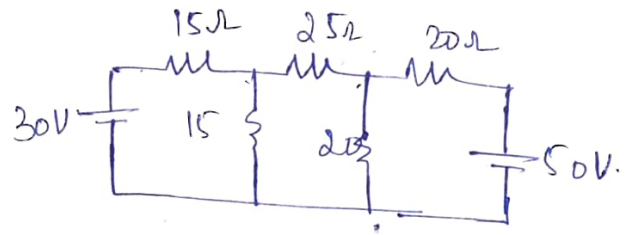


Node Analysis.

Steps to solve

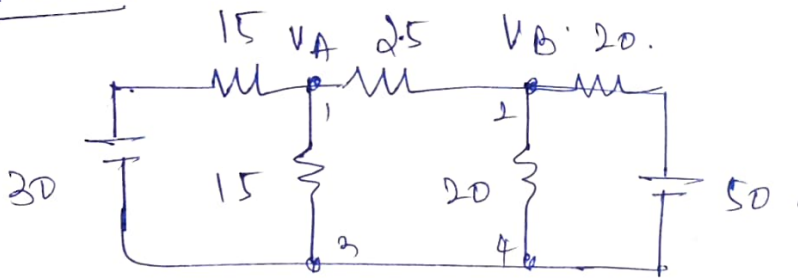


- ① Identify the Nodes. (No. of Nodes).
- ② Identify the Equivalent Nodes. (In b/w No. v.s of C.S is present)
- ③ ~~Identify~~ Identify the Ground Node.
- ④ Apply the formula & Solve.

Formula = $\frac{\text{Jahase nikal raha hai} - \text{Jahate.}}{\text{Resistance.}}$

$$\frac{\text{Jahate hai } +1 - V}{\text{Resistance.}}$$

Problem

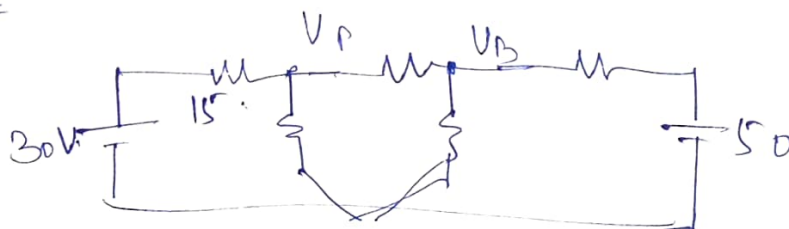


⇒ Find the Current flowing through V_A & V_B .

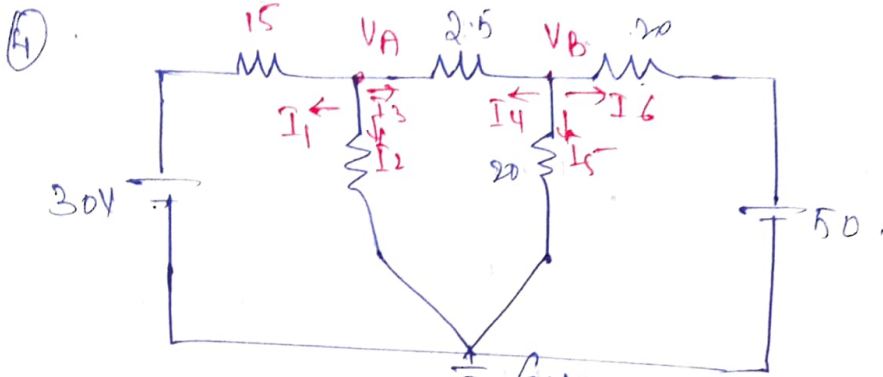
Step 1: Identify the No. of Nodes

④ 1, 2, 3, 4 are Nodes.

= Step 2: Identify the Equivalent Nodes.



③ Identity $GND = 0$.



Applying kcl to V_A . $GND = 0$.

$$\frac{V_A - 30}{15} + \frac{V_A}{15} + \frac{V_A - V_B}{2.5} = 0$$

$$2.5 \times 15 = 15$$

$$\Rightarrow \frac{V_A - 30 + V_A + 6V_A - 6V_B}{15} = 0$$

$$\Rightarrow 8V_A - 6V_B - 30 = 0$$

$$8V_A - 6V_B = 30, \text{ --- Eqn (1)}$$

② Applying kcl to V_B .

