

# Optical Components

## Booklet notes

Contents (just the topics, full contents on the booklet):

1. Free and guided propagation of optical waves
  1. Weakly non-linear dielectrics
  2. Maxwell's equations (linear and nonlinear)
  3. Ideal reference case
  4. Fourier transform
  5. Wave equation for complex amplitudes (linear and nonlinear contributions)
  6. Nonlinear Schrödinger equation (NLSE)
  7. Linear and nonlinear terms in the NLSE
2. Guided propagation of optical waves
  1. Propagation in optical fiber
  2. Guided modes → LP and Gaussian approximations

# Optical Components

## Booklet notes

### Chapter 1: Free and guided propagation of optical waves

#### 1.1 Premise

- Performance:
  - Transmission capacity: Quantity of information transferred per unit time
  - Maximum distance between the source and used
- All the physical phenomena must be known
- Visible: 400 nm  $\rightarrow$  750 nm
- Microwaves: 25  $\mu$ m  $\rightarrow$  1mm
- Information transfer  $\rightarrow$  Modulated electromagnetic signal
- In this chapter: main properties of the modern communications systems
- Guided or non-guided propagation';
  - Guided: EM radiation is confined in a guiding structure
  - Non-guided: EM radiation propagates through space  $\rightarrow$  for broadcast
- We start with slowly varying weakly nonlinear dielectrics at optical frequencies
- NLSE3D describes the evolution of the electric field envelope
- Then we apply the results for guided and non-guided propagation independently
  - Free space propagation: Neglect all nonlinear and dispersive terms (purely diffractive propagation)
  - Guiding structures: Diffractive and guiding effects (the later due to the refractive index variation in the transverse plane with respect to propagation direction) compensate each other

Optical Components

Booklet notes

Figures

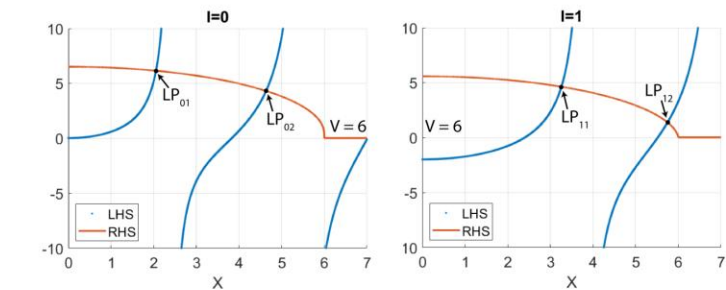


Figure 2.7: Graphical solution of the dispersion relation for the modes  $LP_{0m}$  (left panel) and  $LP_{1m}$  (right panel).

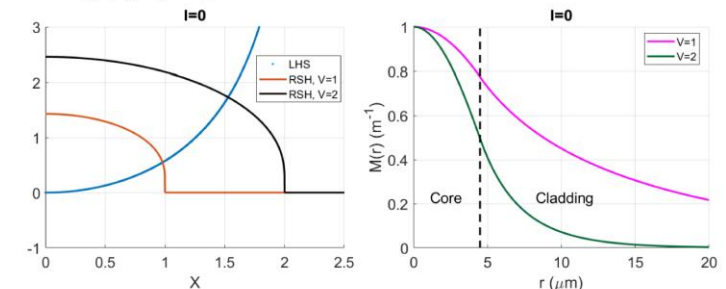


Figure 2.8: Graphical solution of the dispersion relation for the fundamental mode  $LP_{01}$  (left panel) and mode profiles for two values of normalized frequency (right panel). The core radius is  $a = 4.5 \mu m$ .

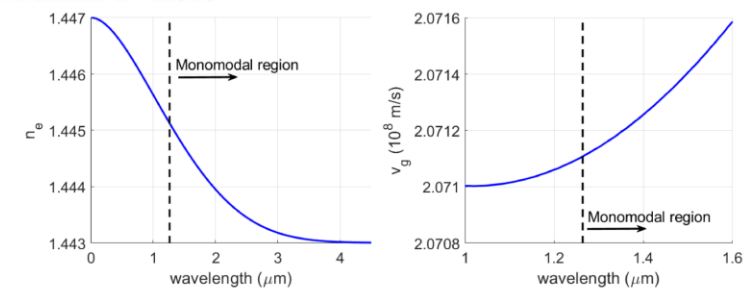


Figure 2.9: Effective refractive index (left panel) and group velocity (right panel) as functions of the wavelength, for the fundamental mode.

