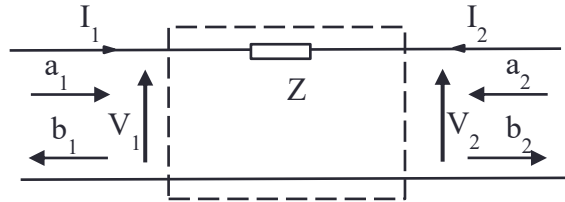


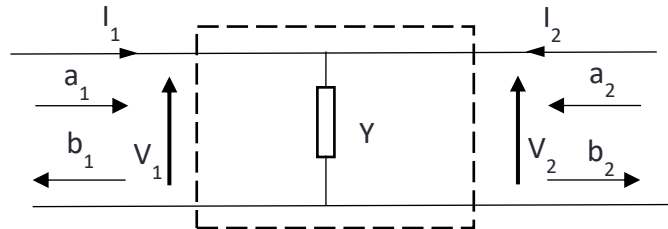
## Tutorial on S parameters – Issue 1

### Exercise #1 : S matrix of a serial impedance



From Kirchoff's and Ohm's laws and the expressions of power voltage-current waves as a function of the normalized voltage and current, give the S matrix of the serial impedance  $Z$ .

### Exercise #2 : S matrix of a shunt admittance



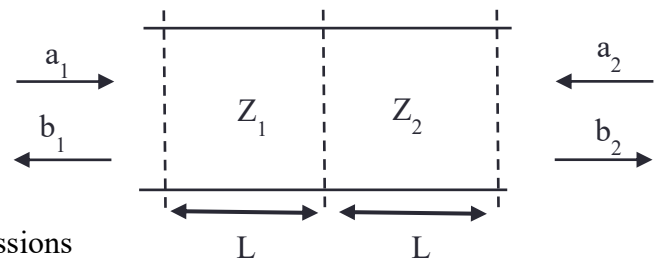
as previously, demonstrate that the S matrix for a shunt admittance could be written as:

$$[S] = \begin{bmatrix} -\frac{y_n}{y_n + 2} & \frac{2}{y_n + 2} \\ \frac{2}{y_n + 2} & -\frac{y_n}{y_n + 2} \end{bmatrix} \quad \text{where } y_n = \frac{Y}{Y_0} \text{ and } Y_0 = \frac{1}{Z_0}$$

### Exercise #3 : S matrix of impedance step

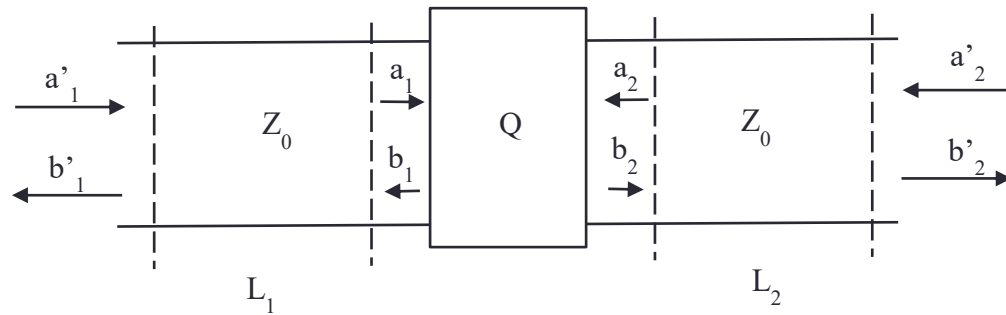
The matrix  $S$  is normalized with respect to:

- $Z_1$  at port 1
- $Z_2$  at port 2



From Kirchoff's and Ohm's laws and the expressions of power voltage-current waves as a function of the normalized voltage and current, give the S matrix of this diagram

### Exercise #4 : S matrix of a quadripole connected to 2 transmission line



The S matrix of the quadripole  $Q$ , normalized with respect to  $Z_0$ , is assumed to be known.  
The connection lines are assumed to be lossless, with characteristic impedance  $Z_0$ .

Give the S matrix of this diagram.