$$\frac{V_B - V_A}{2.5} + \frac{V_B}{20} + \frac{V_B - 50}{20} = 0$$

$$\frac{8V_B - 8V_A + V_B + V_B - 50}{20} = 0$$

$$2.5 \times 8 = 20$$

$$-8V_A + 10V_B = 50 \Rightarrow -8V_A + 10V_B = 50 \text{ --- (2)}$$

$$\begin{array}{rcl} -8V_A + V_B & = & 50 \\ 8V_A - 6V_B & = & 30 \end{array}$$

$$-5V_B = 20$$

$$-V_B = \frac{20}{5} \quad 4.$$

$$V_B = -4$$

$$\frac{V_A - V_B}{2.5} = -0.5A \quad (\rightarrow)$$

Ans

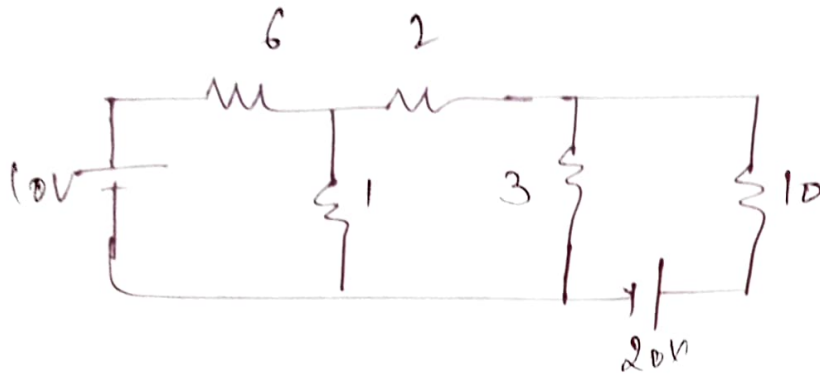
$$18.75, 20$$

$$V_A = 18.75;$$

$$V_B = 20.$$

Mesh Analysis

* Find the value of current flowing through 2Ω resistor.



Step ① (no. of meshes / boxes) — ③

(Each mesh i to be calculated in clockwise ^{or anti-clockwise} direction) And Formula ' i '

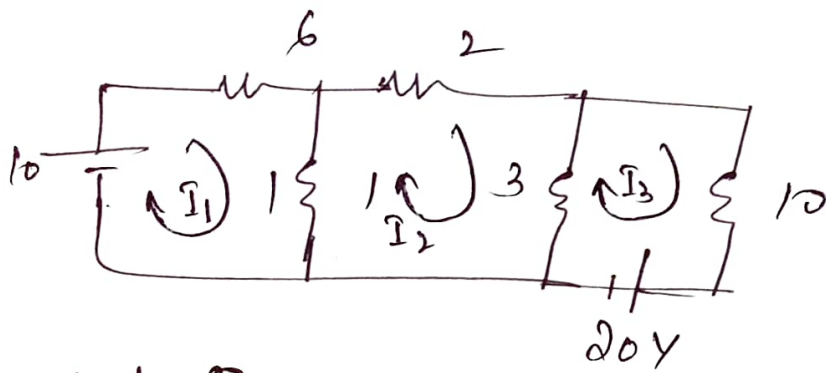
Step ② Find ' i ' by using form

Step ③ Solve the Eqn.

No (Bada-chota) = V .

↓
Bada - wo jisko hum
guma gye he.

Chota - wo jiske
saath bada food
share kar gya
he.