p53

P54 check

P55 check

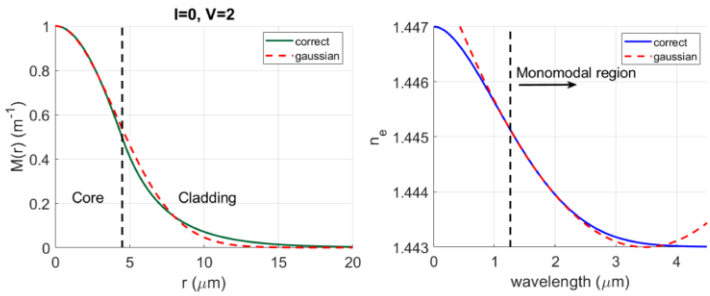


Figure 2.10: Mode profile for  $V = 2$  (left panel) and effective refractive index (right panel). The full lines correspond to the correct solution, whereas the dashed lines is obtained under the Gaussian approximation. The fundamental mode is considered.

P56 check

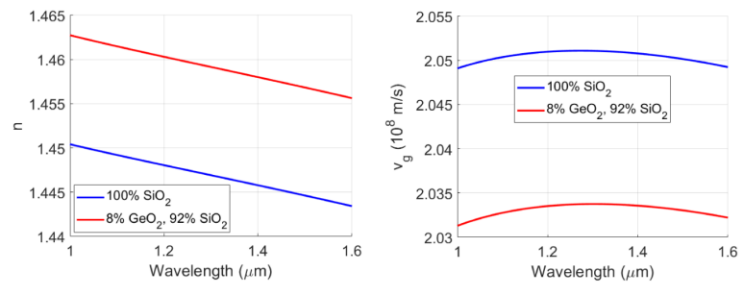


Figure 1.11: Refractive index (left panel) and group velocity (right panel) for the pure silica (blue curve) and for silica doped with germanium dioxide (red curve), obtained from Sellmeier formula.

P39 check

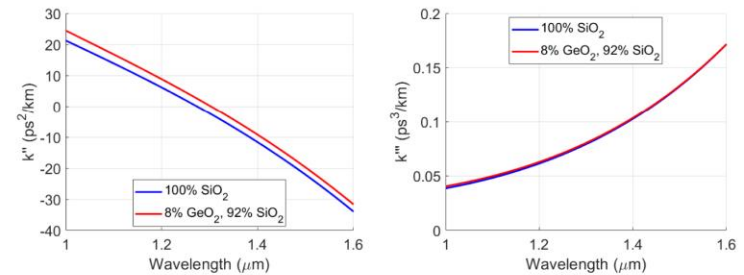


Figure 1.12: Second (left panel) and third (right panel) order dispersion for the pure silica (blue curve) and for silica doped with germanium dioxide (red curve), obtained from Sellmeier formula.

P40 check

# Optical Components

## Booklet notes

### Exercise 1: Isotropic media

- We apply any rotation on  $E$  and we should get the same in  $P$
- We obtain the relation:  $XR = RX$  with  $X$  the susceptibility tensor
- We do it with a z-axis and x-axis rotation

### Exercise 2: Frequency dependent and complex $X$

- From the relation  $P = \epsilon_0[X][E]$
- From the fact that  $X(r, t-\tau) = 0$  for  $t-\tau < 0$  due to causality

### Exercise 3: Linear isotropic media

- Directly from the wave equation and  $P = \epsilon_0 X E$

### Exercise 4: Linear and homogeneous medium $\rightarrow \nabla \cdot [E] = 0$

- From

### Exercise 5: Ideal reference case

- Directly from the wave equation

### Exercise 6: Propagation constant

- Taking the operators of the derivatives acting on the cosine function

### Exercise 7: 2D Fourier transform

- Apply the Fourier transform and separate the exponentials

### Exercise 8: $H$ and $\langle P \rangle$ calculations

- Apply Maxwell's equations and assume slowly variant envelope

# Optical Components

## Booklet notes

### Exercise 9: Intensity attenuation

- We have the electric field, get the poynting vector

### Exercise 10: Neglect third order dispersion

- We start with the equation and the suggested values

### Exercise 11: Verify the effective refractive index with data

- Use the graphical solution and then calculate beta and  $n_{\text{eff}}$

### Exercise 12:

### Exercise 13:

### Exercise 14:

### Exercise 15:

### Exercise 16:

Figure 1.11: Refractive index for pure Silica and Silica doped with Germanium from the Sellmeier formula

