscillatory structure  
broadens depends on  $\rightarrow$  pulse shape  
 $\rightarrow$  initial chirp

## → Competition

when both GVD & SPM

↳ Normal ( $\beta_2 > 0$ )  $\Rightarrow$  Broadens more rapidly (SPM generates new freqs)  
spectra broadens (less)

↳ Anomalous ( $\beta_2 < 0$ )  $\Rightarrow$  Broadens rate lower  $\rightarrow$  stationary  
spectrum narrows (SPM  $< 0$ )  
(GVD  $< 0$ )