Mesh ① Apply KVL to Mesh 1

$$1(I_1 - I_2) + 6(I_1) = 10.$$

$$I_1 - I_2 + 6I_1 = 10$$

$$7I_1 - I_2 = 10 \quad \text{--- ①}$$

Apply KVL to Mesh ②

$$1(I_2 - I_1) + 2I_2 + 3(I_2 - I_3) = 0.$$

$$I_2 - I_1 + 2I_2 + 3I_2 - 3I_3 = 0.$$

$$\cancel{I_2 - I_1} - 4I_3 = 0 \quad \text{--- ②}$$

$$-I_1 + 6I_2 - 3I_3 = 0 \quad \text{--- ②}$$

Apply KVL to Mesh ③

$$3(I_3 - I_2) + 10I_3 = -20$$

$$13I_3 - 3I_2 = -20.$$

$$-3I_2 + 13I_3 = -20 \quad \text{--- ③}$$

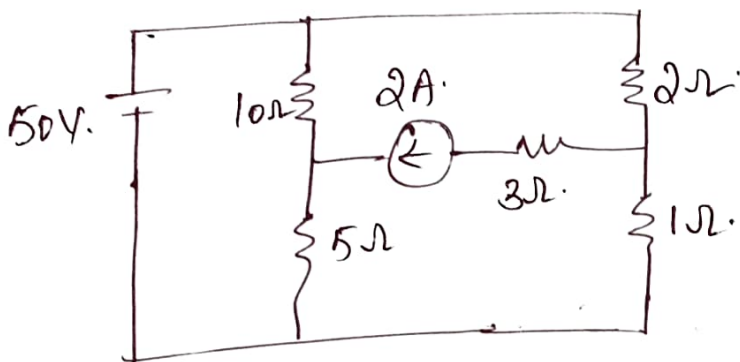
$$I_1 = 1.34 \text{ A}$$

$$I_2 = -0.61 \text{ A}$$

$$I_3 = -1.68 \text{ A}$$

Current through 2Ω Resistor is -0.61 A

* Super Mesh



Formulae

$$N(\text{Bada} - \text{Chota}) = V$$

Bada = wo jisko hum
guma rahe hai.

Chota = wo jiske saath

bada food share
kar raha hai.

Step 1: No. of boxes/Meshes.

Step 2: Find I .

Step 3: Eqⁿ (Solve by using
Formulae).

N, T,

Thevenin's Theorem

Step 1: Calculate V_{th} . by replacing load resistance with V_{th} .

Solve ^{like} the Nodal Analysis

Nodal Analysis.

Step 1: Identify the nodes. \rightarrow (In b/w No v.s/c.s is present)

Step 2: Identify the Equipotential nodes

Step 3: Identify the GND Nodes.

Step 4: using Formula solve the problem

Jahase current Nikal raha hai - Jahape current

Ja raha hai $\pm V$

Resistance.

Step 2 :- Calculate R_{th}

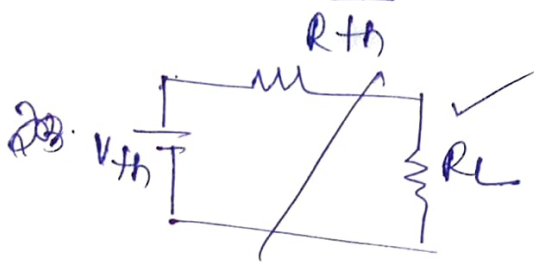
Replace Voltage source with Short Circuit

Current source with open Circuit.

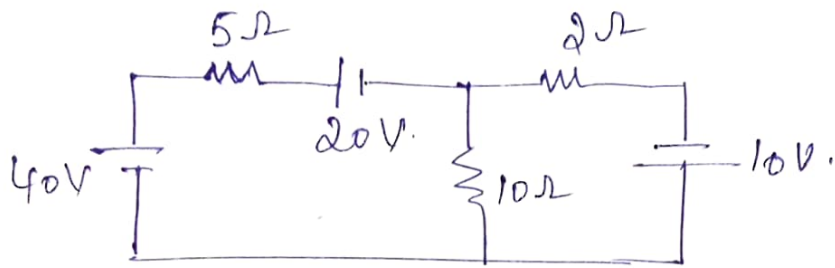
Solve using Series / parallel.

Step 3.

Calculate $\underline{I_L}$.

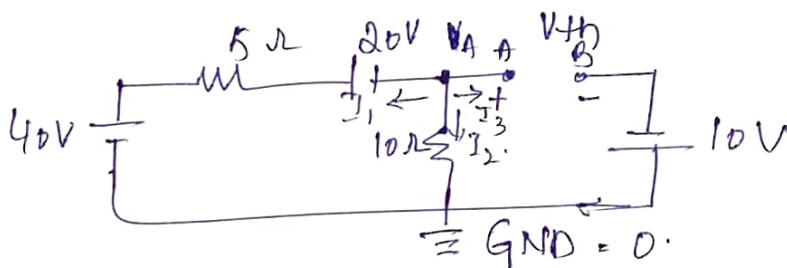
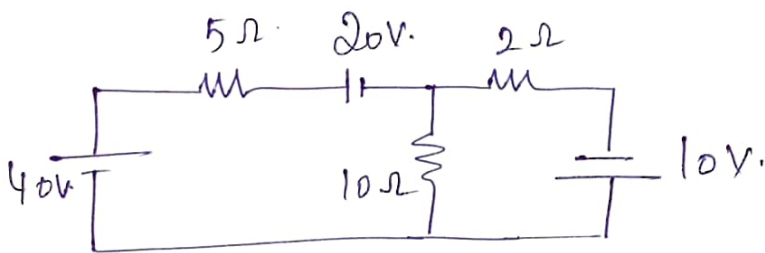


→ Find the value of current flowing through 2Ω resistor using Thevenin's Theorem.



Step 1 Calculating V_{th} .