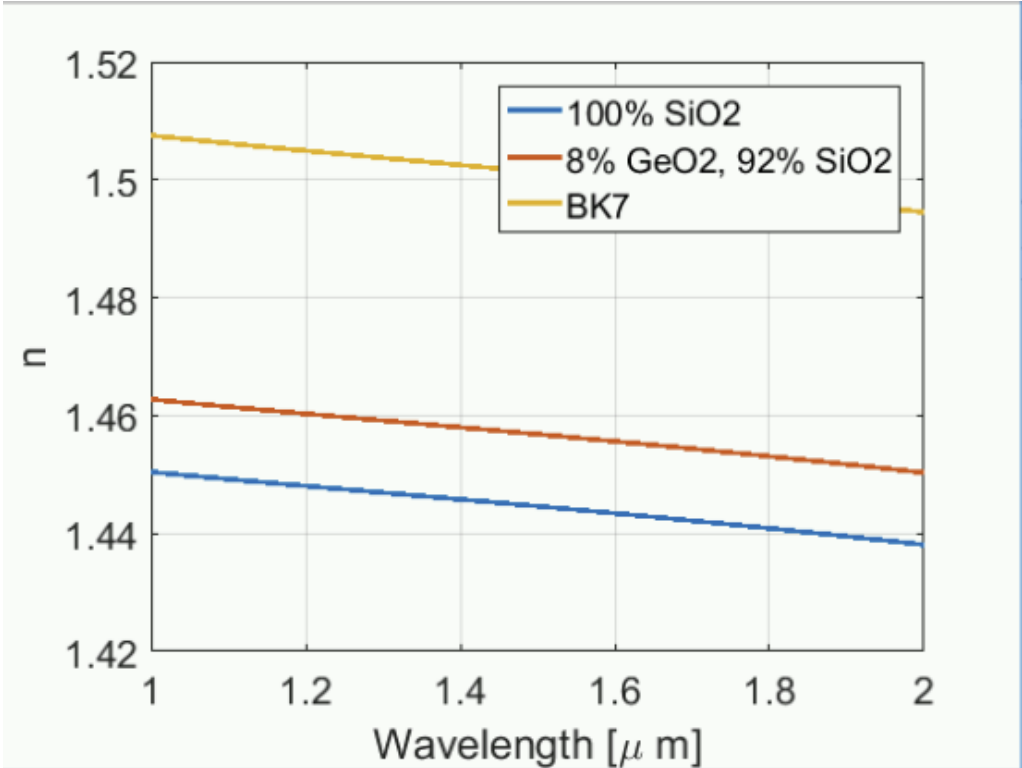


Figure 1.11: Group velocity for pure Silica and Silica doped with Germanium from the Sellmeier formula

