

Rollno :: 18MCA054

Name :: Wasit Shafi

Submitted to :: Dr. Srujana Date ::

Q1 Define the relation
 $\text{max}(X, Y, \text{Max})$,

so that Max is the greater of two numbers X & Y

Sol1

$\text{max}(X, Y, \text{Max}) :-$

(

$X > Y \rightarrow$

Max is X

;

Max is Y

).

Q2 Define the predicate
 $\text{maxlist}(\text{List}, \text{Max})$

so that Max is the greatest number in the list of numbers List.

Sol2

$\text{maxlist}([], R, R).$

$\text{maxlist}([X|Xs], WK, R) :- X > WK, \text{maxlist}(Xs, X, R).$

$\text{maxlist}([X|Xs], WK, R) :- X \leq WK, \text{maxlist}(Xs, WK, R).$

$\text{maxlist}([X|Xs], R) :- \text{maxlist}(Xs, X, R).$

Q3 Define the predicate
 $\text{sumlist}(\text{List}, \text{Max})$

so that Max is the greatest number in the list of numbers list.

Sol3

$\text{sumlist}([], 0).$

$\text{sumlist}([Head|Tail], Sum) :- \text{sumlist}(Tail, Temp),$
Sum is Temp + Head.

Q4 The following relation classifies numbers into three classes positive, zero & negative:

class (Number, positive): Number > 0.

class (0, zero).

class (Number, negative): - Number < 0.

Define this procedure in a more efficient way using ~~the~~ cuts.

Sol

class (Number, positive): Number > 0, !.

class (0, zero): - !.

class (Number, negative): - Number < 0, !.

Q5 Define the procedure split (Number, Positive, Negative) which splits a list of numbers into two list:

Positive ones (including zero) & negative ones.

Eg split ([3, -1, 0, 5, -2]) ([3, 0, 5], [-1, -2])

Propose two versions: one with a cut & one without

Sols

i) Using cut

split ([], [], []).

split ([HP | TL], [HP | TP], N) :- HP >= 0, !, split (TL, TP, N).

split ([HN | TL], P, [HN | TN]) :- HN < 0, !, split (TL, P, TN).

ii) without cut.

split ([], [], []).

split ([Head | Tail], [Head | list1], list2) :-

Head >= 0, split (Tail, list1, list2).

split ([Head | Tail], list1, [Head | list2]) :-

Head < 0, split (Tail, list1, list2).

Q6 Consider this Prolog program & answer the Query for a cut-free program & this program with cut. Give your answer by drawing proof tree.

$P(X) :- a(X).$

$P(X) :- b(X), c(X), !, d(X), e(X).$

$P(X) :- b(X).$

$a(1).$

$b(1)$

$b(2)$

$c(1).$

$c(2)$

$d(2)$

$e(2)$

$b(3)$

?- $P(X)$

Sol

Output (with cut) : $X=1$, false

Output (without cut) : $X=1$

$X=2$

$X=3$

Cut-free code :