GND (Max Branch)



V_{th} is D.C
 $I_3 = 0$

Apply KCL to V_A .

$$\frac{V_A - 0 + 20 - 40}{5} \Rightarrow \frac{V_A - 20}{5} + \frac{V_A + 10}{10} = 0$$

$$\frac{2V_A - 40 + V_A}{10} = 0$$

$$3V_A = 40 \Rightarrow V_A = \frac{40}{3} = 13.33 \text{ V.}$$

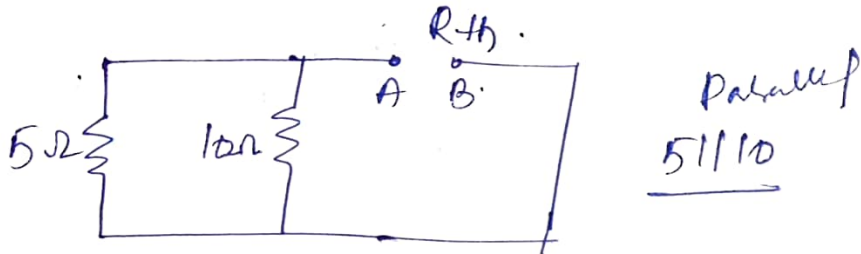
Writing eqn for V_{th}

$$V_A - V_{th} + 10 = 0 \Rightarrow V_{th} = V_A + 10 = 13.33 + 10 = 23.33 \text{ V}$$

Step 2: Calculate R_{th} .

Replace $V.S \rightarrow S.C$

$C.S \rightarrow \underline{O.C}$

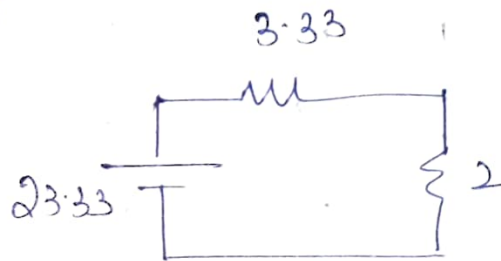
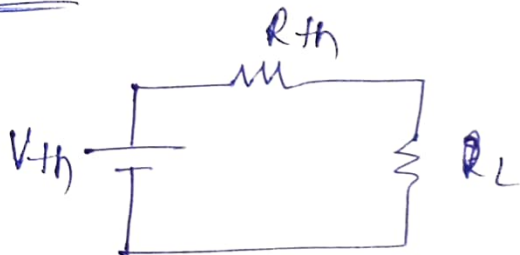


$$R_{th} = \frac{5 \times 10}{5 + 10} = \frac{50}{15} \Rightarrow 3.33 \Omega$$

$$V_{th} = 23.33 V$$

$$R_{th} = 3.33 \Omega$$

Step 3: Calculate I_L



$$I_L = \frac{V_{th}}{R_{th} + R_L} = \frac{23.33}{3.33 + 2} = \underline{4.37 A}$$

Norton's Theorem.

Steps to Calculate Norton's Theorem

Step 1: Calculate I_N By replacing load resistance with I_N Solving like mesh analysis.

No (Bada-chota) = V .

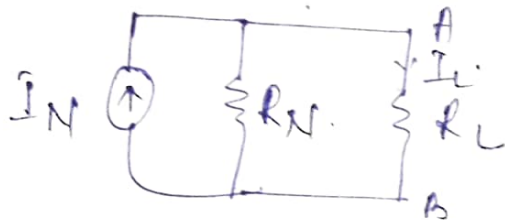
Step 2: Find R_N

Jisko saath Badh
Jisko hum ghuma raha hai

By replacing voltage source with short circuit
& current " " open "

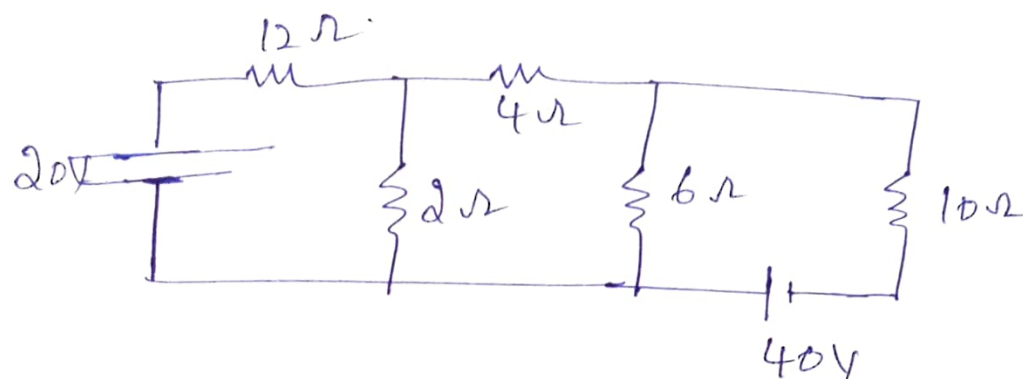
Solve like series, parallel.