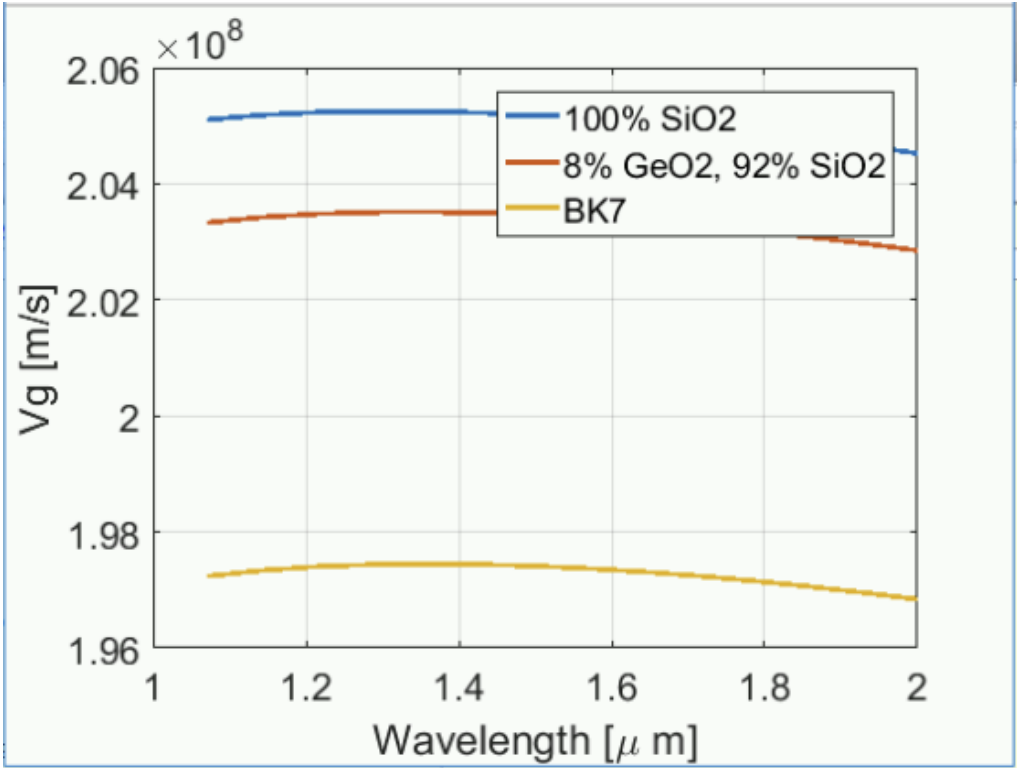


Figure 1.12: Refractive index for pure Silica and Silica doped with Germanium from the Sellmeier formula

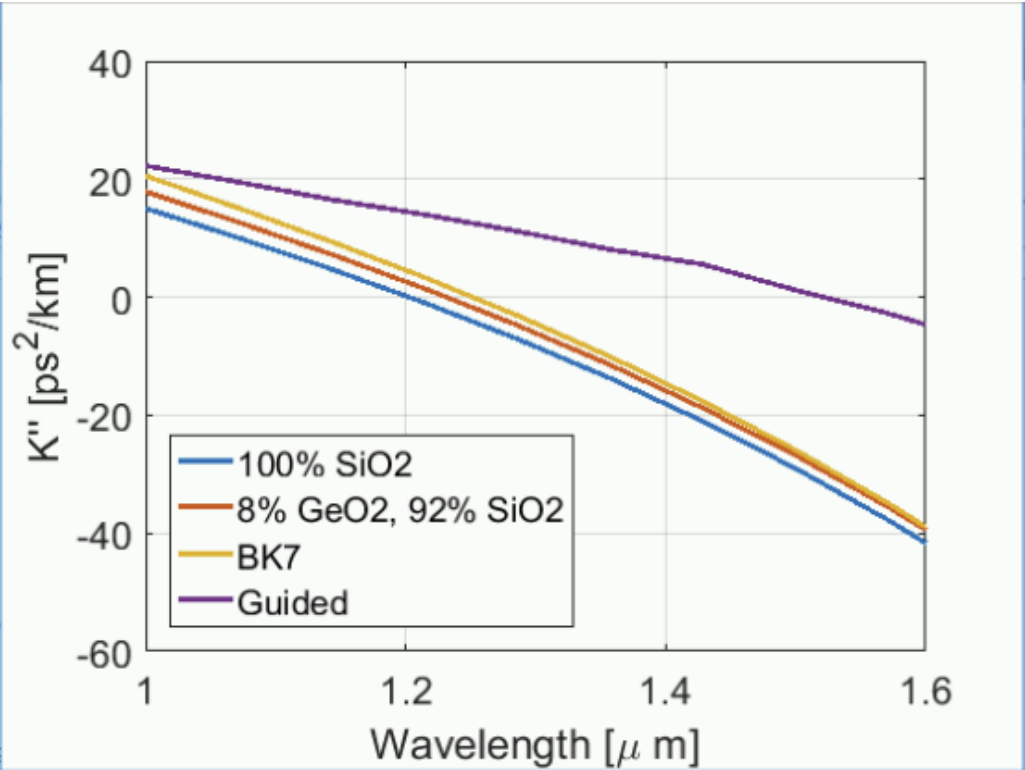


Figure 1.12: Group velocity for pure Silica and Silica doped with Germanium from the Sellmeier formula