$P(X) :- a(X).$

$P(X) :- b(X), c(X), d(X), e(X).$

$P(X) :- b(X).$

$a(1)$

$b(1).$

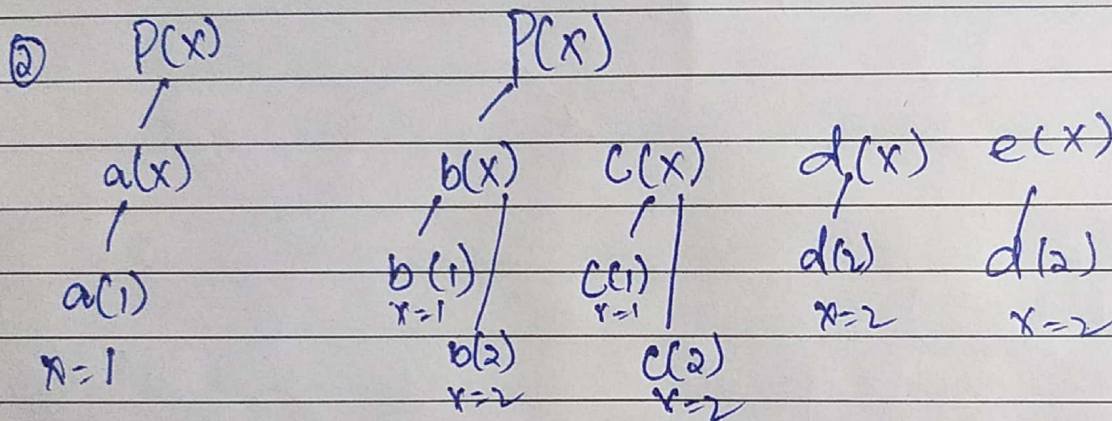
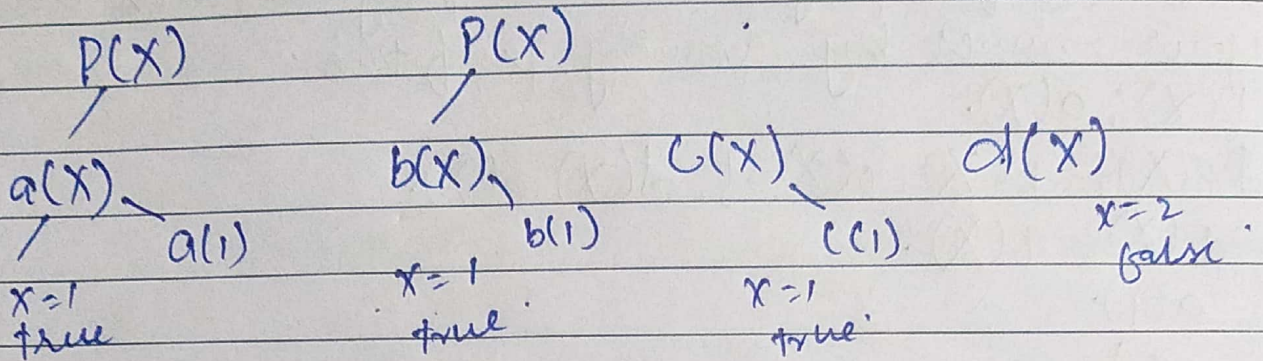
$c(1).$

$c(2).$

$d(2).$

$e(2).$

$b(3).$

Proof tree:

$P(x)$
/
 $b(x)$
/
 $b(3)$
 $x=3$

Q7 Please refer slide no 45 in lecture dated 5/5/2020 (3DC6 & CLPF) to answer these Questions:

- i) Whether this same is sufficient to answer the queries for both way translation? If not, modify this program to do it
- ii) explain the purpose of phrase predicate in this program
- iii) explain the purpose of cut operator in this program

- i) Yes, is performing both way translation
- ii) the SWI Prolog implementation of `member/3` verifies that the list & Rest arguments are unbound, bound to the empty list or a list cons cell. Other values raise a type error. The predicate `call_deg/3` is provided to use grammar rules with terms that are not list.
- iii)

Q. Write a cryptarithmic puzzle solver using `clpfd` for this puzzle:

$$HAKEU + SUSHI = KIMONO.$$

Sol.

∴ use `module(library(clpfd)).`

`Puzzle([H,A,I,K,U] + [S,U,S,H,I] = [K,I,M,O,N,O]) :-`
`vars = [H,A,I,K,U,S,M,D,N],`
`vars ins 0..9,`
`all_different(vars),`

$$H \times 10000 + A \times 1000 + I \times 100 + K \times 10 + U +$$

$$S \times 10000 + U \times 1000 + S \times 100 + H \times 10 + I \times 1 =$$

$$K \times 100000 + I \times 10000 + M \times 1000 + O \times 100 + N \times 10$$

$$+ O,$$

$$H \neq 0, S \neq 0, K \neq 0.$$