Step 3: Calculate I_L .



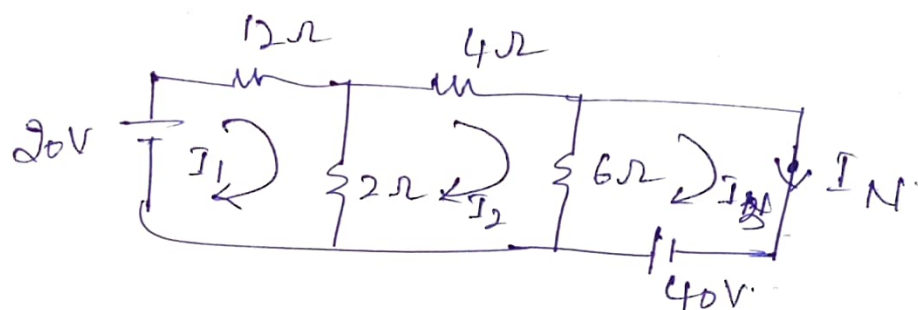
→ Find the Current through 10Ω Resistor using.

Norton's Theorem



→ For Step 1

Calculate I_N by replacing load resistance with I_N .



Solve like mesh analysis

Useful when
Trick (No C.S)

$$N_o(B_{adn} - C_{adn}) = V.$$

→ Apply KVL to mesh 1

$$2(I_1 - I_2) + 12I_1 = 20.$$

$$2I_1 - 2I_2 + 12I_1 = 20.$$

$$14I_1 - 2I_2 = 20. \quad \text{--- (1)}$$

Apply KVL to Mesh 2

$$2(I_2 - I_1) + 4I_2 + 6(I_2 - I_3) = 0.$$

$$2I_2 - 2I_1 + 4I_2 + 6I_2 - 6I_3 = 0 \Rightarrow \underbrace{-2I_1 + 12I_2 - 6I_3}_{\text{N}} = 0 \quad \text{--- (2)}$$

$$\text{Eqn (3)}$$

$$6(I_3 - I_2) = 40.$$

$$6I_3 - 6I_2 = 40$$

$$\hookrightarrow \text{(3)}$$

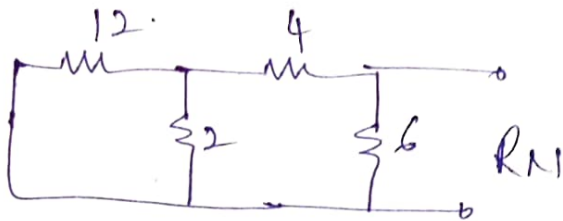
$$I_1 = 2.5 \text{ A}$$

$$I_2 = 2.5 \text{ A}$$

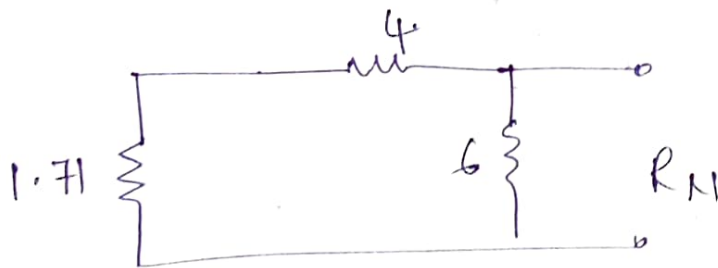
$$I_3 = 14.16 \text{ A}$$

$$I_3 = I_N = 14.16 \text{ A}$$

Step 2 . Calculate R_N .

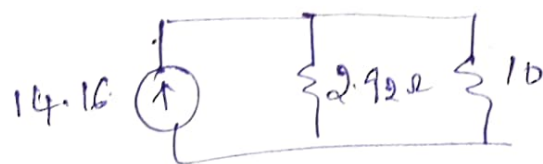


$$12 \parallel 2 = \frac{12 \times 2}{12 + 2} = 1.71$$



$$5.71 \parallel 6 = \frac{5.71 \times 6}{5.71 + 6} = 2.92 \Omega \quad 41.8^\circ$$

Step 3! Calculate I_L



$$I_L = \frac{I_N \times R_N}{R_N + R_L}$$

$$= \frac{14.16 \times 2.92}{2.92 + 10} = 3.19 \text{ A}$$