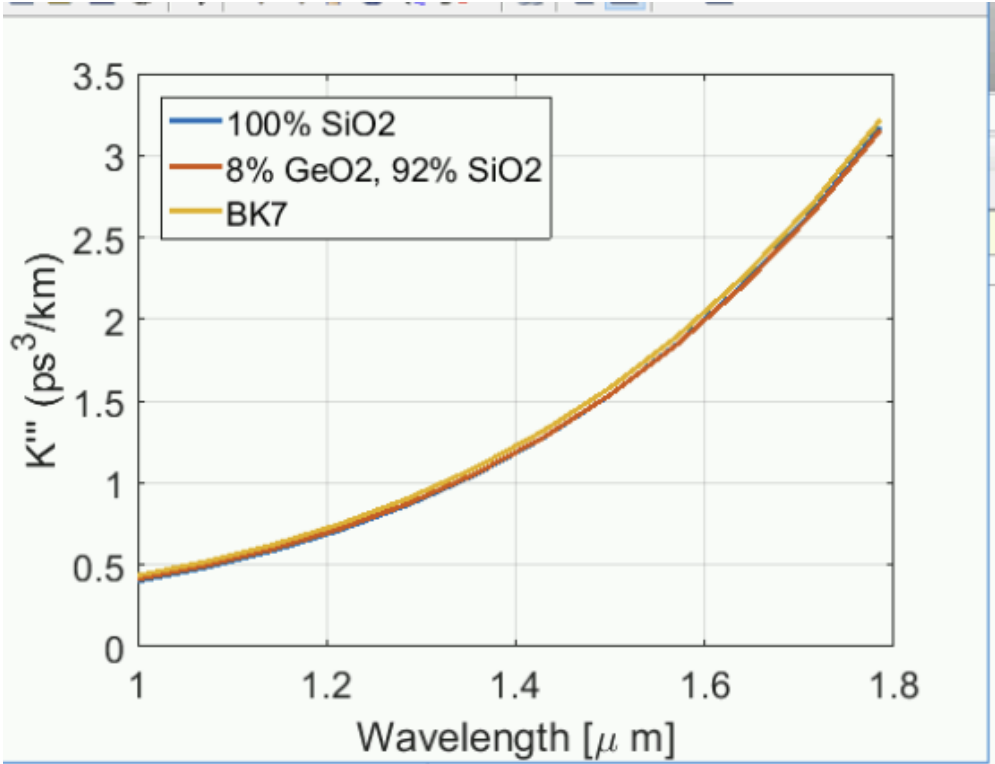


Figure 2.8: Graphical solution of the dispersion relation for the LP01 mode

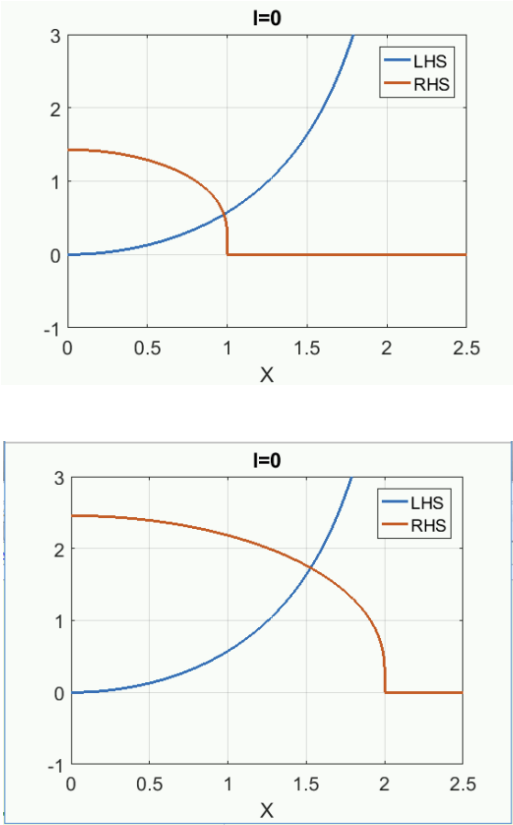


Figure 2.8: Mode profiles for 2 normalized frequencies

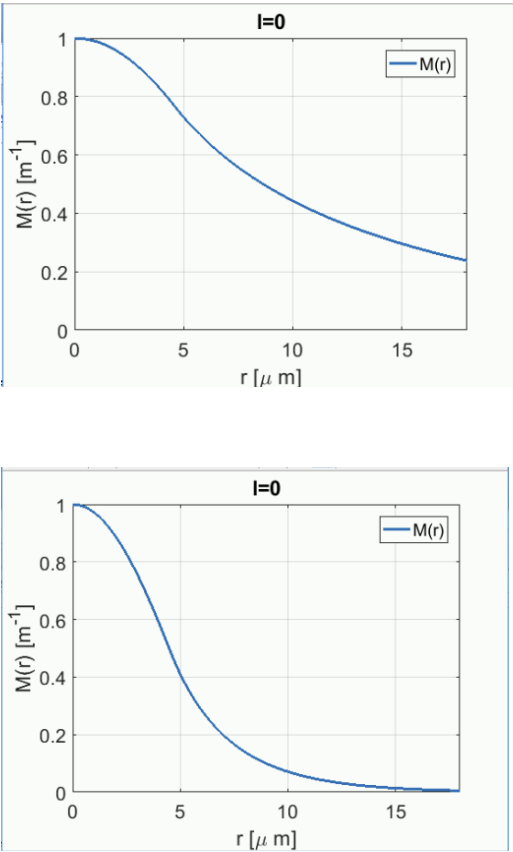




Figure 2.9: Effective refractive index for the L01 mode

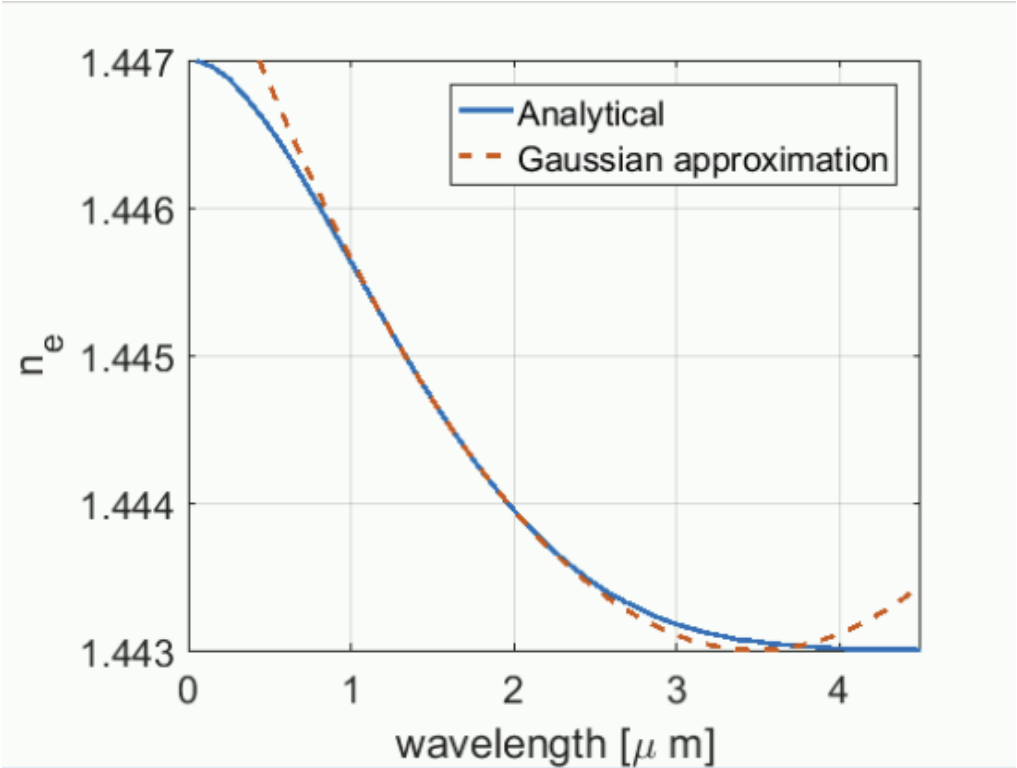


Figure 1.11: Group velocity of the LP01 mode

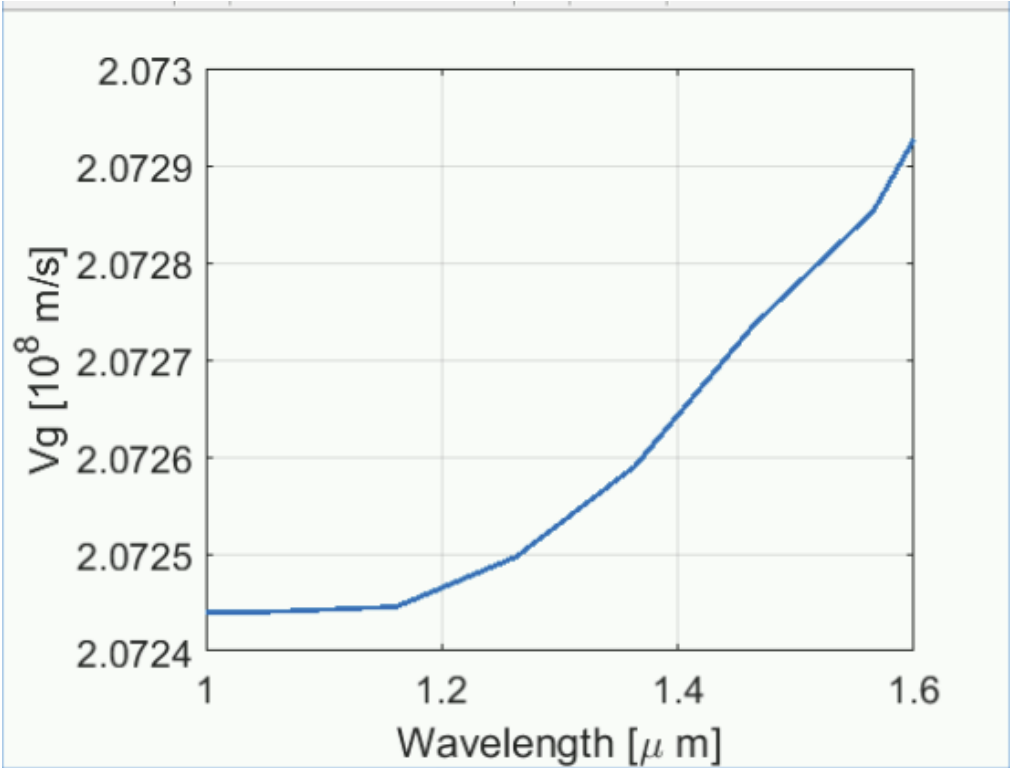


Figure 2.10: Mode profile for V=2

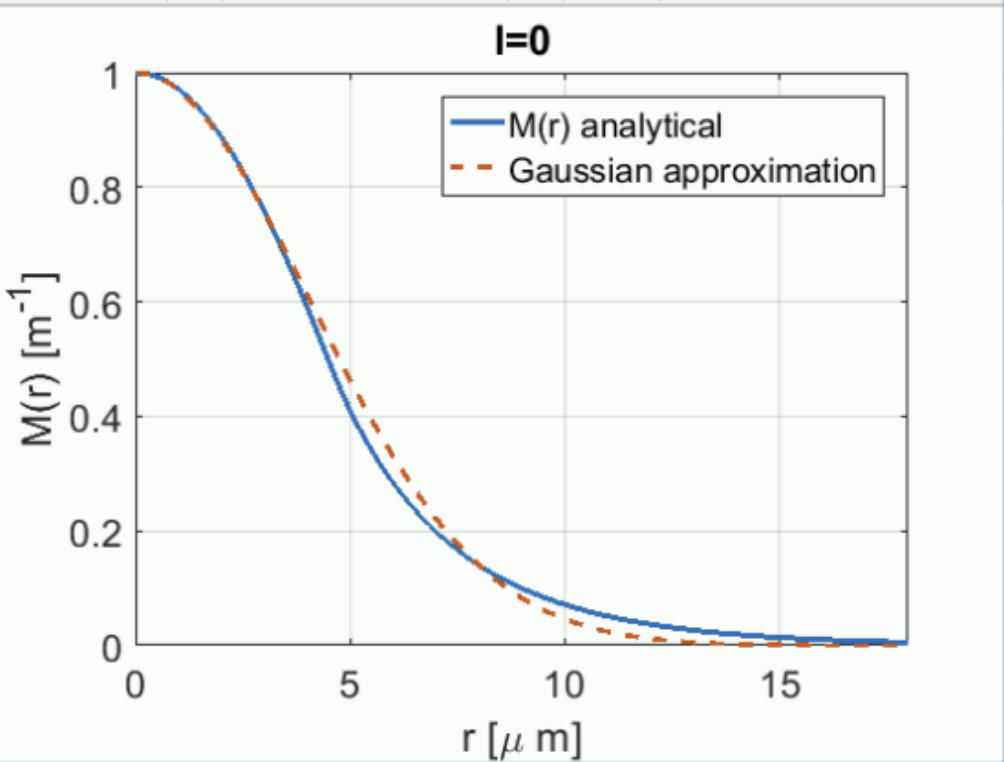


Figure 1.11: Effective refractive index

